

Neodymium isotopes in the ocean model of the CESM

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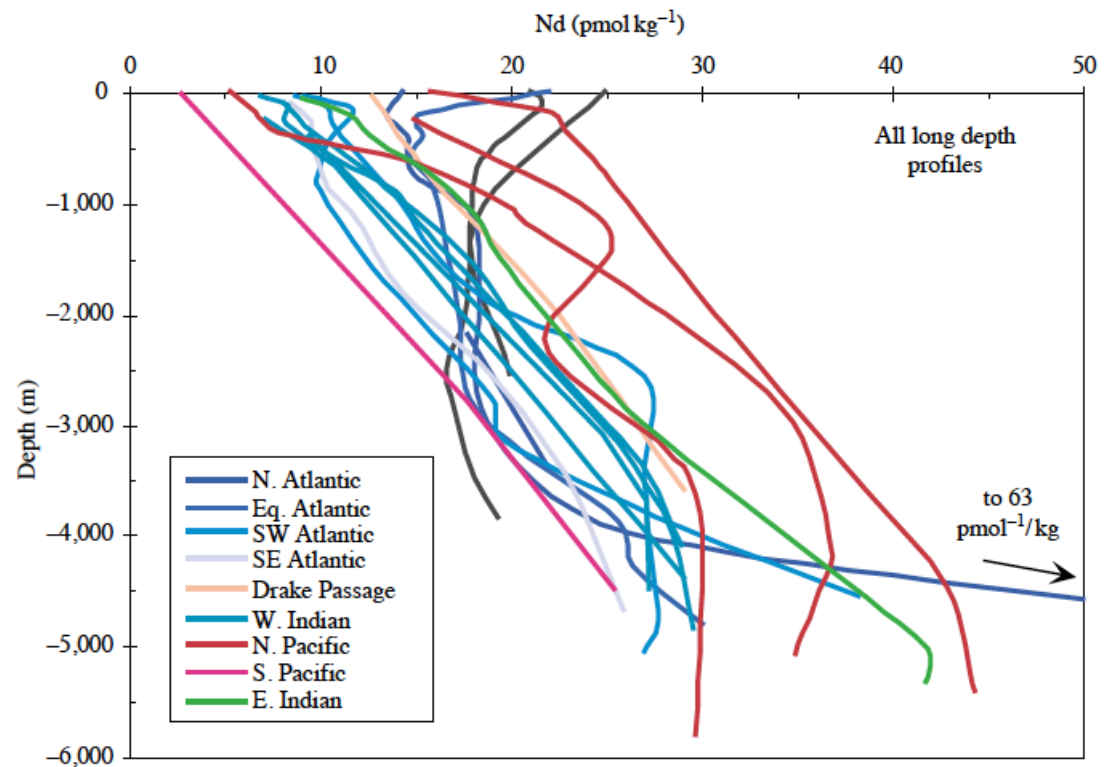
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Outline

- Introduction of Nd isotopes
- Nd modeling scheme: sources and sinks
- Parameters tuning for Nd
- Results: Control and model sensitivity
- Summary

Introduction of Nd isotopes

- Nd isotopes: ^{144}Nd and **radiogenic** ^{143}Nd
- $^{147}\text{Sm} \rightarrow ^{143}\text{Nd}$, half life 106 billion years
- Nd concentration shows a nutrient-like behavior



Introduction of Nd isotopes: ϵ_{Nd}

- Isotope ratio: $^{143}\text{Nd}/^{144}\text{Nd}$

$$\epsilon_{Nd} = \left[\frac{\left(\frac{^{143}\text{Nd}}{^{144}\text{Nd}}\right)_{\text{sample}}}{\left(\frac{^{143}\text{Nd}}{^{144}\text{Nd}}\right)_{\text{bulk Earth}}} - 1 \right] \times 10^4$$

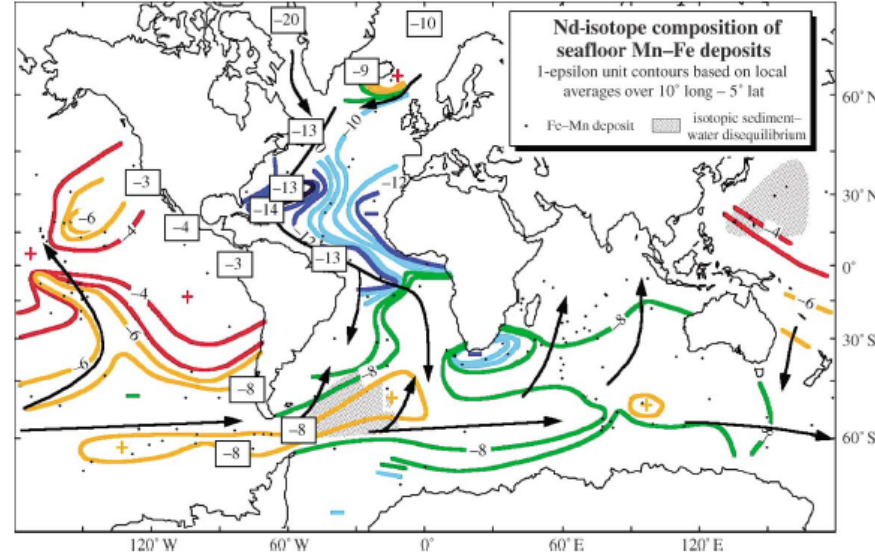
$(^{143}\text{Nd}/^{144}\text{Nd})_{\text{bulk Earth}}$ is 0.512638

- Younger continent, larger (more radiogenic) ϵ_{Nd}
- Older continent, smaller ϵ_{Nd}

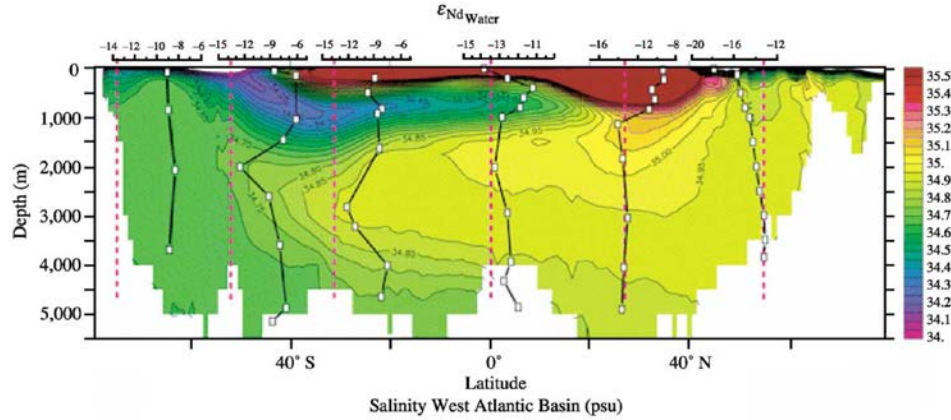
- ϵ_{Nd} as water-mass mixing tracer:

- AAIW: ~-8 - -9
- AABW: ~-9
- NADW: ~-13 - -14

- Biological fractionation of Nd is negligible
- ϵ_{Nd} has been increasingly used in paleoceanography



Albare & Goldstein, 1992



von Blanckenburg, 1999

Nd modeling scheme

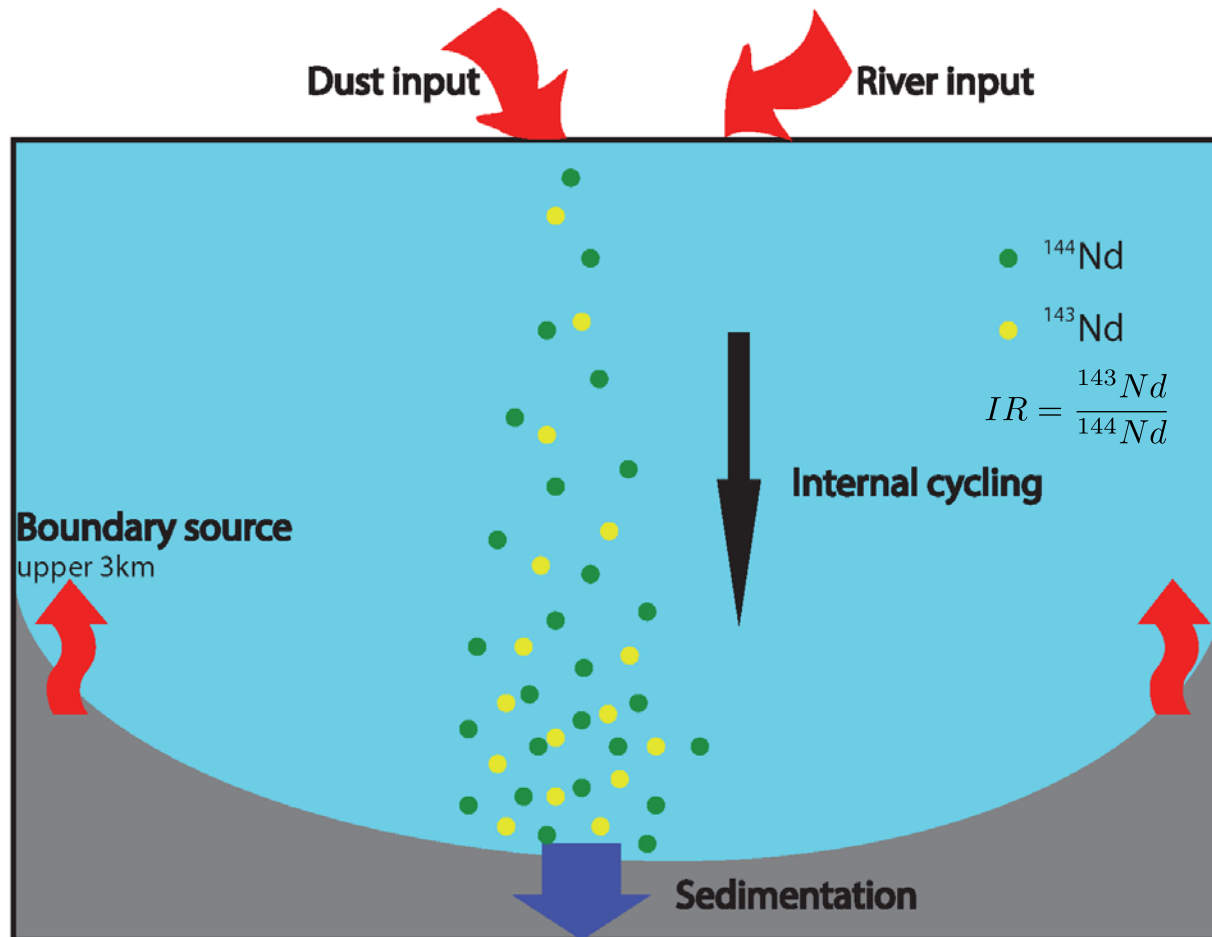
Implementation of Nd in CESM largely follows Rempfer et al. 2011 (Bern3D model):

^{143}Nd and ^{144}Nd are two separate tracers

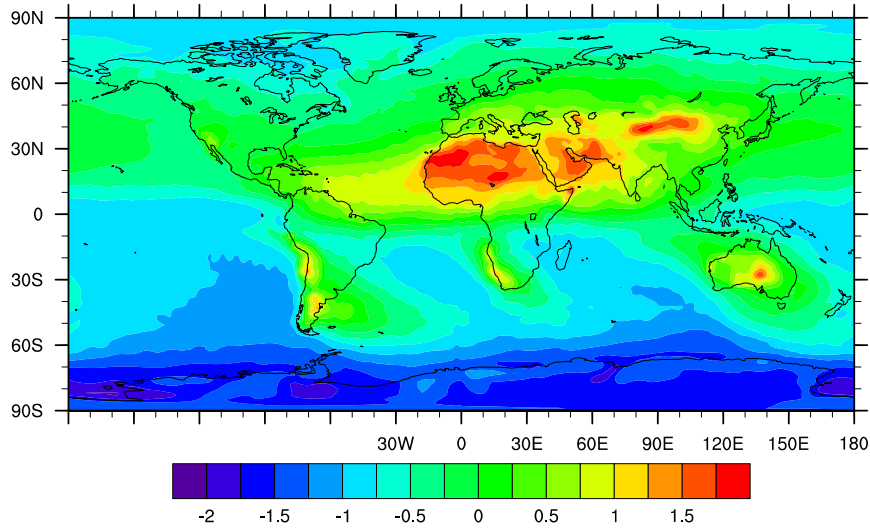
Sources: River, Dust & Boundary

Sink: Sedimentation

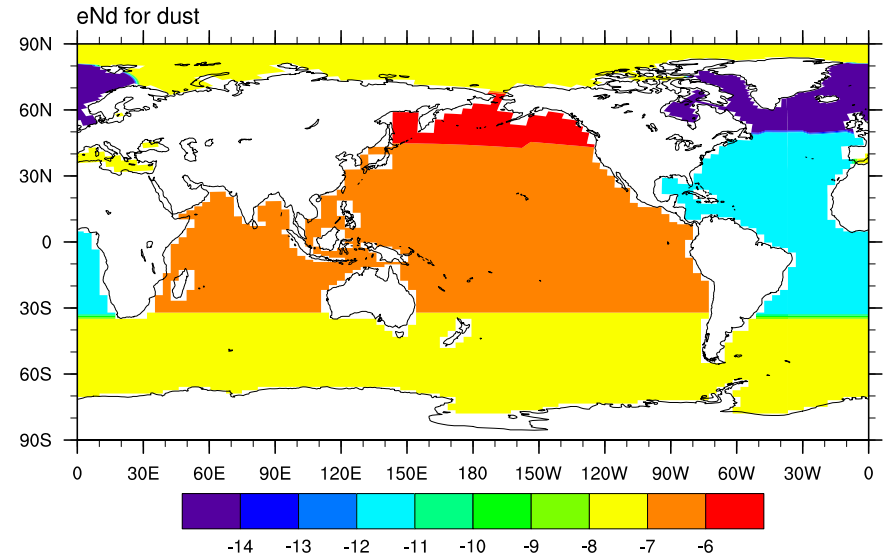
Internal Cycling: reversible scavenging



Nd modeling scheme: dust source



Mahowald et al., 2005



Tachikawa et al., 2003

$$S_{dust} = F_{dust} \times c_{dust} \times \beta_{dust} \times \frac{1}{\Delta z_1}$$

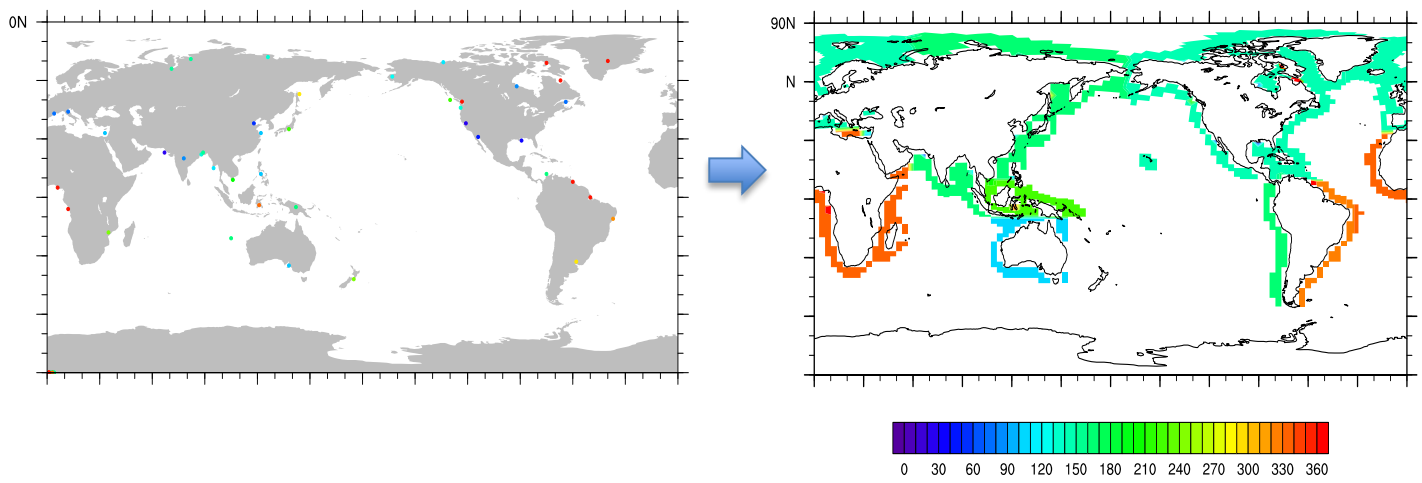
F_{dust} : surface dust flux

c_{dust} : global mean Nd concentration in dust, 20 $\mu\text{g/g}$, *Grousset et al., 1998*

β_{dust} : Nd release from dust, 20%, *Greaves et al., 1994*

Δz_1 : thickness of first ocean layer

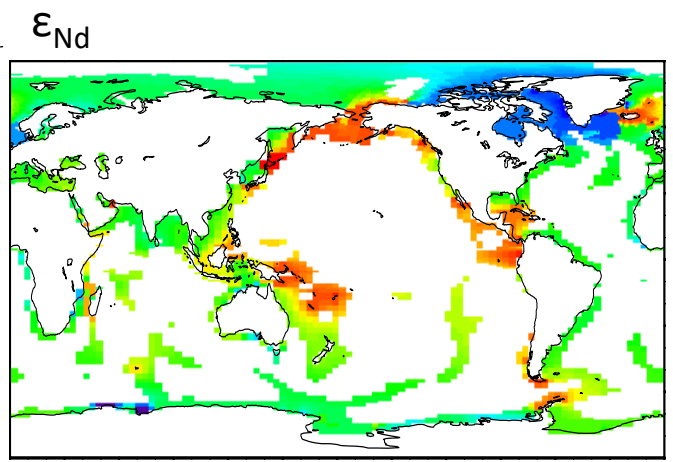
Nd modeling scheme: river source



Goldstein & Jacobsen, 1987

$$S_{river} = F_{river} \times c_{river} \times (1 - \gamma_{dust}) \times \frac{1}{\Delta z_1}$$

- F_{river} : river runoff, from coupler
- c_{river} : global mean Nd concentration in river
- γ_{dust} : estuaries Nd removal,
0.7, Elderfield et al., 1990
- Δz_1 : thickness of first ocean layer



Nd modeling scheme: boundary source

$$S_{boundary} = f_{boundary} \times \frac{A}{A_{total}} \times \frac{1}{V} \quad \text{Upper 3000 m}$$

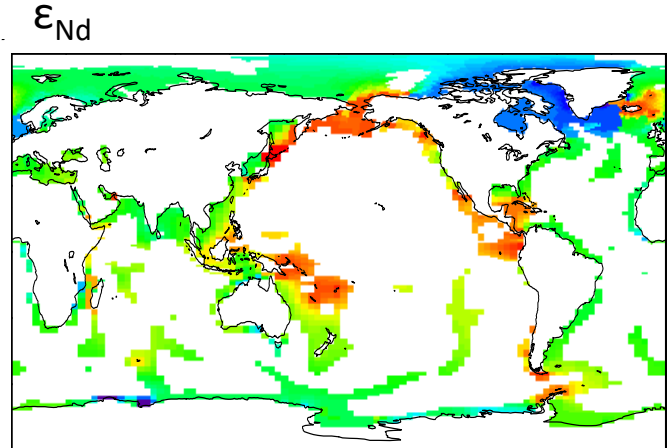
The boundary source per unit area is assumed to be constant with depth and globally uniform

$f_{boundary}$: total boundary source (**tuning parameter**)

A_{total} : total sediment surface of the continental margins

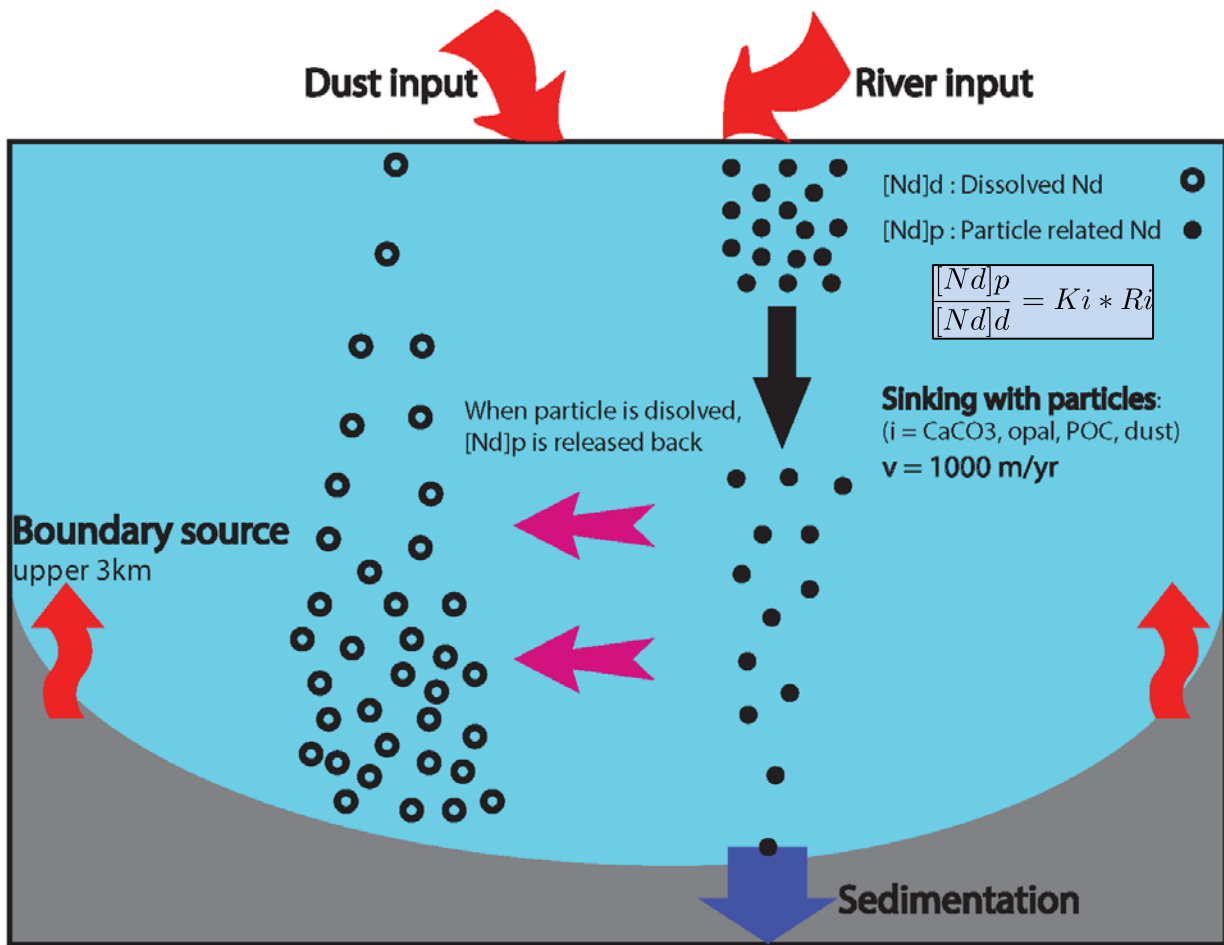
A: grid area

V: grid volume



Nd modeling scheme: internal cycling

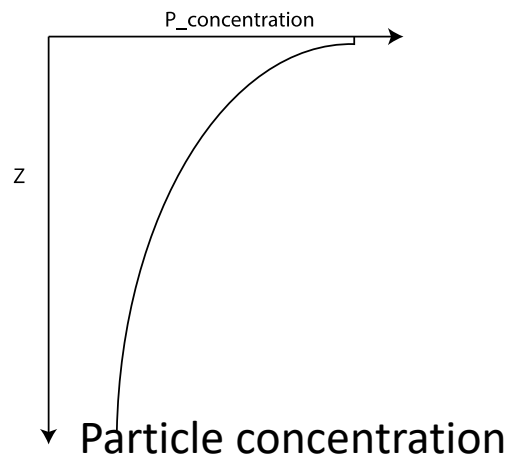
Reversible Scavenging: the physical process of adsorption and desorption of Nd on particle surfaces
 (previously used in Pa/Th modeling, e.g. Siddall et al. 2005)



Ri: ratio between particle concentration and average density of water
 Ki: equilibrium scavenging coefficient

$$K_i = \left(\frac{[Nd]_p}{[Nd]_d} \right)_{avg} * \frac{1}{R_{i,avg}}$$

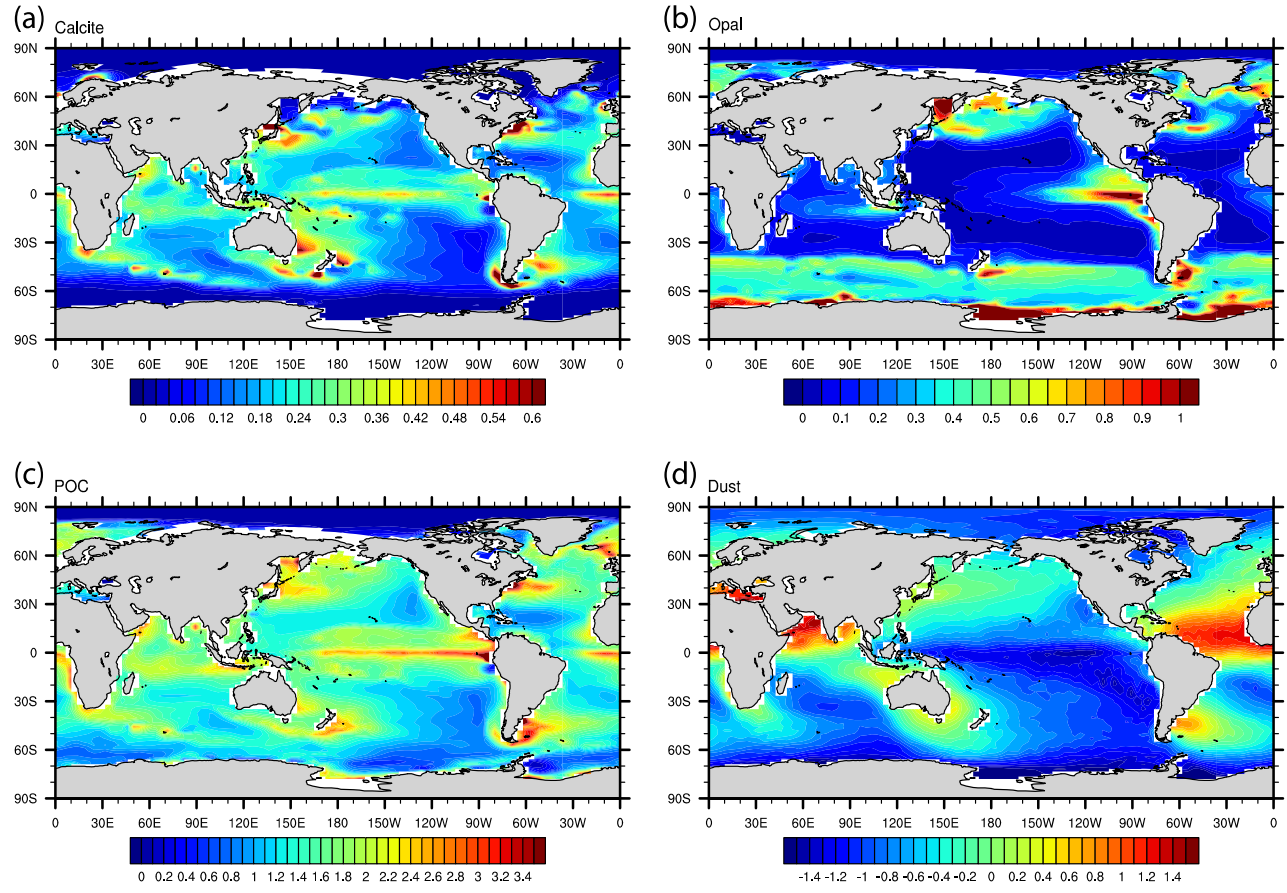
$\left(\frac{[Nd]_p}{[Nd]_d} \right)_{avg}$ tuning parameter



$$S_{rs} = \frac{\partial v \cdot [Nd]_p^i}{\partial z}$$

Nd modeling scheme: internal cycling

Particle fields used in internal cycling { prescribed (abio_Nd)
ecosystem (bio_Nd)



Annual mean particle fluxes at 105m in CESM

Parameters tuning for Nd (abio_Nd)

- Parameters: f_{boundary} and $\left(\frac{[Nd]_p}{[Nd]_d}\right)_{\text{avg}}$ (total 99 sets of experiments)
- Cost function:

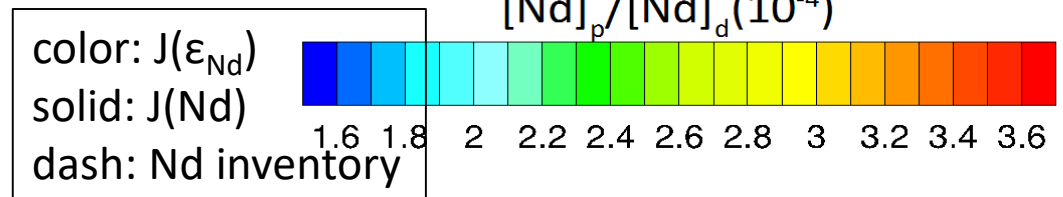
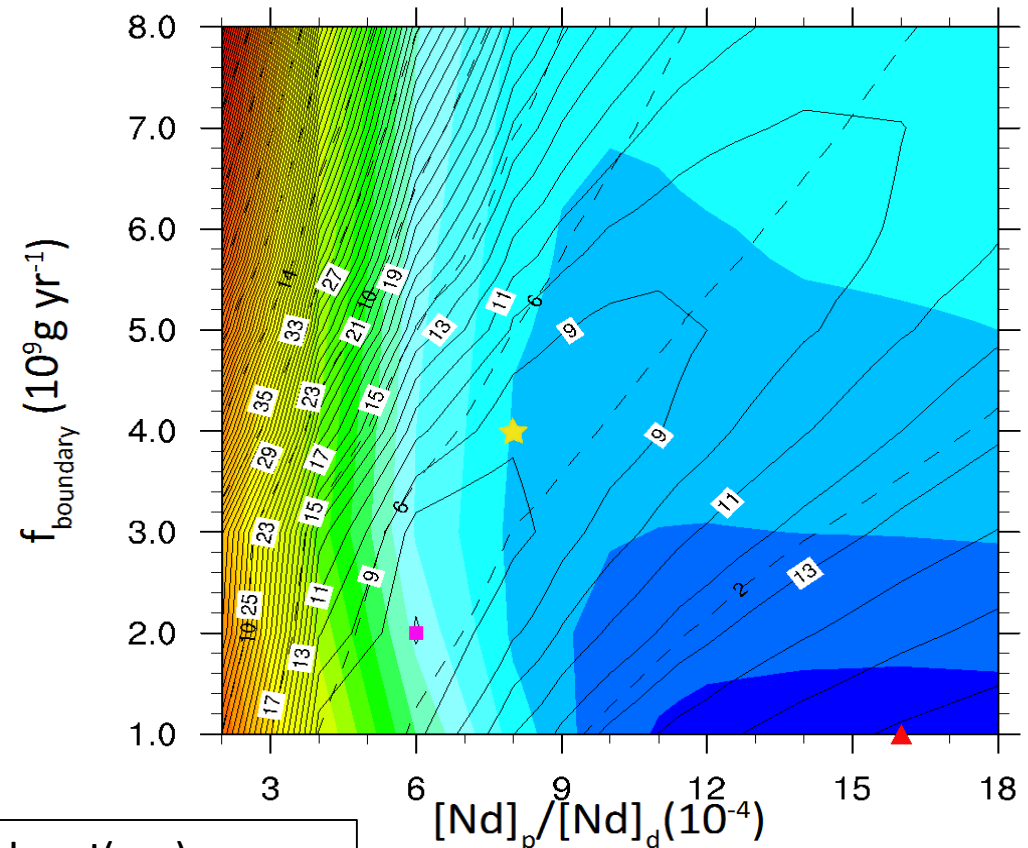
$$J = \frac{1}{N} \sum_{k=1}^N |obs_k - model_k|$$

- Observation from van de Flierdt et al. 2016 (larger dataset than used in Rempfer et al. 2011)

- $J(\text{Nd})$ minimum
- ▲ $J(\epsilon_{\text{Nd}})$ minimum
- ★ Control:

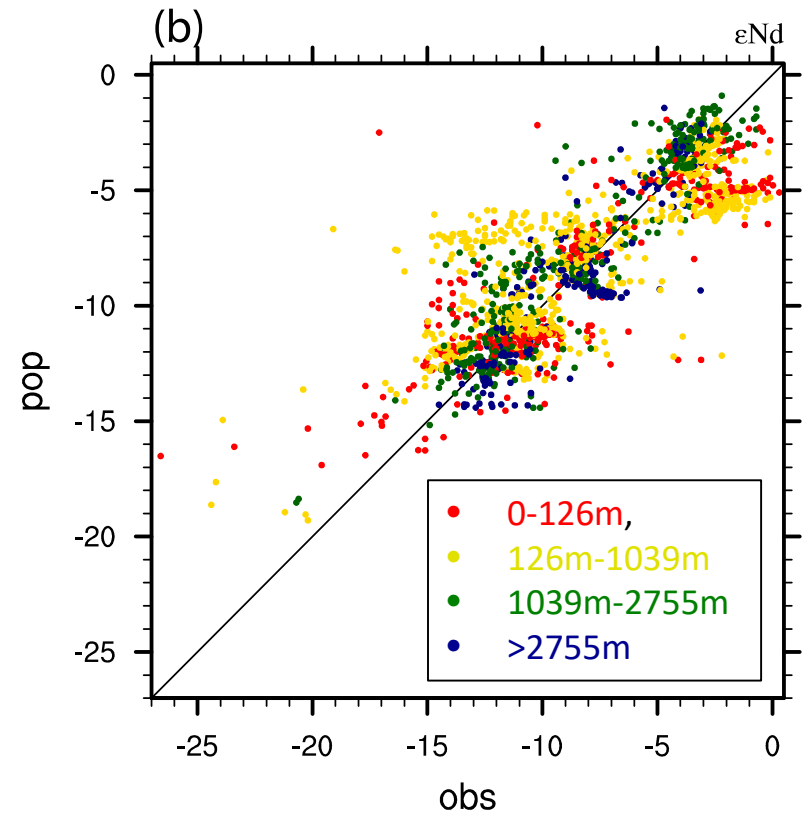
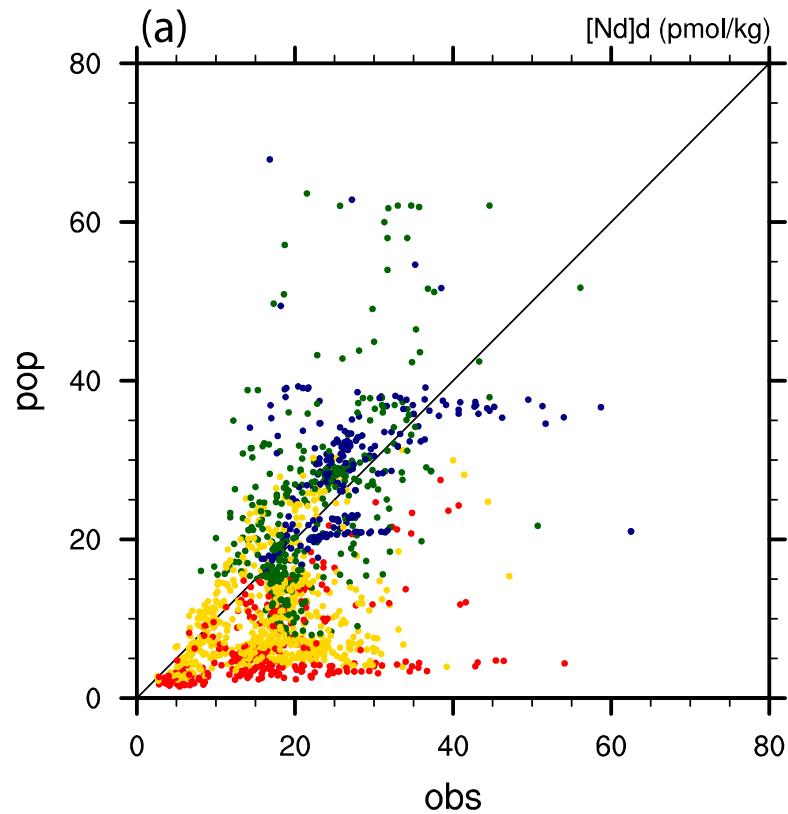
$$f_{\text{boundary}} = 4 \times 10^9$$

$$\left(\frac{[Nd]_p}{[Nd]_d}\right)_{\text{avg}} = 9 \times 10^{-4}$$

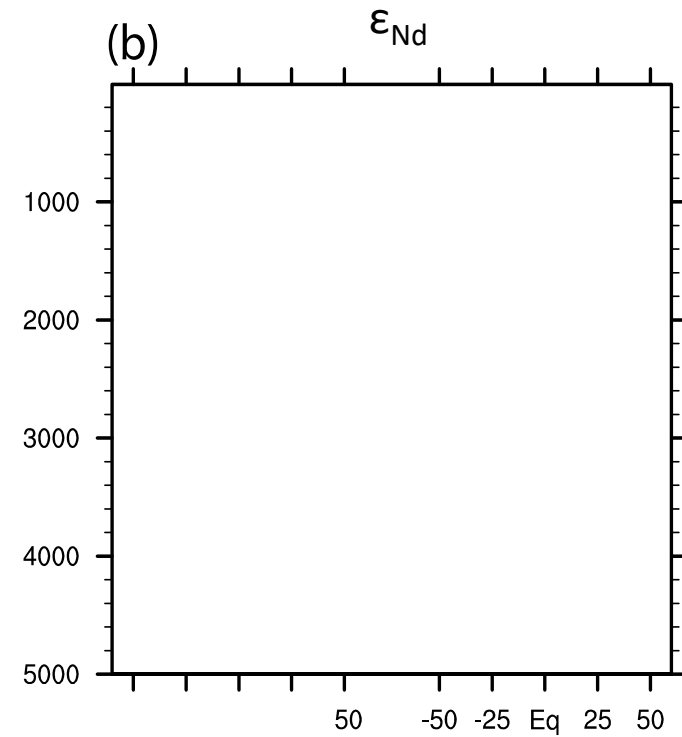
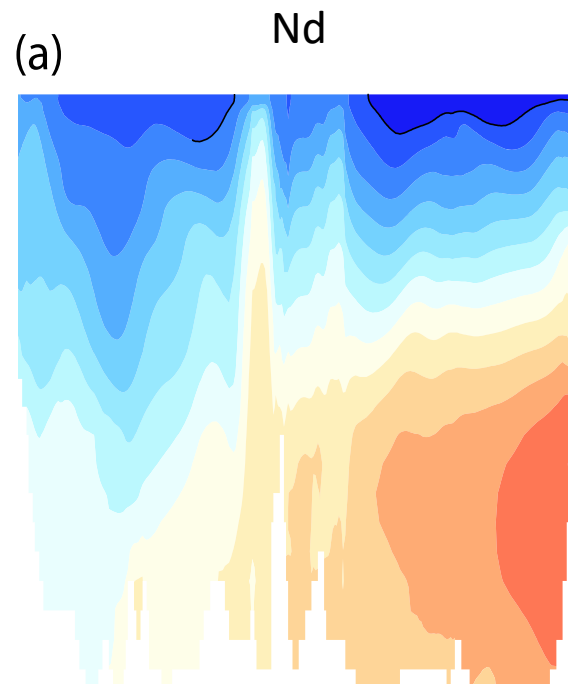
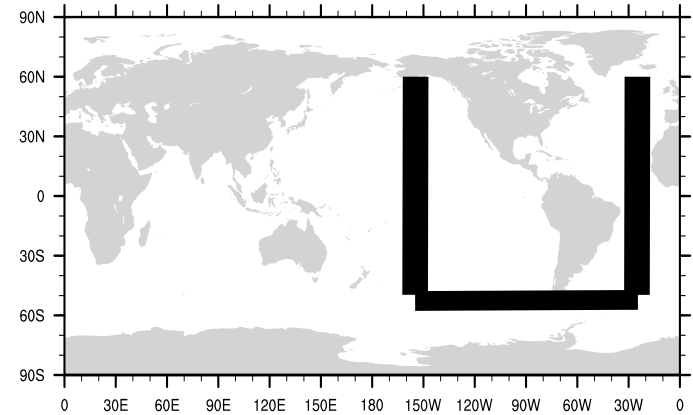


Results: Control

Nd inventory: 4.3×10^{12} g (4.2×10^{12} g from Arsouze et al., 2009; Tachikawa et al., 2003)
Residence time τ_{Nd} 785 yr (in the range of estimation by Tachikawa et al. 2003)

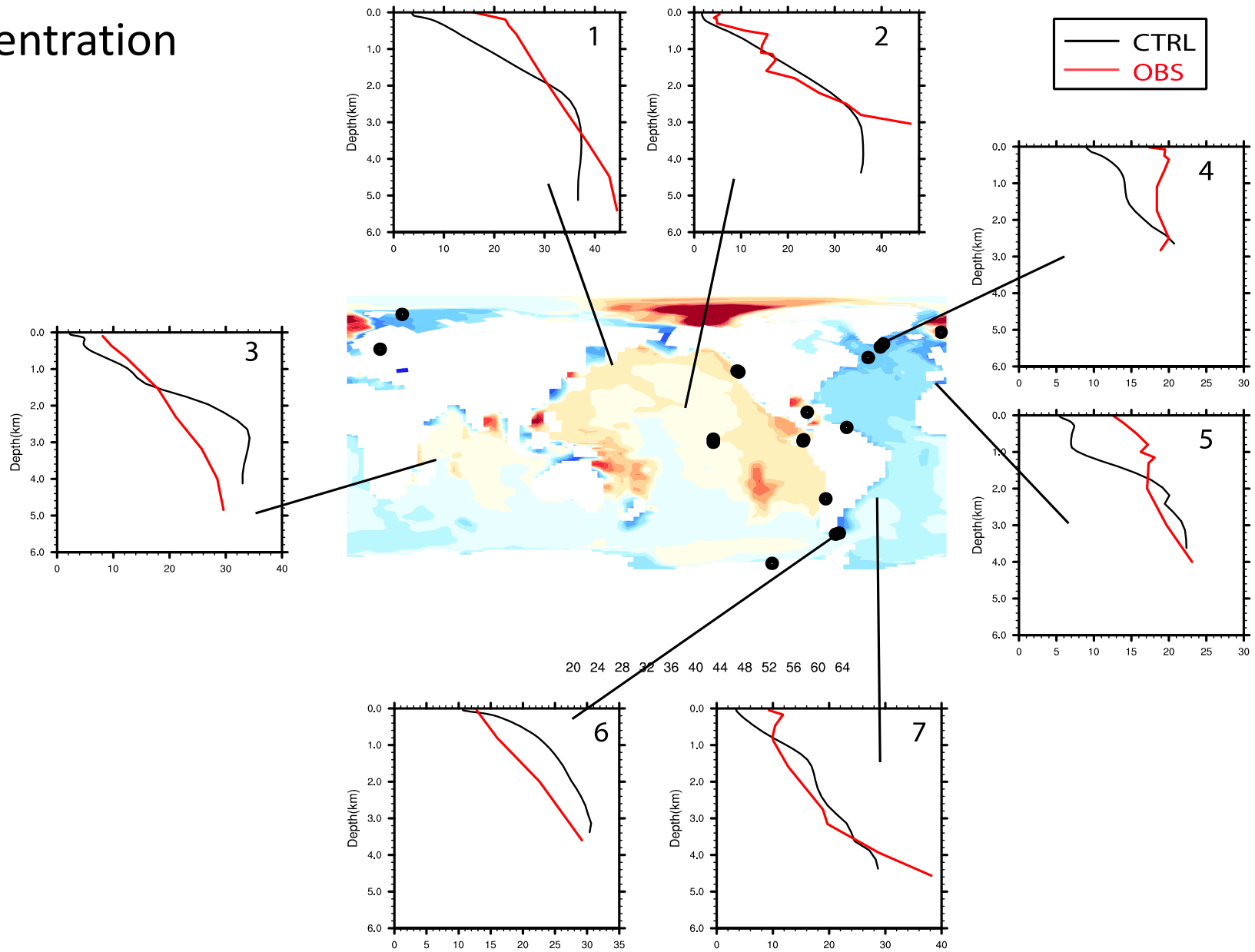


Results: Control (Track from Atlantic to Pacific)



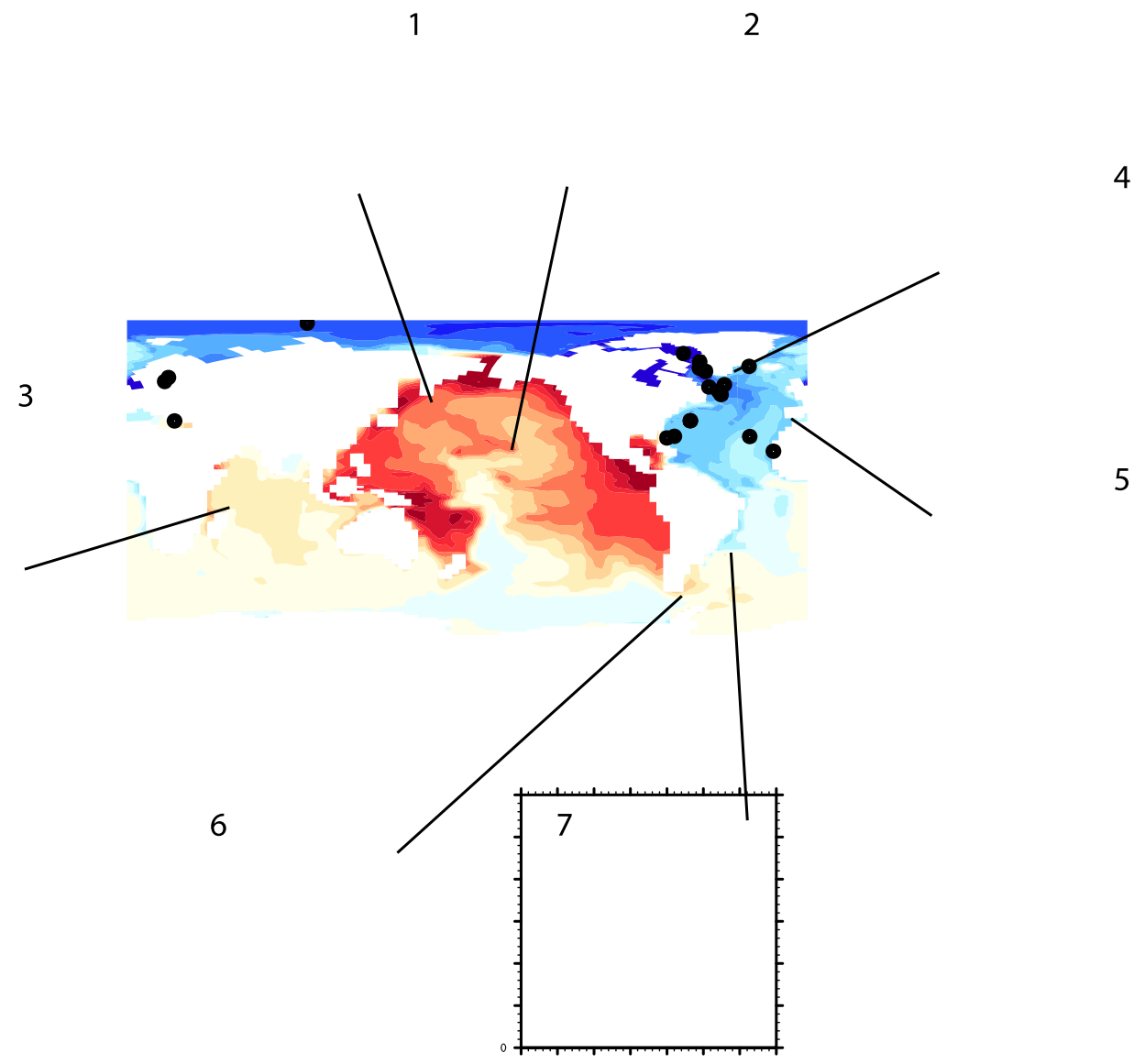
Results: Control (Seafloor & selected vertical profiles)

Nd concentration

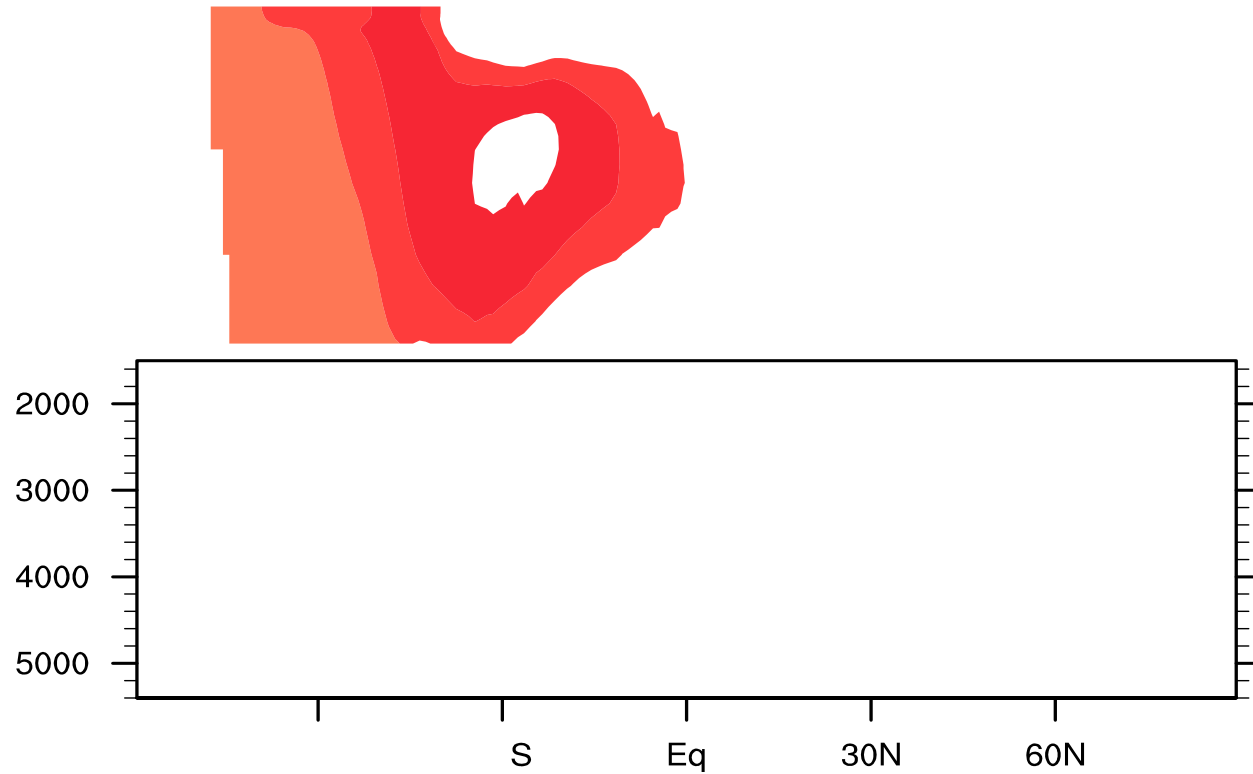


Results: Control (Seafloor & selected vertical profiles)

ϵ_{Nd}



Results: Control



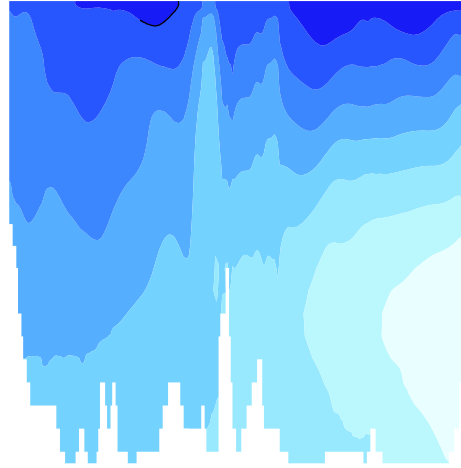
Atlantic zonal mean ϵ_{Nd} (color) and salinity (contour)

Results: Sensitivity on f_{boundary}

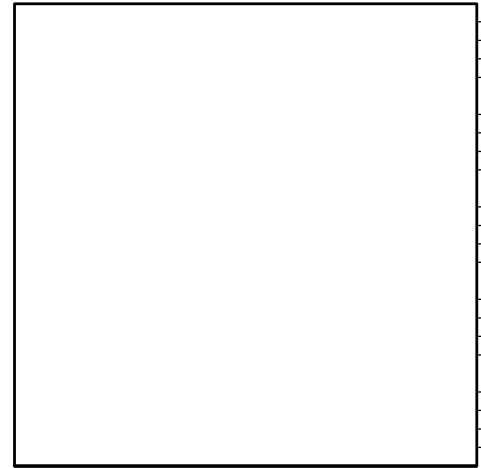
Nd

ϵ_{Nd}

$f_{\text{boundary}}/2$

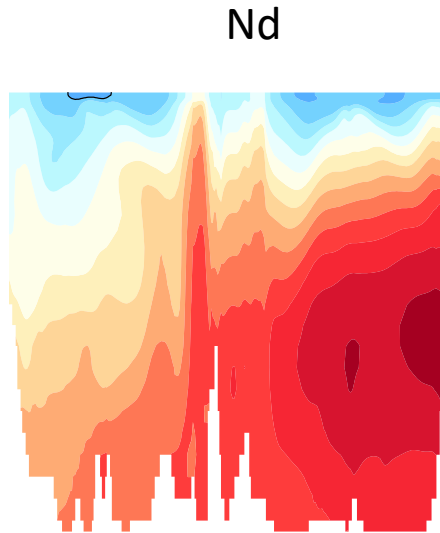


$f_{\text{boundary}} * 2$



Results: Sensitivity on $[Nd]_p/[Nd]_d$

$$\left(\frac{[Nd]_p}{[Nd]_d}\right)_{avg} / 2$$

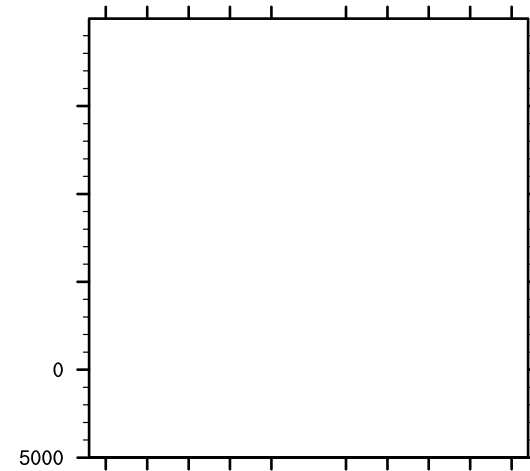


ϵ_{Nd}

τ_{Nd}

1680yr

$$\left(\frac{[Nd]_p}{[Nd]_d}\right)_{avg} * 2$$



400yr

Summary

- Following Rempfer et al. 2011, we implement Nd isotopes in CESM and with the parameters tuned under present-day climate forcing, our model is able to simulate global distribution of both Nd concentration and ϵ_{Nd} , with reasonable agreement with the observation.
- Nd concentration and ϵ_{Nd} in our model shows similar sensitivities to the total boundary source and ratio of particle related Nd to dissolved Nd as in previous modeling study (Rempfer et al., 2011)
- Nd has both abiotic version (computational efficient) and biotic version. Comparing these two versions can help to separate the effect of circulation change and particle fields change on Nd.
- This Nd model provides a useful tool to study past changes of ocean and climate.

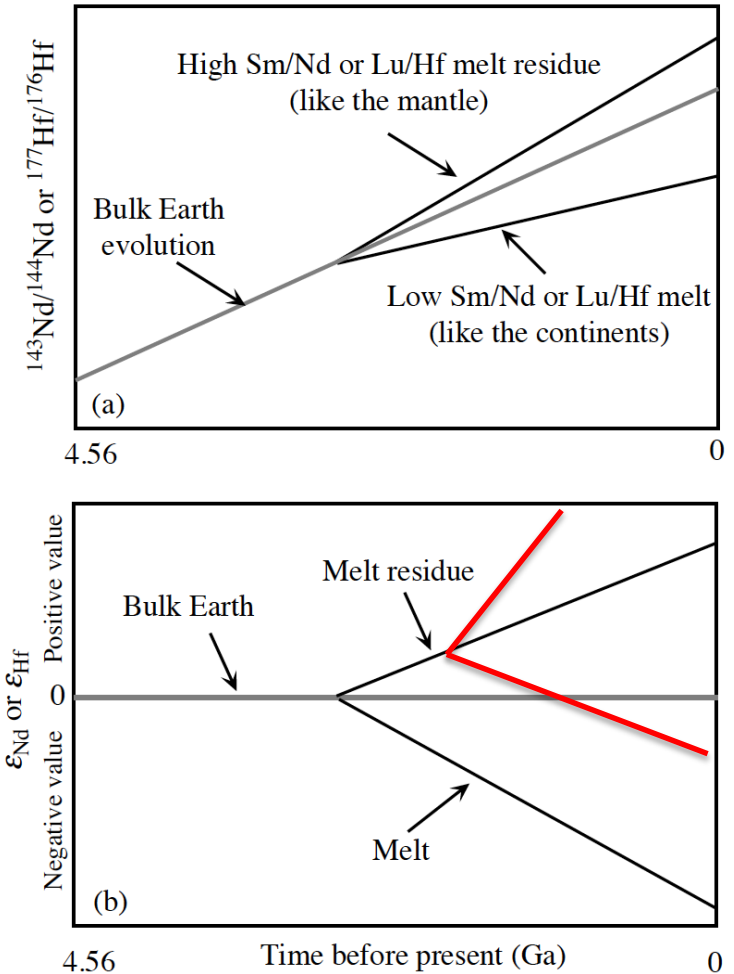
Thanks

- Isotope ratio: $^{143}\text{Nd}/^{144}\text{Nd}$

$$\epsilon_{Nd} = \left[\frac{\left(\frac{^{143}\text{Nd}}{^{144}\text{Nd}} \right)_{\text{sample}}}{\left(\frac{^{143}\text{Nd}}{^{144}\text{Nd}} \right)_{\text{bulk Earth}}} - 1 \right] \times 10^4$$

$(^{143}\text{Nd}/^{144}\text{Nd})_{\text{bulk Earth}}$ is 0.512638

- Decay system: $^{147}\text{Sm} \rightarrow ^{143}\text{Nd}$
 $\lambda^{147}\text{Sm} = 6.54 \times 10^{-12} \text{ yr}^{-1}$,
Slow relative to 4.56 Gyr age of solar system
- Nd is more likely to enter magma than Sm:
Younger continent, **larger** ϵ_{Nd}



Exp	$\frac{[Nd]_p}{[Nd]_d}$	f_{boundary} (g yr ⁻¹)	Inventory (g)	τ_{Nd} (yr)	$J_{[\text{Nd}]d}$ (pmol kg ⁻¹)	$J_{\epsilon_{\text{Nd}}}$	J_1 (%)	J_2 (%)
CTRL	0.0009	4×10 ⁹	4.3×10 ¹²	785	8.1	1.76	72	82
$J_{[\text{Nd}]d}$ min	0.0006	2×10 ⁹	4.6×10 ¹²	1282	6.9	2.07	79	76
$J_{\epsilon_{\text{Nd}}}$ min	0.0016	1×10 ⁹	0.9×10 ¹²	351	16.2	1.53	19	90
BS05	0.0009	2×10 ⁹	2.8×10 ¹²	796	10.1	1.71	58	83
BS20	0.0009	8×10 ⁹	8.0×10 ¹²	843	15.3	1.83	45	81
PD05	0.0004	4×10 ⁹	9.3×10 ¹²	1680	18.7	2.5	26	70
PD20	0.0018	4×10 ⁹	2.2×10 ¹²	400	14.4	1.88	42	80
CTRL_R	0.001	5.5×10 ⁹	5.1×10 ¹²	720	9.3	1.78	64	83
CTRL_R*	0.001	5.5×10 ⁹	4.2×10 ¹²	700	9	1.66	70	83
EXP1	0.0008	5×10 ⁹	6.02×10 ¹²	915	9.8	1.8	60	82
EXP2	0.0009	5×10 ⁹	5.29×10 ¹²	805	9.1	1.8	66	82
CTRL_old	0.0008	4×10 ⁹	5.0×10 ¹²	900	9.6	1.8	71	82