

The CLM4 stomatal conductance calculation revisited: the empirical Ball-Berry equation and its relationship to relative humidity and vapor pressure deficit

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Funded by DOE C-Climate Feedbacks project

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The CLM4 stomatal conductance and soil resistance calculation revisited

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Road map

• An robust numerical implementation of stomatal conductance calculation

 A mechanistically based formulation of soil conductance for soil-atmosphere exchange of generic volatile tracers







Stomatal resistance solution

$$\frac{e_a' - e_i}{(r_b + r_s)} = \frac{e_a' - e_s}{r_b} = \frac{e_s - e_i}{r_s}$$
(8.23)

 $c_s = c_a - 1.37 r_b P_{atm} A \tag{8.25}$

$$\left(\frac{mAP_{atm}e'_{a}}{c_{s}e_{i}}+b\right)r_{s}^{2}+\left(\frac{mAP_{atm}r_{b}}{c_{s}}+br_{b}-1\right)r_{s}-r_{b}=0.$$
(8.27)

$$c_i = c_s - 1.65 r_s P_{atm} A \tag{8.28}$$

Fixed-point iteration

$$c_i^{n+1} = f(c_i^n)$$

Contracting condition

$$\left|c_{i}^{n+1} c_{i}^{n}\right| = \left|f\left(c_{i}^{n}\right) - f\left(c_{i}^{n-1}\right)\right| < \left|c_{i}^{n} - c_{i}^{n-1}\right|$$

Fixed-point iteration

$$c_i^{n+1} = f(c_i^n)$$

Contracting condition

$$\left|c_{i}^{n+1} c_{i}^{n}\right| = \left|f\left(c_{i}^{n}\right) - f\left(c_{i}^{n-1}\right)\right| \times \left|c_{i}^{n} - c_{i}^{n-1}\right|$$

Sun et al., 2012

2/20/13





Change in annual GPP





Change in GPP



Diurnal cycle New Old (Lon,lat)=(-111.2500,34.3979) GPP (μ mol C m^{-2} s^{-1}) 0∟ 4940 Hour July

Change in ET



Change in ET



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Diurnal cycle



Resistance for soil-atmosphere exchange of volatile chemicals



Tang and Riley, HESS, 2013

The mechanistic bulk resistance for soil-atmosphere exchange

$$r_T = r_a + \frac{\Delta z_1}{2D_1 (\mathbf{B}\theta_1 + \varepsilon_1)}$$

$$D_1 = \frac{\mathbf{B}\theta_1 D_w + \varepsilon_1 D_g}{\mathbf{B}\theta_1 + \varepsilon_1}$$

$$D_w = D_{w,m} + D_{w,\psi}$$

$$D_{w,\psi} = K \left[\frac{\partial \psi}{\partial \theta} + \left(1 + \frac{\partial \psi}{\partial T} \frac{\partial T}{\partial z} \right) \frac{\partial z}{\partial \theta} \right]$$

The mechanistic bulk resistance for soil-atmosphere exchange

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The mechanistic bulk resistance for soil-atmosphere exchange

$$r_T = r_a + \frac{\Delta z_1}{2D_1 \left(\mathbf{B} \theta_1 + \varepsilon_1 \right)}$$

$$D_{1} = \frac{\mathbf{B}\theta_{1}D_{w} + \varepsilon_{1}D_{g}}{\mathbf{B}\theta_{1} + \varepsilon_{1}} \qquad \qquad f_{W} = \frac{\mathbf{B}\theta_{1}D_{w}}{\mathbf{B}\theta_{1}D_{w} + \varepsilon_{1}D_{g}}$$

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$$D_{w} = D_{w,m} + D_{w,\psi} \qquad \qquad f_{g} = \frac{\varepsilon_{1}D_{g}}{B\theta_{1}D_{w} + \varepsilon_{1}D_{g}}$$
$$D_{w,\psi} = K \left[\frac{\partial\psi}{\partial\theta} + \left(1 + \frac{\partial\psi}{\partial T} \frac{\partial T}{\partial z} \right) \frac{\partial z}{\partial\theta} \right]$$



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Data error sensitivity



Data error sensitivity



Empirical data are very likely severely error convolved

Change in soil evaporation



Soil evaporation partitioning



Summary

- The revised numerical algorithm improved the stomatal resistance calculation.
- The mechanistically based soil resistance improved the physical understanding of soil evaporation.