Progress on Coupling WRF within CCSM for Regional Climate Research

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- 1. Motivation
- 2. Software Engineering
- 3. One-Way Results
- 4. Preliminary Results from Two-Way Coupling
- 5. Mapping between WRF and CAM

As one of the methods for high-resolution climate model.

Pros:

The community has lot of experiences in using WRF. It works for weather events.

Cons:

Mathematically incompatible between the two models.

The advantage: suitable for practical applications now.



WRF Modeling System Flow Chart





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GOES satellite infrared images over the Southern Great Plain 3/2-3/3/2000







WRF forced by CFS

WRF within CCSM



(He et al. 2011)

Evolution of Potential Vorticity 3/1-3/5



WRF within CCSM

(He et al. 2011)

Accumulated precipitation from 3/1-3/3



Impact of Terrain 3/1-3/5



180

150W

120W

90W

60W

SOW

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(He et al. 2011)

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Observation



CAM4





WRF/GFS



1WAY WRF/CCSM



2WAY WRF/CCSM





2WAY CAM4



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WRF-CAM Mapping



(Chen et al. 2011)

Mapping WRF-CAM

Source function

$$f = \sum_{i=1}^{m} \phi_i f_i$$

$$\phi_i, f_i$$

Basis function, and value of the source function at the i vertex of the source mesh

Target function

$$g = \sum_{j=1}^{n} \psi_j g_j$$

$$\Psi_j, g_j$$

Basis function, and value of the target function at the j vertex of the target mesh

$$\partial \int_{\Omega} (g - f)^2 / \partial g_i = 0$$

Encompasses many other interpolation schemes

$$\begin{bmatrix} \int_{\Omega} \psi_{1}\psi_{1} \cdot |J|dx & \int_{\Omega} \psi_{1}\psi_{2} \cdot |J|dx & \cdots & \int_{\Omega} \psi_{1}\psi_{n} \cdot |J|dx \\ \int_{\Omega} \psi_{2}\psi_{1} \cdot |J|dx & \int_{\Omega} \psi_{2}\psi_{2} \cdot |J|dx & \cdots & \int_{\Omega} \psi_{2}\psi_{n} \cdot |J|dx \\ \cdots & \cdots & \cdots & \cdots \\ \int_{\Omega} \psi_{n}\psi_{1} \cdot |J|dx & \int_{\Omega} \psi_{n}\psi_{2} \cdot |J|dx & \cdots & \int_{\Omega} \psi_{n}\psi_{n} \cdot |J|dx \end{bmatrix} \begin{bmatrix} g_{1} \\ g_{2} \\ \vdots \\ g_{n} \end{bmatrix} = \begin{bmatrix} \int_{\Omega} \psi_{1}(\sum_{i=1}^{m}\phi_{i}f_{i}) \cdot |J|dx \\ \int_{\Omega} \psi_{2}(\sum_{i=1}^{m}\phi_{i}f_{i}) \cdot |J|dx \\ \vdots \\ \int_{\Omega} \psi_{n}(\sum_{i=1}^{m}\phi_{i}f_{i}) \cdot |J|dx \end{bmatrix}$$

Integration using Gaussian weights in triangles on common refinement grids

Water vapor field





Figure 4.16: Left to right: (a). original water vapor in CAM's domain; (b). after 1000 steps transfer with area weighted method



Figure 4.17: Left to right: (a). 1000 steps transfer with 2nd order monotonic method; (b). 1000 steps transfer with L_2 minimization method

Summary

- 1. CESM capability of simulating regional climate by online downscaling.
- 2. Two-way still very preliminary. Problems in the compatibility in physics, and conservation preservation in the CAM require further research.
- 3. A new WRF-CAM mapping algorithm.