

Observational constraints on the contribution of internal variability to recent climate trends

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with Andy Poppick, Etienne Dunn-Sigouin, and Clara Deser

CVCWG meeting

2 March 2017

Boulder, CO



Carleton College

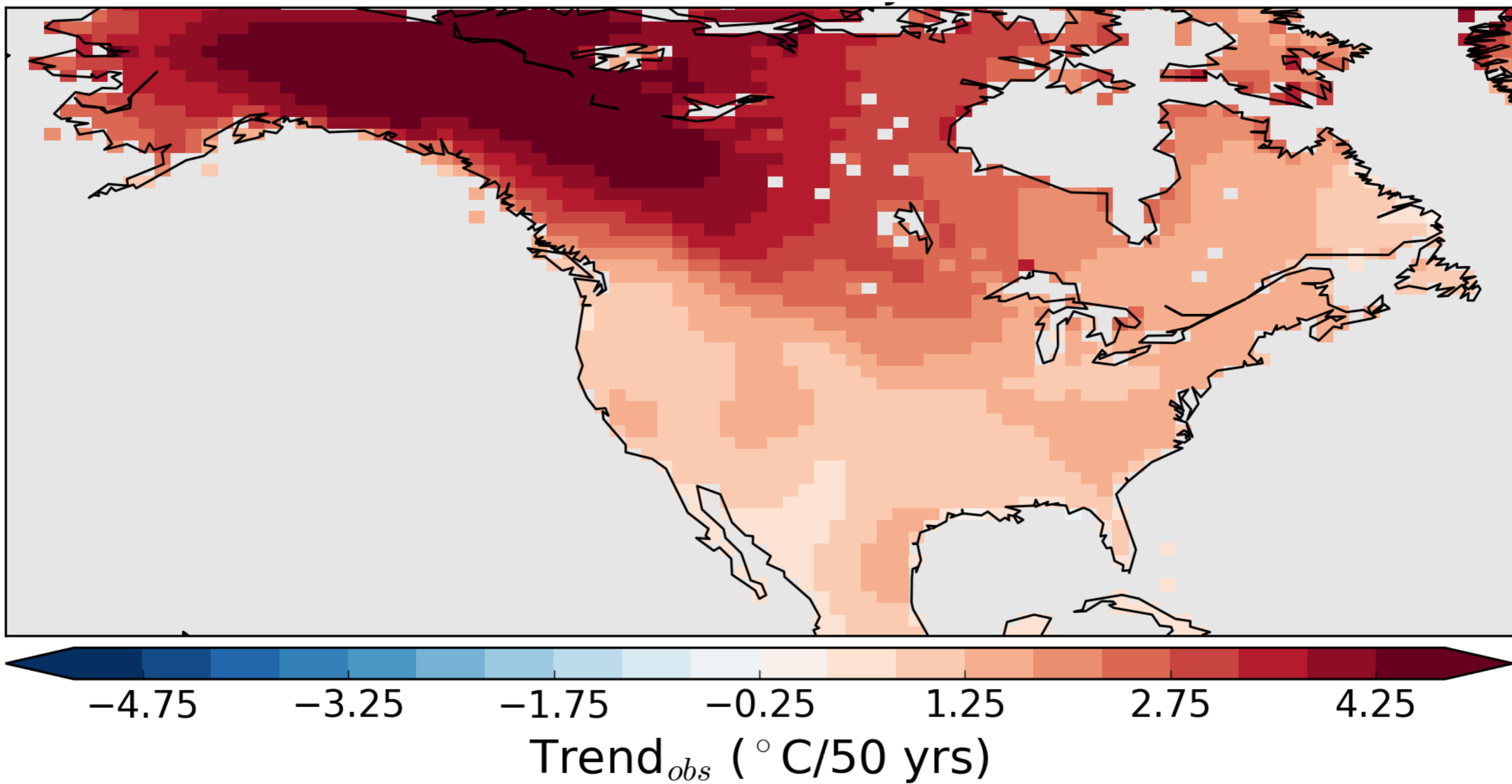


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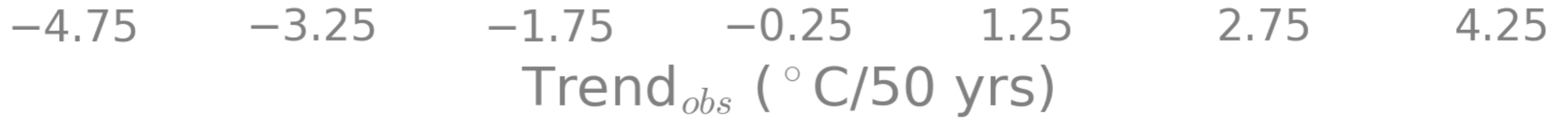
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Observed DJF temperature trend, 1966-2015



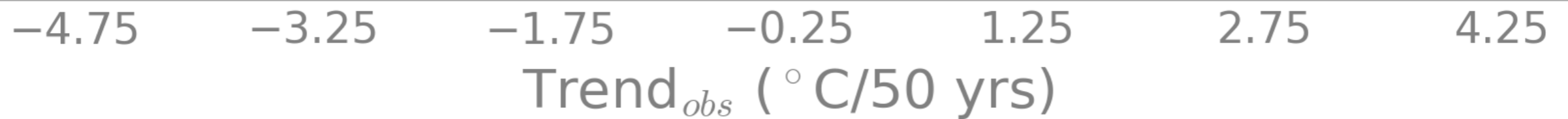
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Western Canada is more sensitive to anthropogenic forcing

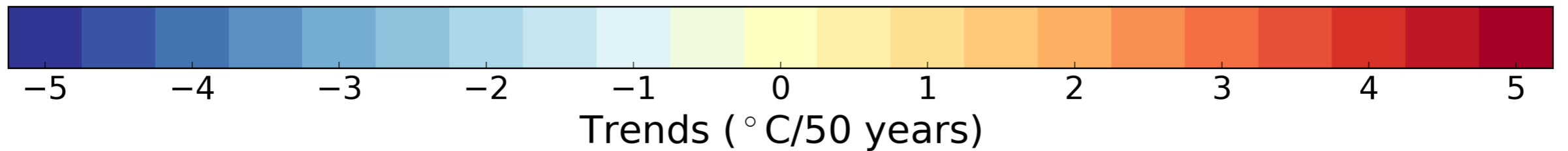
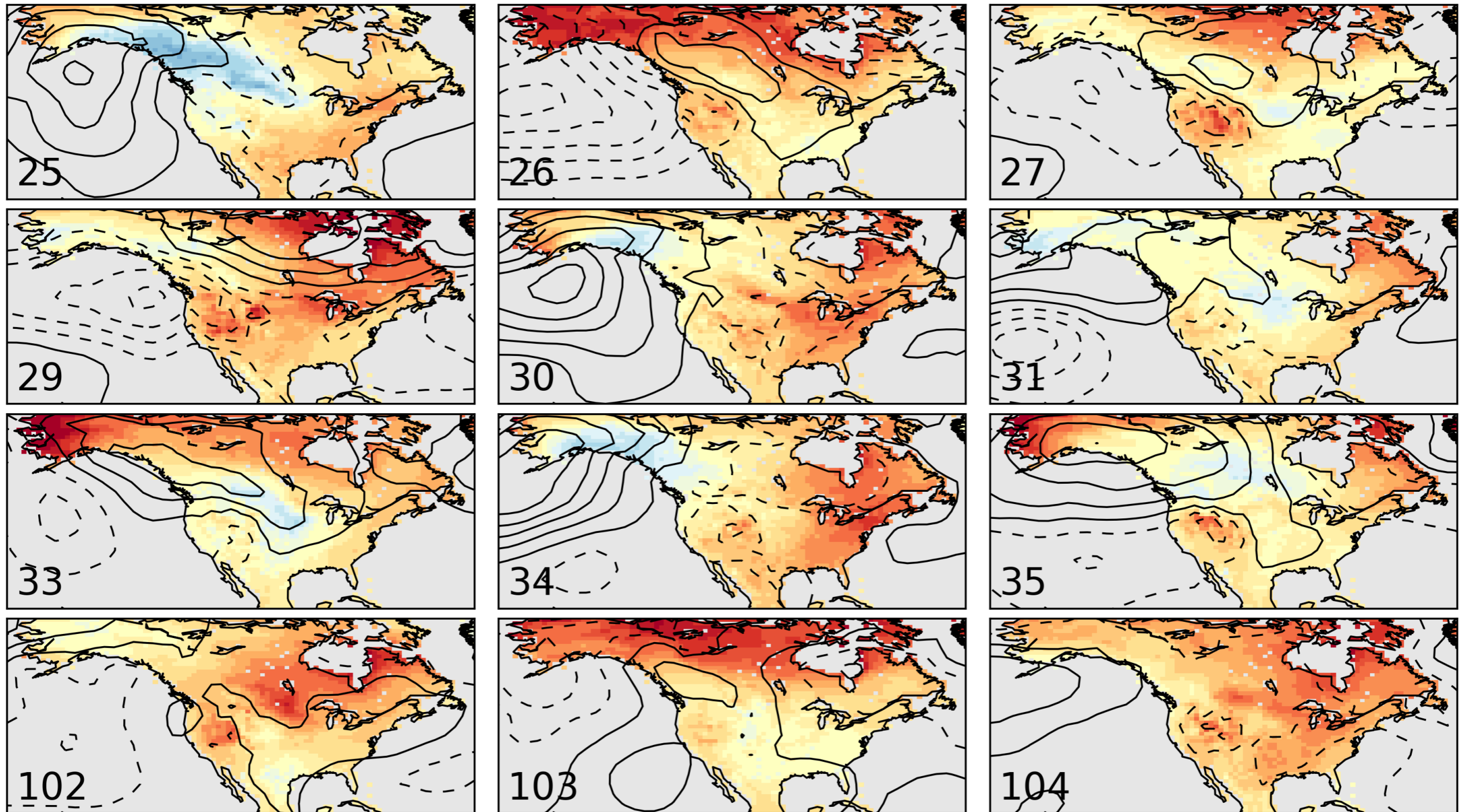


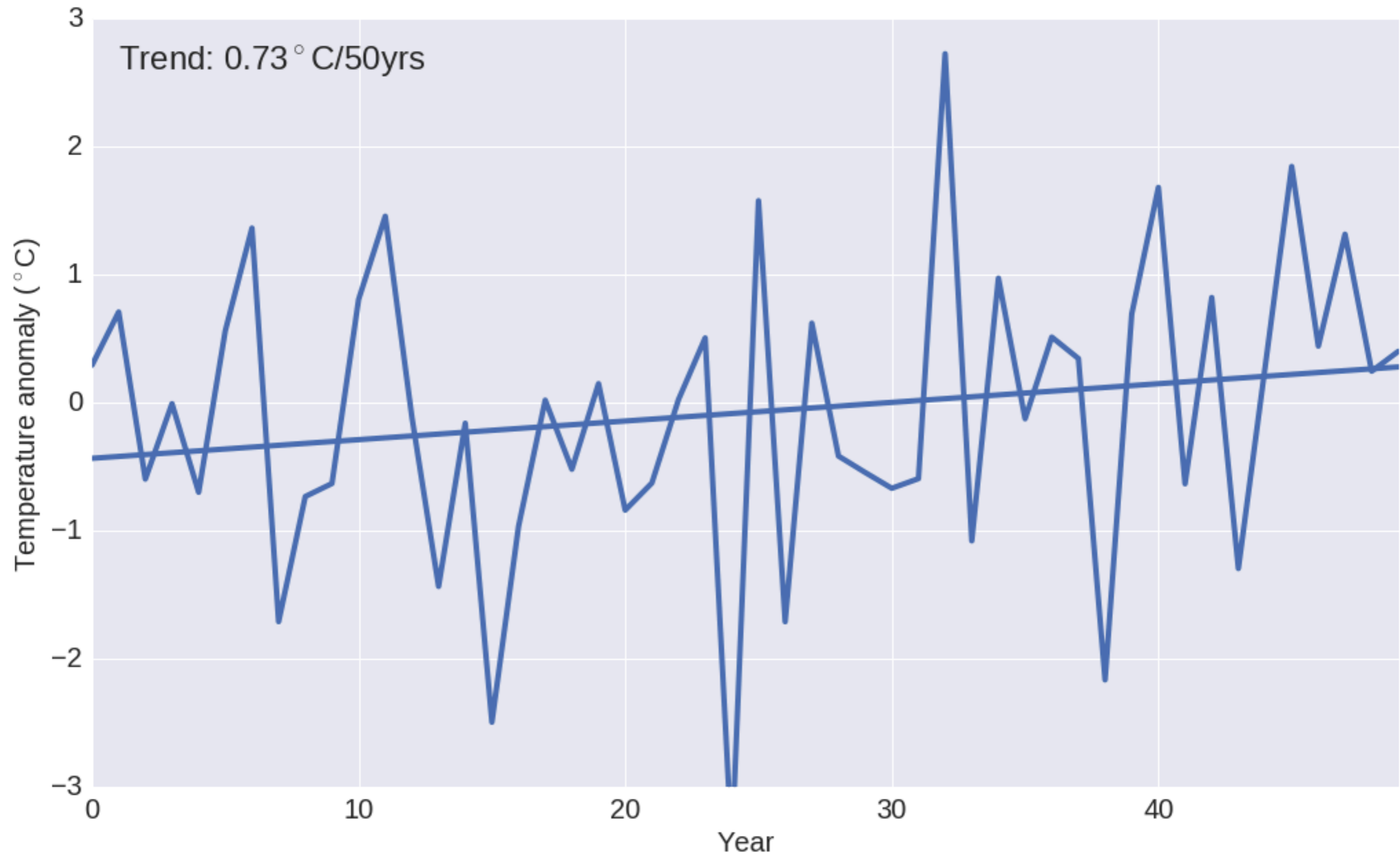
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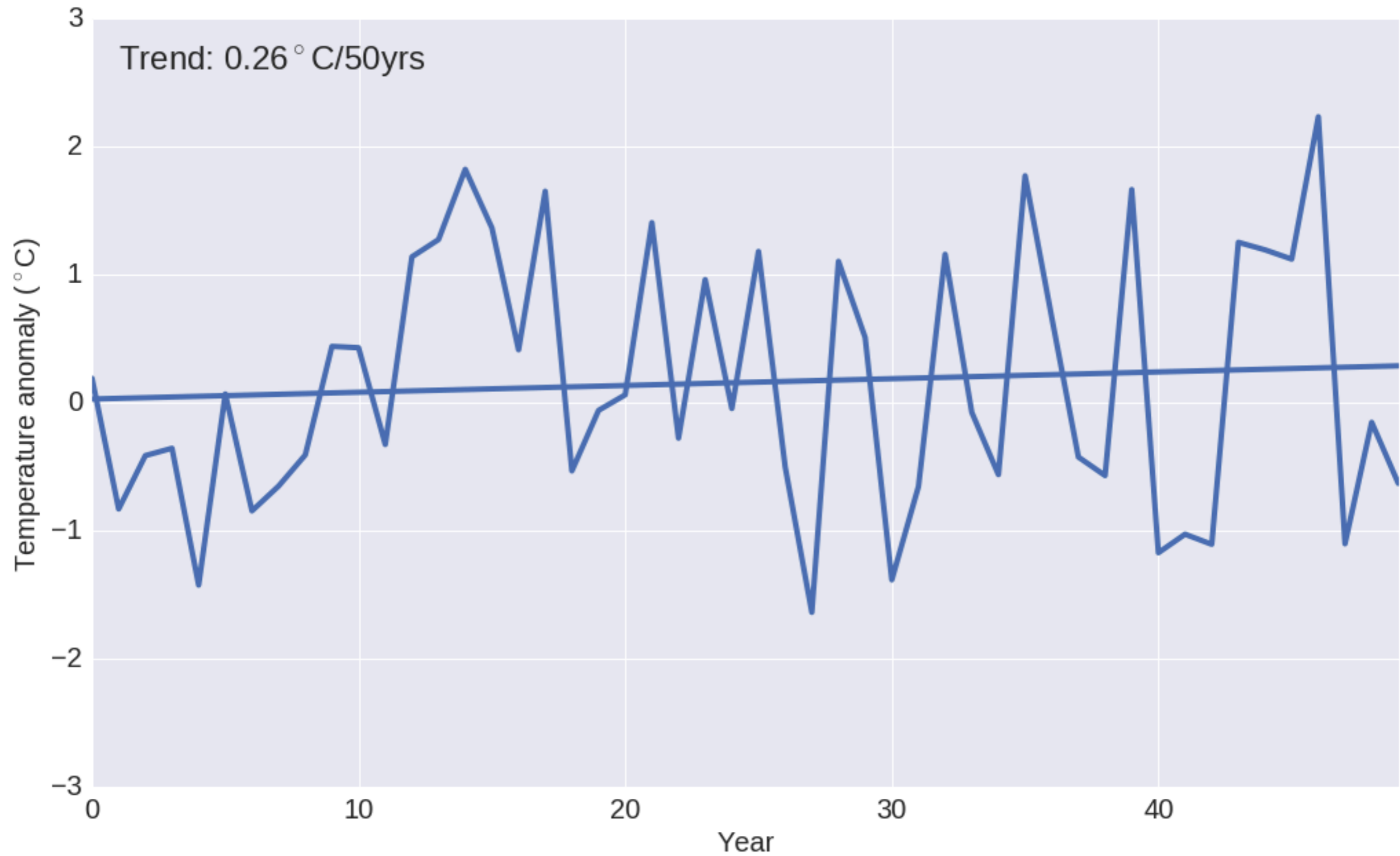
How much of this trend is due to internal variability?

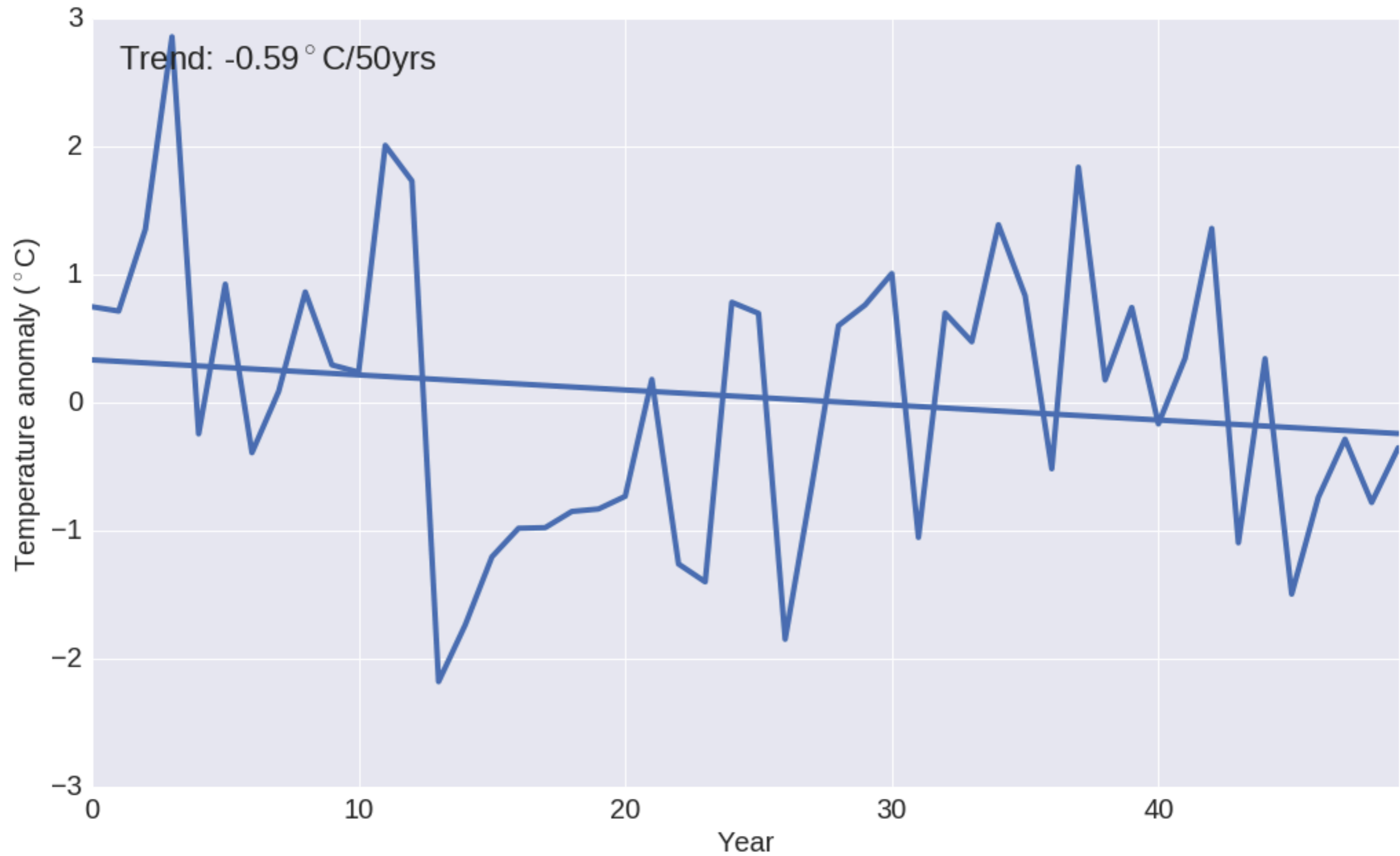


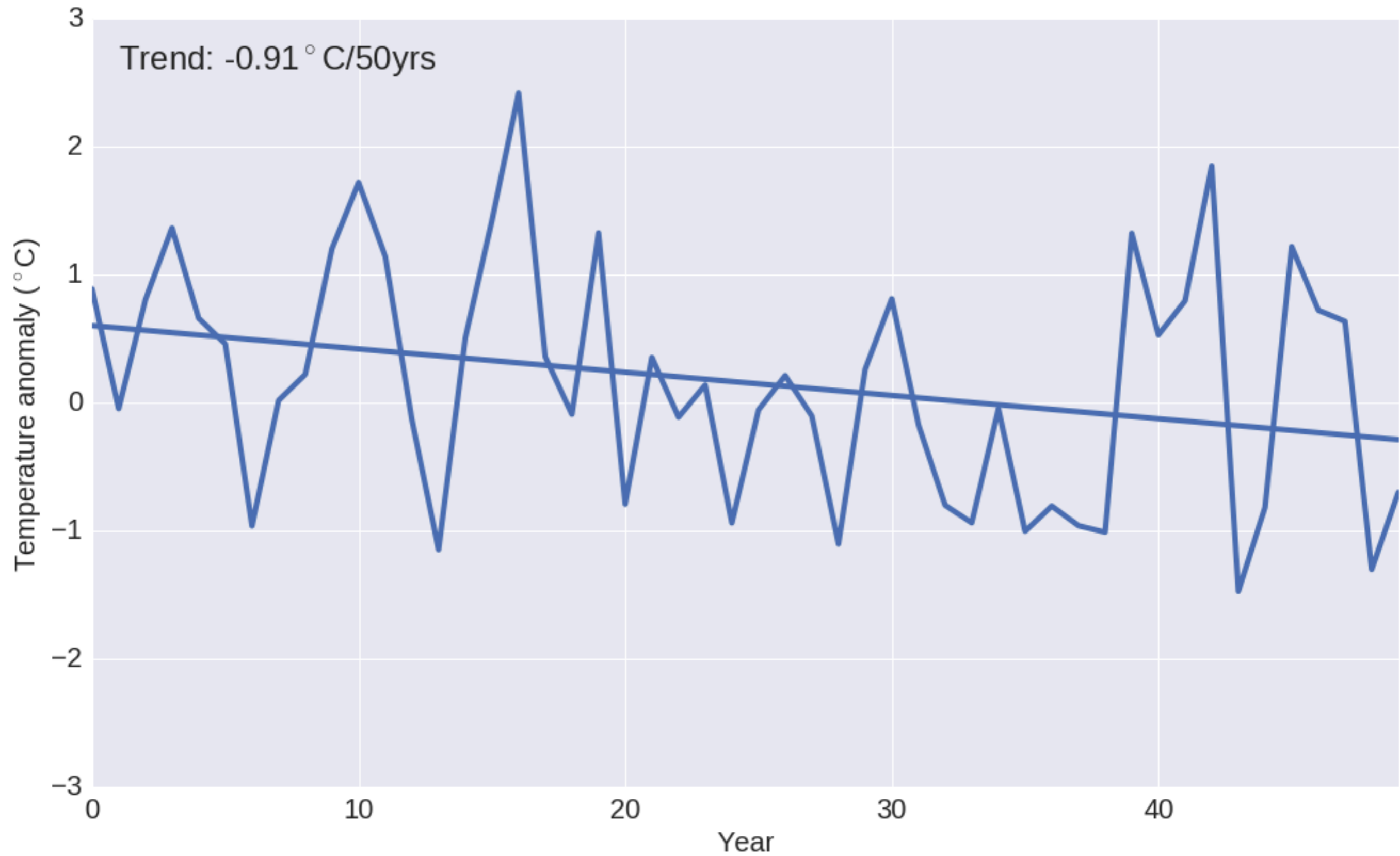
Large Ensemble shows influence of internal variability

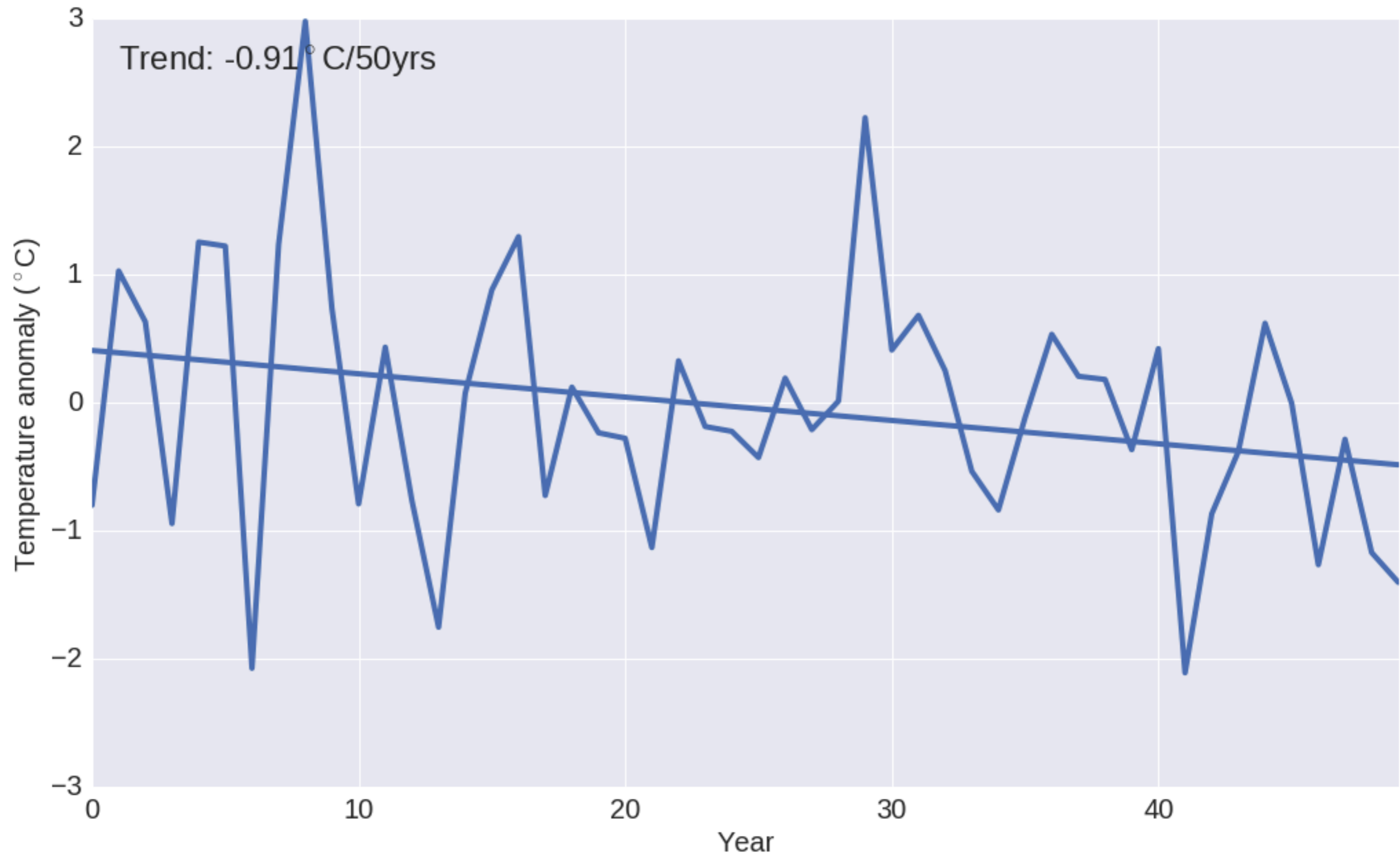


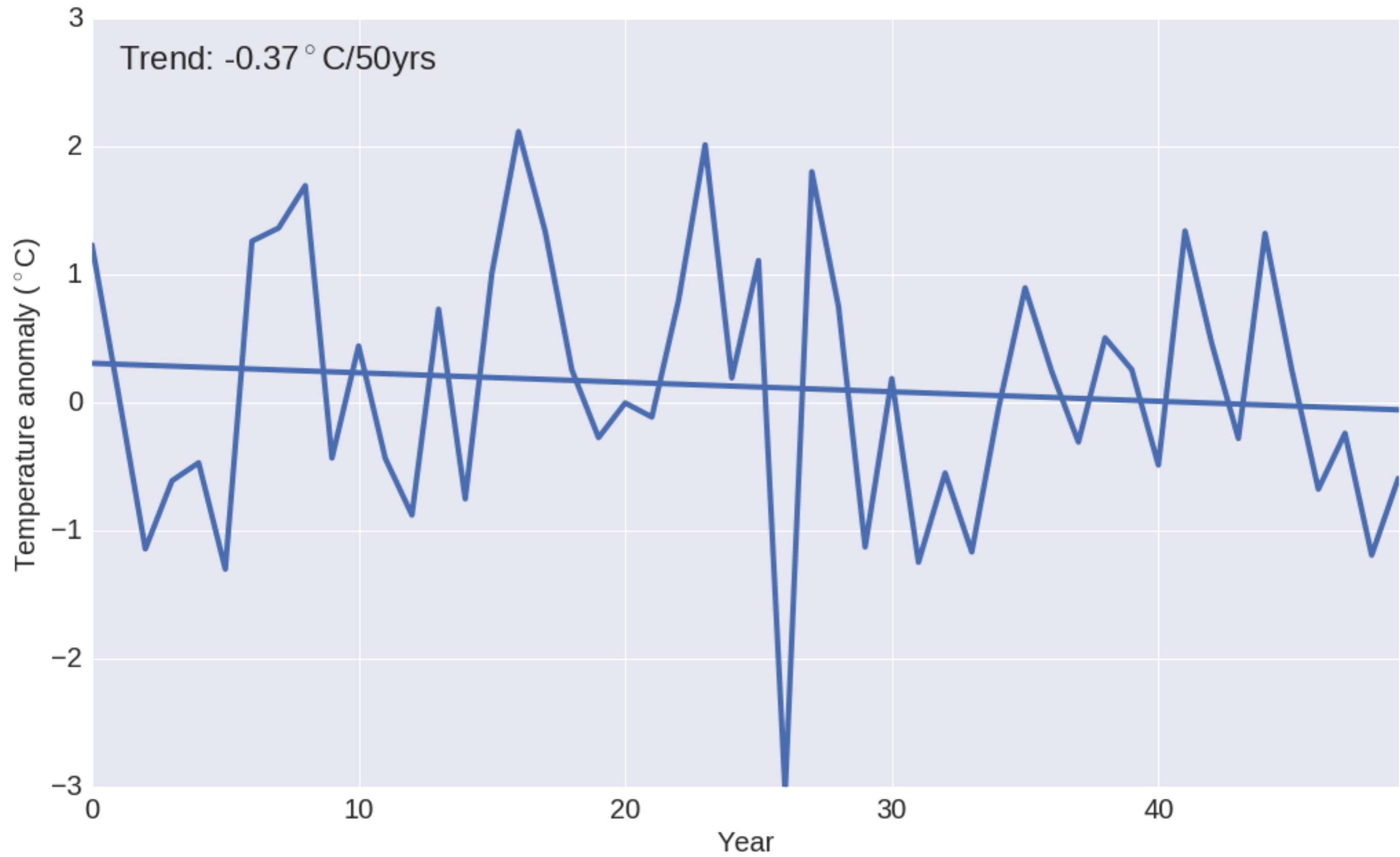




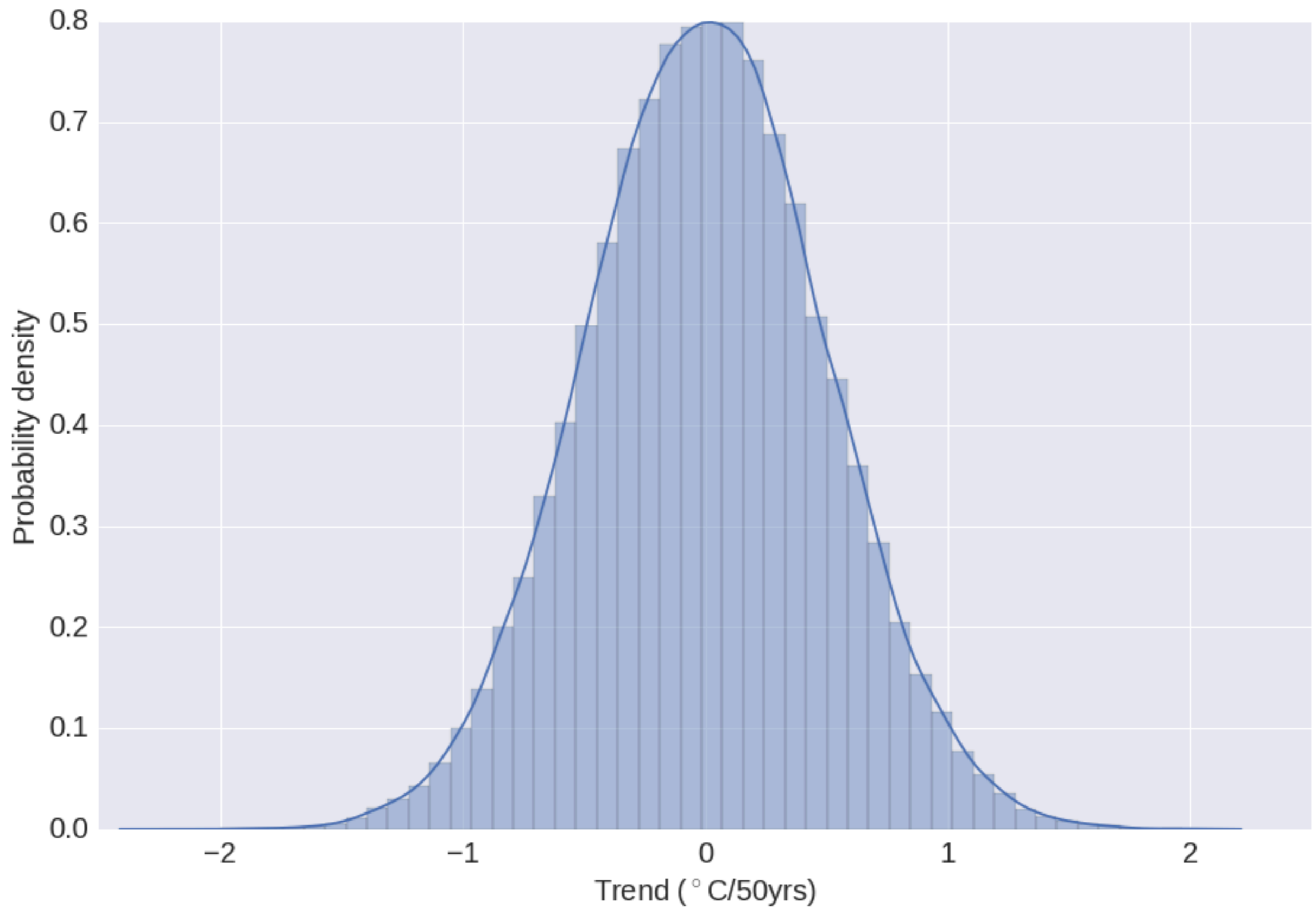




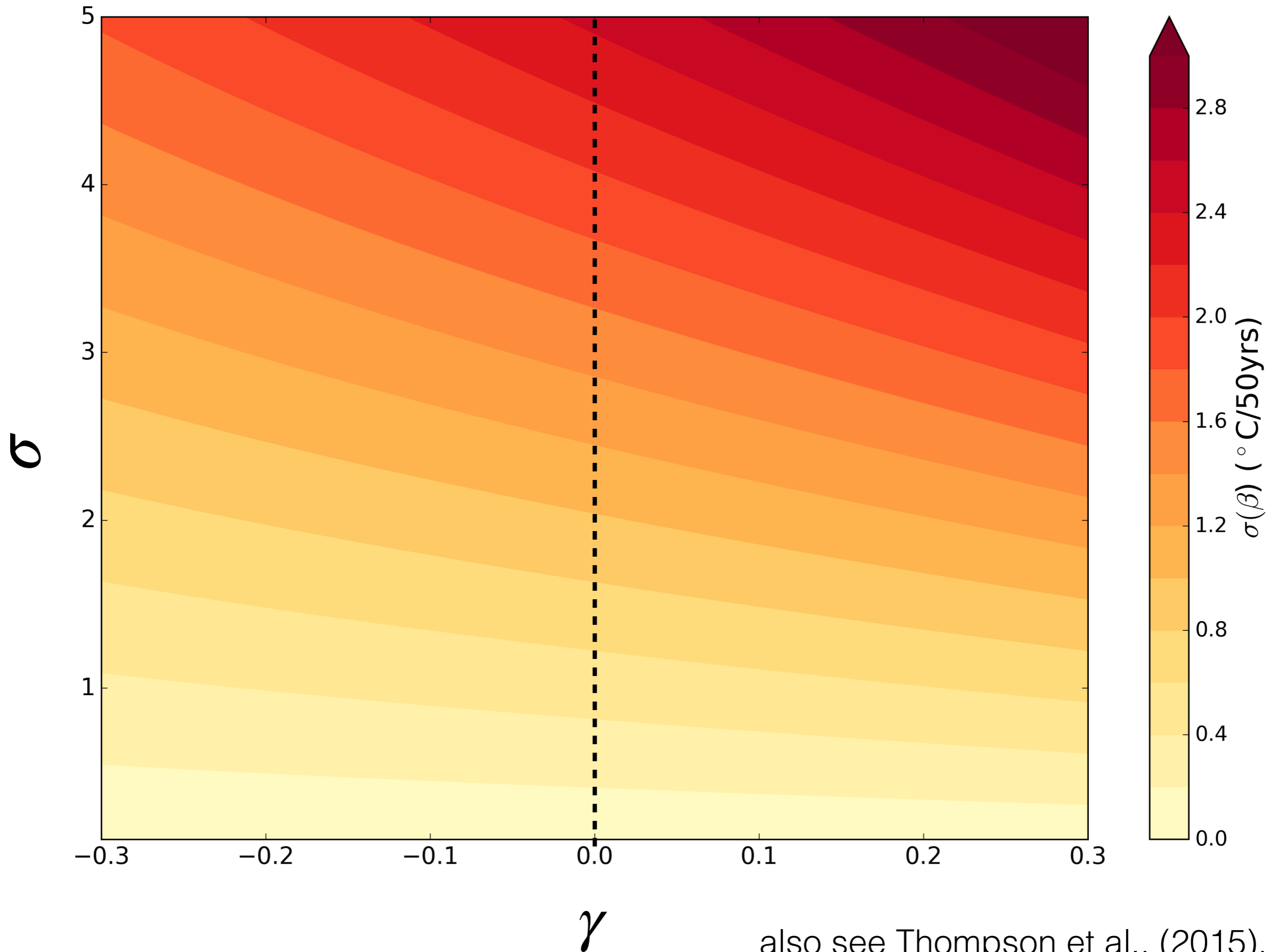




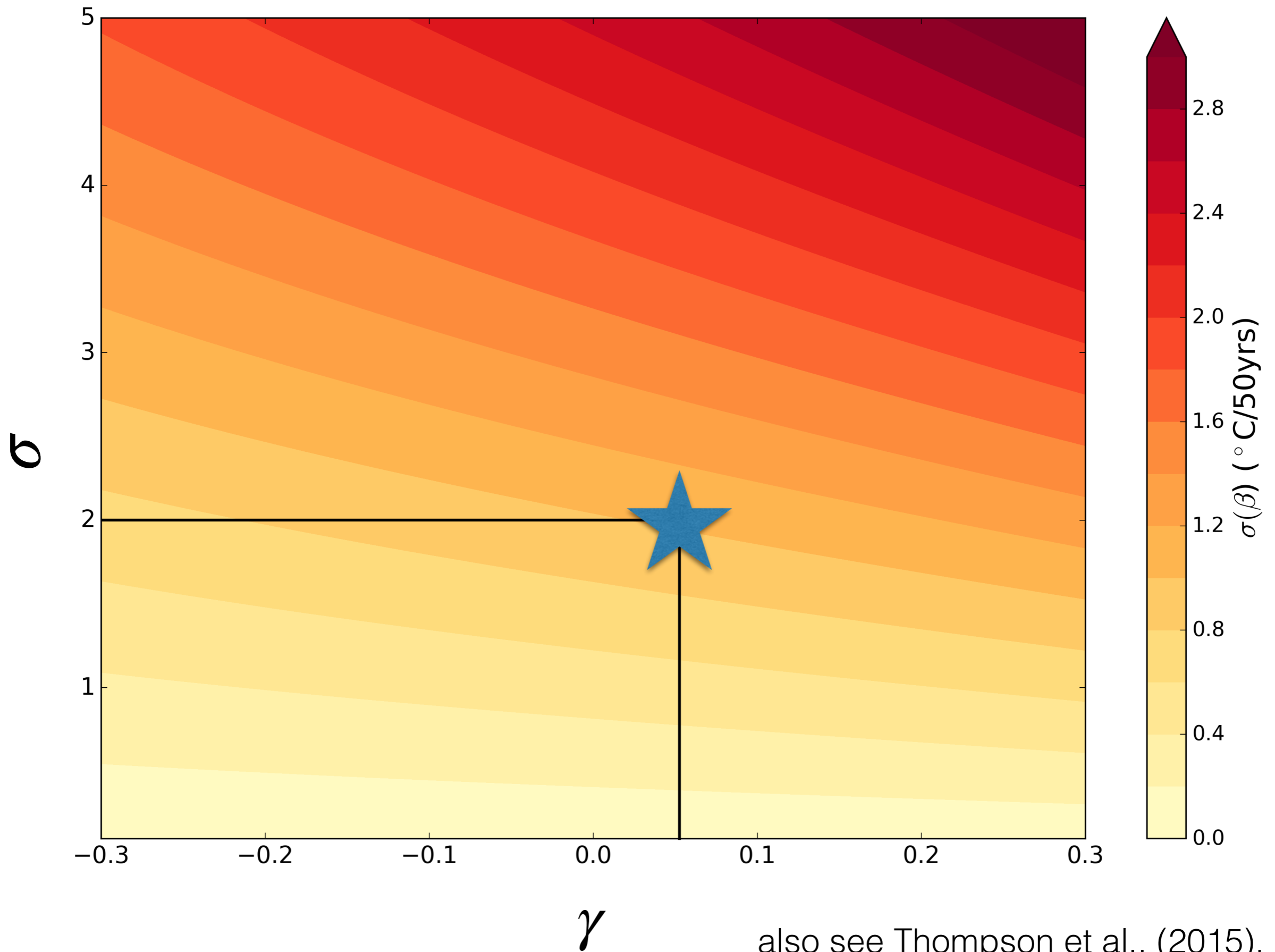
Distribution of trends from white noise

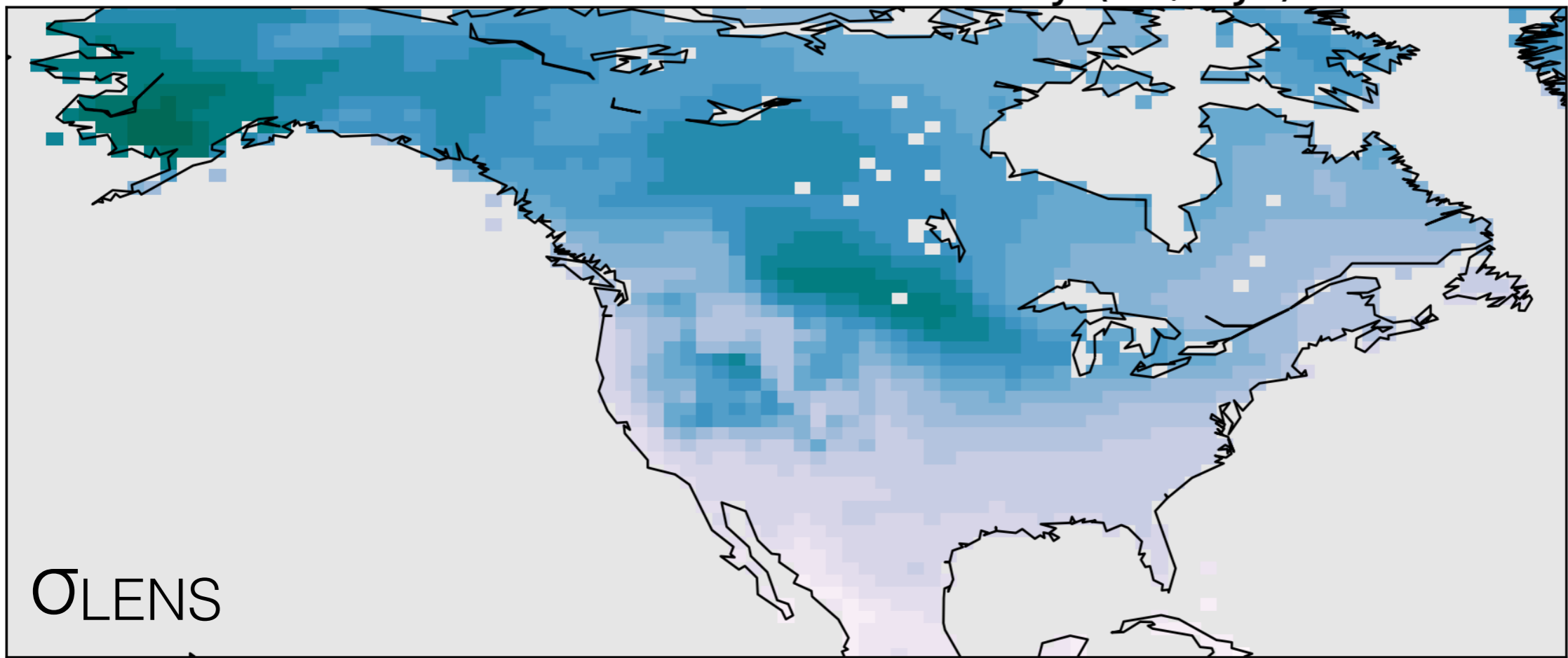
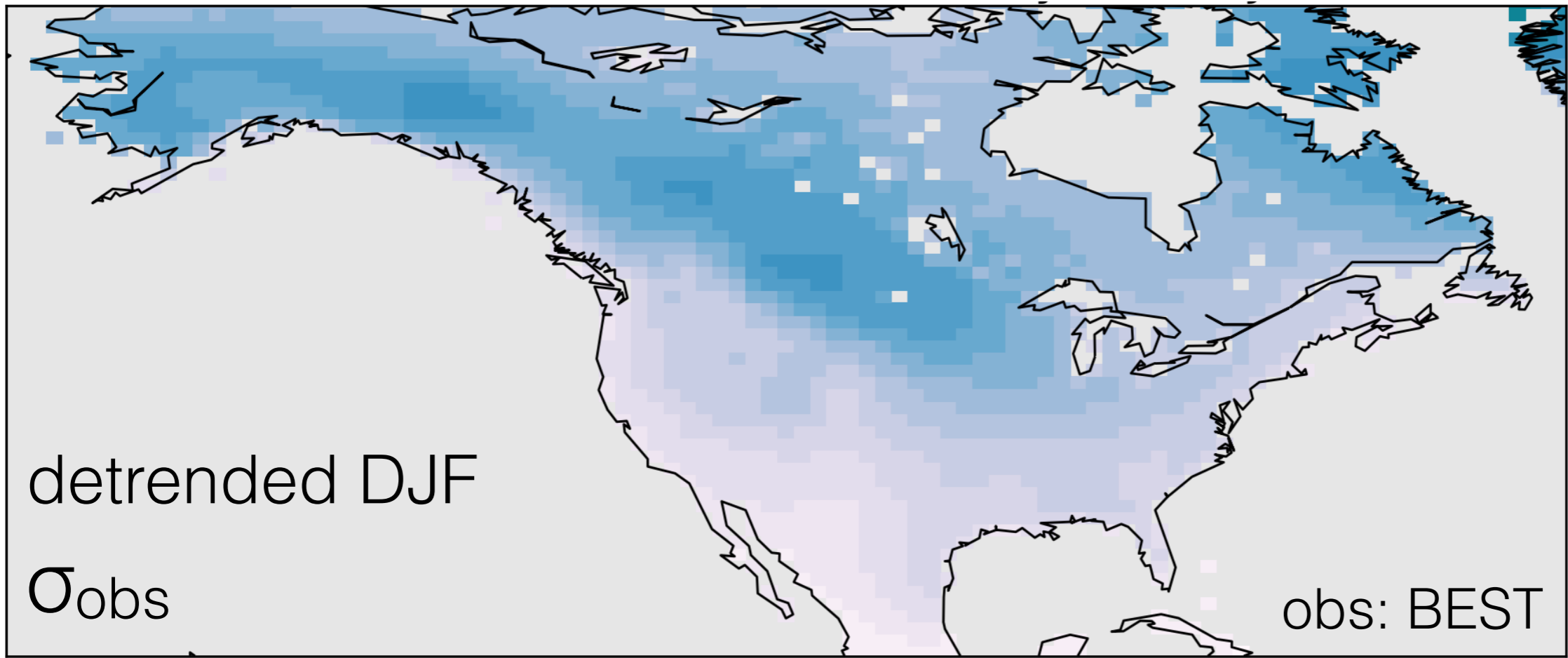


Variable 50-year trends from high-frequency noise

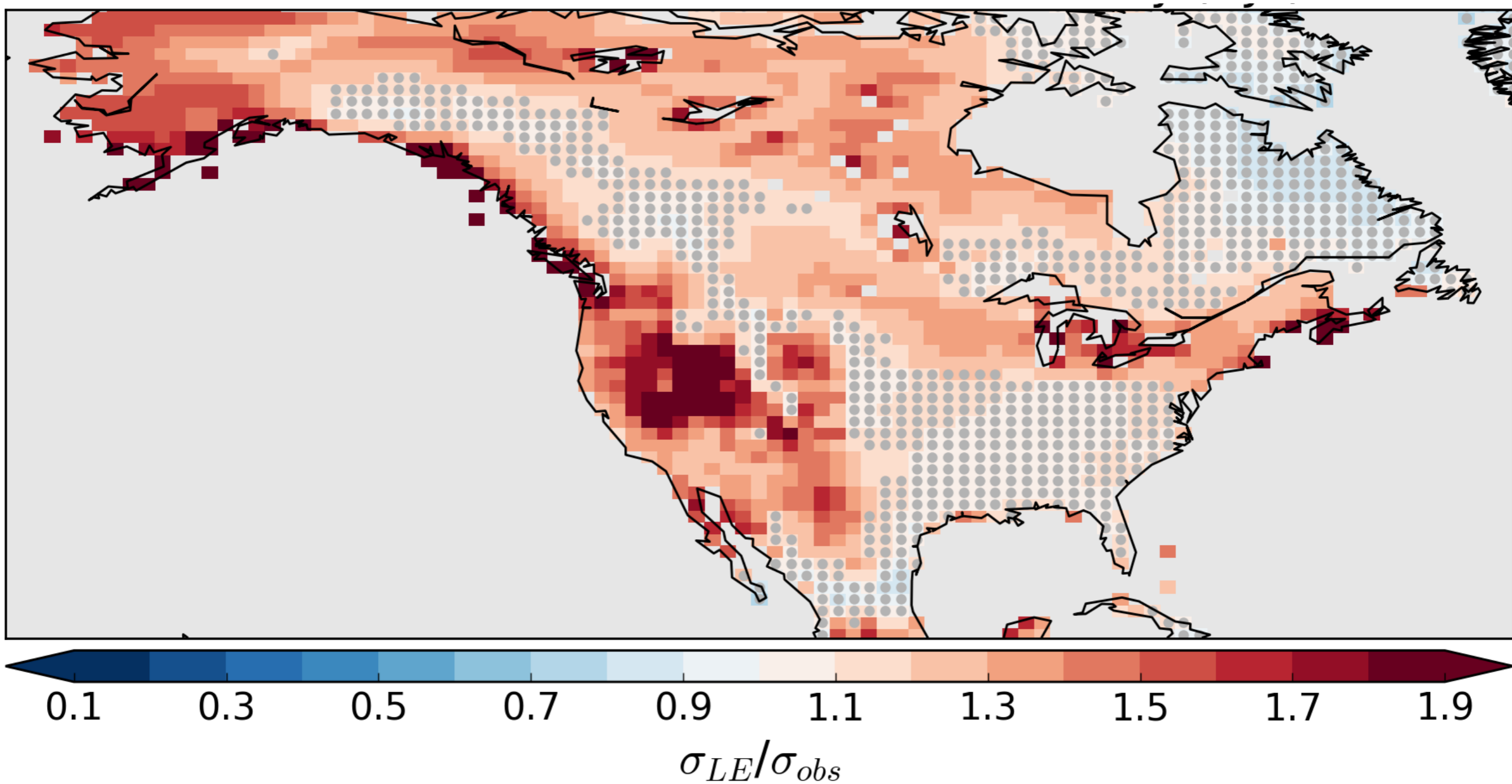


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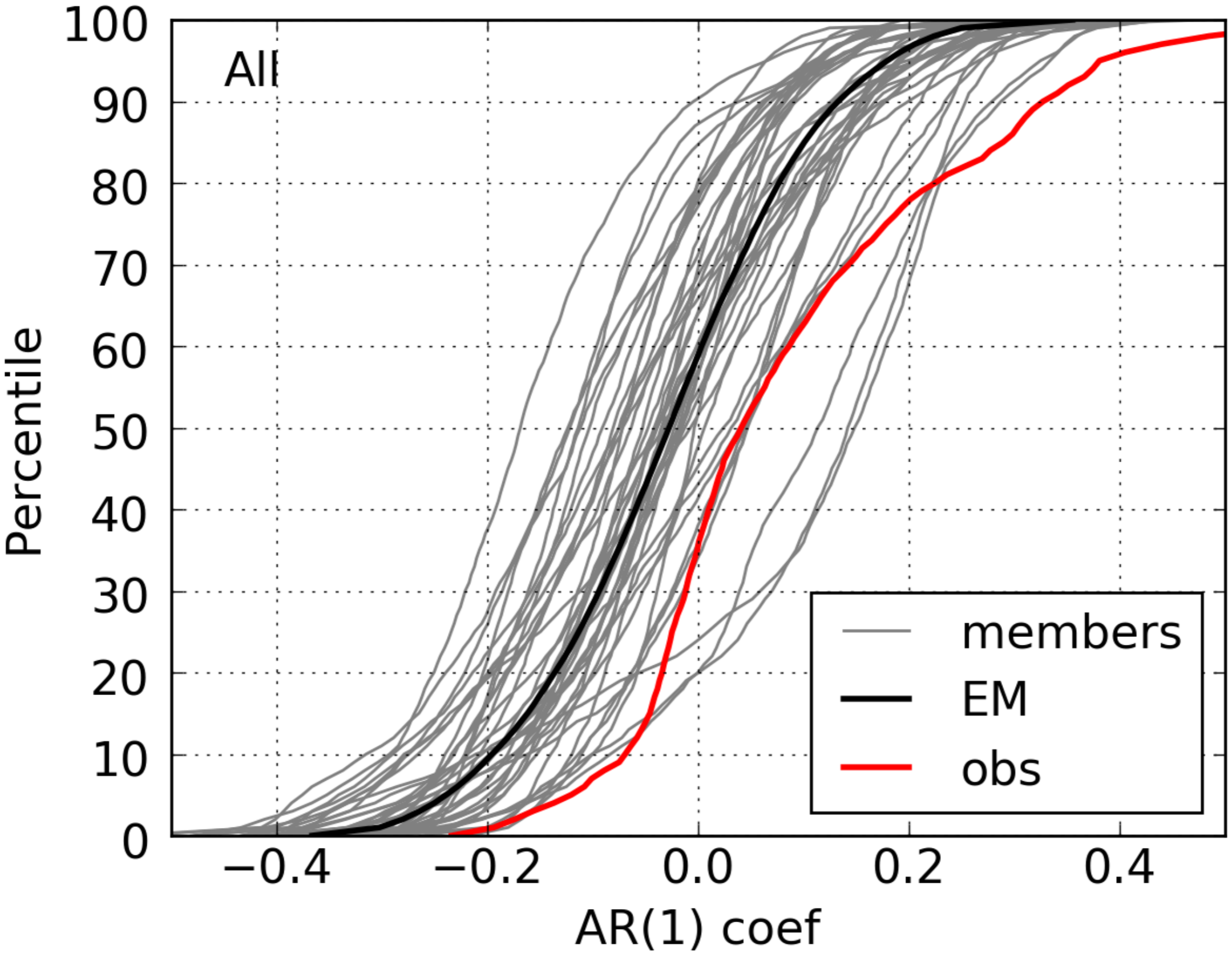


Observations tend to be less variable than LENS



Stippling: not significant

Observations tend to be more autocorrelated than LENS



How does this behavior map on to variability in trends?

Approach: create a synthetic ensemble

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- use a non-parametric method: **block bootstrap**
- fit a linear model to the observations
- resample the full spatial field of the residuals using a block size of two years
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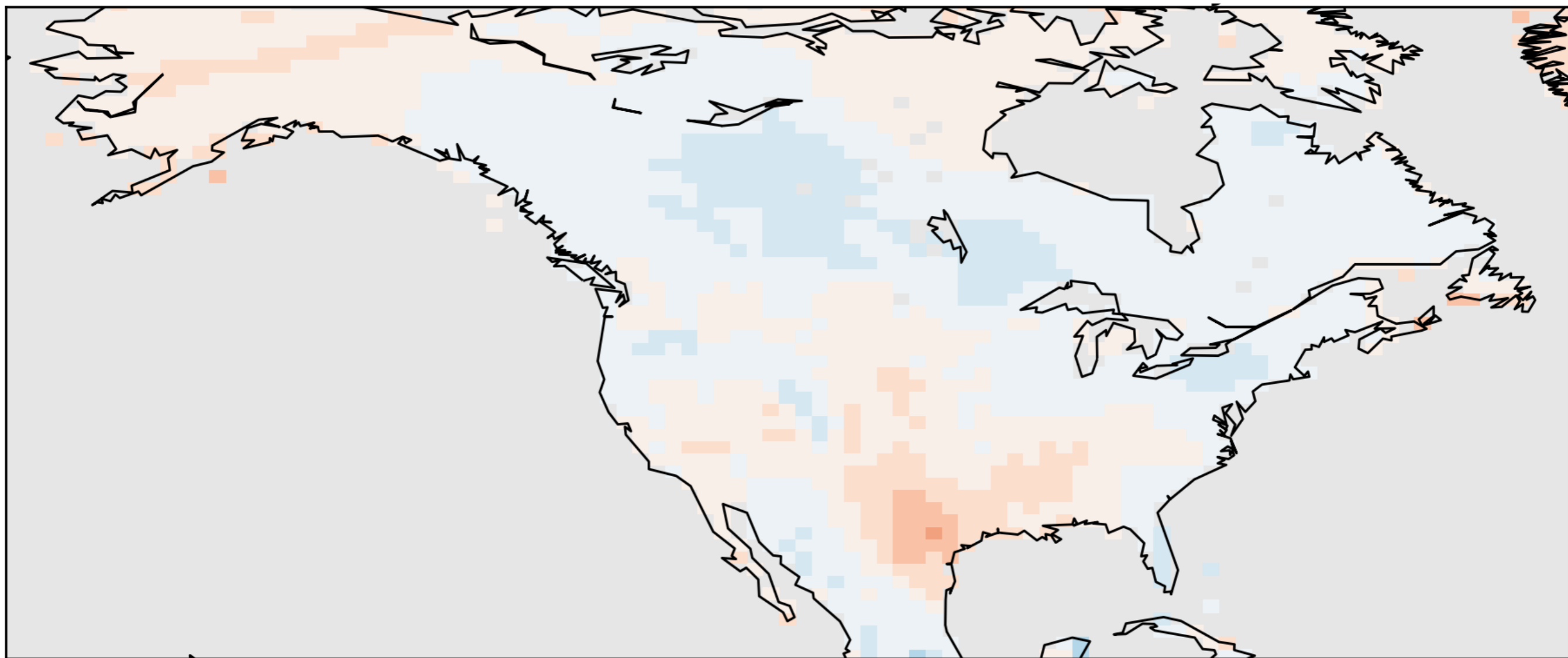
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Evaluation: repeat exercise treating all members of the Large Ensemble as the observations.

Validation: can reproduce LENS variability

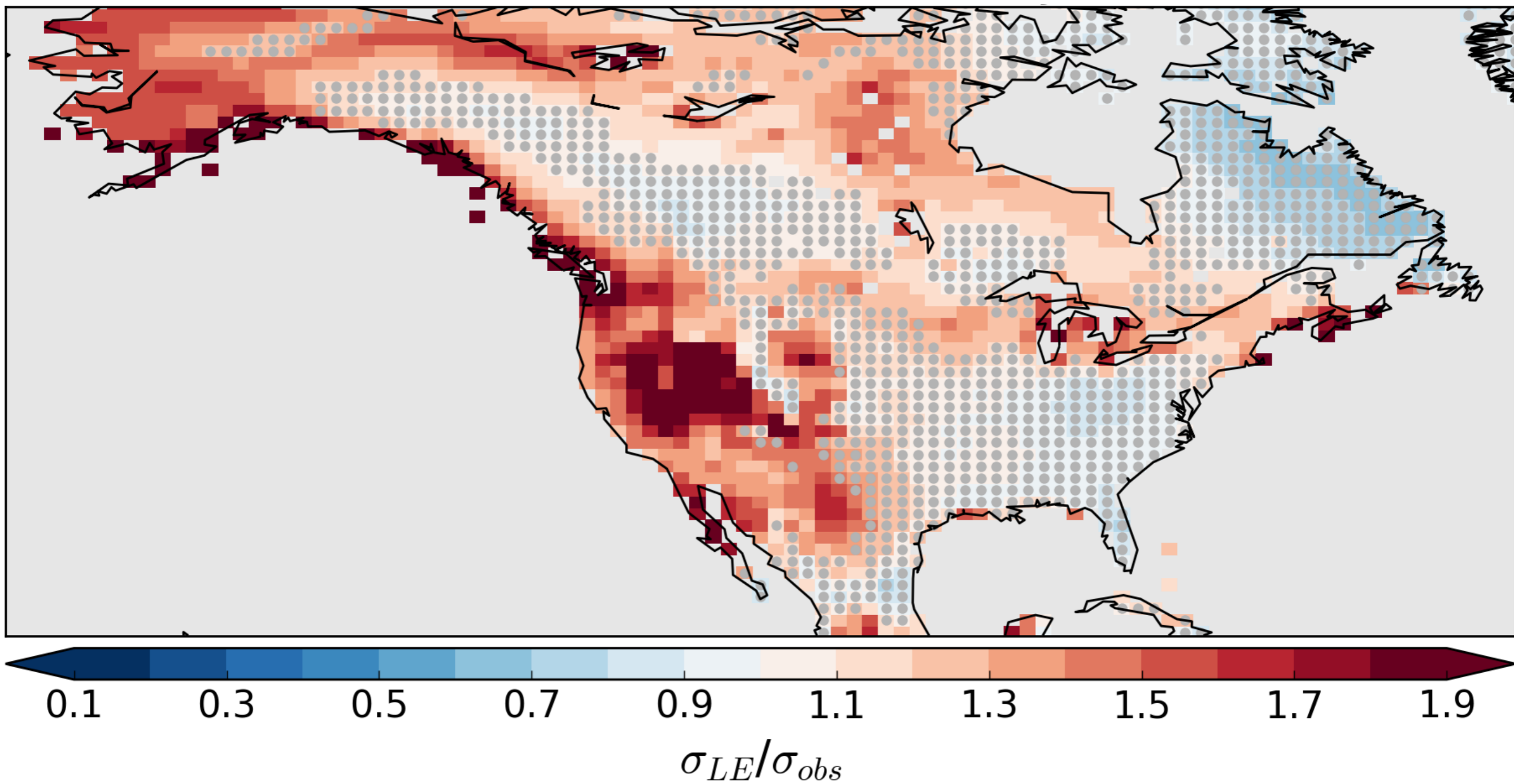


0.1 0.3 0.5 0.7 0.9 1.1 1.3 1.5 1.7 1.9

$$\sigma_{LE} / \sigma_{avg, members}$$

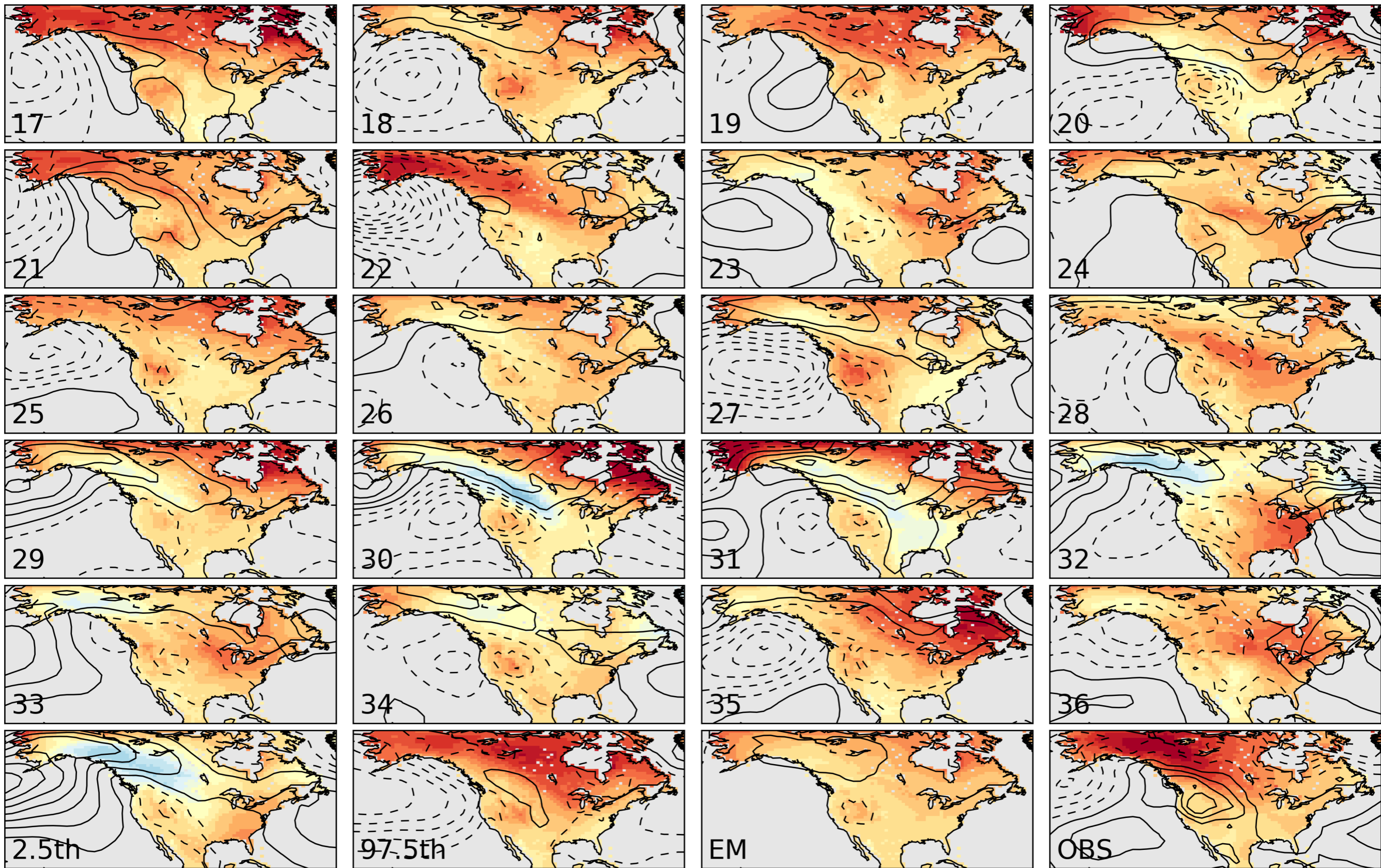
average across domain: 1.0

LENS overestimates trend uncertainty



Stippling: not significant

Observational Large Ensemble =
synthetic ensemble + ensemble mean from LENS



-5 -4 -3 -2 -1 0 1 2 3 4 5

Trends ($^{\circ}$ C/50 years)

Take home points

Observed and modeled trends are a combination of natural variability and response to forcing

Variability in 'long-term' (e.g. 50 year) DJF temperature trends over North America primarily due to short-timescale variability

LENS tends to overestimate this variability, so overestimates the contribution of internal variability to trend uncertainty

By applying block bootstrapping to the observational record, we can make an 'Observational Large Ensemble' that has a covariance structure similar to the real world

extras

