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# Progress Installing 3D Canopy Radiation in CESM/CLM4

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# Outline

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- General concepts
- Algorithmic details
- Data
- Some results

# General Concepts- Overview

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- ❑ Canopy radiation on a large scale is strongly affected by the heterogeneous structure of canopies.
  - ❑ Given the total surface albedo obtained from satellite data, canopy heterogeneity will strongly affect the partitioning of radiation between ground and canopy with important consequences for the amount of transpiration and photosynthesis occurring in the canopy and soil temperature.
  - ❑ These effects should be strongest for relatively sparse vegetation and bright underlying surfaces.
  - ❑ Canopy radiation in climate models has commonly followed Sellers in using leaf optical properties and a two-stream radiation model that assumes canopies can be described by a homogeneous distribution of leaves.
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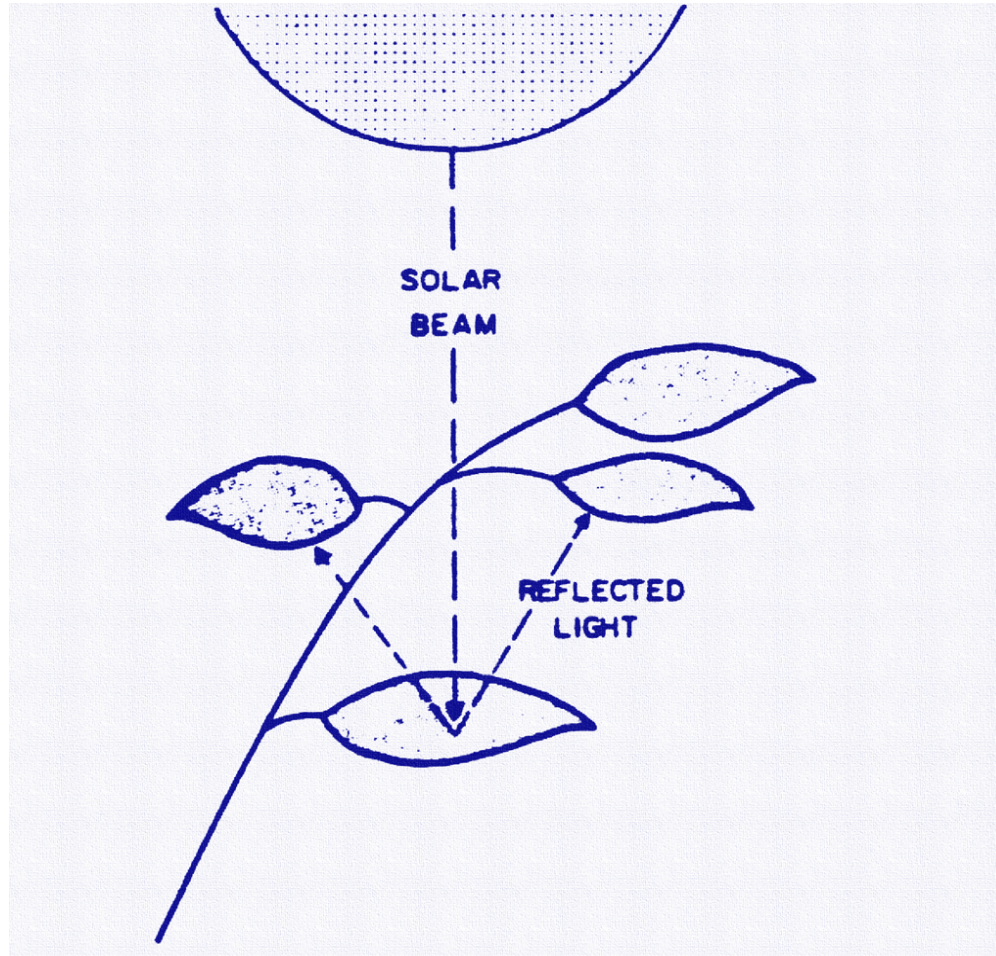
# Overview

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- ❑ We have been implementing a more realistic canopy heating at CLM sub-grid level based on the 3-dimensional radiation model along with modeling of leaf orientation, bush shape factors and canopy overlapping shadows.
  - ❑ The overlap acts to reduce the total area covered by shadows and enlarge the sunlit gaps.
  - ❑ The new scheme improves the heating of the bush canopy with an underlying black surface follows the logic of Dickinson et al. (2008), with the multi-scattered contribution described in Dickinson (2008).
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# Light Reflection from Leaf

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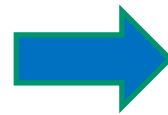
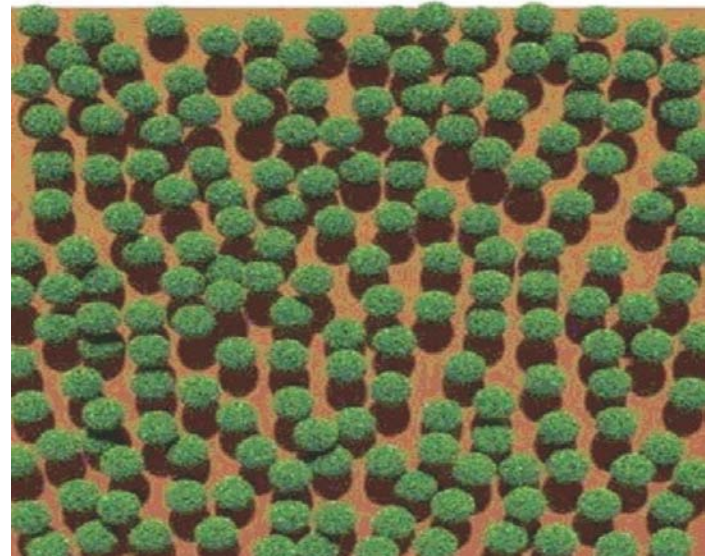
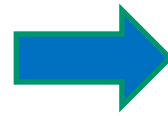
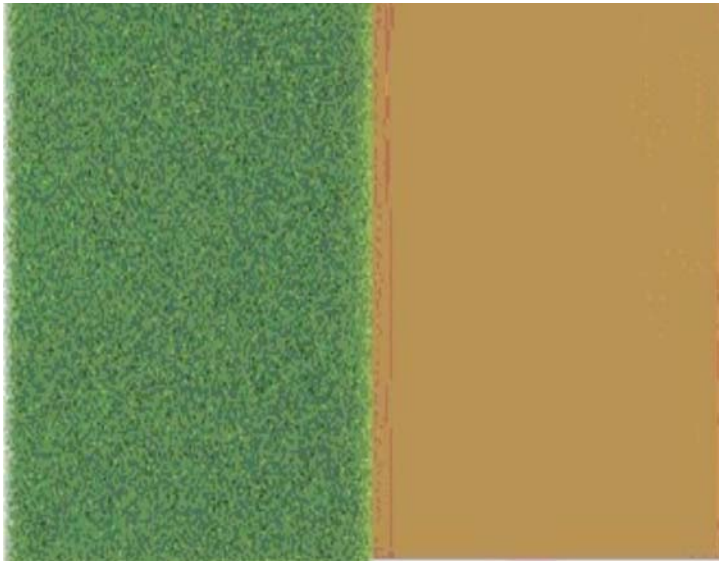


Sketch of partial trapping of light reflected from a canopy leaf by overlaying leaves (Dickinson 1983)

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# Current Models Versus Reality

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# Representation of Sparse Vegetation in CLM

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- ❑ In the earliest version of CLM (Dai et al. 2000), fractional vegetation had a fractional cover  $f_c$ , but concept lost in order to separate the bare soil from the pfts as in LSM.
  - ❑ CLM5 uses Lawrence MODIS data for land surface coverage. It defines all 17 land cover fractions at each grid even where many of fractions are zero or too small; each pft only sees the soil directly underneath it (i.e. it is 100% cover).
  - ❑ As bush shadow logic only works with fractional coverage, our initial development of data combines the data for multiple pfts within a model grid to define fractional covers.
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# Model Implementation of Bush Logic

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- Given grid square has multiple pft fractions, these fractions are divided into height classes:

  - tall** for trees,

  - intermediate** for shrubs and

  - short** for grasses, crops and everything else.

- Shading rules are that:

  - tall** shades all lower pfts,

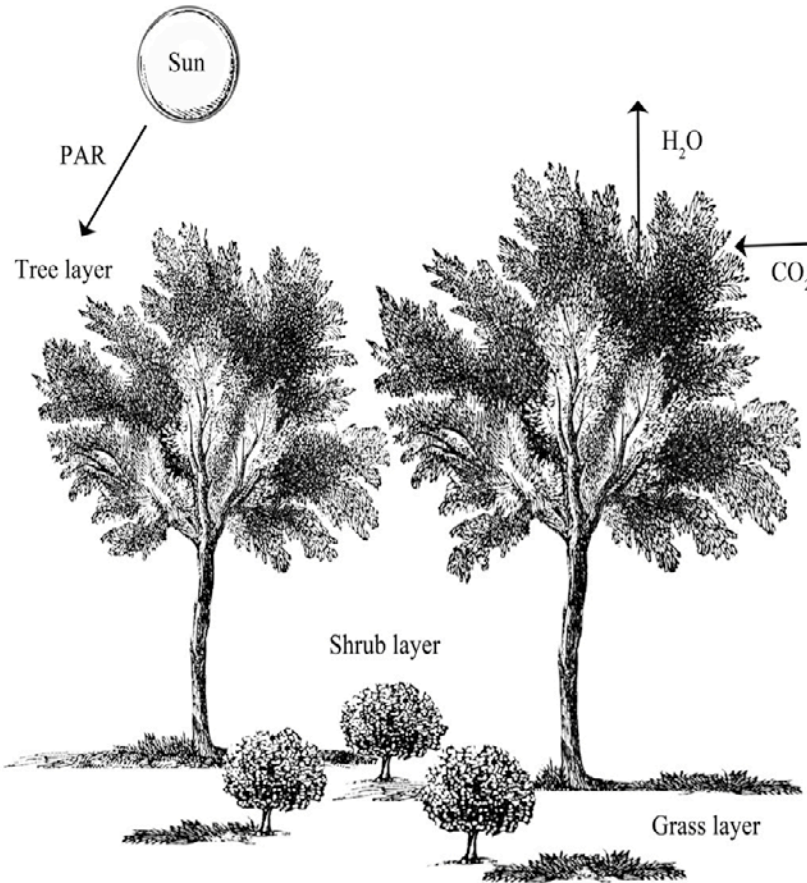
  - intermediate** shades short and bare soil while

  - short** vegetation shades only bare soil.

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# 3D Canopy Structure



# CLM Plant Functional Types

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0 Not Vegetated

- 1 Needleleaf Evergreen Temperate Tree
- 2 Needleleaf Evergreen Boreal Tree
- 3 Needleleaf Deciduous Boreal Tree
- 4 Broadleaf Evergreen Tropical Tree
- 5 Broadleaf Evergreen Temperate Tree
- 6 Broadleaf Deciduous Tropical Tree
- 7 Broadleaf Deciduous Temperate Tree
- 8 Broadleaf Deciduous Boreal Tree

- 9 Broadleaf Evergreen Shrub
- 10 Broadleaf Deciduous Temperate Shrub
- 11 Broadleaf Deciduous Boreal Shrub

- 12 C3 Arctic Grass
- 13 C3 Non-Arctic Grass
- 14 C4 Grass
- 15 Corn
- 16 Wheat

# Examples of Bush Shadow

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# Algorithmic Details-Shadow Area

- ❑ The starting building block is a single spherical bush. Its relative area of shadow cast on the ground is  $fc/\coszen$ , where  $fc$  is the fractional cover of the geometric vegetation and  $\coszen$  is cosine of sun angle.
- ❑ The ground shadow with overlap can be modeled by a large number of possible statistical models. The simplest is to assume an exponential distribution of bush separations
- ❑ Overlap has two effects: 1) it reduces the fractional area of the surface not receiving sunlit; 2) it increases the optical paths and so the radiation absorbed by the canopy.
- ❑ Area of non-overlapping shadow spherical bush casts on ground to direct beam:  
$$\text{shadow\_gd} = [1 - \exp(-fc/\coszen)] / [1 - fc * \exp(-1/\coszen)]$$
- ❑ Area of non-overlapping shadow spherical bush casts on ground to diffuse beam:  
$$\text{shadow\_gi} = [1 - \exp(-2*fc)] / [1 - fc * \exp(-2)]$$
- ❑ area of shadow bush casts on sky  
$$\text{shadow\_sky} = \text{shadow\_gi}$$

# Canopy Reflectance, Transmittance & Scattering

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$\rho_{hol}$  = leaf reflectance

$\tau_{aul}$  = leaf transmittance ( optical depth)

$w_s$  = fractional weight of stem in  $v_{ai} = e_{lai}/(e_{lai}+e_{sai})$

$w_l$  = fractional weight of leaf in  $v_{ai} = e_{lai}/(e_{lai}+e_{sai})$

$\rho_{hols}$  = leaf-stem reflectance =  $\rho_{hol}*w_l + \rho_{hos}*w_s$

$\tau_{auls}$  = leaf-stem optical depth =  $\tau_{aul}*w_l + \tau_{aus}*w_s$

$\tau_{au0}$  = optical depth for single bush =  $3/4*G*v_{ai}$

$v_{ai}$  = veg area index =  $e_{lai} + e_{sai}$

$G$  = geometric blocking parameter ( 0.5 for uniform distribution of orientation)

$\tau_{aud}$  = optical depth for direct beam =  $(\tau_{au0}*f_c)/(\cos\theta_{zen}*shadow\_gd)$

$\tau_{aui}$  = optical depth for diffuse beam =  $(2*\tau_{au0}*f_c)/(shadow\_gi)$

$\omega$  = fraction of intercepted radiation scattered =  $\tau_{auls} + \rho_{hols}$

$T(v_{ai})$  = unscattered transmittance through bush (analytic expression)

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# Multiscattering logic

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- Incident photon, if attenuated  $(1-T)$  is scattered with probability  $\omega$
- The scattered radiation either escapes from the canopy or is again attenuated.
- Can construct probabilities at each scattering:
- $P_a + p_e = 1$ .
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# Single Scattering Terms

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- ❑ Single scatter forward for direct beam

$$\text{phi\_1f\_d} = [1 - (1 + 2\text{taud} + 2\text{taud}*\text{taud}*\exp(-2\text{taud}))] / (\text{taud}*\text{taud})$$

- ❑ Single scatter backward for direct beam

$$\text{phi\_1b\_d} = 0.5[1 - T(2\text{taud})]$$

- ❑ Single scatter average for direct beam

$$\text{phi\_1a\_d} = 0.5[\text{phi\_1b\_d} + \text{phi\_1f\_d}]$$

- ❑ Single scatter forward for diffuse beam

$$\text{phi\_1f\_i} = [1 - (1 + 2\text{taui} + 2\text{taui}*\text{taui})*\exp(-2\text{taui})] / (\text{taui}*\text{taui})$$

- ❑ Single scatter backward for diffuse beam

$$\text{phi\_1b\_i} = 0.5*[1 - T(2\text{taui})]$$

- ❑ Single scatter average for diffuse beam

$$\text{phi\_1a\_i} = 0.5[\text{phi\_1b\_i} + \text{phi\_1f\_i}]$$

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# Approximate Double Scattering Terms

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- ❑ Double scatter forward direct beam

$$\text{phi\_2f\_d} = 1/3 - T(2\text{taui}) + 2T(3*\text{taui})/3$$

- ❑ Double scatter backward direct beam

$$\text{phi\_2b\_d} = 4\text{phi\_1f\_d}/3 + T(2*\text{taui})T(4\text{taui})/9 - 10T(\text{taud})/9$$

- ❑ Double scatter average direct beam

$$\text{phi\_2a\_d} = 0.5[\text{phi\_2b\_d} + \text{phi\_2f\_d}]$$

- ❑ Double scatter forward diffuse beam

$$\text{phi\_2f\_i} = 1/3 - T(2\text{taui}) + 2T(3*\text{taui})/3$$

- ❑ Double scatter backward diffuse beam

$$\text{phi\_2b\_i} = 4\text{phi\_1f\_i}/3 + T(2\text{taui}) + T(4\text{taui})/9 - 10*T(\text{taud})/9$$

- ❑ Double scatter average diffuse beam

$$\text{phi\_2a\_i} = 0.5[\text{phi\_2b\_i} + \text{phi\_2f\_i}]$$

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# Multiple Scattering Terms

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- ❑ Probability of absorption after 2 scattering (direct beam)  
$$pad = 1 - \phi_{2a_d} / [1 - f_{tdd} - ]$$
  - ❑ Probability of absorption after 2 scattering (diffuse beam)  
$$pai = 1 - \phi_{2a_i} / [1 - f_{tdi} - ]$$
  - ❑ Multi-scatter forward direct beam  
$$\phi_{mf_d} = \phi_{2f_d} + \omega * pad * \phi_{2a_d} / [1 - \omega * pad]$$
  - ❑ Multi-scatter backward direct beam  
$$\phi_{mb_d} = \phi_{2b_d} + \omega * pad * \phi_{2a_d} / [1 - \omega * pad]$$
  - ❑ Multi-scatter average direct beam  
$$\phi_{ma_d} = 0.5[\phi_{mb_d} + \phi_{mf_d}]$$
  - ❑ Multi-scatter forward diffuse beam  
$$\phi_{mf_i} = \phi_{2f_i} + \omega * pai * \phi_{2a_i} / [1 - \omega * pai]$$
  - ❑ Multi-scatter backward diffuse beam  
$$\phi_{mb_i} = \phi_{2b_i} + \omega * pai * \phi_{2a_i} / [1 - \omega * pai]$$
  - ❑ Multi-scatter average diffuse beam  
$$\phi_{ma_i} = 0.5[\phi_{mb_i} + \phi_{mf_i}]$$
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# Total sphere scattering, Forward, Backward, Average & Difference

- ❑ Backward fraction of 3D scat rad in all direction for direct beam

$$\text{phi\_totb\_d} = \text{rhols} * \text{phi\_1b\_d} + \text{phi\_mb2\_d}$$

- ❑ Forward fraction of 3D scat rad in all direction for direct beam

$$\text{phi\_totf\_d} = \text{tauls} * \text{phi\_1f\_d} + \text{phi\_mf2\_d}$$

- ❑ Total radiation scattered in all direction per direct beam

$$\text{phi\_tot\_d} = \text{phi\_totf\_d} + \text{phi\_totb\_d}$$

- ❑ Forward - backward difference in scattered radiation per direct beam

$$\text{phi\_dif\_d} = \text{phi\_totf\_d} - \text{phi\_totb\_d}$$

- ❑ Backward fraction of 3D scattering radiation in all direction for diffuse beam

$$\text{phi\_totb\_i} = \text{rhols} * \text{phi\_1b\_i} + \text{phi\_mb2i}$$

- ❑ Forward fraction of 3D scattering radiation in all direction for diffuse beam

$$\text{phi\_totf\_i} = \text{tauls} * \text{phi\_1f\_i} + \text{phi\_mf2i}$$

- ❑ Total radiation scattered in all direction per diffuse beam

$$\text{phi\_tot\_i} = \text{phi\_totf\_i} + \text{phi\_totb\_i}$$

- ❑ Forward - backward difference in scattered radiation per diffuse beam

$$\text{phi\_dif\_i} = \text{phi\_totf\_i} - \text{phi\_totb\_i}$$

# Unscattered Beam Transmission Terms

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- ❑ Transmission for unscattered direct beam  
$$ftdd = 0.5[1.0 - (2\tau_{aud}+1)\exp(-2\tau_{aud})] / [\tau_{aud}*\tau_{aud}]$$
  - ❑ Direct beam reaching ground without scattering  
$$ftdd0 = shadow\_gd*fdn\_id$$
  - ❑ Downward diffused flux of direct beam through canopy  
$$fdn\_id = 0.5[\phi_{tot\_d} + 0.5*\coszen*\coszen*\phi_{dif\_i}]$$
  - ❑ Direct beam reaching ground after scattering  
$$ftid0 = 1.0 - shadow\_gd*(1 - ftdd)$$
  - ❑ Transmission for unscattered diffuse beam  
$$ftdi = 0.5[1.0 - (2\tau_{ai}+1)\exp(-2\tau_{ai})] / [\tau_{ai}*\tau_{ai}]$$
  - ❑ Transmission for scattered direct beam  
$$ftid = ftid/(1-probm)$$
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# Scattered Beam Transmission Terms

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- Diffuse beam reaching ground after scattering

$$ftii0 = 1.0 - shadow\_gi * [1 - ftdi - fdn\_ii]$$

- Transmission for scattered diffuse beam

$$ftii = ftii0 / (1 - probm)$$

- Downward diffused flux of diffused beam through canopy

$$fdn\_ii = 0.5 * [phi\_tot\_i + 0.125 * phi\_dif\_i]$$

- Indirect diffused flux of diffuse beam

$$fback\_ii = 0.5 * [phi\_tot\_i - 0.125 * phi\_dif\_i]$$

- Probability of ground-reflected diffuse beam will reflect downward

$$probm = fback\_ii * shadow\_sky * albgri$$

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# Absorption Terms

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- ❑ Direct flux absorbed by canopy after reflection from ground  
$$\text{fabd\_gr} = \text{shadow\_sky} * (\text{ftdd0} * \text{albgrd} + \text{ftid0} * \text{albgri}) * \text{fabi}$$
  - ❑ Direct flux absorbed by canopy after multiple reflections from ground  
$$\text{fabd\_gr} = \text{fabd\_gr} / (1 - \text{probm})$$
  - ❑ Diffuse flux absorbed by canopy after reflection from ground  
$$\text{fabi\_gr} = \text{shadow\_sky} * (\text{ftii0} * \text{albgri}) * \text{fabi}$$
  - ❑ Diffuse flux absorbed by canopy after multiple reflections from ground  
$$\text{fabi\_gr} = \text{fabi\_gr} / (1 - \text{probm})$$
  - ❑ Canopy absorption for direct beam  
$$\begin{aligned} \text{fabd} &= \text{shadow\_gd} * [1.0 - \text{ftdd} - \text{phi\_tot\_d}] \\ &= \text{fabd} + \text{fabd\_gr} \end{aligned}$$
  - ❑ Canopy absorption for diffuse beam  
$$\begin{aligned} \text{fabi} &= \text{shadow\_gi} * [1.0 - \text{ftdi} - \text{phi\_tot\_i}] \\ &= \text{fabi} + \text{fabi\_gr} \end{aligned}$$
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# Surface Albedo

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- Surface albedo for direct beam

$$\text{albd} = [1.0 - \text{fabd} - (1 - \text{albgrd}) * \text{ftdd} - (1 - \text{albgri}) * \text{ftid}]$$

- Surface albedo for diffuse beam

$$\text{albi} = [1.0 - \text{fabi} - (1 - \text{albgri}) * \text{ftii}]$$

# Radiation Input to Three Canopy Layers

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- For a three canopy layers, upper story will receive a unit solar radiation input:

$$I_u = 1.0$$

- Radiation reaching the middle story is directly transmitted through the upper story and scattered downward by leaves in the upper story:

$$I_m = I_u [1.0 - \text{Shadow}_u (1.0 - T_u - \Phi_{ud})]$$

- Similarly, the bottom story will receive  $I_b$  consisting fraction of  $I_m$  are incident on the middle story, plus direct transmission and downward diffuse scatter:

$$I_b = I_m [1.0 - \text{Shadow}_m (1.0 - T_m - \Phi_{md})]$$

- The ground will receive radiation fraction  $I_g$ :

$$I_g = I_b [1.0 - \text{Shadow}_b (1.0 - T_b - \Phi_{bd})]$$

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# Radiation Input to Three Canopy Layers

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- ❑ CLM has separate calculations for direct and diffuse incident beams. The fraction of an incident direct beam scattered downward is added to the diffuse fluxes.
  - ❑ Radiation reflected from the ground can interact with any of the canopy layers, according to the fraction of ground it shadows and be reflected back to the ground.
  - ❑ Each layer absorbs a fraction of the radiation incident on it or reflected from the ground according to the same logic as for a single layer.
  - ❑ 3-D calculation considers all the pfts together. Each layer uses properties that are weighted average over its contributing pfts.
  - ❑ Radiative absorption occurs at the ground and in each layer.
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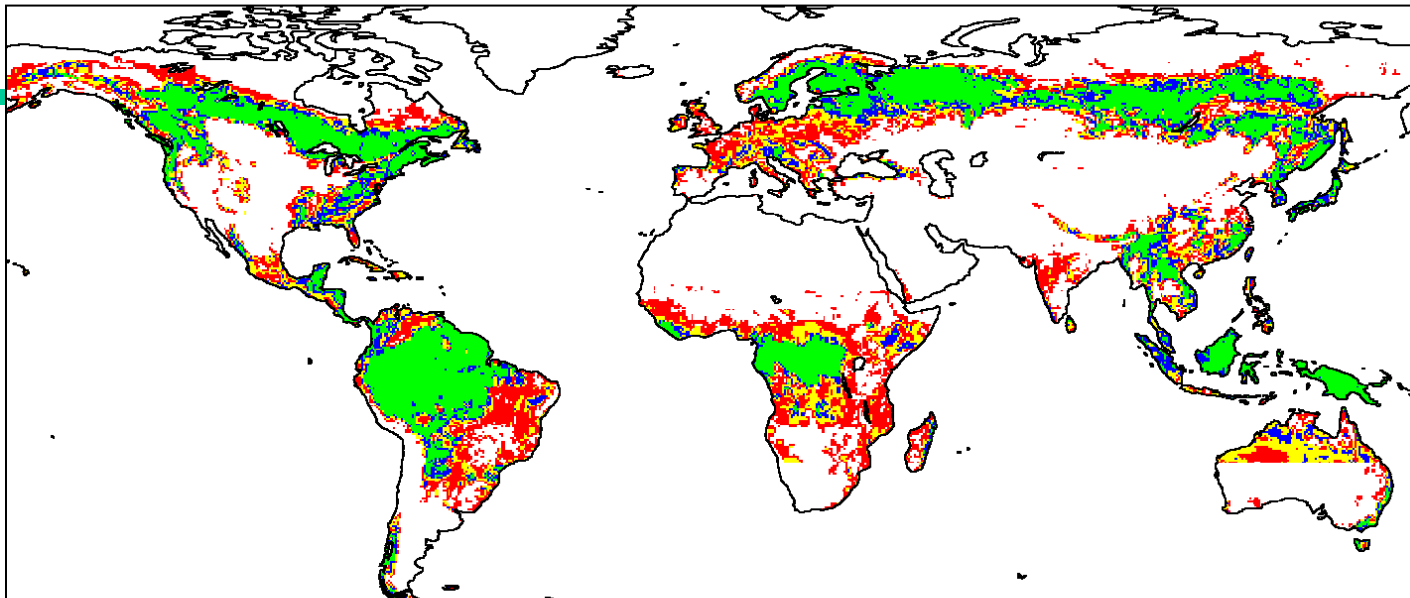


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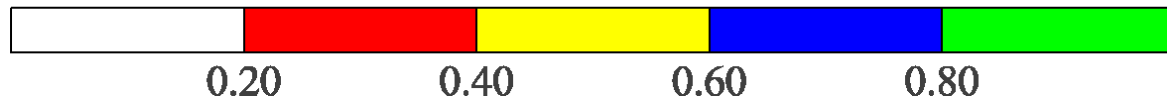
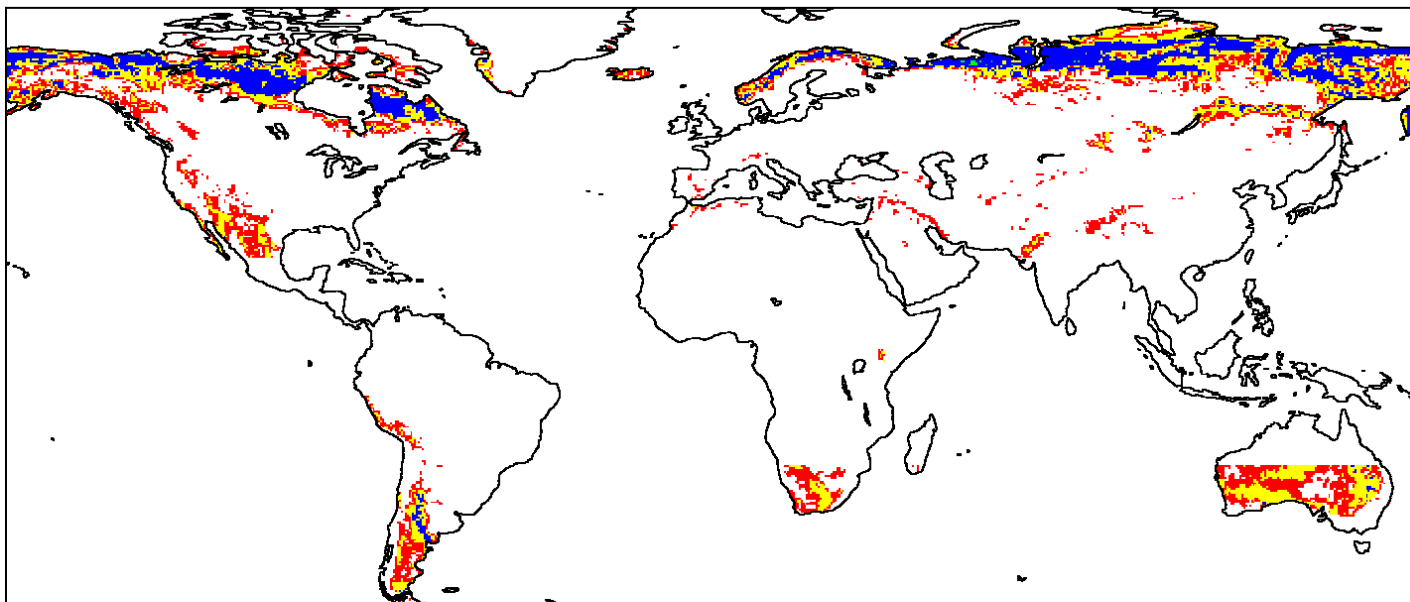
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- Simplest choices are that vegetation completely homogeneous, corresponding to current tiling or completely heterogeneous, i.e. vegetation uniformly distributed across smallest unit of observation.
- From MODIS, fractional cover data at 1 km -needs to be done.
- Current CLM pft data is a 0.25 deg. We take the tiles at this resolution and assume uniform distribution. Not very accurate but equally or more plausible than the homogeneous assumption.
- Next level of detail would be to identify some tiles as homogeneous and some as completely heterogeneous.
- Any more elaborate statistical model would require a rework of the radiation shading model.

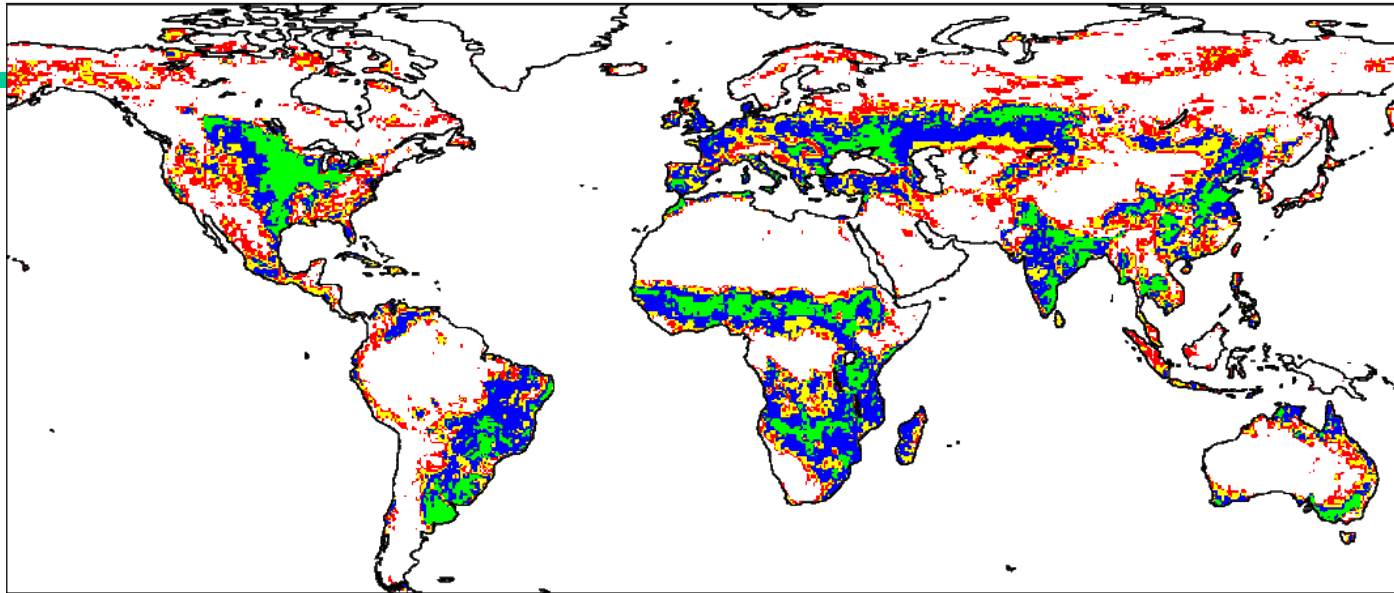
Fractional Coverage of Tree Layer at 0.25 Deg Resolution



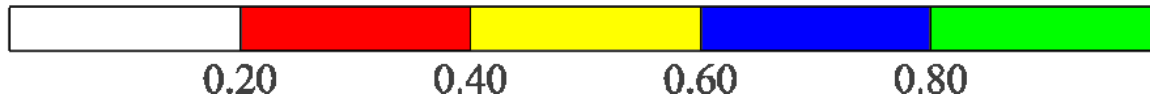
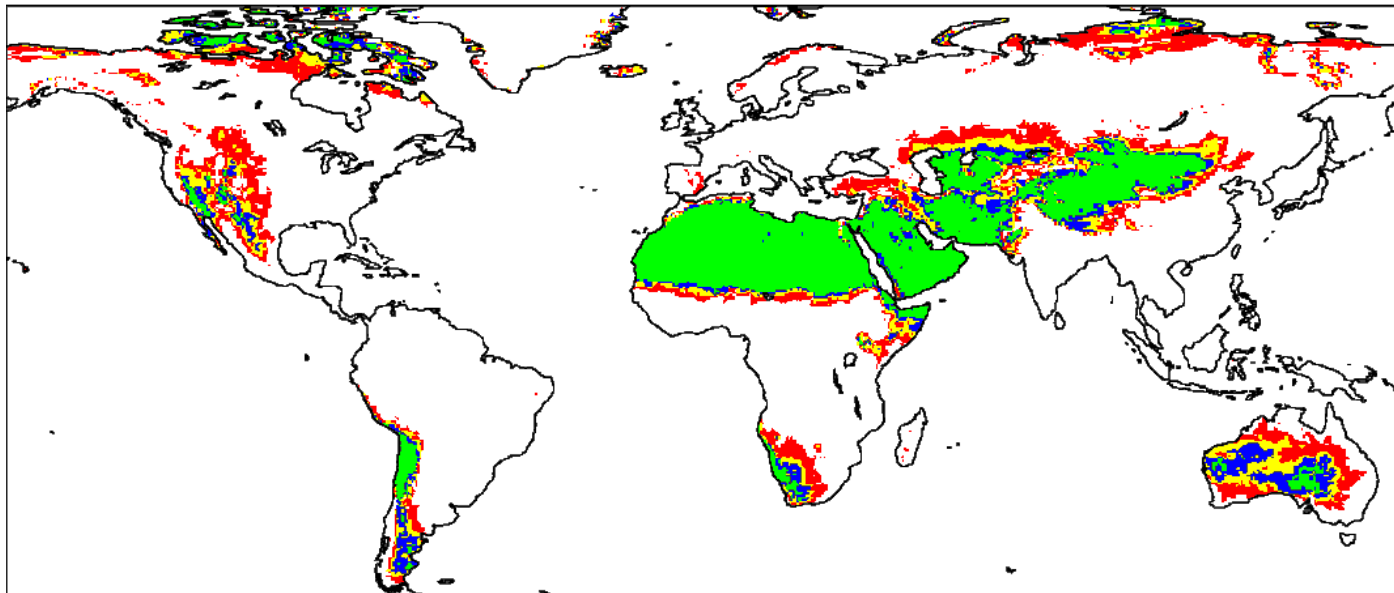
Fractional Coverage of Bush Layer at 0.25 Deg Resolution



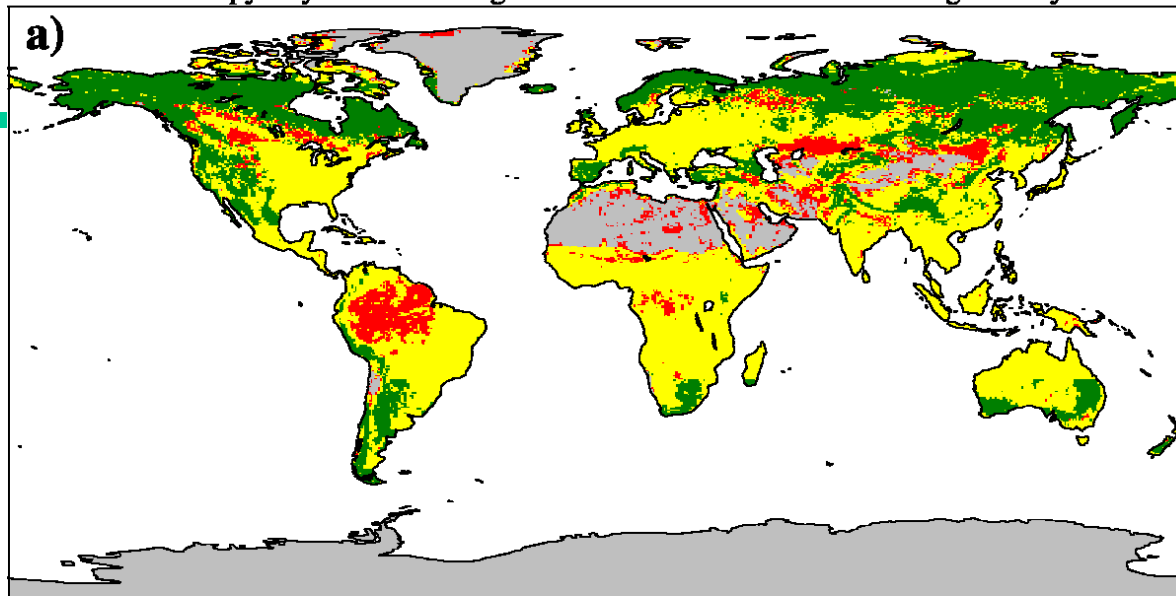
Fractional Coverage of Grass Layer at 0.25 Deg Resolution



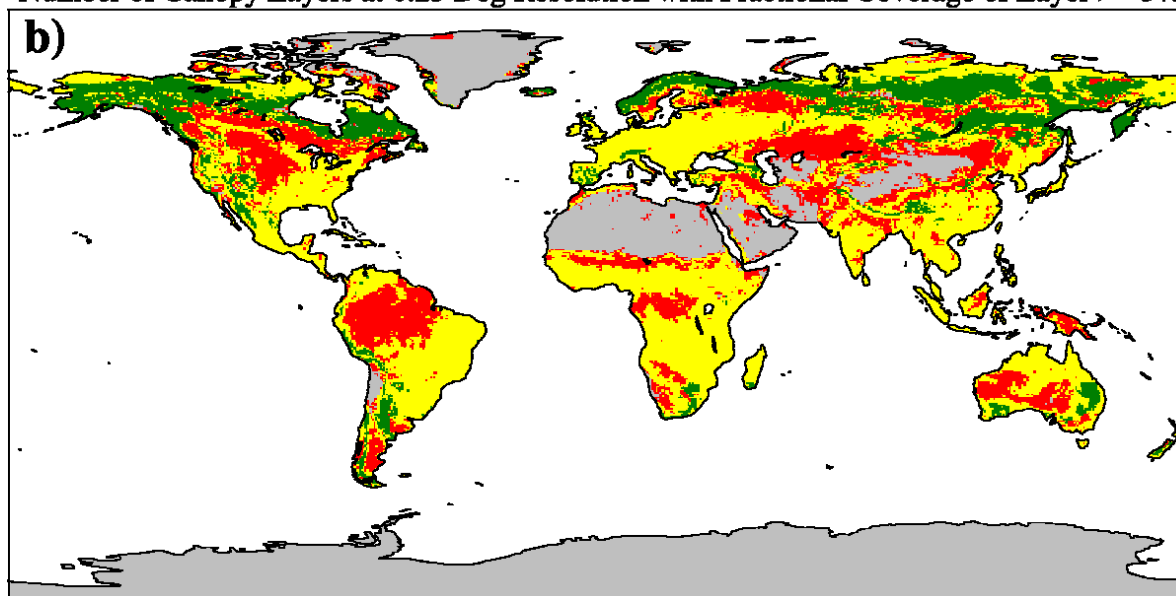
Fractional Coverage of Bare Soil at 0.25 Deg Resolution



Number of Canopy Layers at 0.25 Deg Resolution with Fractional Coverage of Layer  $\geq 1\%$



Number of Canopy Layers at 0.25 Deg Resolution with Fractional Coverage of Layer  $\geq 5\%$



Ocean

0

1

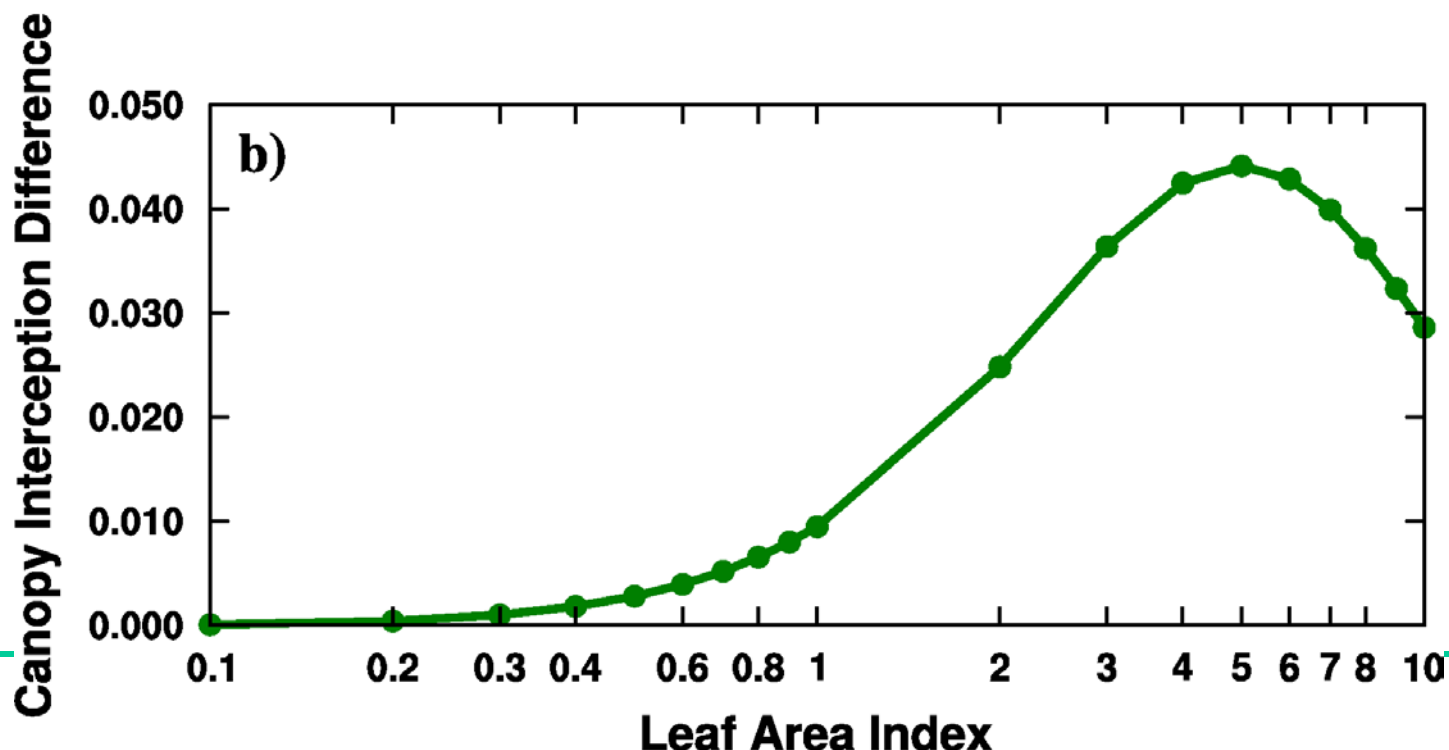
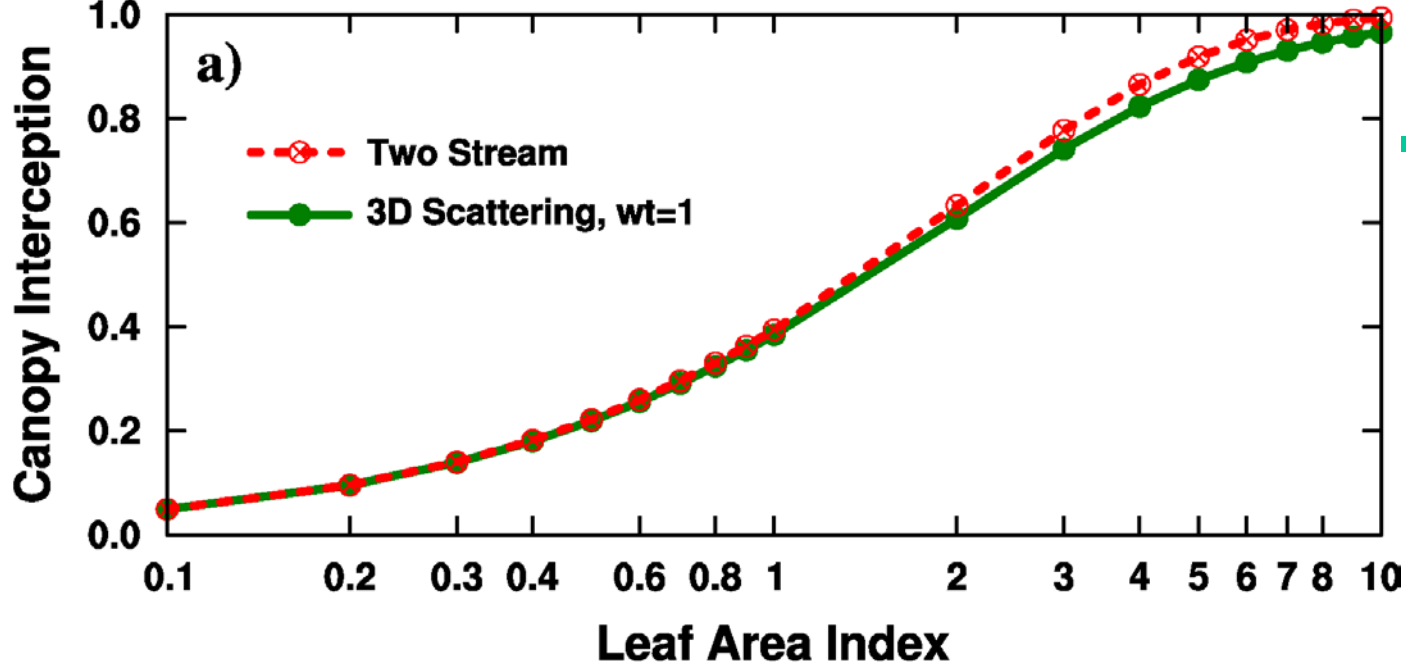
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# Some Results

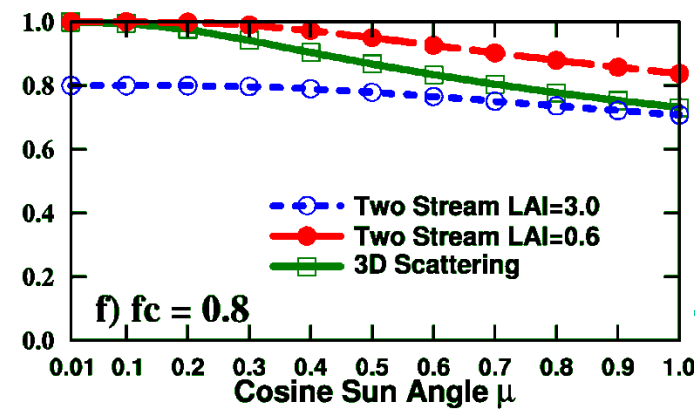
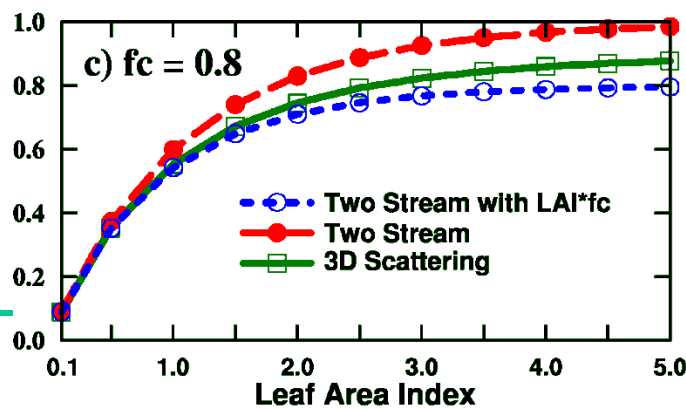
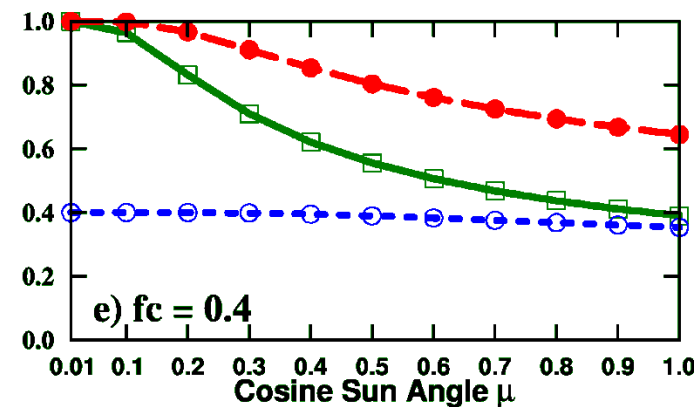
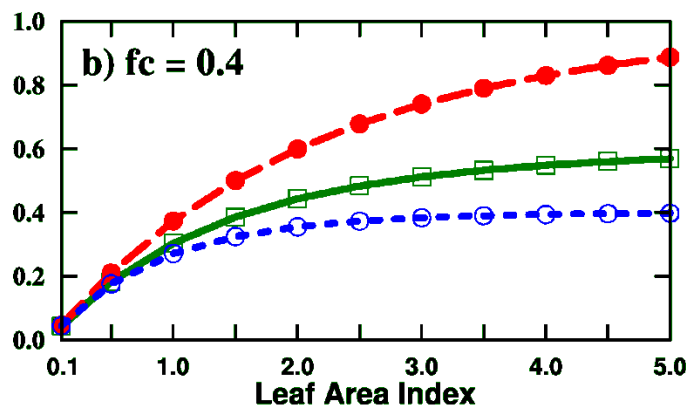
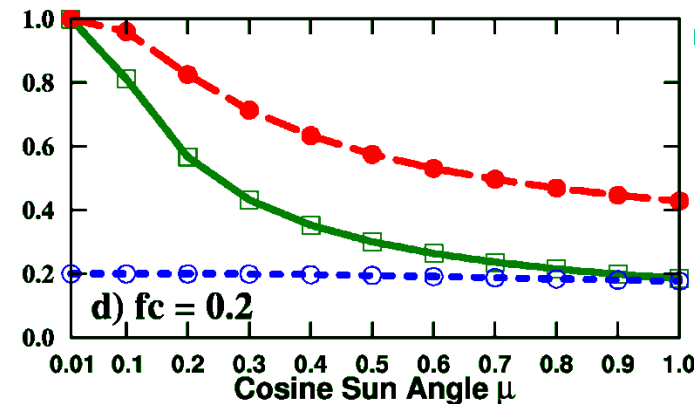
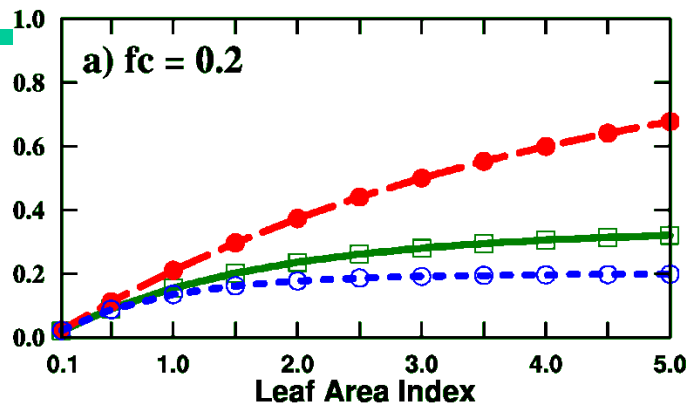
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- Figures from a comparison of 3D with 1D. Radiation stand-alone.

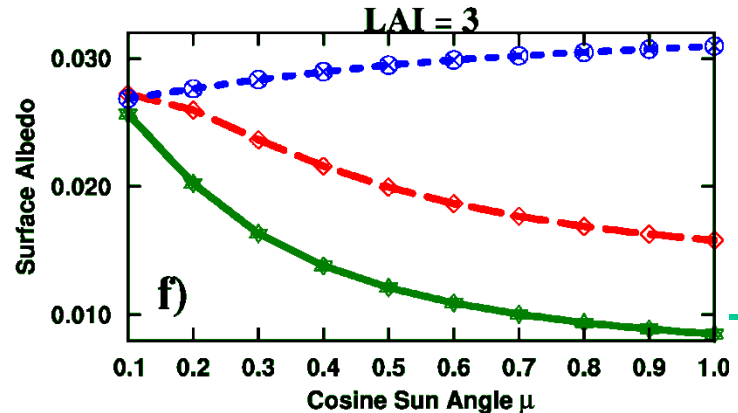
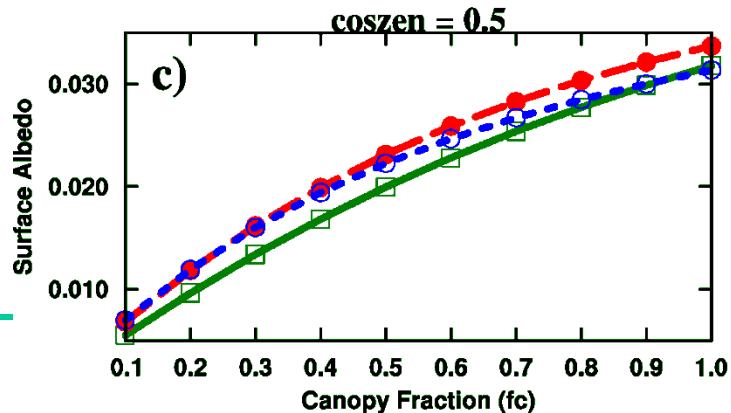
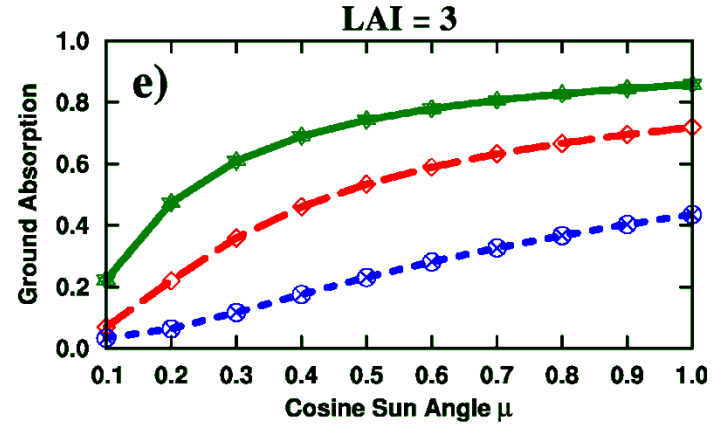
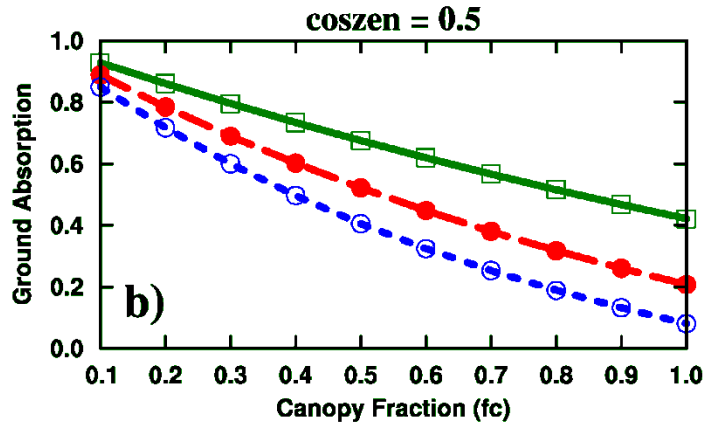
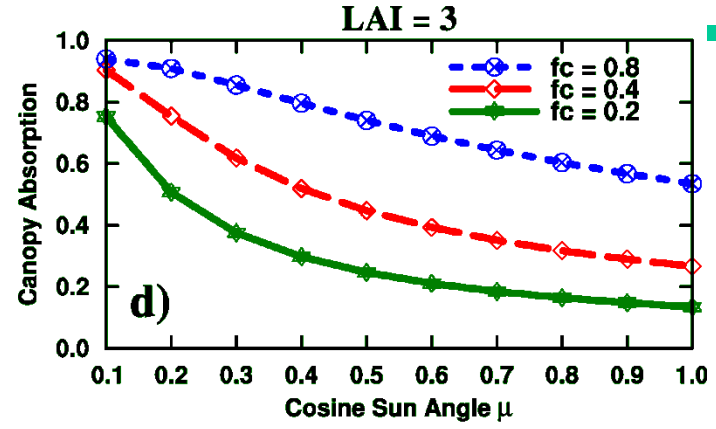
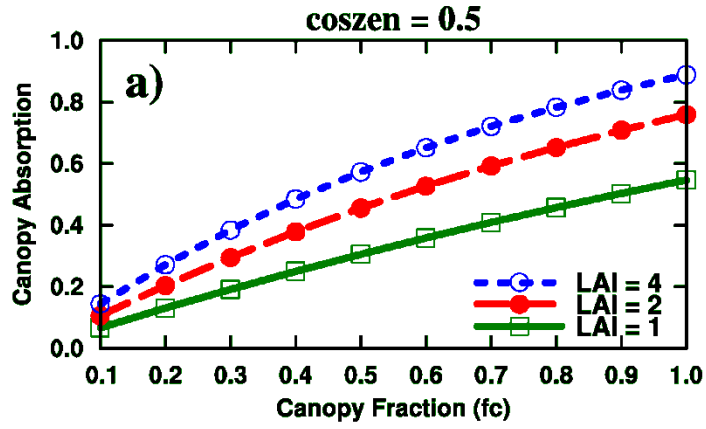


# Canopy Absorption (the ordinate) for a Black Canopy

## Ground Albedo = 0.2

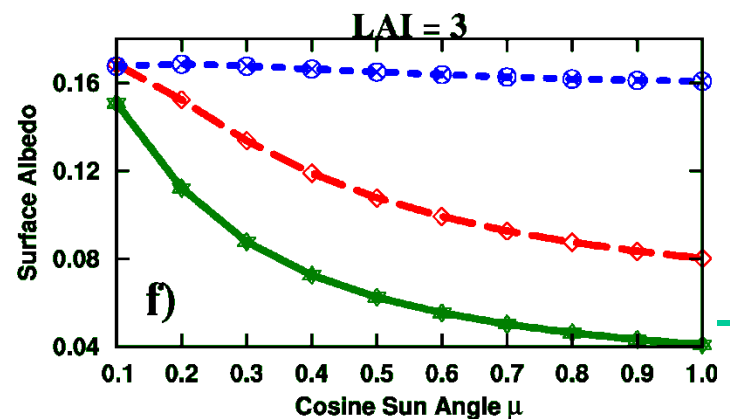
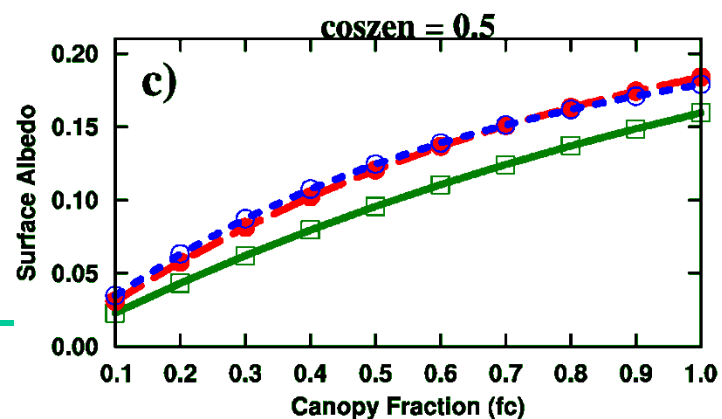
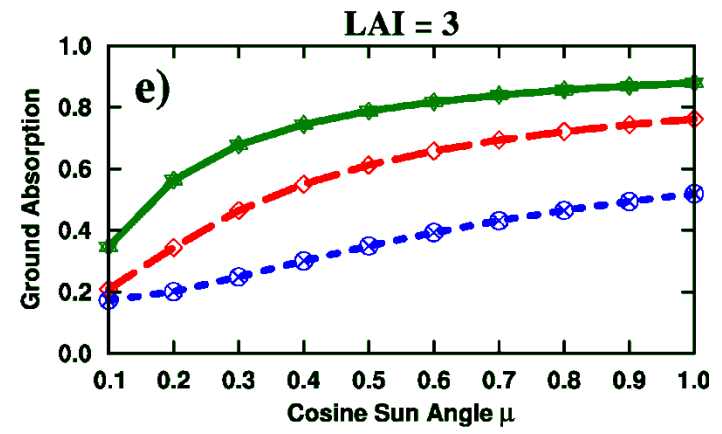
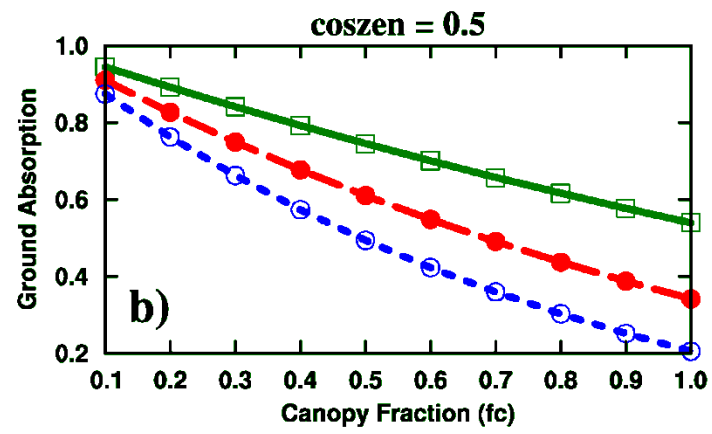
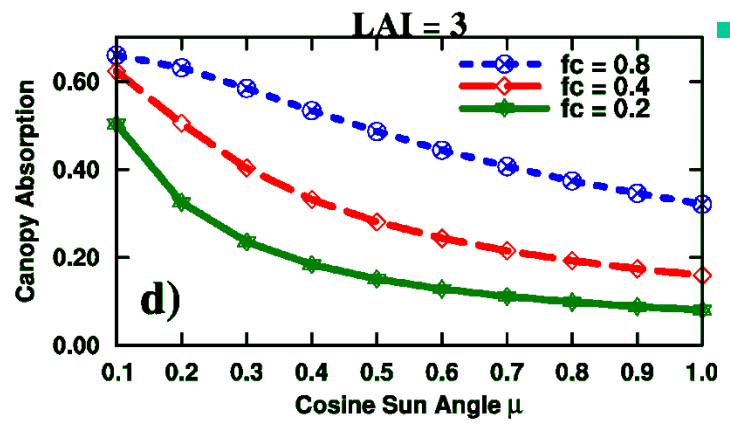
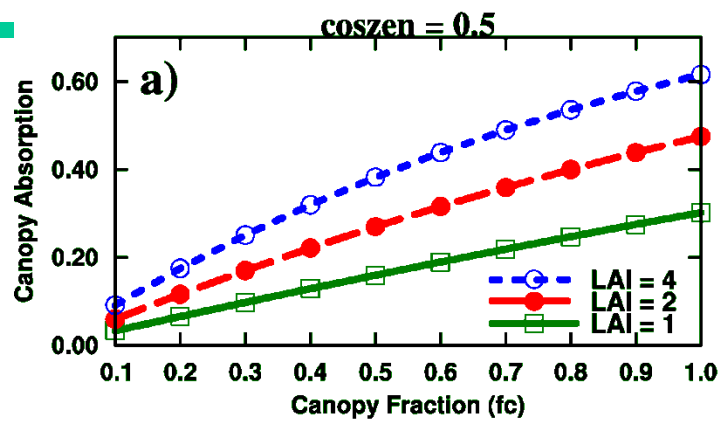


**Canopy Absorption - Ground Albedo = 0.0**  
**Leaf Reflectance = 0.1 - Leaf Transmittance = 0.05**



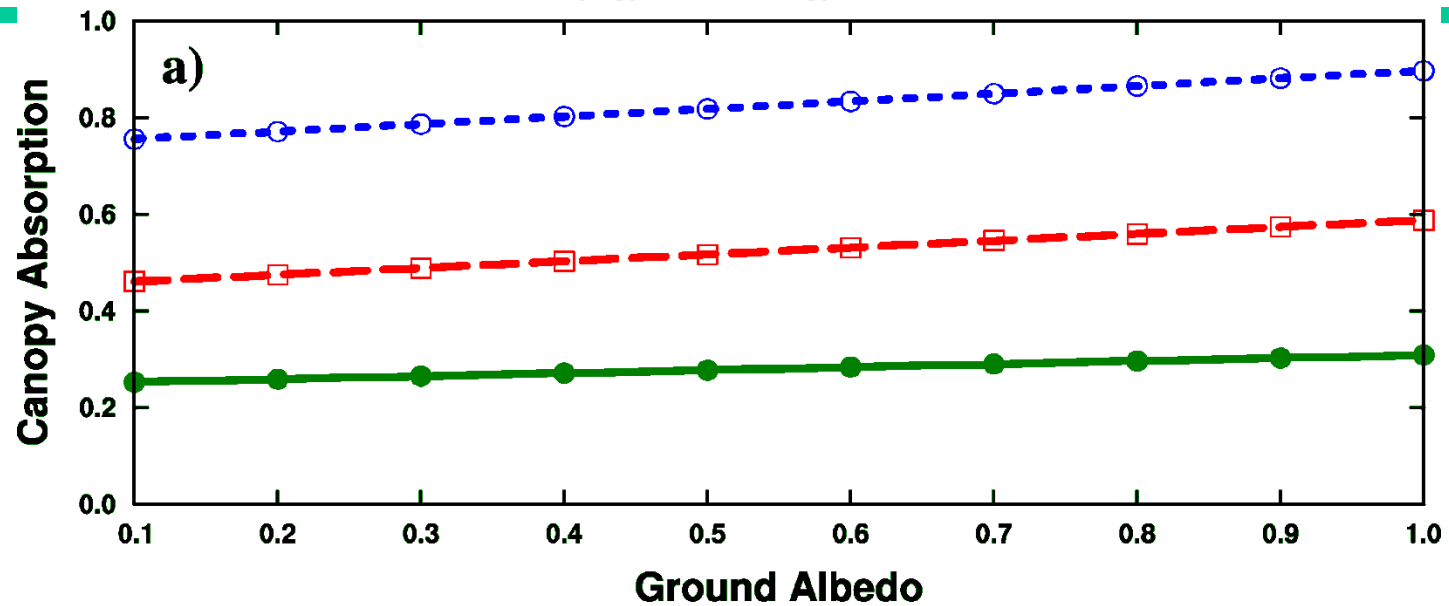


**Canopy Absorption - Ground Albedo = 0.0**  
**Leaf Reflectance = 0.45 - Leaf Transmittance = 0.25**



# Leaf Area Index = 3 - coszen = 0.5

$$\rho_{\text{leaf}} = 0.1 \quad \tau_{\text{leaf}} = 0.05$$



$$\rho_{\text{leaf}} = 0.45 \quad \tau_{\text{leaf}} = 0.25$$

