Resolving Grounding Line Dynamics . using the BISICLES Adaptive Ice Sheet Model

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Berkeley-ISICLES (BISICLES)

- DOE ISICLES-funded project to develop a scalable adaptive mesh refinement (AMR) ice sheet model/dycore
 - Local refinement of computational mesh to improve accuracy
- Use Chombo AMR framework to support block-structured AMR
 - Support for AMR discretizations
 - Scalable solvers
 - Developed at LBNL
 - DOE ASCR supported (FASTMath)
- Interface to CISM (and CESM) as an alternate dycore
- Collaboration with LANL and Bristol (U.K.)













Why is this useful? (another BISICLE for another fish?)



Ice sheets -- Localized regions where high resolution needed to accurately resolve ice-sheet dynamics (500 m or better at grounding lines)

- Antarctica is really big too big to resolve at that level of resolution.
- Large regions where such fine resolution is unnecessary (e.g. East Antarctica)
- Well-suited for adaptive mesh refinement (AMR)
- Problems still large: need good parallel efficiency
- Dominated by nonlinear coupled elliptic system for ice velocity solve: good linear and nonlinear solvers











"L1L2" Model (Schoof and Hindmarsh, 2010).

- Uses asymptotic structure of full Stokes system to construct a higher-order approximation
 - Expansion in ε -- ratio of length scales $\frac{[h]}{[x]}$
 - Computing velocity to $O(\varepsilon^2)$ only requires τ to $O(\varepsilon)$
- Computationally much less expensive -- enables fully 2D vertically integrated discretizations. (can reconstruct 3d)
- □ Similar formal accuracy to Blatter-Pattyn $O(\varepsilon^2)$
 - Recovers proper fast- and slow-sliding limits:
 - SIA $(1 \ll \lambda \leq \varepsilon^{-1/n})$ -- accurate to $O(\varepsilon^2 \lambda^{n-2})$
 - SSA $(\varepsilon \le \lambda \le 1)$ accurate to $O(\varepsilon^2)$

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Discretizations

- Baseline model is the one used in Glimmer-CISM:
 - Logically-rectangular grid, obtained from a time-dependent uniform mapping.
 - 2D equation for ice thickness, coupled with 2D steady elliptic equation for the horizontal velocity components. The vertical velocity is obtained from the assumption of incompressibility.
 - Advection-diffusion equation for temperature.
- Use of Finite-volume discretizations (vs. Finite-difference discretizations) simplifies implementation of local refinement.
- Software implementation based on constructing and extending existing solvers using the Chombo libraries.



$$\frac{\partial H}{\partial t} = b - \nabla \cdot H \overline{\mathbf{u}}$$

$$\frac{\partial T}{\partial t} = \frac{k}{\rho c} \nabla^2 T - \mathbf{u} \cdot \nabla T + \frac{\Phi}{\rho c} - w \frac{\partial T}{\partial z}$$











BISICLES Results - MISMIP3D

Experiment P75R: (Pattyn et al (2011)

- Begin with steady-state (equilibrium) grounding line.
- Add Gaussian slippery spot perturbation at center of grounding line
- □ Ice velocity increases, GL advances.
- □ After 100 years, remove perturbation.
- Grounding line should return to original steady state.
- □ Figures show AMR calculation:
 - $\Delta x_0 = 6.5 km$ base mesh,
 - 5 levels of refinement
 - Finest mesh $\Delta x_4 = 0.195 km$.
 - t = 0, 1, 50, 101, 120, 200 *yr*
- Boxes show patches of refined mesh.











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MISMIP3D (cont)

- Plot shows grounding line position x_{GL} at y = 50km vs. time for different spatial resolutions.
- $\Box \quad \Delta x = 0.195 km \rightarrow 6.25 km$
- Appears to require finer than
 1 km mesh to resolve
 dynamics
- $\Box \quad \text{Converges as } O(\Delta x)$ (as expected)













BISICLES Results - Pine Island Glacier

- □ Cornford, et al, JCP (2011, submitted)
- PIG configuration from LeBrocq:
 - Bathymetry: combined Timmerman (2010), Jenkins (2010), Nitsche (2007)
 - AGASEA thickness
 - Isothermal ice, A=4.0× $10^{-17} Pa^{-\frac{1}{3}}m^{-1/3}a$
 - Basal friction chosen to roughly agree with Joughin (2010) velocities
- Specify melt rate under shelf:

•
$$M_s = \begin{cases} 0 & H < 50m \\ \frac{1}{9}(H-50) & 50 \le H \le 500m \\ 50 & H > 500m \end{cases}$$
 m/a

- Constant surface flux = 0.3 m/a
- Evolve problem refined meshes follow the grounding line.
- Calving model and marine boundary condition at calving front









PIG (cont)



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Coloring is ice velocity, Γ_{gl} is the grounding line. Superscripts denote number of refinements. Note resolution-dependence of Γ_{gl}











Continental-scale: Antarctica

- Ice2sea geometry: LeBrocq, Timmerman, Jenkins, Nitsche
- Temperature field from Pattyn and Gladstone













Antarctica, cont

- Refinement based on Laplacian(velocity), grounding lines
- 5 km base mesh with 3 levels of refinement
 - base level (5 km): 409,600 cells (100% of domain)
 - level 1 (2.5 km): 370,112 cells (22.5% of domain)
 - Level 2 (1.25 km): 955,072 cells (14.6% of domain)
 - Level 3 (625 m): 2,065,536 cells (7.88% of domain)













Parallel scaling, Antarctica benchmark



(Preliminary scaling result – includes I/O and serialized initialization)







BISICLES - Next steps

- □ More work with linear and nonlinear velocity solves.
 - PETSc/AMG linear solvers look promising (in progress)
- Semi-implicit time-discretization for stability, accuracy.
- □ Finish coupling with existing Glimmer-CISM code and CESM
- □ Full-Stokes for grounding lines?
- □ Embedded-boundary discretizations for GL's and margins.
- Performance/scaling optimization and autotuning.
- □ Refinement in time?









