

# Exploring long term climate variability in the Quaternary with iCESM1.2

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# Climate Model

- Oxygen-18 and Deuterium tracking in all model components of the Community Earth System Model 1.2 (Nusbaumer et. al.; Wong et al.; JAMES, *in review*)
  - Developed by NCAR, CU, OSU, and UW-M
  - Fully coupled 2° atm / lnd and 1° ocn / ice

# Model Simulations

- 10 runs with different orbits, CO<sub>2</sub>, and land ice
  - Initialized from equilibrium climate simulations

Run Type	Obliquity (°)	Longitude of perihelion (°)	Eccentricity	CO <sub>2</sub> (ppm)	Ice sheets
<b>Preindustrial</b>	<b>23.441</b>	<b>102.72</b>	<b>0.0167</b>	<b>284.7</b>	<b>0 ka BP</b>
Low obliquity	22.079	---	---	---	---
High obliquity	24.48	---	---	---	---
WS perihelion	---	90	0.0493	---	---
SS perihelion	---	270	0.0493	---	---
AE perihelion	---	0	0.0493	---	---
VE perihelion	---	180	0.0493	---	---
0 Eccentricity	---	---	0	---	---
Low CO <sub>2</sub>	---	---	---	142	---
Ice Maximum	---	---	---	---	21 ka BP

# Reconstruction Techniques

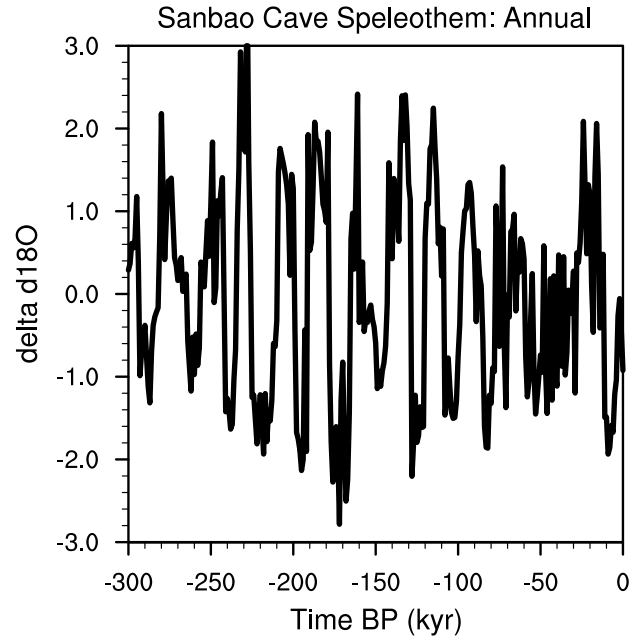
- Linear combinations of end-member forcing experiments well replicate many aspects of long term variability (Erb et al., 2015)
  - $\Delta X_{ti} = (\Delta X_{orbit} * Orbit_{ti}) + (\Delta X_{GHGs} * GHG_{ti}) + (\Delta X_{ice} * SL_{ti})$
  - Can the same technique work for water isotopes?

# Example Applications

- China Speleothem  $\delta^{18}\text{O}$  Records
  - Sanbao Cave (Cheng et al., 2009)
- Antarctic Ice Core  $\delta\text{D}$  Records
  - Fuji Dome (Kawamura et al., 2007) / Vostok (Petit et al., 2001) / Epica Dome C (Jouzel et al., 2007)
- North Atlantic Deep Water  $\delta^{18}\text{O}$  Records
  - Benthic Foram Records (Lisiecki and Raymo, 2005)

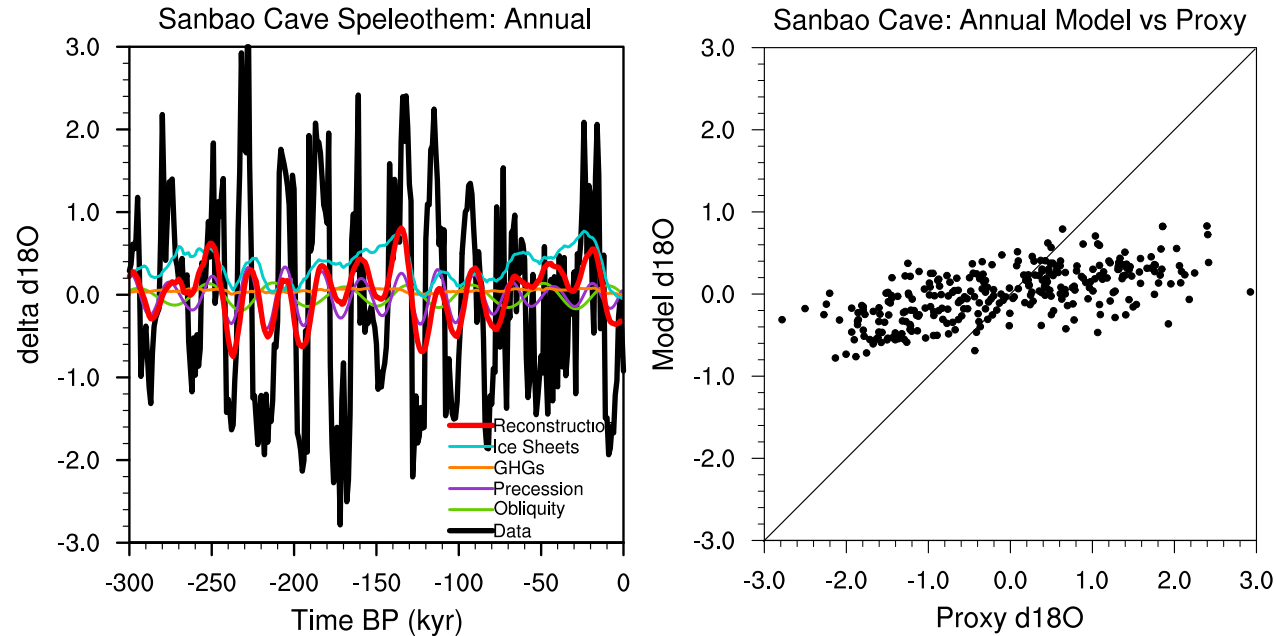
# Sanbao Cave Reconstruction

- $\delta^{18}\text{O}$  linear combination: good frequency but low amplitude



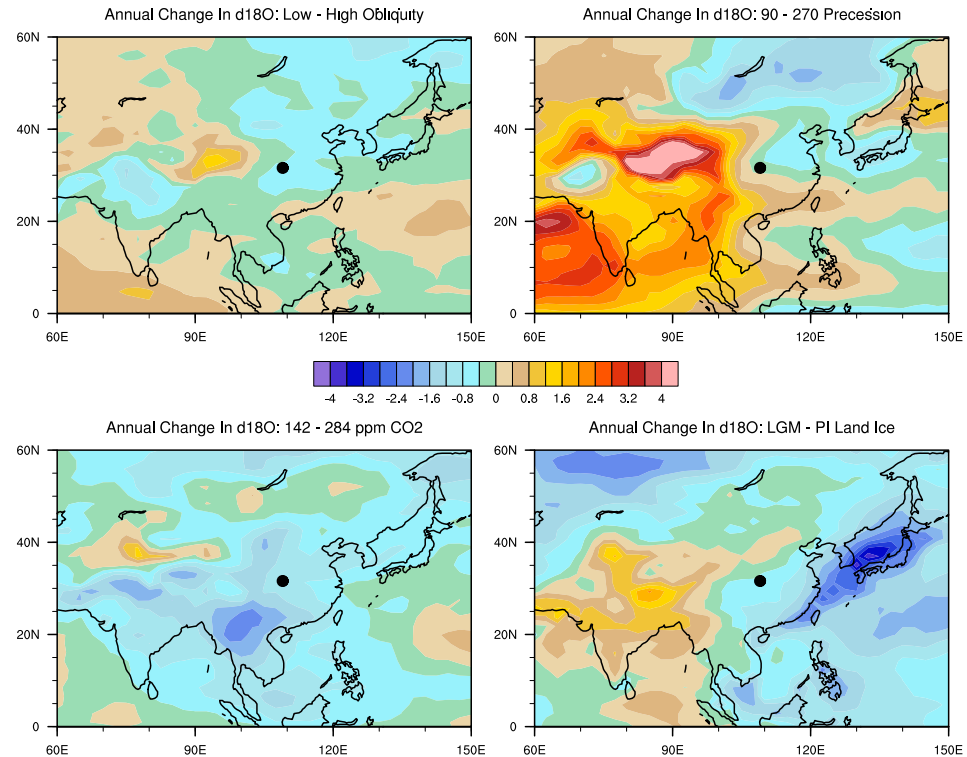
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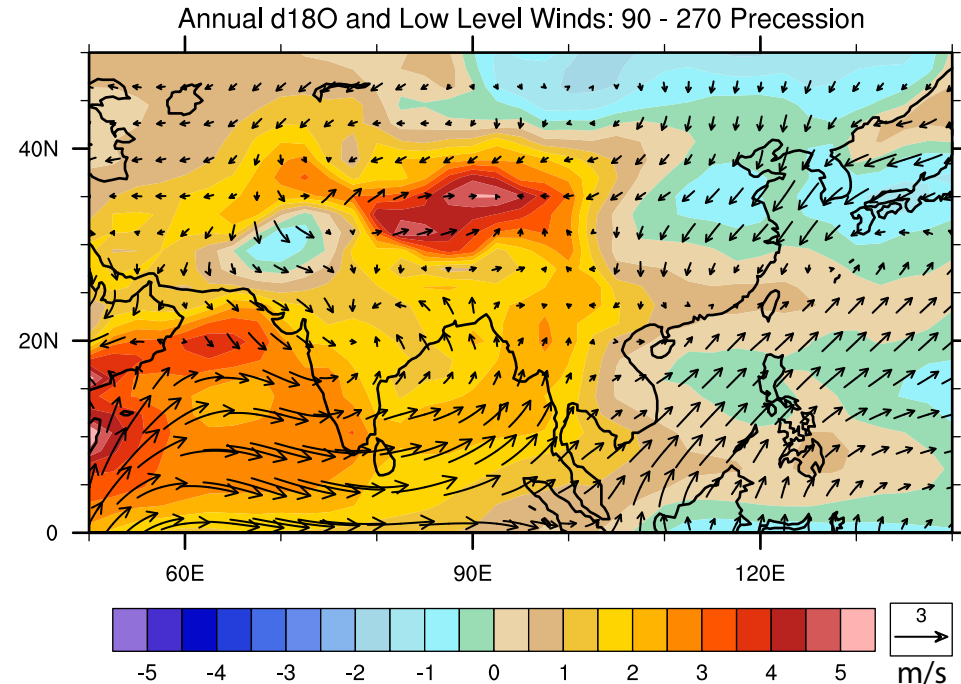
- Model bias?
  - Strong  $\delta^{18}\text{O}$  gradients in region
- Cave water sourced from higher altitudes?





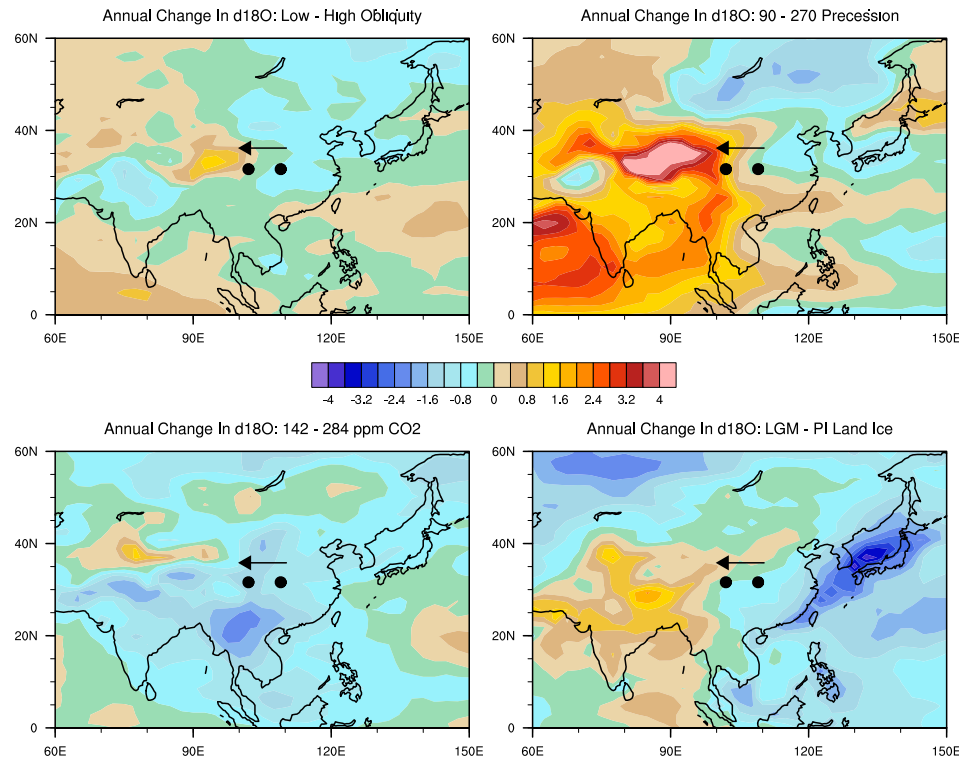
# Sanbao Cave Reconstruction

- Circulation changes are important for signals (Liu et al., 2012)



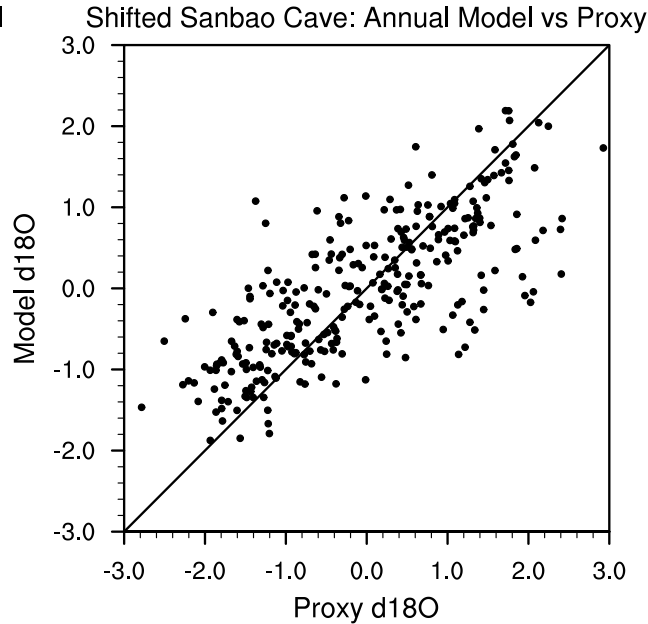
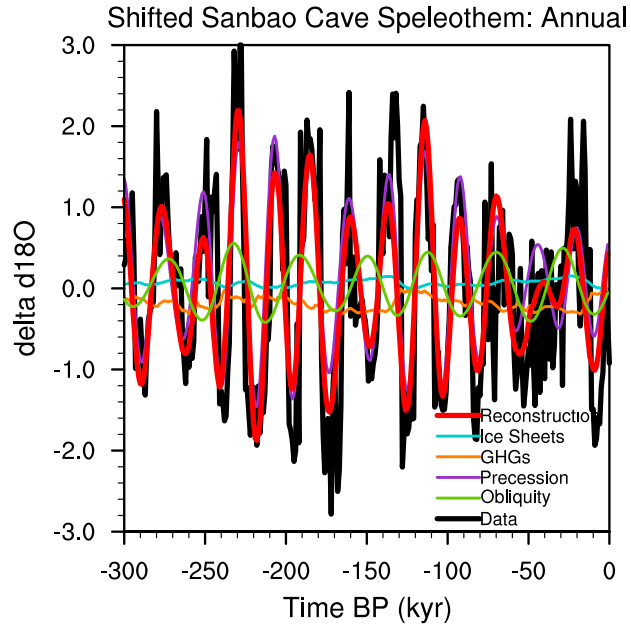
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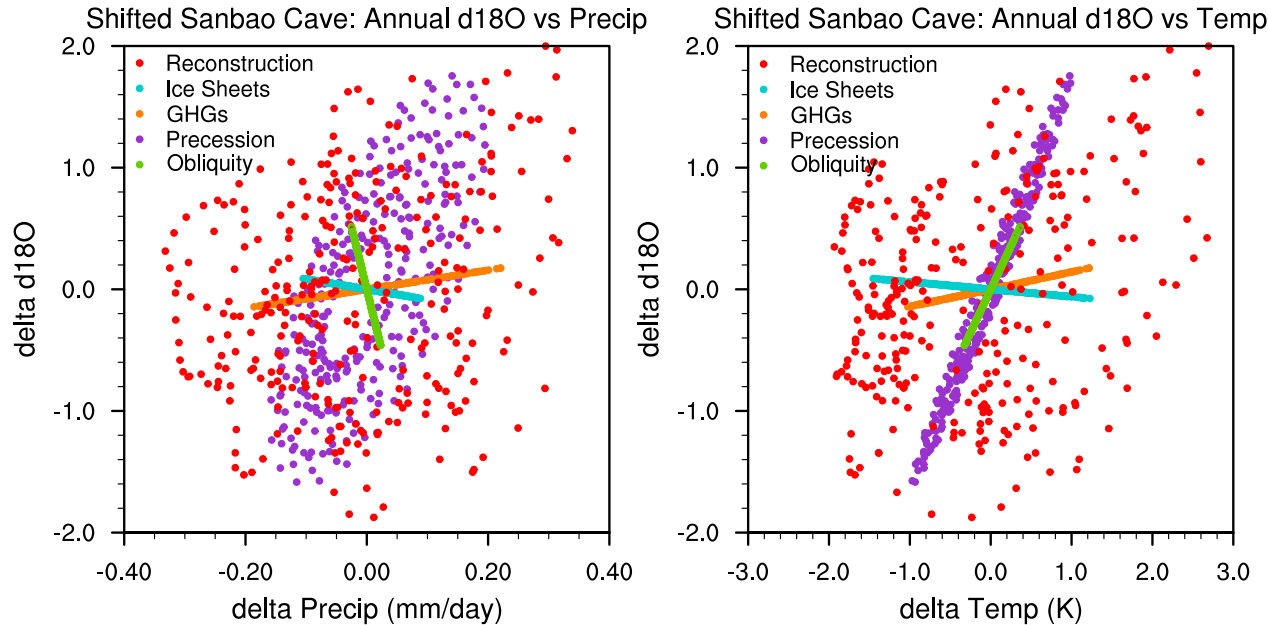
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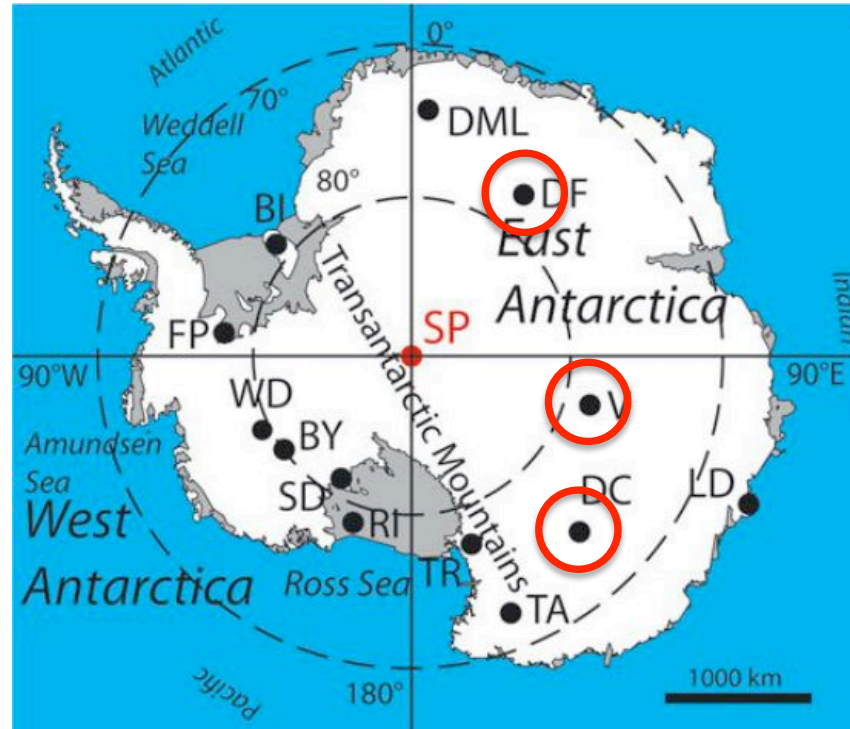


# Sanbao Cave Reconstruction

- Forcings have different local temp and precip relationships

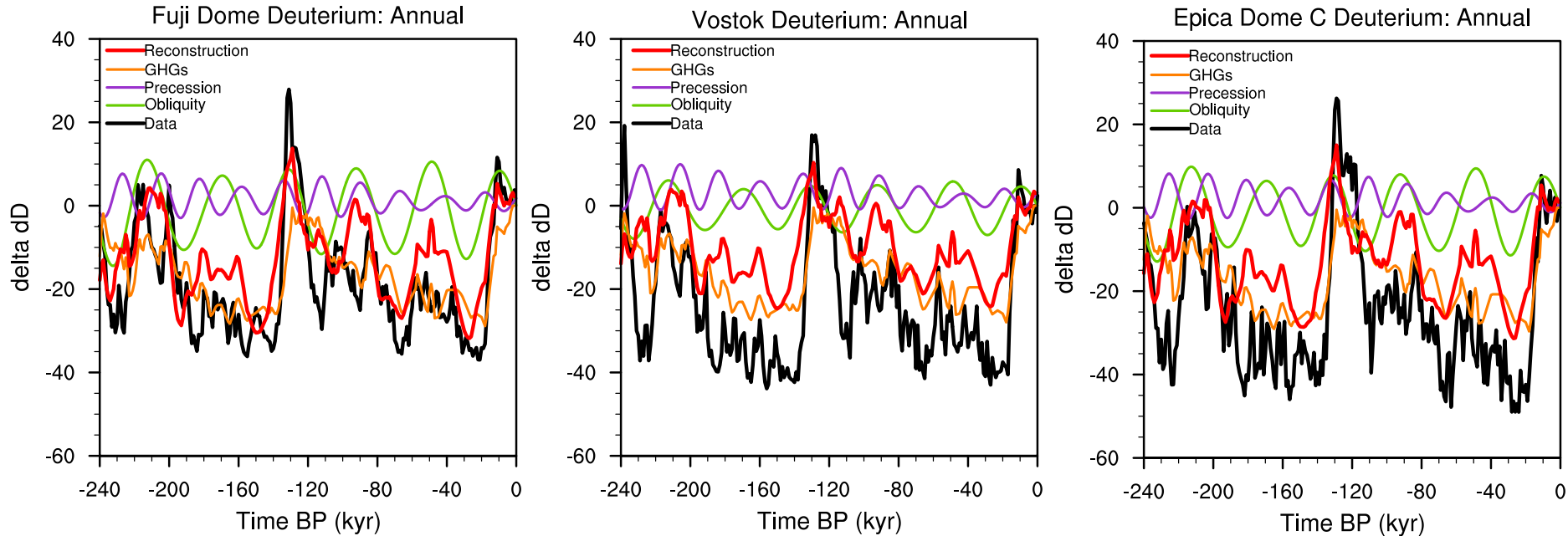


# Ice Core Reconstructions



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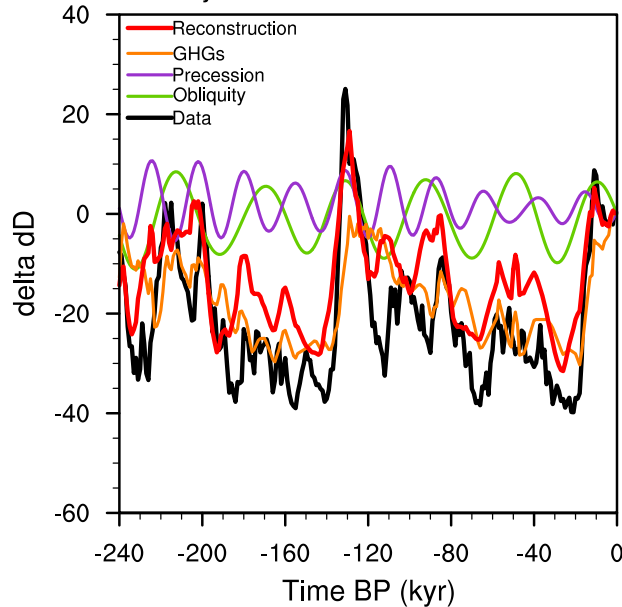
- HDO well captured by model simulations without land ice forcing



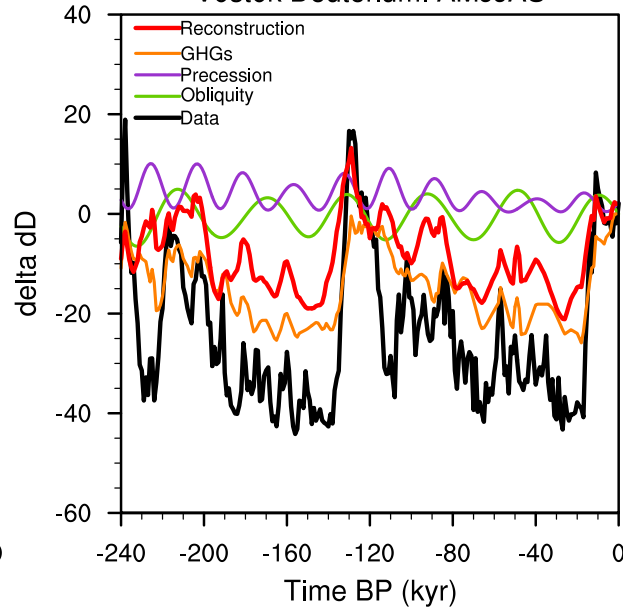
# Ice Core Reconstructions

- Amplitude match especially good in Winter months

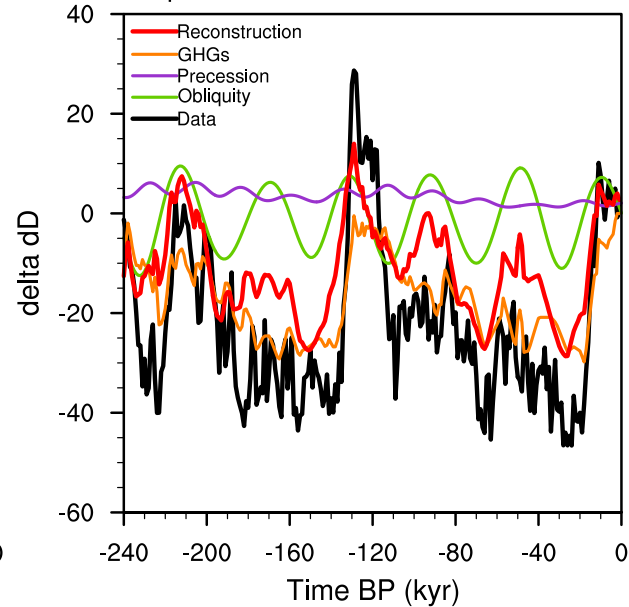
Fuji Dome Deuterium: AMJJAS



Vostok Deuterium: AMJJAS

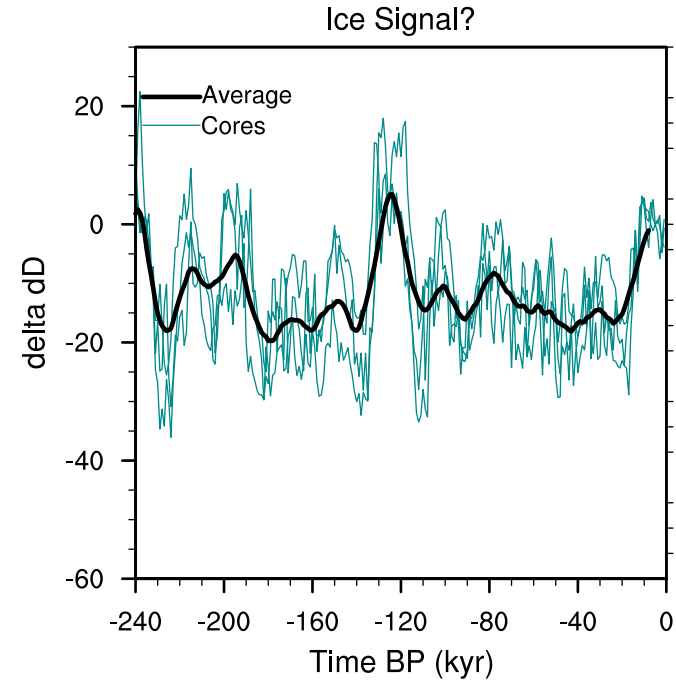


Epica Dome C Deuterium: AMJJAS



# Ice Core Reconstructions

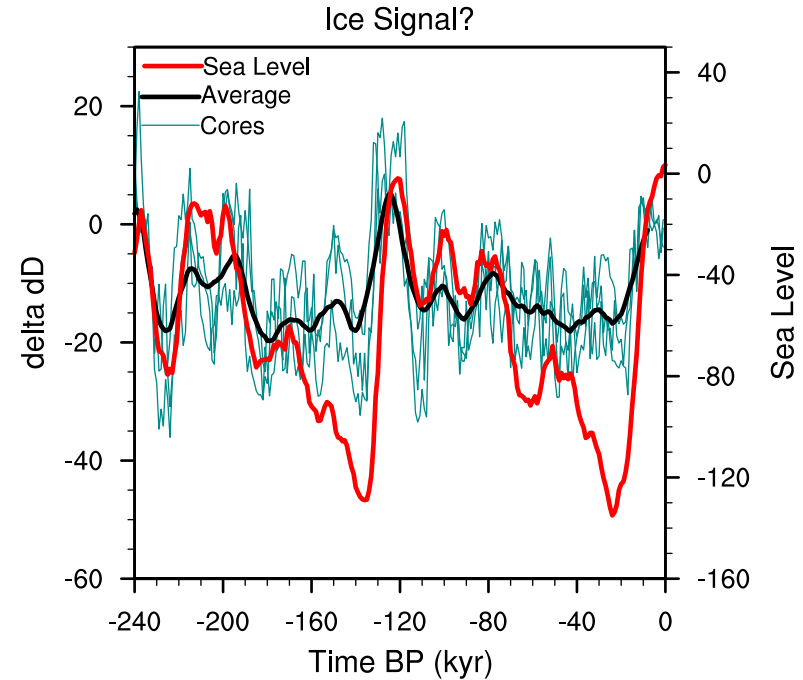
- Can model / proxy mismatch information Antarctic ice volume evolution?
  - Response similar to Antarctic ice volume simulations (Pollard and DeConto, 2009)





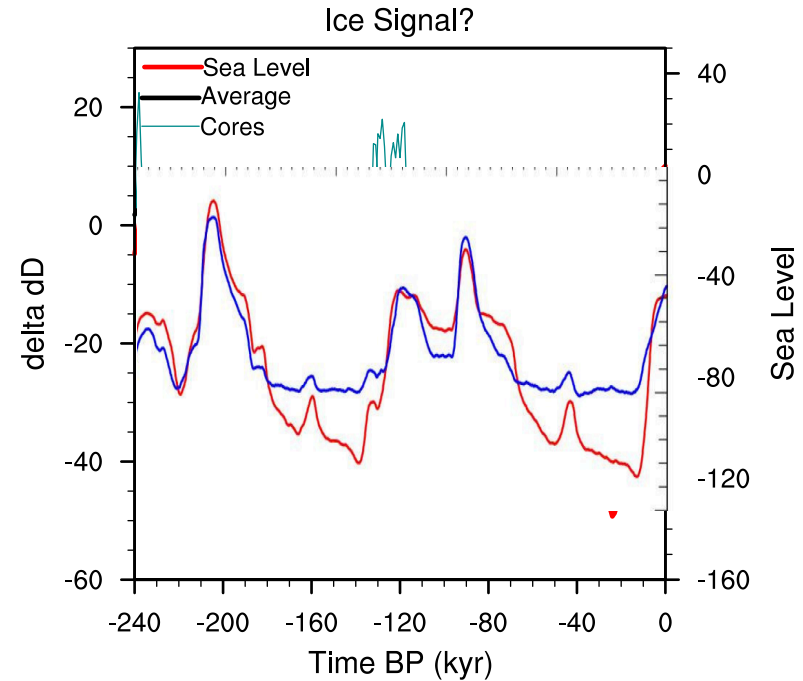
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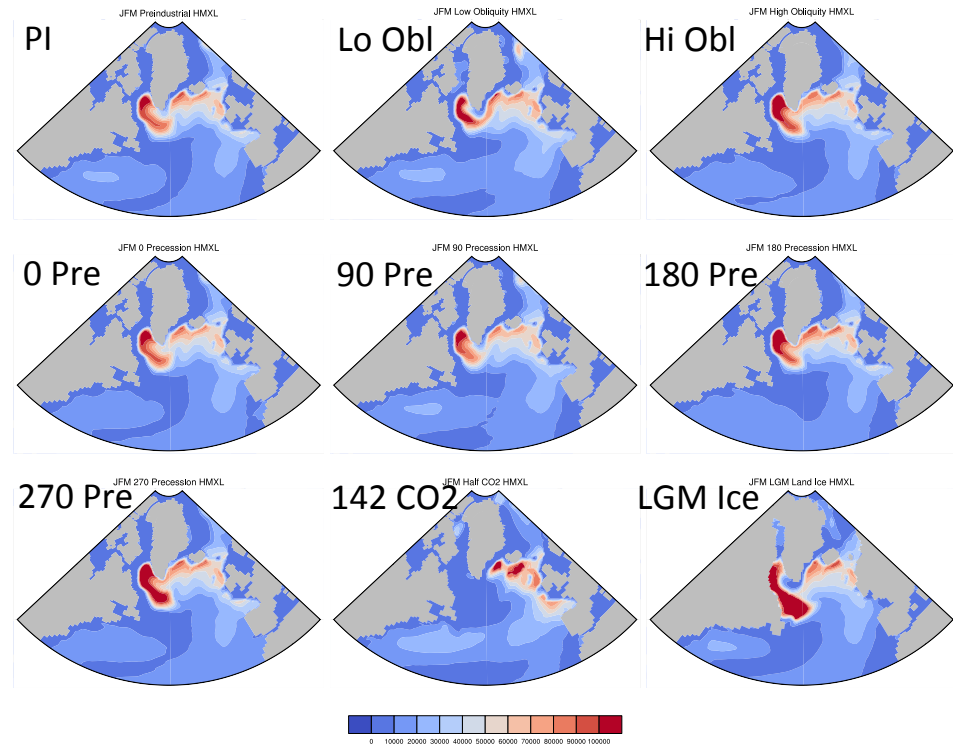
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# Deep Water Signals

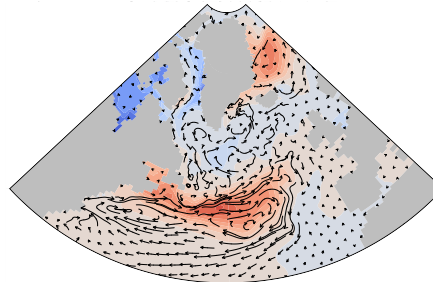
- Can infer future deep water signal from areas of deep water formation



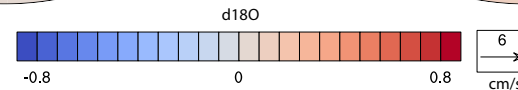
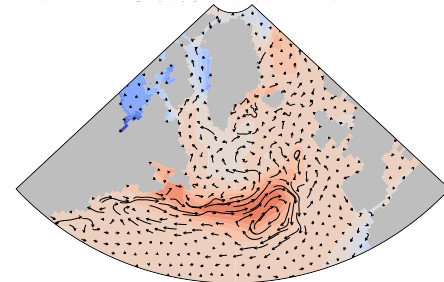
# Deep Water Signals

- Small  $\delta^{18}\text{O}$  variability in locations of NADW formation due largely to circulation changes

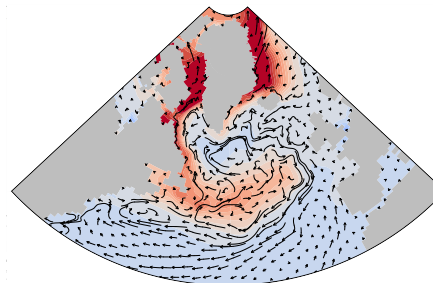
Change In d18O: Low - High Obliquity



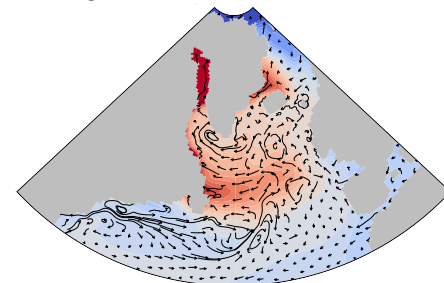
Change In d18O: 90 - 270 Precession



Change In d18O: 142 - 284 ppm CO2

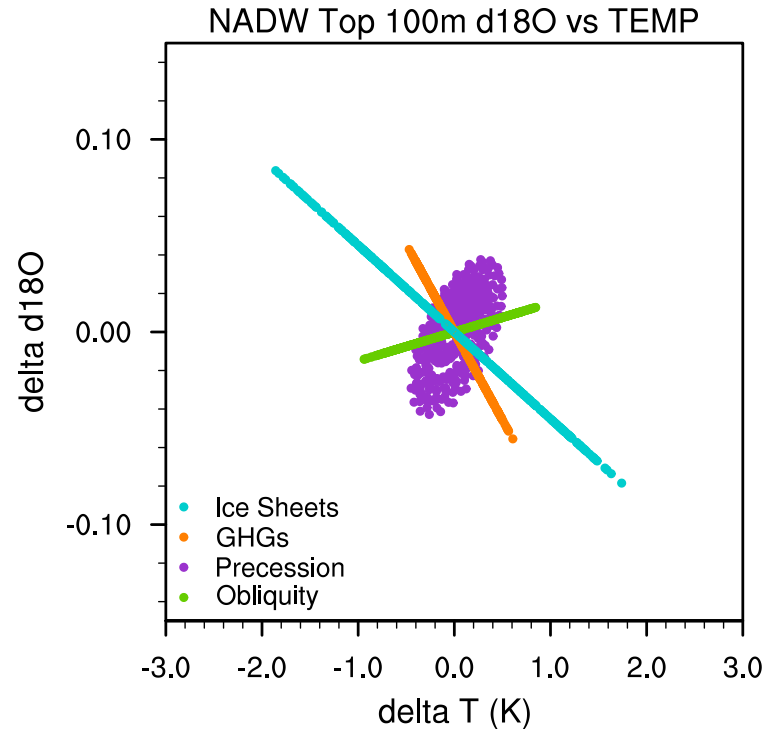


Change In d18O: LGM - PI Land Ice



# Deep Water Signals

- Linear theory unlikely a good assumption for NADW
- Signal dominated by land ice and  $\text{CO}_2$
- Relationship between  $\delta^{18}\text{O}$  and temperature depends on the forcing



# Outlook

- Simulations can help us decompose signals in the isotopic records
- Use model outputs in specific proxy models

$$\text{base} = X_{0\text{ecc}},$$

$$\Delta X_{\text{obliq}} = \frac{\epsilon - \epsilon_{\text{preind}}}{\epsilon_{\text{high}} - \epsilon_{\text{low}}} (X_{\text{high}} - X_{\text{low}}),$$

$$\Delta X_{\text{ecc\_adjustment}} = \left( \frac{X_{\text{AE}} + X_{\text{WS}} + X_{\text{VE}} + X_{\text{SS}}}{4} \right) - X_{0\text{ecc}},$$

$$\Delta X_{\text{prec}} = \frac{e}{e_{\text{prec}}} \left\{ \left[ \frac{X_{\text{AE}} - X_{\text{VE}}}{2} \cos(\omega) + \frac{X_{\text{WS}} - X_{\text{SS}}}{2} \sin(\omega) \right] + \Delta X_{\text{ecc\_adjustment}} \right\},$$

$$\Delta X_{\text{orbit}} = \Delta X_{\text{obliq}} + \Delta X_{\text{prec}},$$

$$\Delta X_{\text{CO}_2} = 5.35 \ln \left( \frac{\text{CO}_2}{\text{CO}_2_0} \right) \left( \frac{\Delta X_{\text{HalfCO}_2} - \Delta X_{\text{preind}}}{-3.71} \right),$$

$$\begin{aligned} \Delta X_{\text{CH}_4} = & (0.036[(\text{CH}_4)^{0.5} - (\text{CH}_4_0)^{0.5}] - \{0.47 \ln[1 + 2.01 \times 10^{-5}(\text{CH}_4 \times \text{N}_2\text{O}_0)^{0.75} \\ & + 5.31 \times 10^{-15} \times \text{CH}_4(\text{CH}_4 \times \text{N}_2\text{O}_0)^{1.52}] - 0.47 \ln[1 + 2.01 \times 10^{-5}(\text{CH}_4_0 \times \text{N}_2\text{O}_0)^{0.75} \\ & + 5.31 \times 10^{-15} \times \text{CH}_4_0(\text{CH}_4_0 \times \text{N}_2\text{O}_0)^{1.52}]\}) \left( \frac{X_{\text{HalfCO}_2} - X_{\text{preind}}}{-3.71} \right), \end{aligned}$$

$$\Delta X_{\text{GHGs}} = \Delta X_{\text{CO}_2} + \Delta X_{\text{CH}_4},$$

$$\Delta X_{\text{ice}} = \frac{\Delta \text{sealevel}}{\Delta \text{sealevel}_{\text{LGM}}} (X_{\text{IceSheets}} - X_{\text{preind}}),$$

$$\Delta X_{\text{total}} = \Delta X_{\text{orbit}} + \Delta X_{\text{GHGs}} + \Delta X_{\text{ice}}.$$