

Of rocks and ice: The glacier-rock glacier cycle

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CESM Land Ice Working Group

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BcCZO



Alan S. Thorndike

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Estimates of Sea Ice Thickness Distribution Using Observations and Theory

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The thickness distribution of sea ice is maintained by a balance of thermal and mechanical processes. Observations now exist that make it possible to quantify this balance and to test models of the individual physical processes. In particular, the observed distributions, used with fairly well established thermodynamic growth rates, give an estimate of the redistribution process that models the formation of pressure ridges. To highlight the main ideas, the evolution of the thickness distribution is recast as a Markov process forced by the mean velocity divergence and a measure of the random short term deformation. This model reproduces features of the observed thickness distribution such as the peak near 3 m, the mean thickness somewhat greater than 3 m, the long tail, and the variable shape of the thin side of the distribution. Analytical expressions for the mean and variance of the ice thickness are given, showing how they depend on the growth rates for thick and thin ice, the equilibrium thickness, the ice deformation, and the rule for building pressure ridges. These are sensitive to the mean divergence and the melt rate for thick ice. With large amounts of data now available for both the ice thickness and the ice motion, further progress is anticipated toward understanding the processes which shape the thickness distribution.

INTRODUCTION

When the concepts of the sea ice thickness distribution were introduced in 1975 [Thorndike *et al.*, 1975], there were so few observations that it was impossible to test the theory. Since then, many observations of ice thickness have become available. Using them, we can begin to develop a better idea of the relative importance of the thermal and mechanical processes which determine the thickness distribution.

Let h denote ice thickness, and $g(h)$ the proportion of ice in the thickness range h to $h + dh$. Let $f(h) = dh/dt$ be the growth rate of sea ice, and \mathbf{v} the horizontal velocity vector. Then the evolution of the thickness distribution is governed by

$$\frac{dg}{dt} = -\mathbf{v} \cdot \nabla - \frac{\partial}{\partial h} (fg) + \psi. \quad (1)$$

$g(h)$ and plausible growth rates $f(h)$ are used to estimate ψ . In the second, an explicit form for ψ is postulated and used with $f(h)$ to determine $g(h)$. By comparing the results, we will be able to test whether our assumptions about the forms for ψ and f are consistent with observed distributions g .

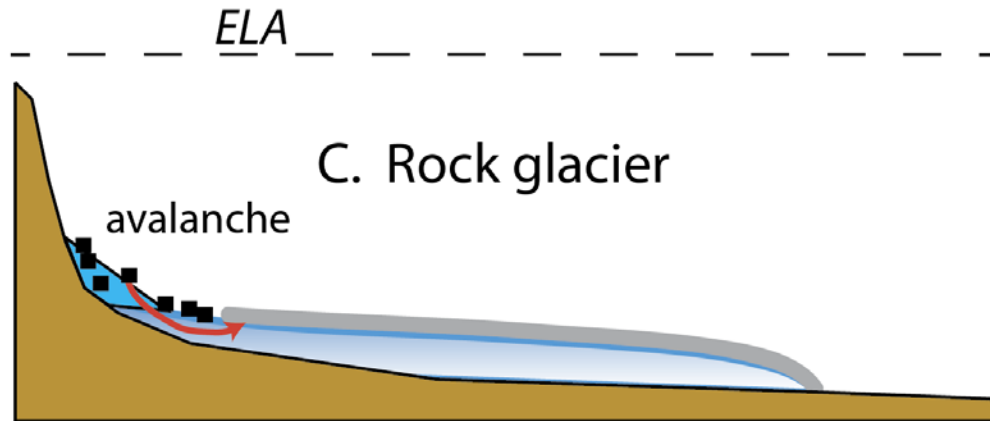
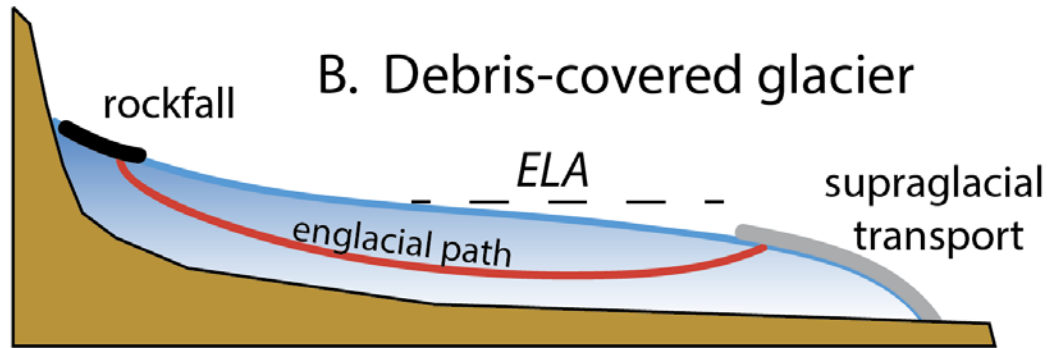
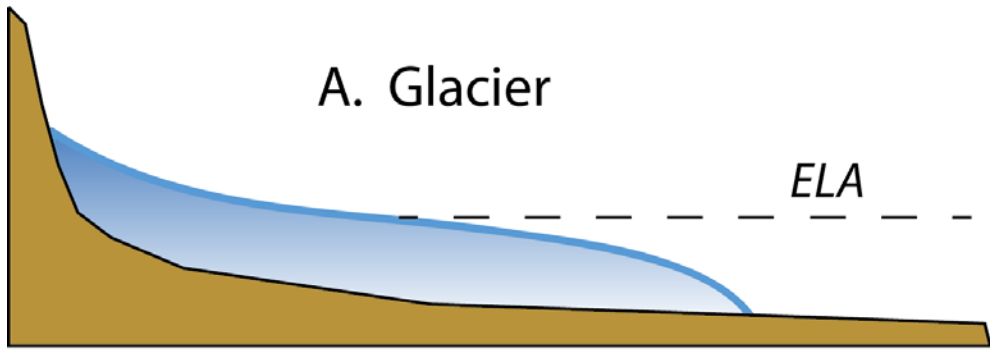
This program would not make sense if the observed distributions from different locations and different seasons were not remarkably similar. All have a strong maximum near $h = 3$ m. For $h > 3$ m, all observed distributions fall off roughly as $\exp(-h/h_0)$ where h_0 is a thickness scale of about 5m. For $h < 3$ m, the distributions have more variability, since this part of the distribution is sensitive to recent thermal and mechanical history, but even so, the observations show $g(0)$ starting at some finite value and rising more or less smoothly toward the maximum near $h = 3$ m. Many distributions show a local maximum between

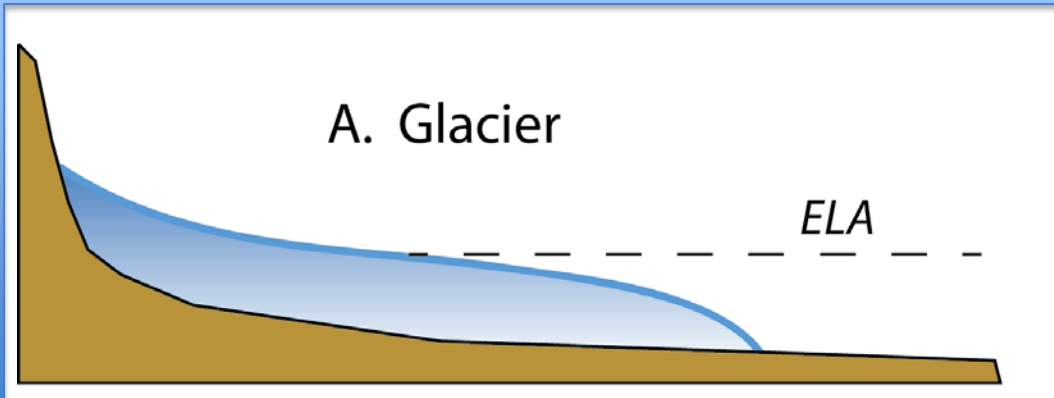


Lyell and Maclure glaciers, Yosemite NP

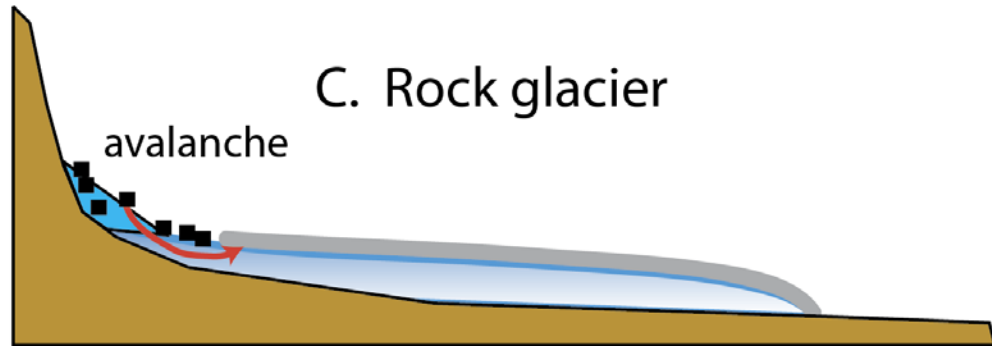
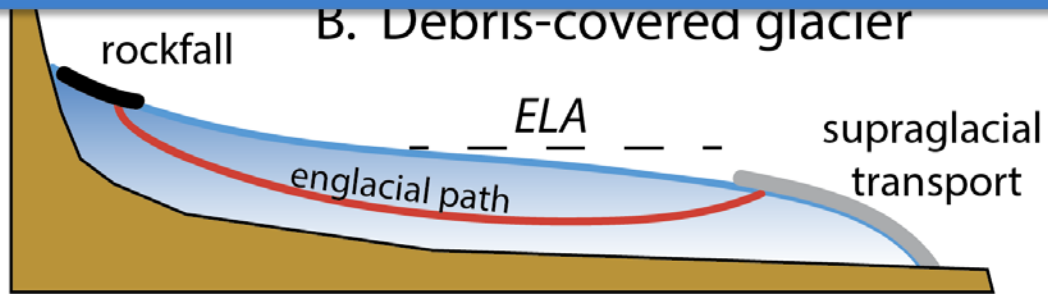


National Creek Rock Glacier, Kennicott Alaska



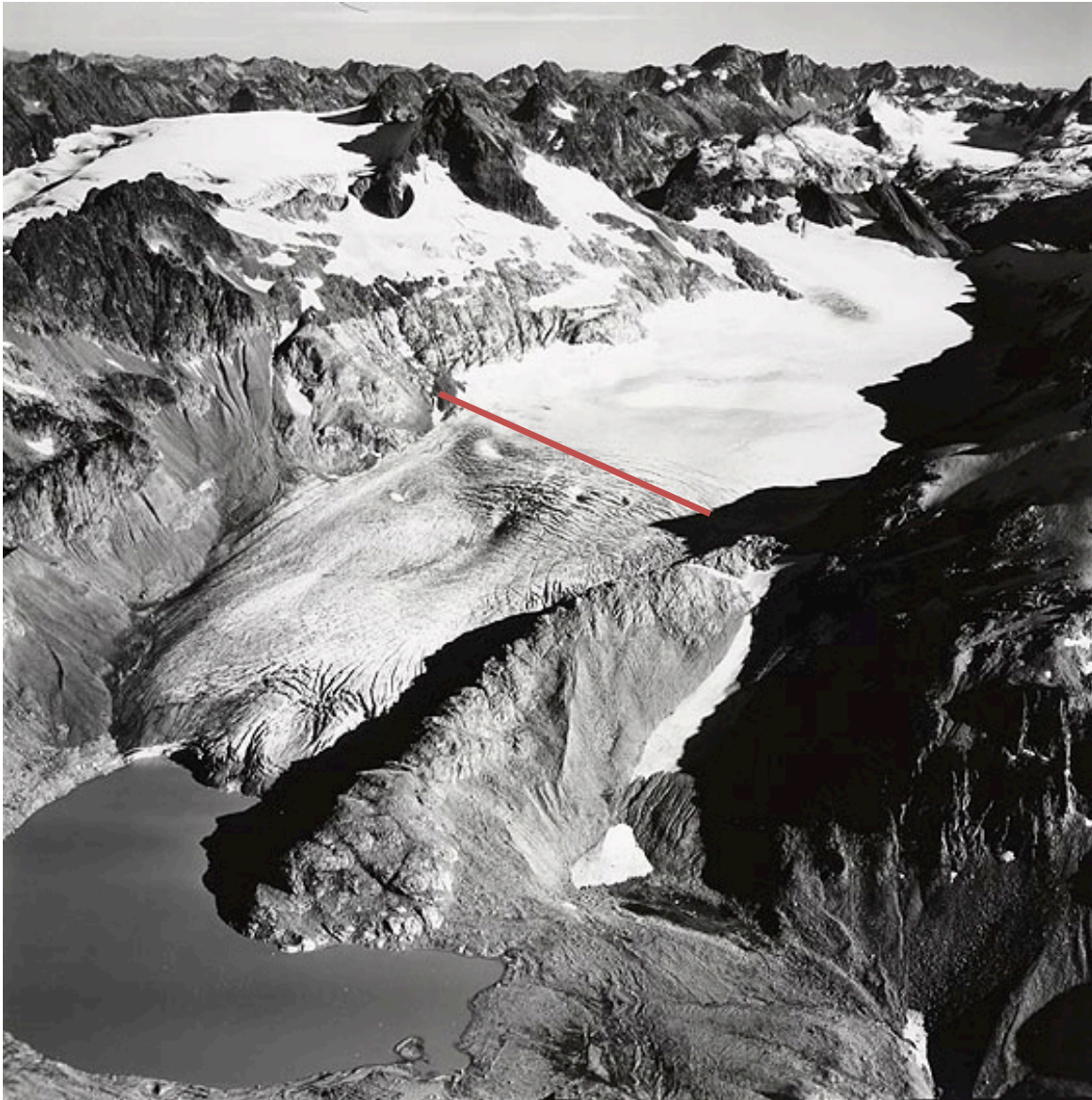


Pure ice
End-member





South Cascade Glacier, Washington

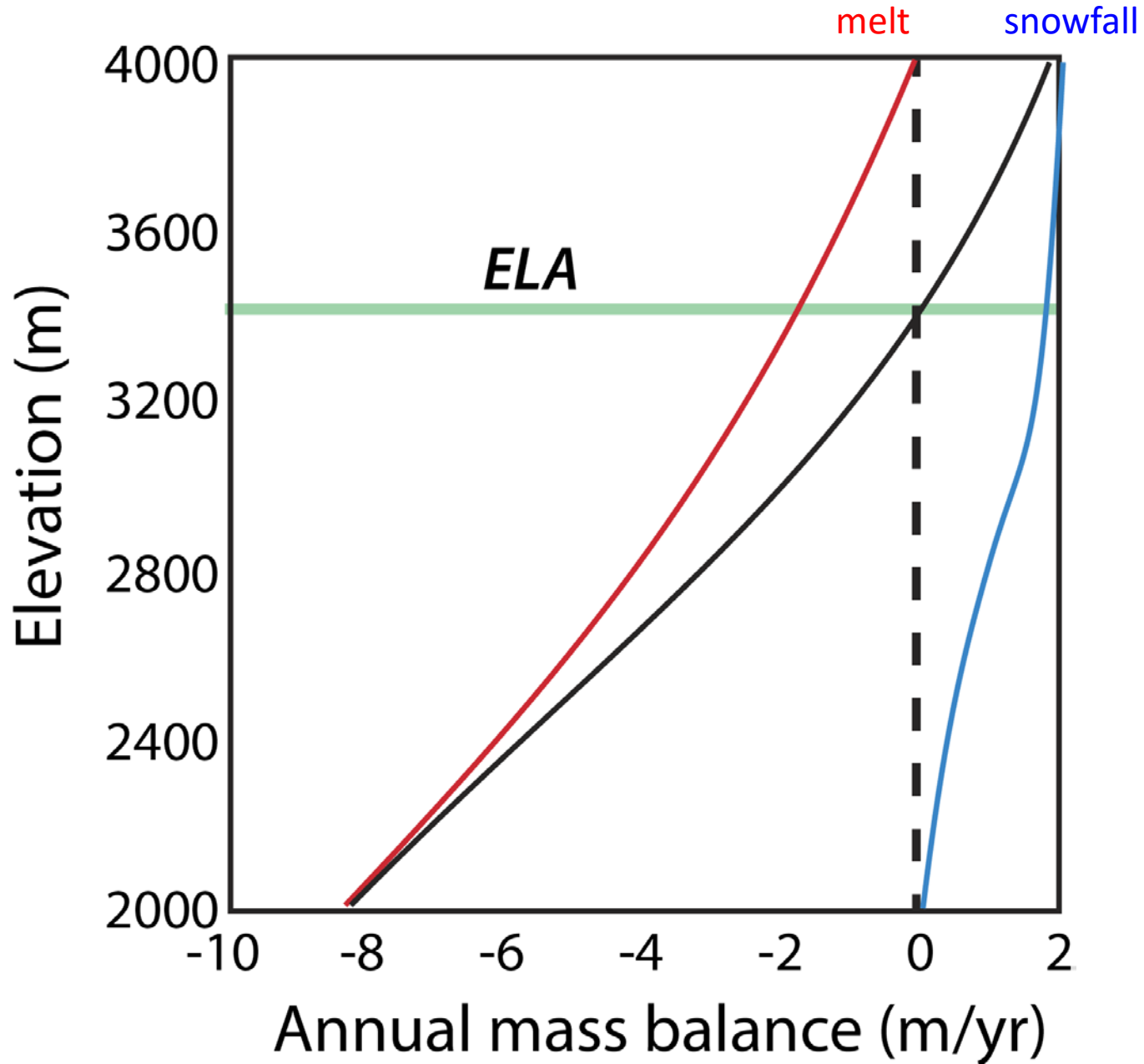


Accumulation zone

Equilibrium line

Ablation zone

Basic architecture of a glacier

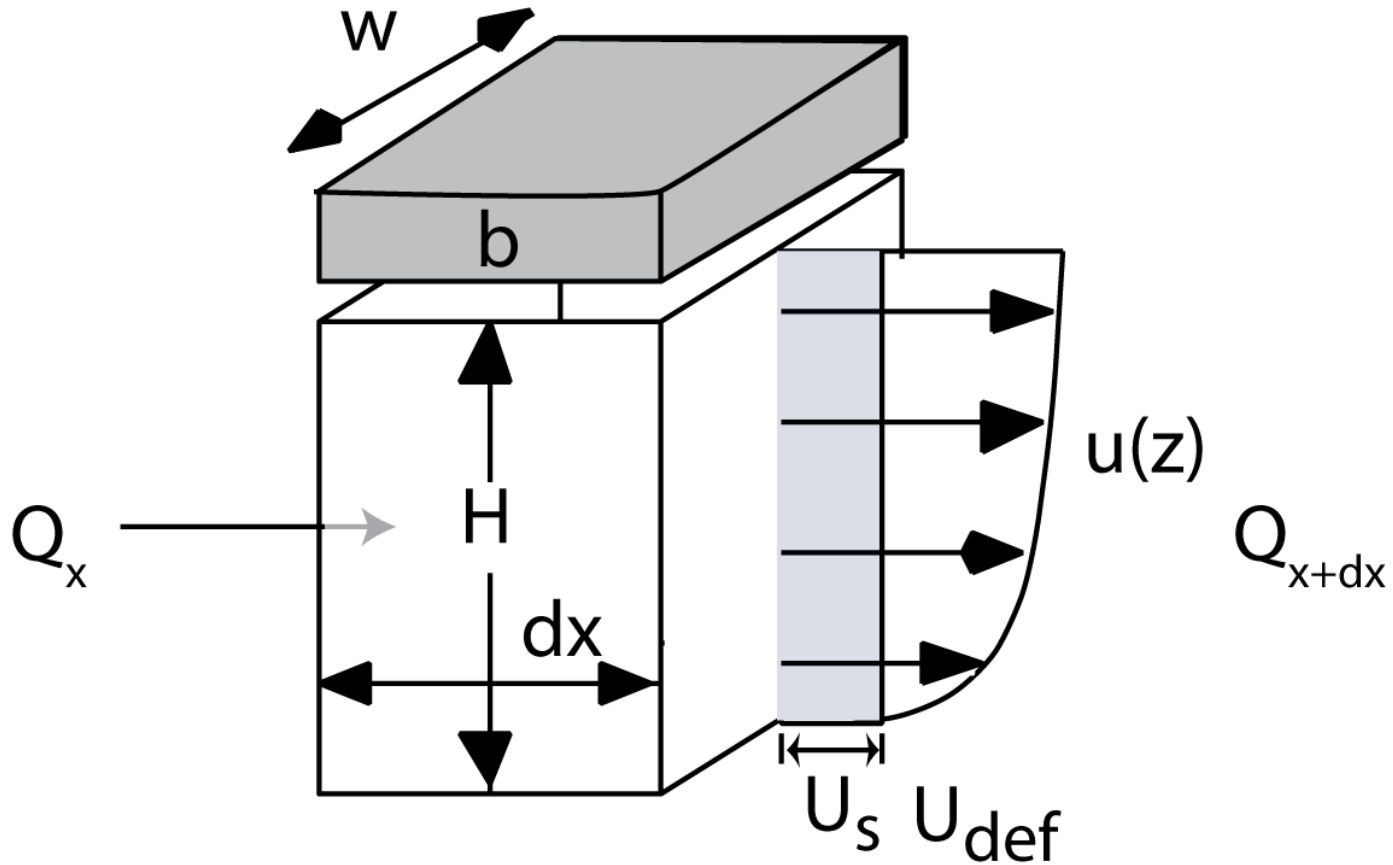


Red = summer

Black = net balance

Blue = winter

Conservation of ice volume in a column

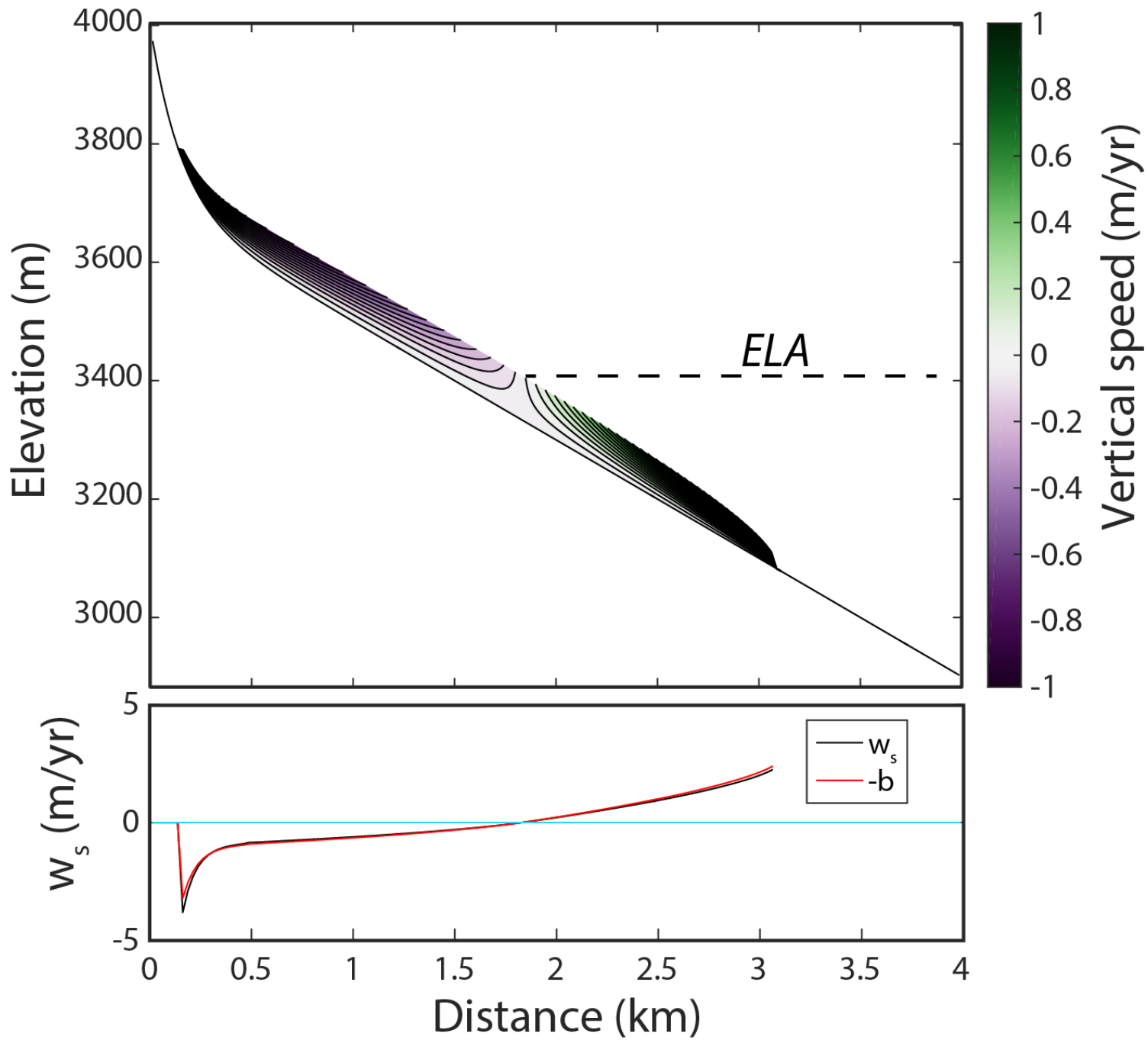


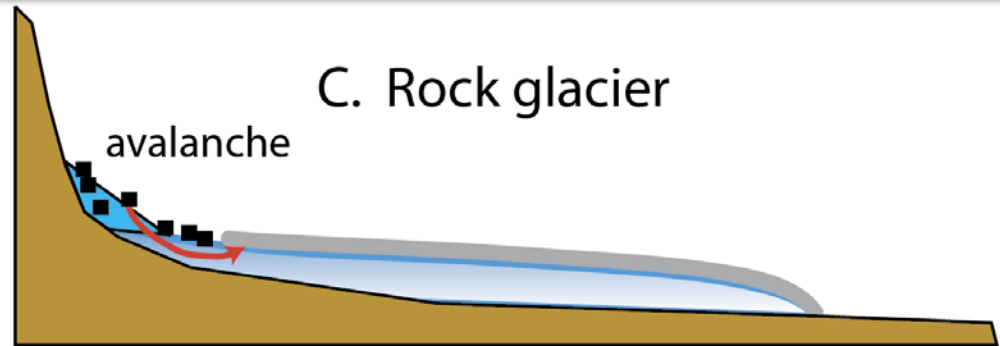
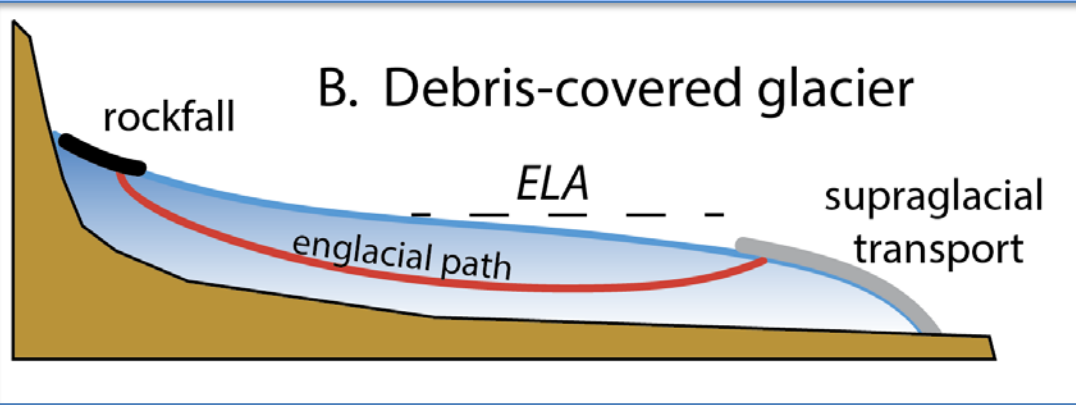
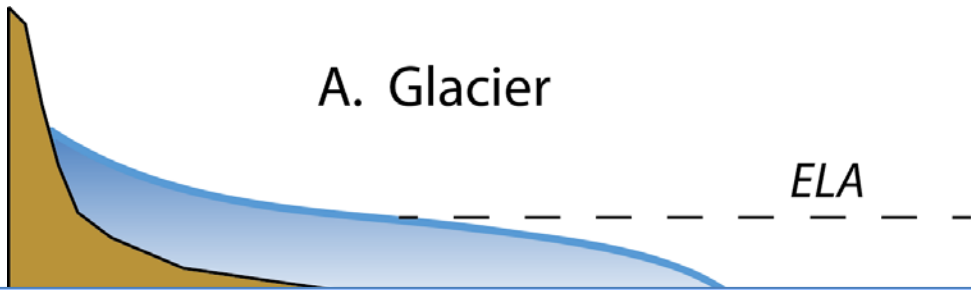
$$\frac{\partial H}{\partial t} = b - \frac{\partial Q}{\partial x}$$

Conservation of ice

Approach to steady state for a simple pure ice case







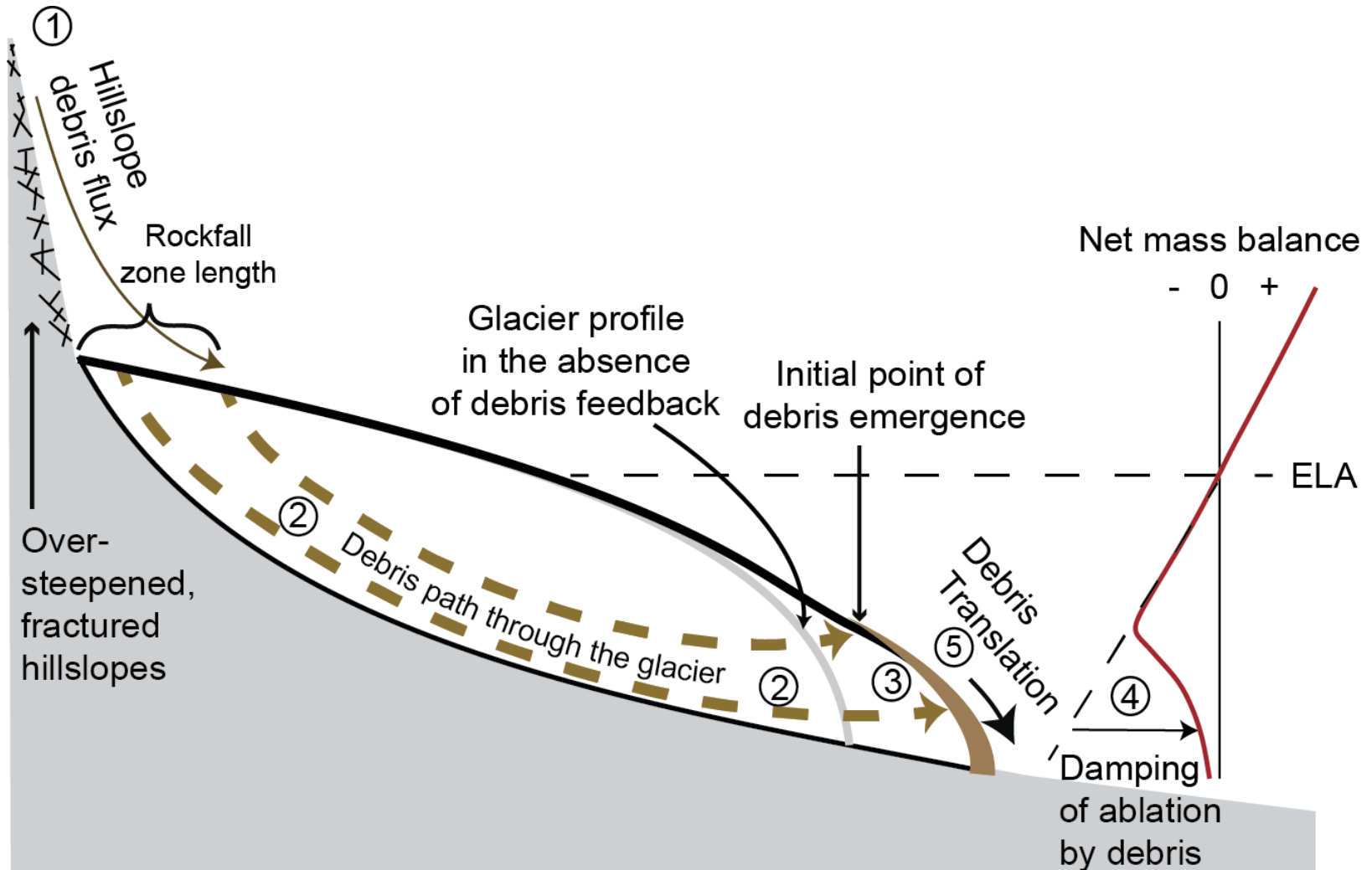


British Columbia Coast Range

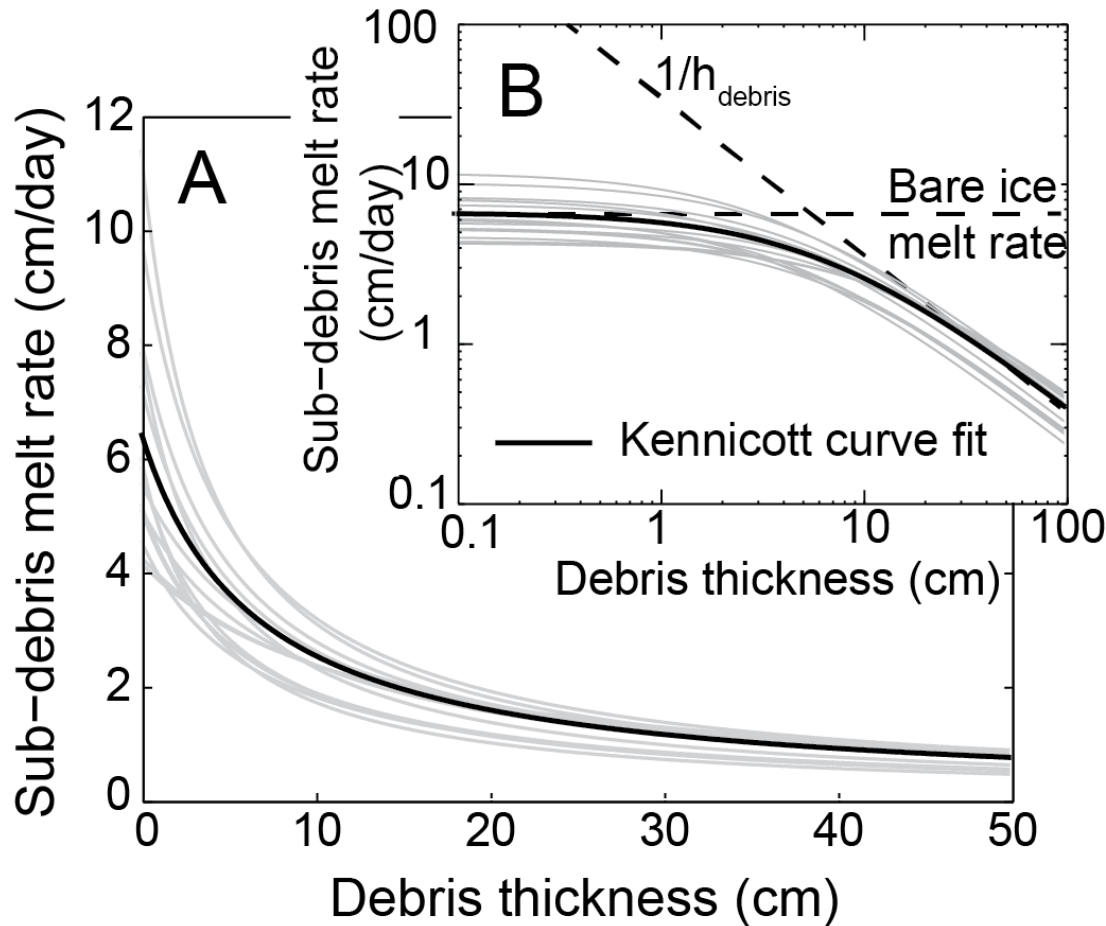


The dirty snout of Kennicott Glacier

Key elements of the debris-covered glacier



How does the presence of debris reduce sub-debris ice melt?

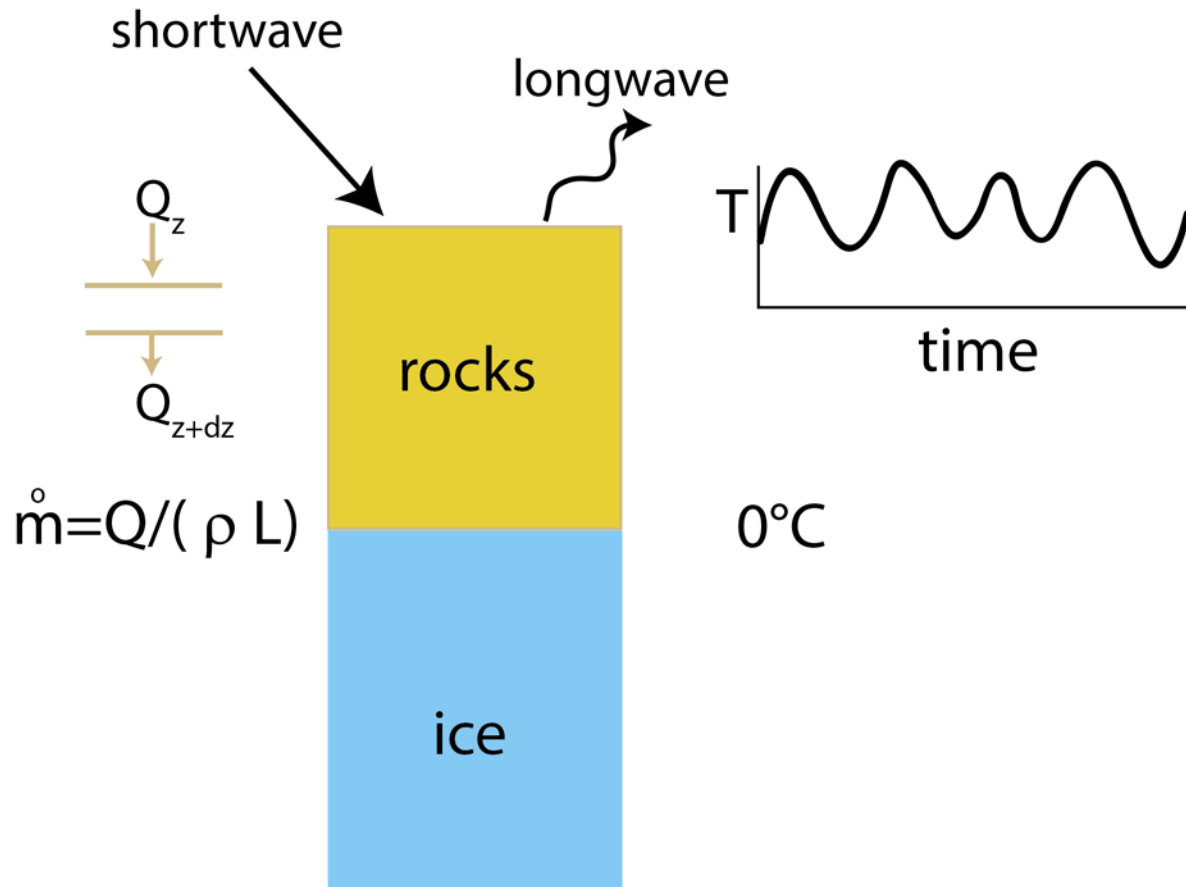


Leif Anderson

Dependence of melt rate on debris thickness is well described by a hyperbolic ($1/h$) function.

Why? It is to 1st order a conduction problem

The rocky umbrella

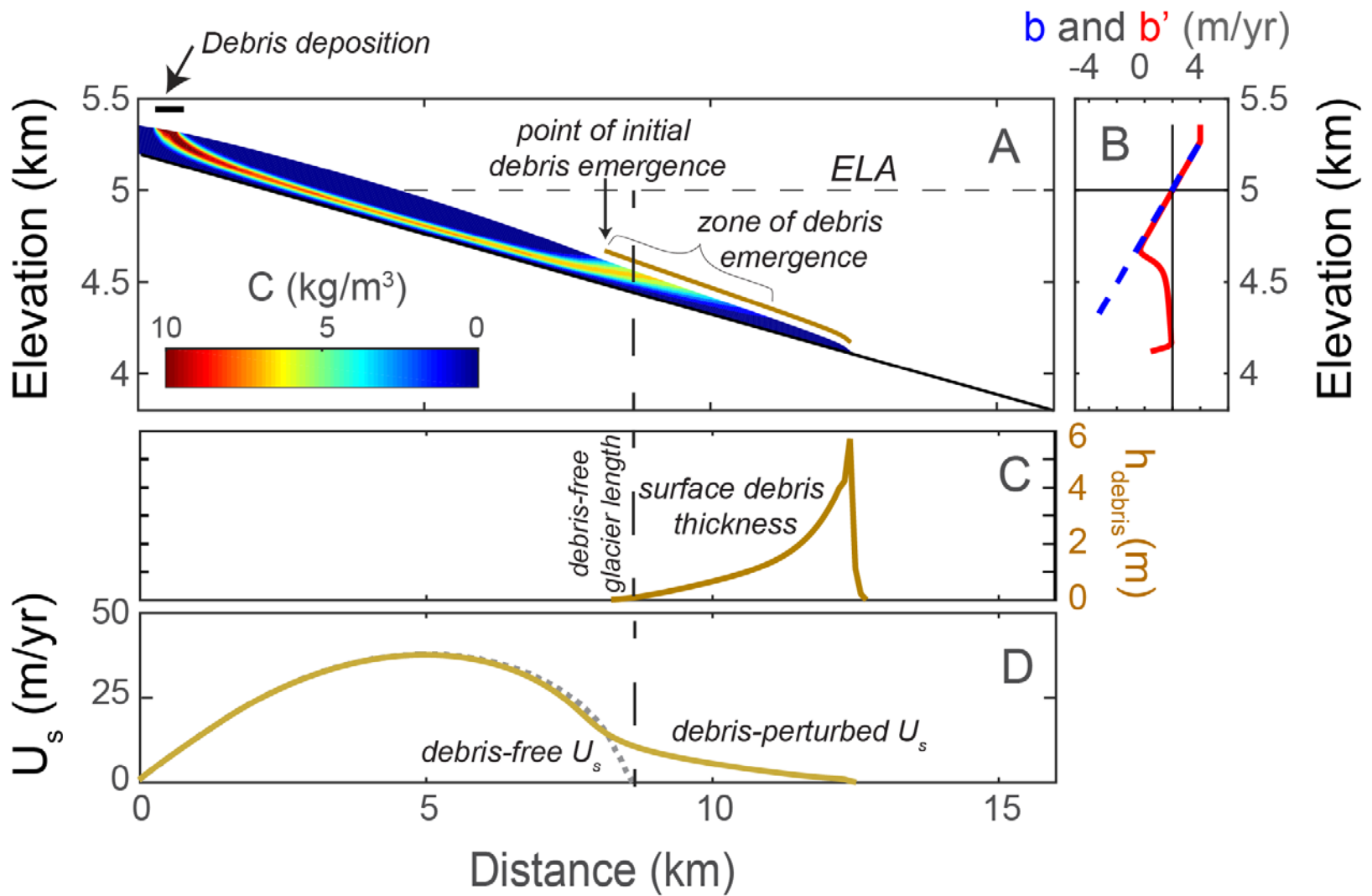




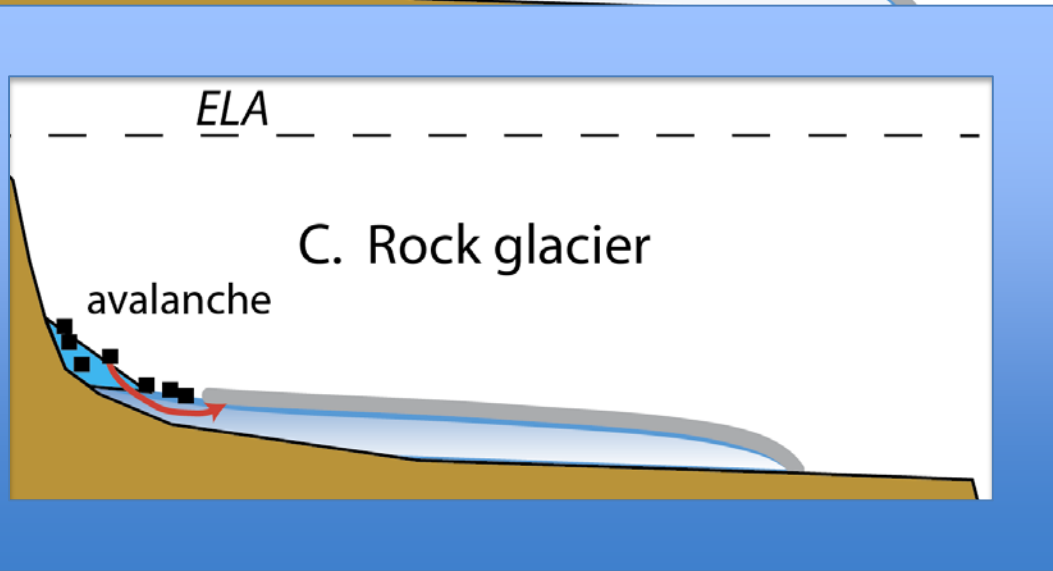
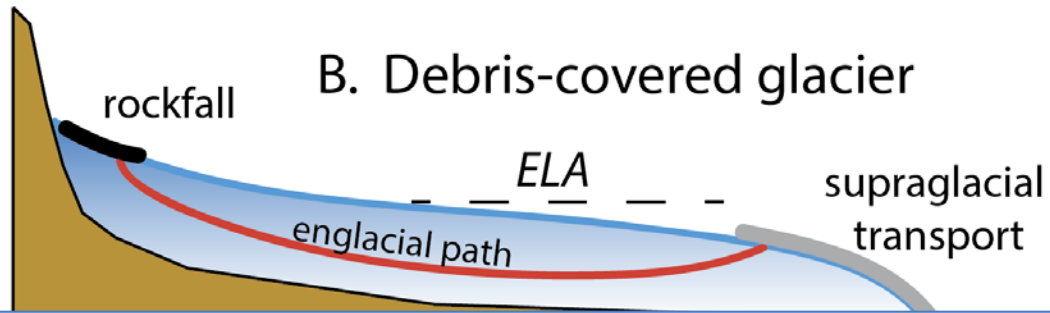
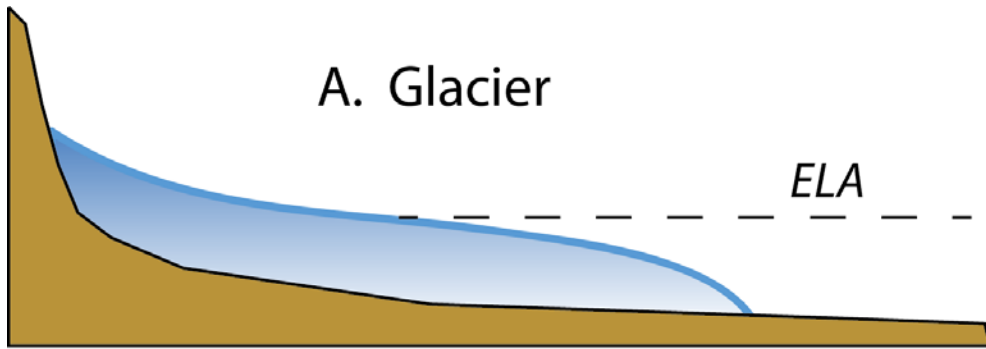


Effects of debris cover include glacier extension

Leif Anderson

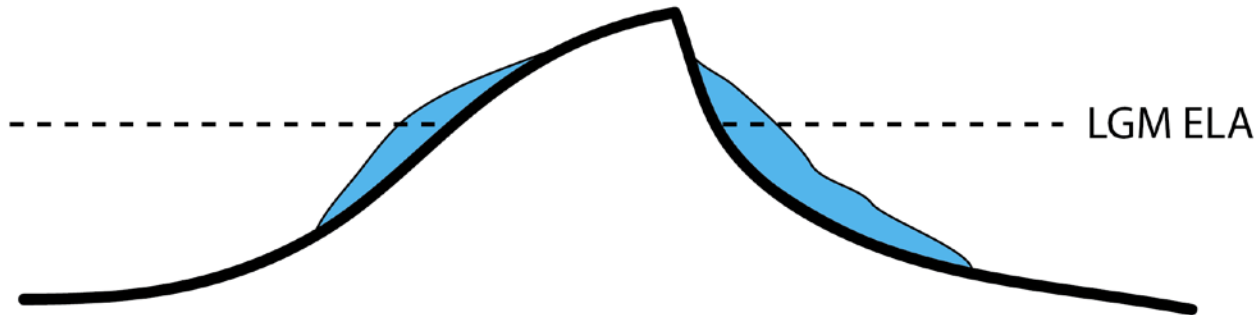


Bottom line: debris-covered glaciers can be way longer than their debris-free cousins

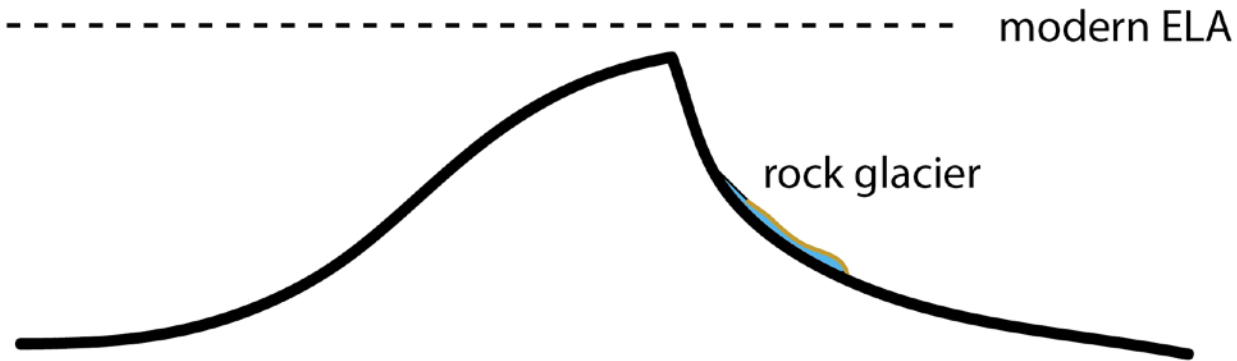


The rock glacier
end-member

Glacial
state



Interglacial
state



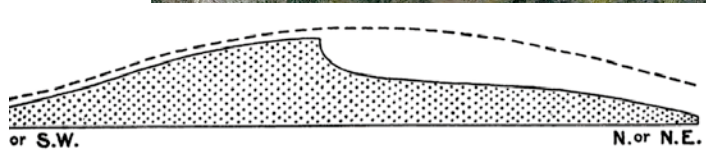


National Creek Rock Glacier, Kennicott Alaska



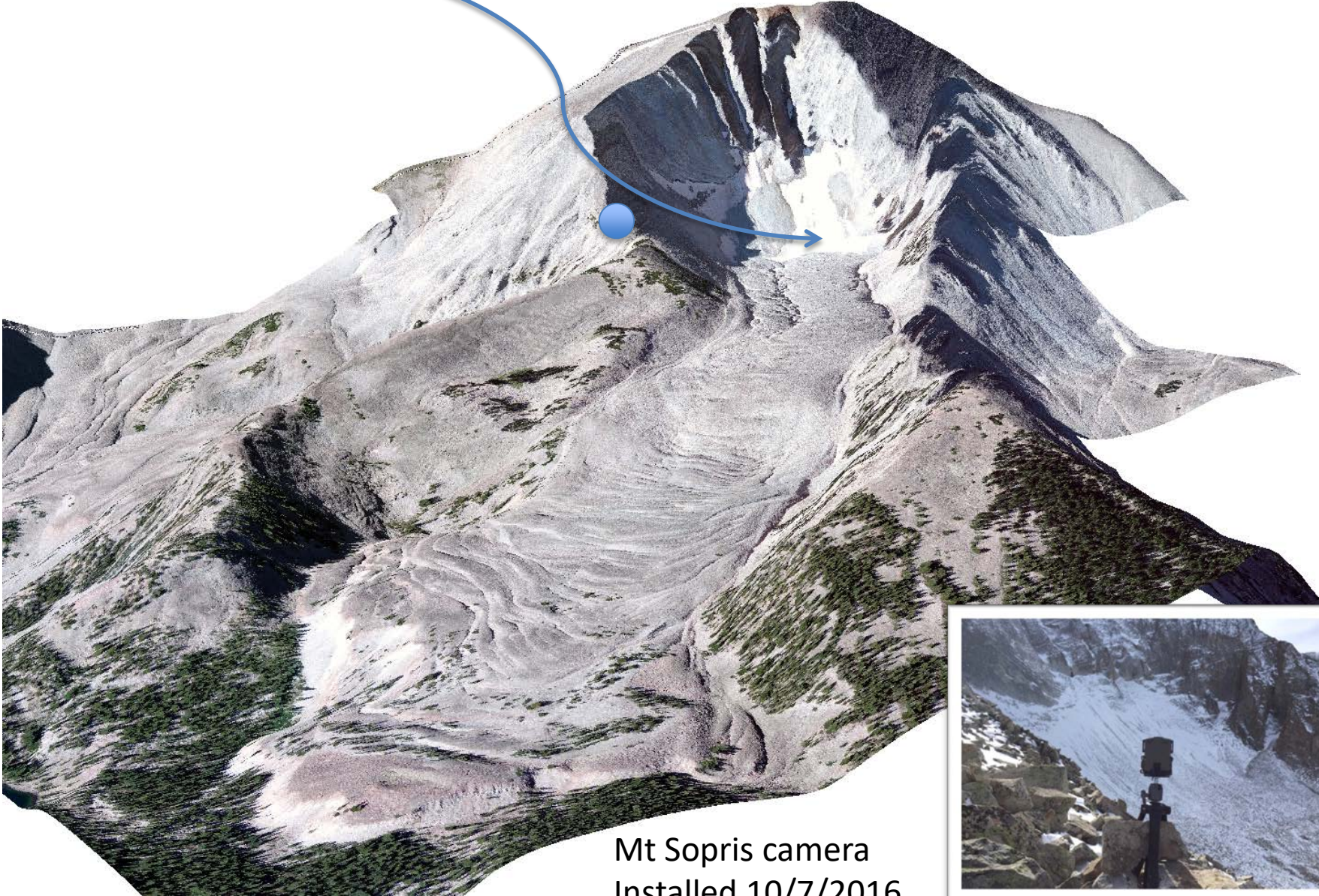
Sourdough rock glacier,
Alaska

Note the strong asymmetry

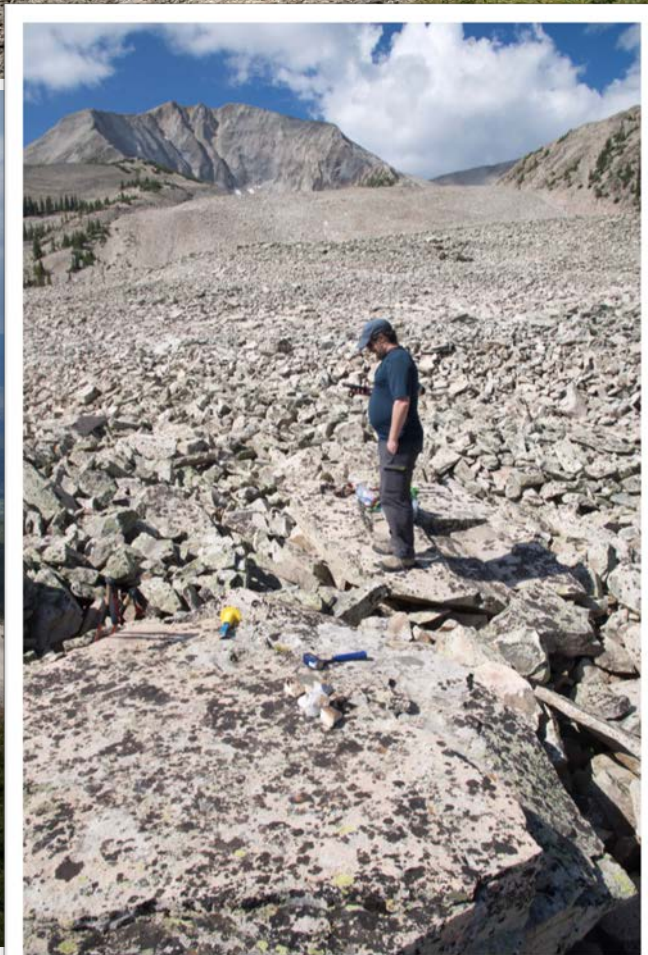


Mt Sopris, Colorado

Accumulation area



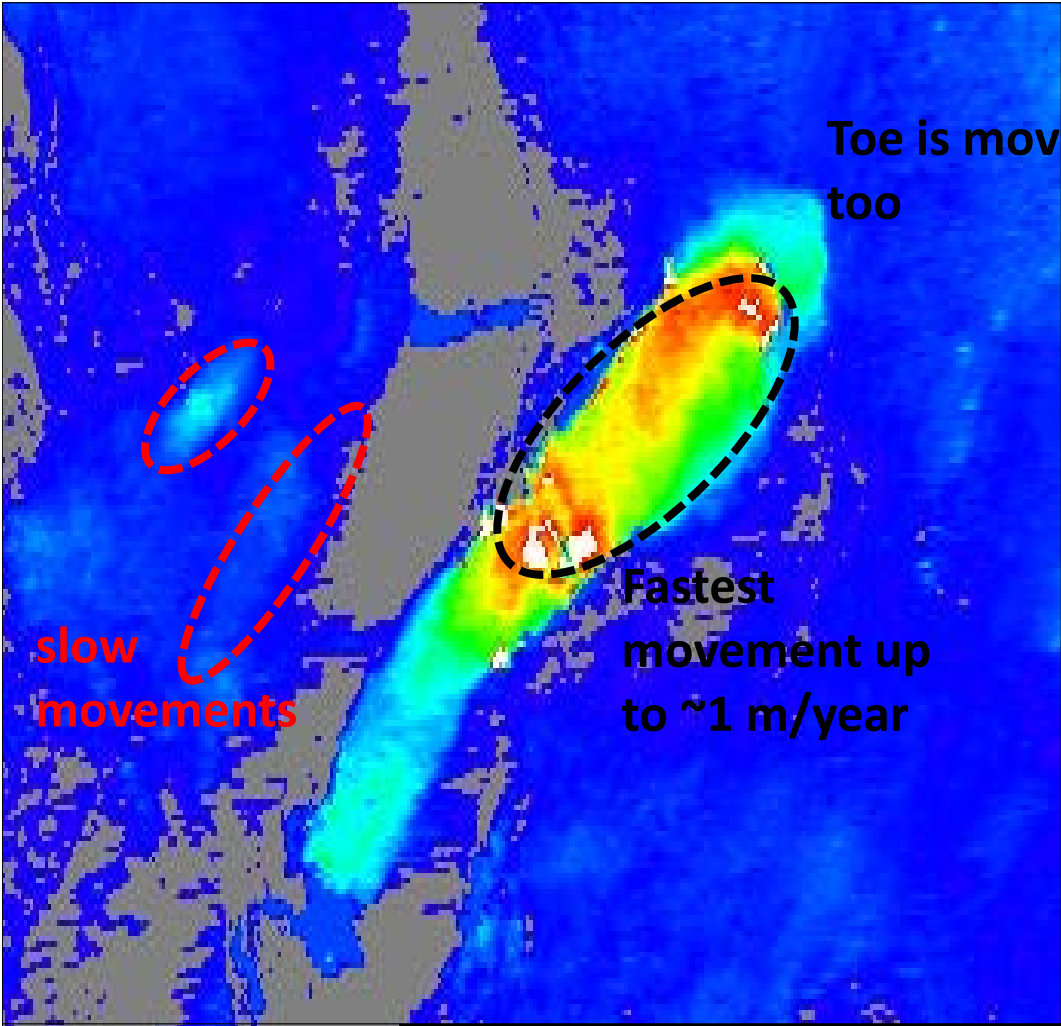
Mt Sopris camera
Installed 10/7/2016
at blue dot by Brett Oliver





They are cruising into the trees!

InSAR Displacement Map, zoomed over the rock glacier, scaled from displacements over 46 days to annual rate in cm/year



Courtesy of Lin Liu

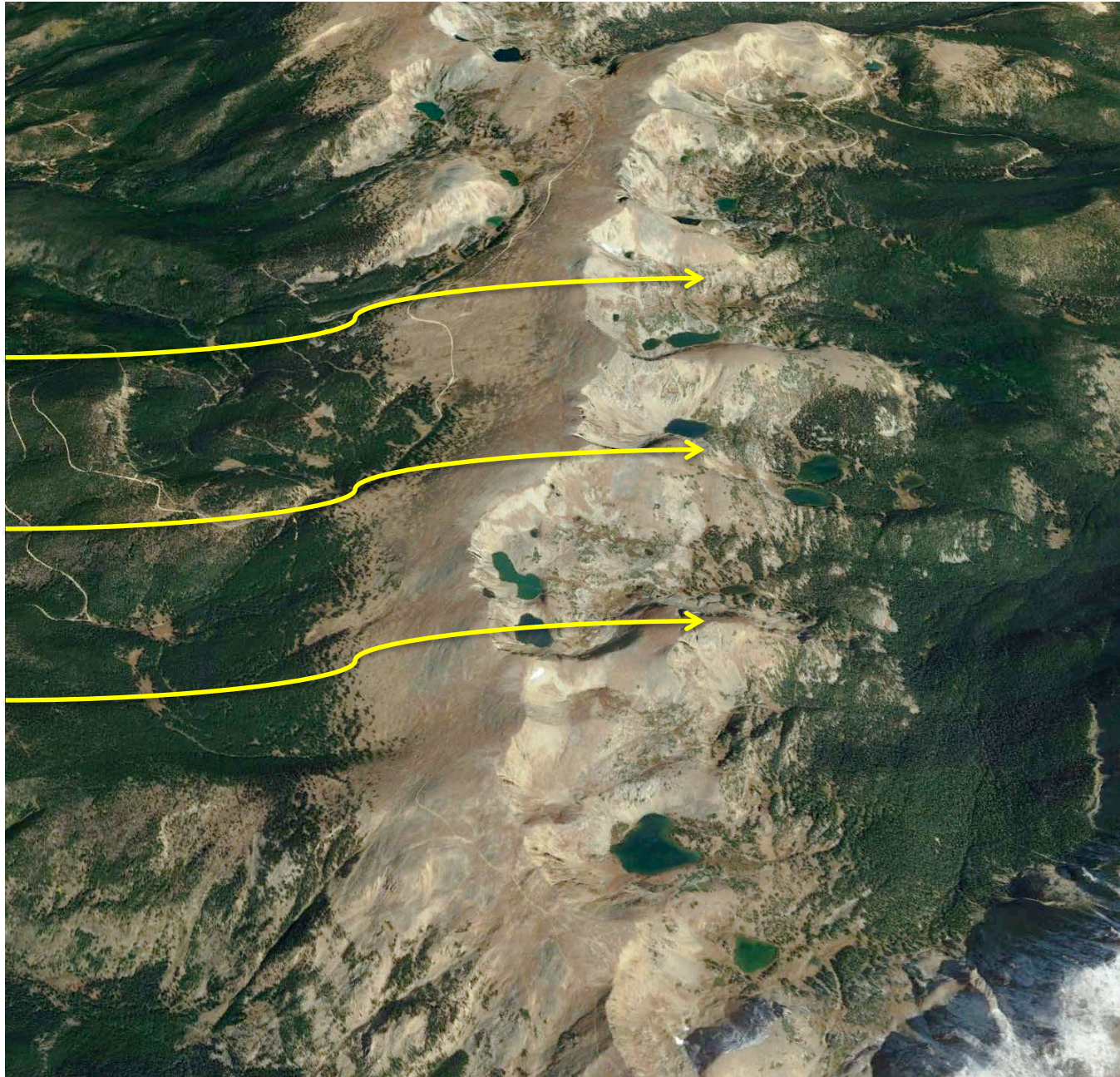
Rate (cm/year)

Front Range, Colorado

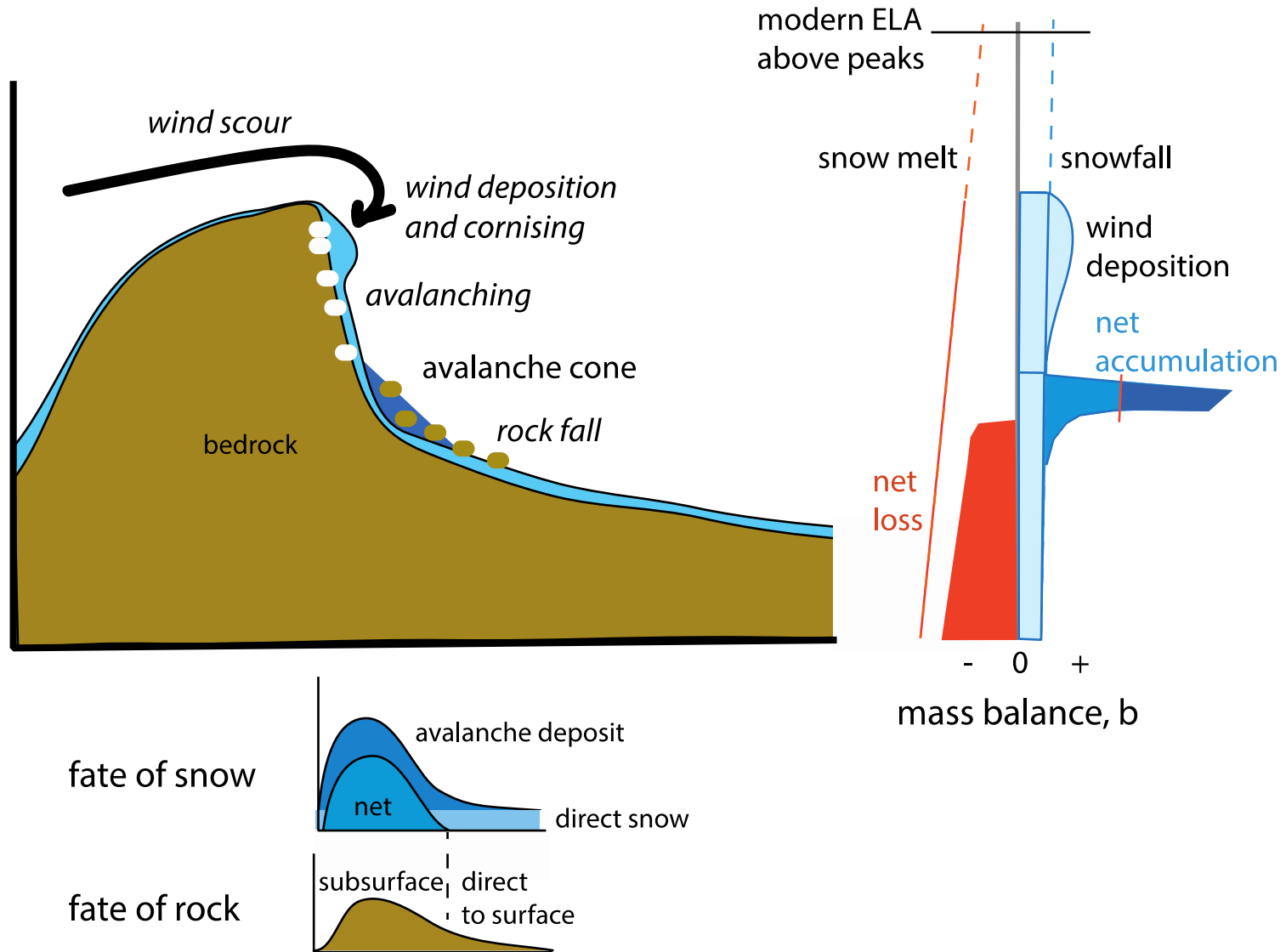
W

E

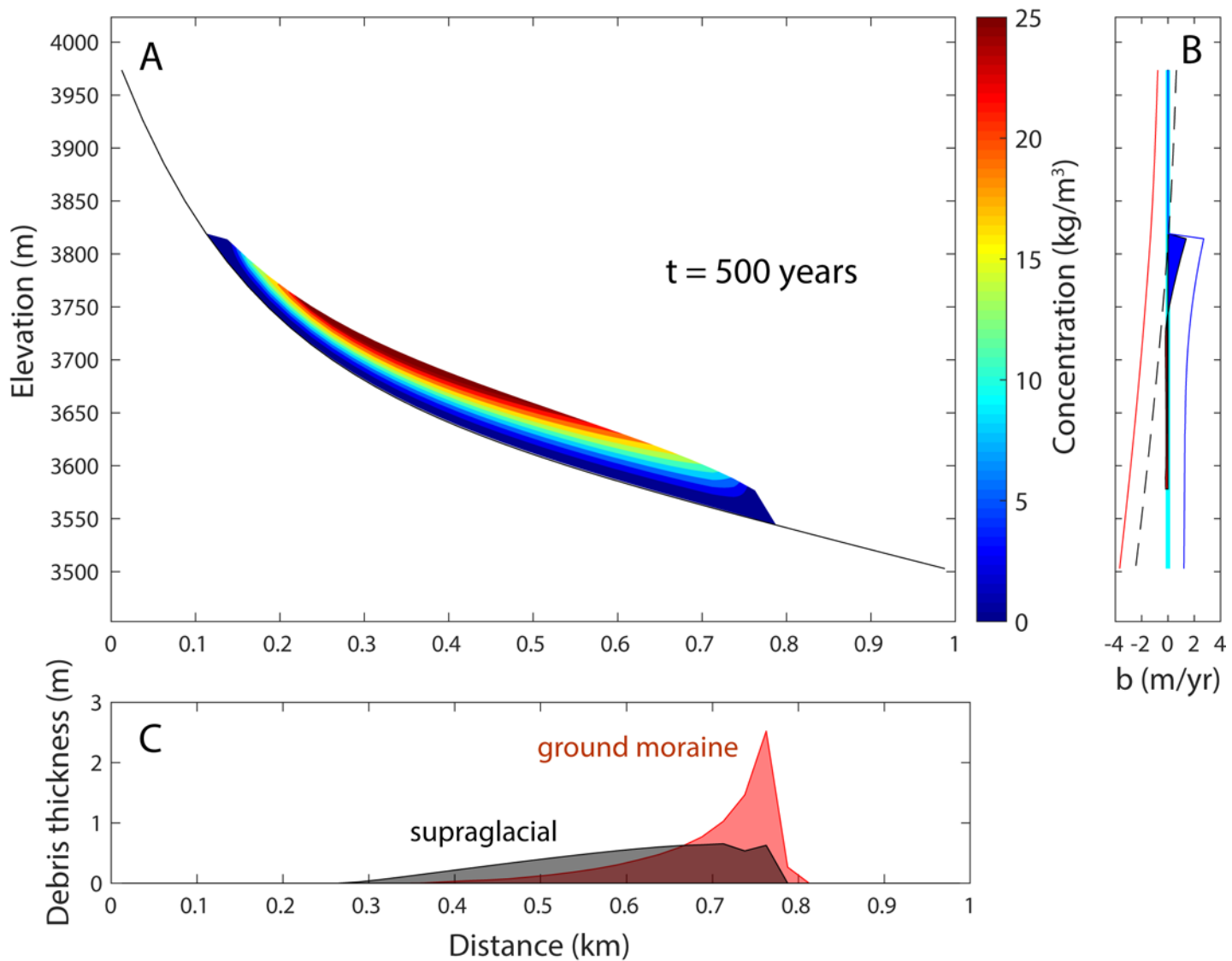
wind



Mass balance pattern on a rock glacier

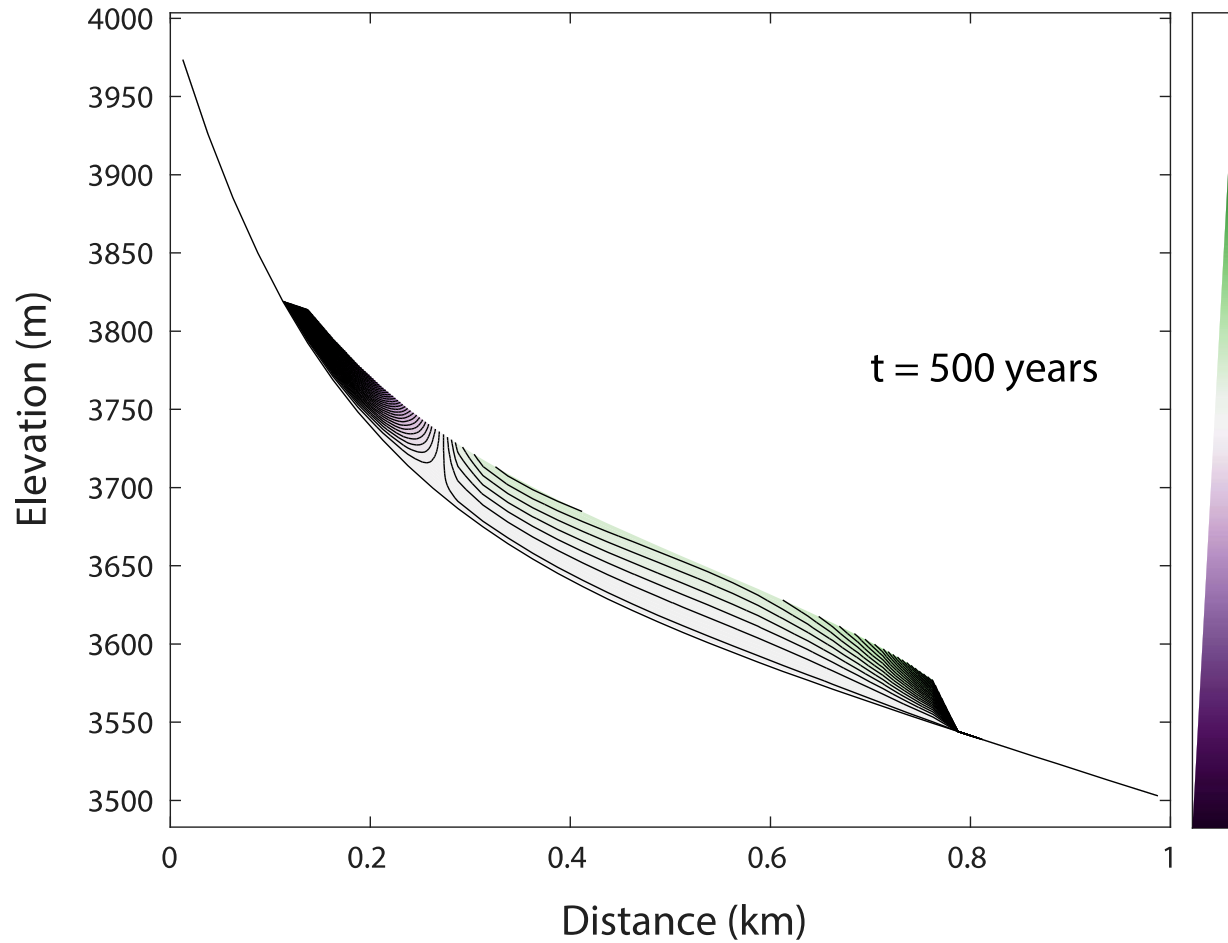


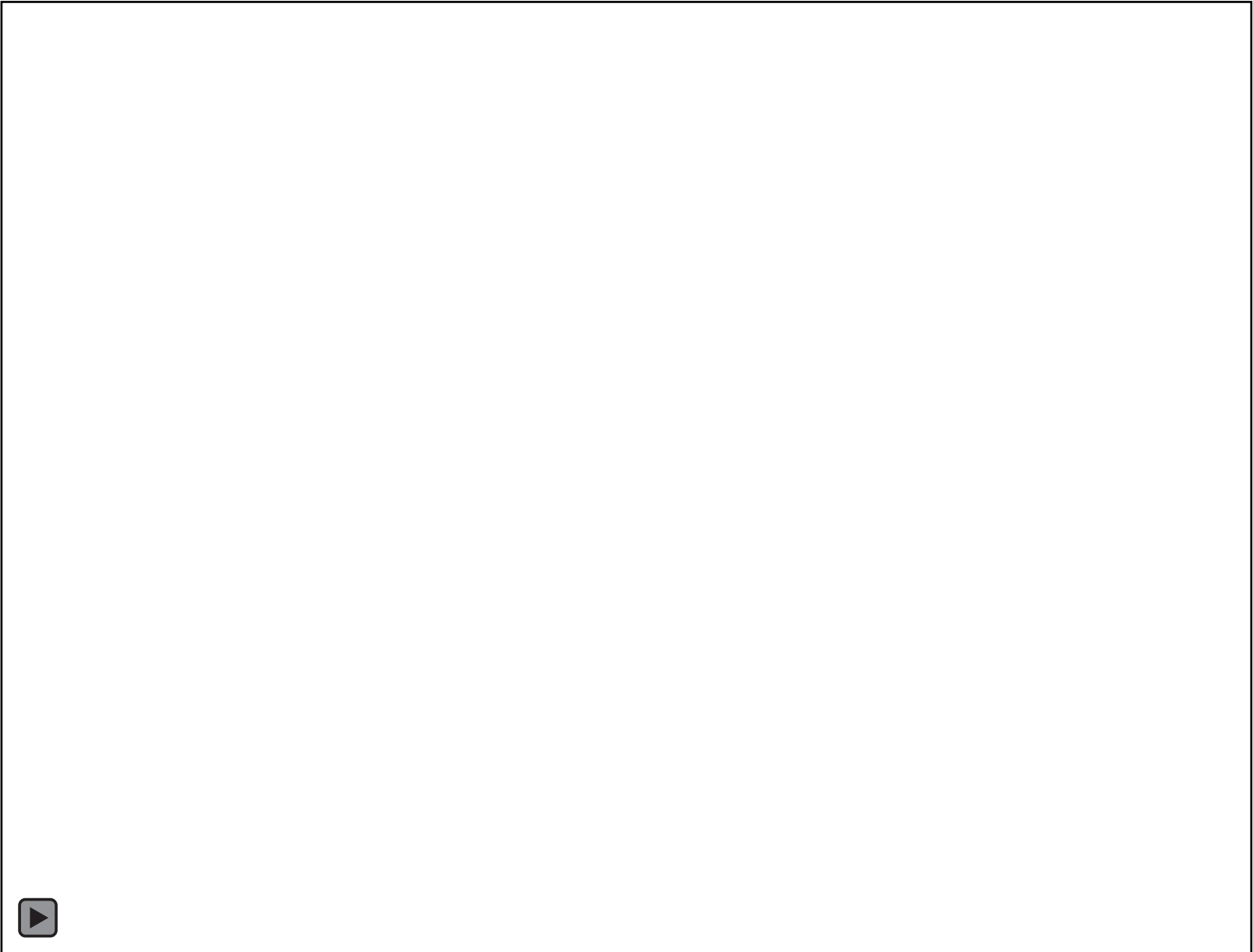




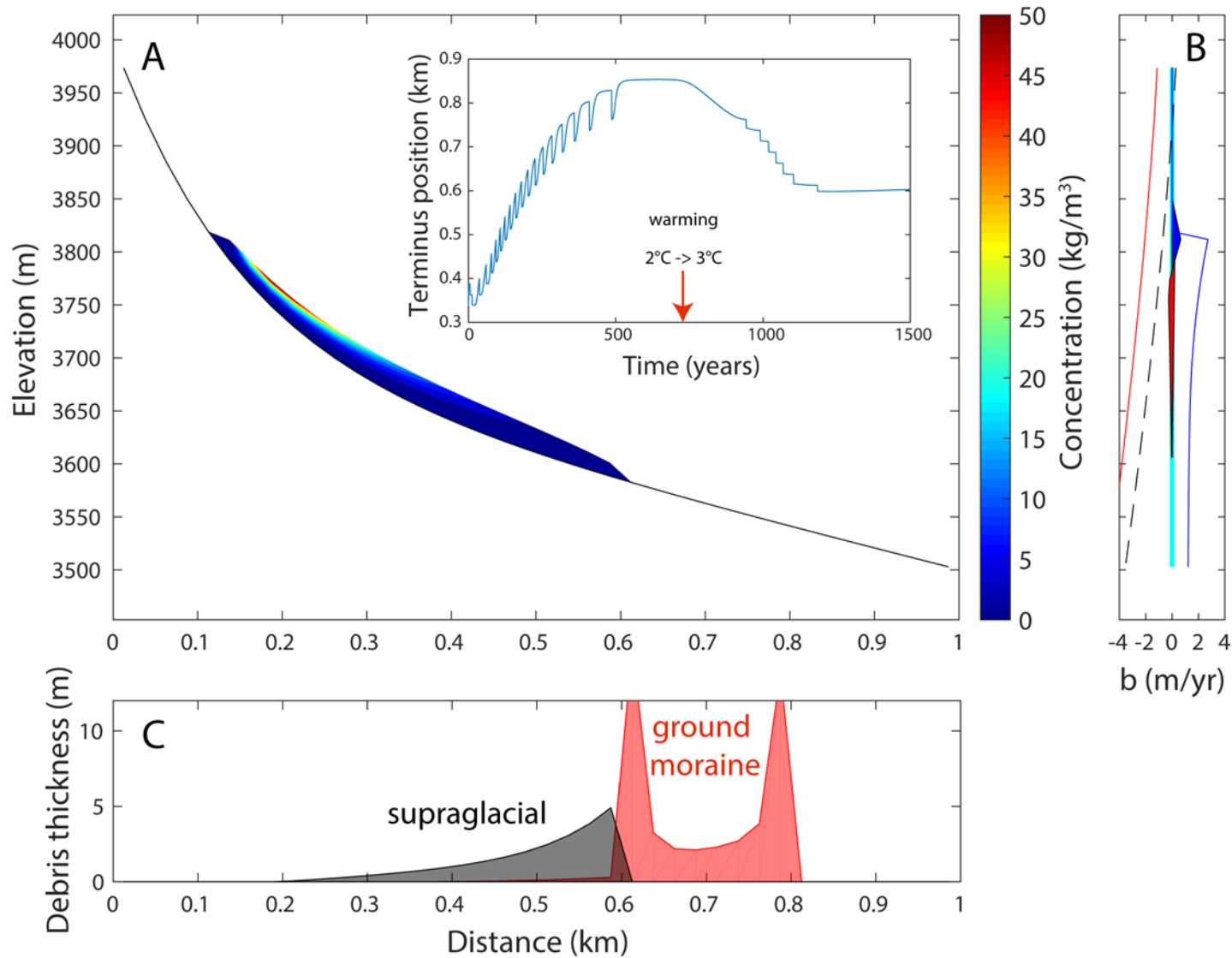
Some debris outruns avalanche

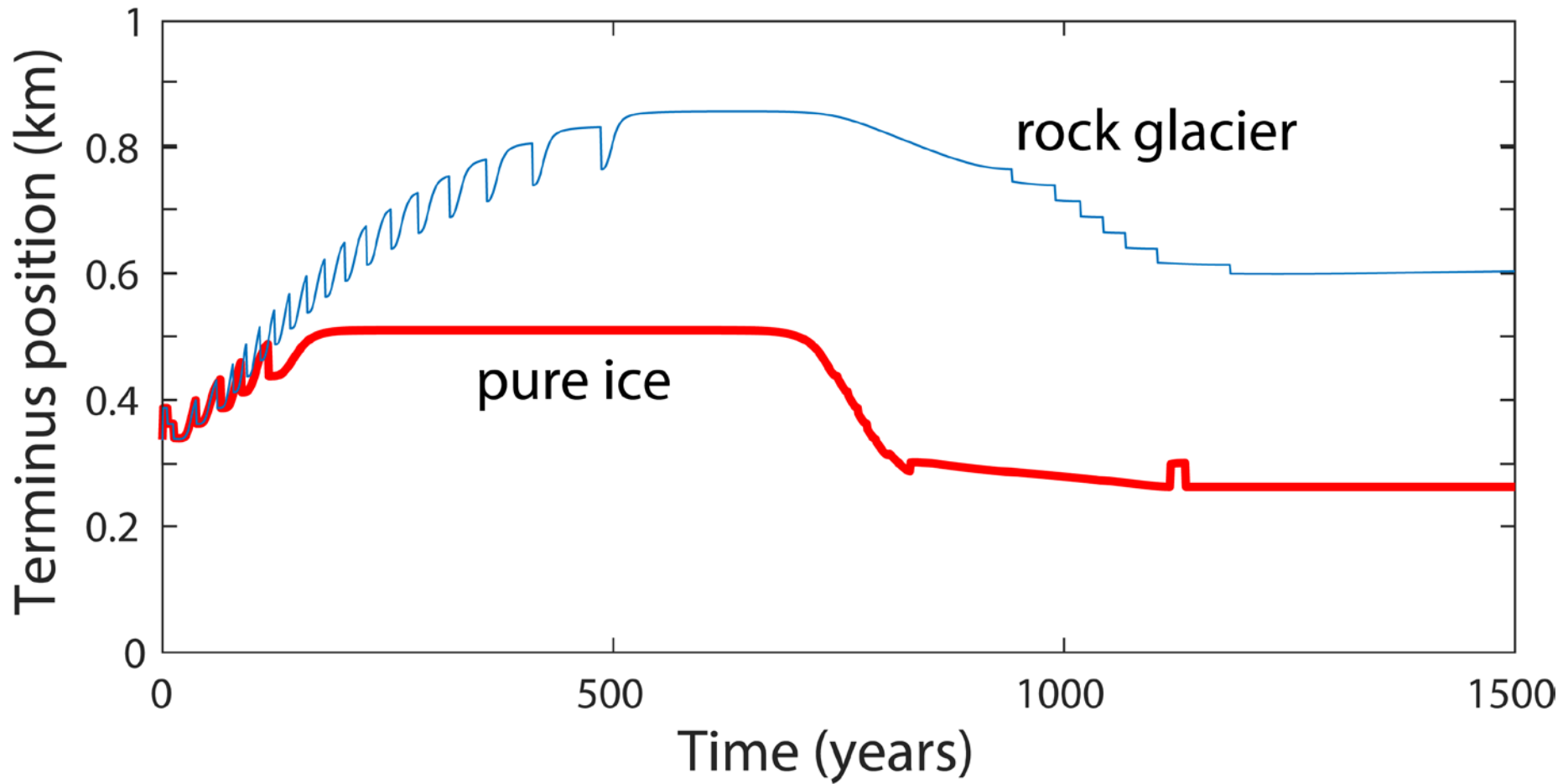
Vertical speed structure in a rock glacier



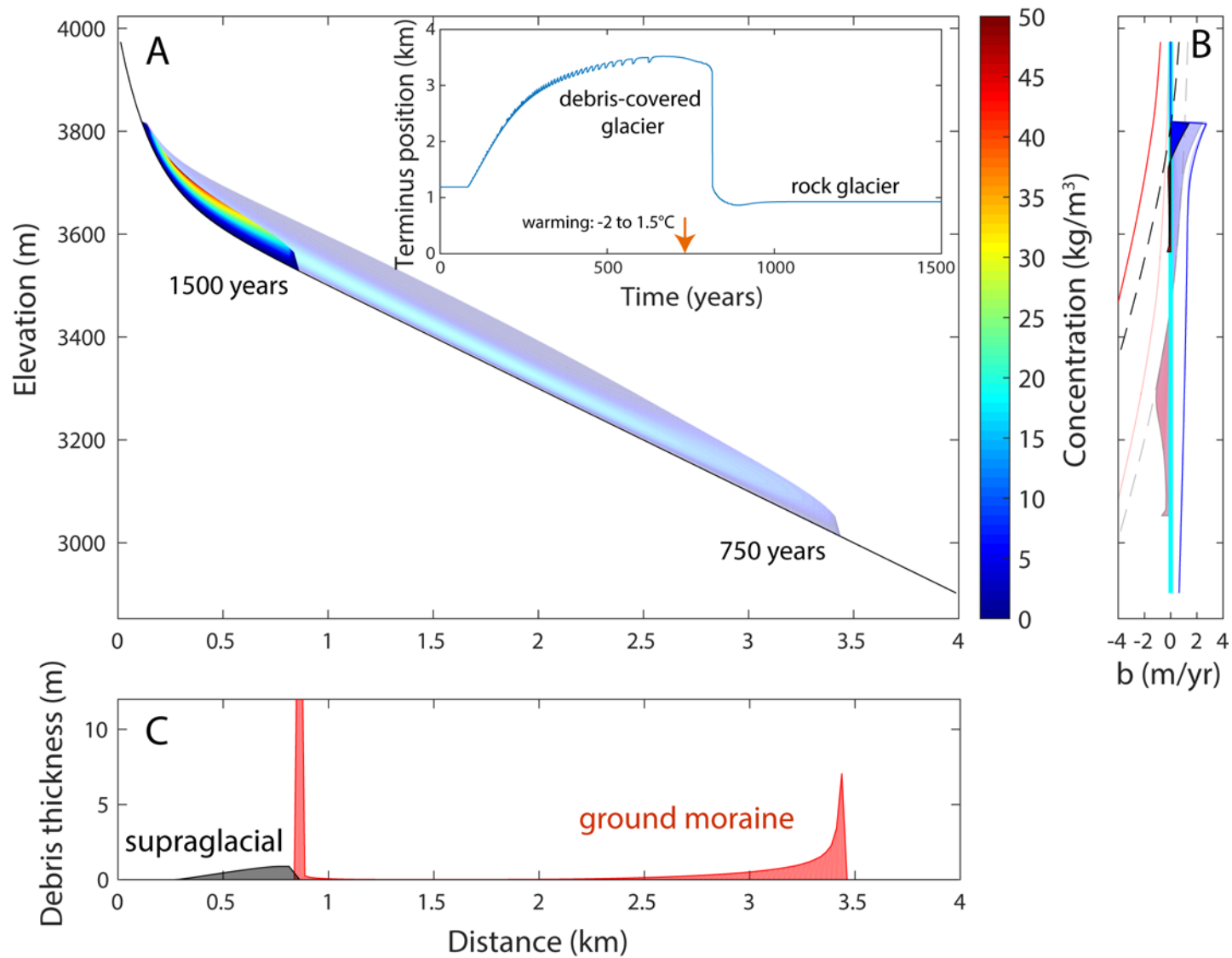


Response to slight climate warming of 1°C



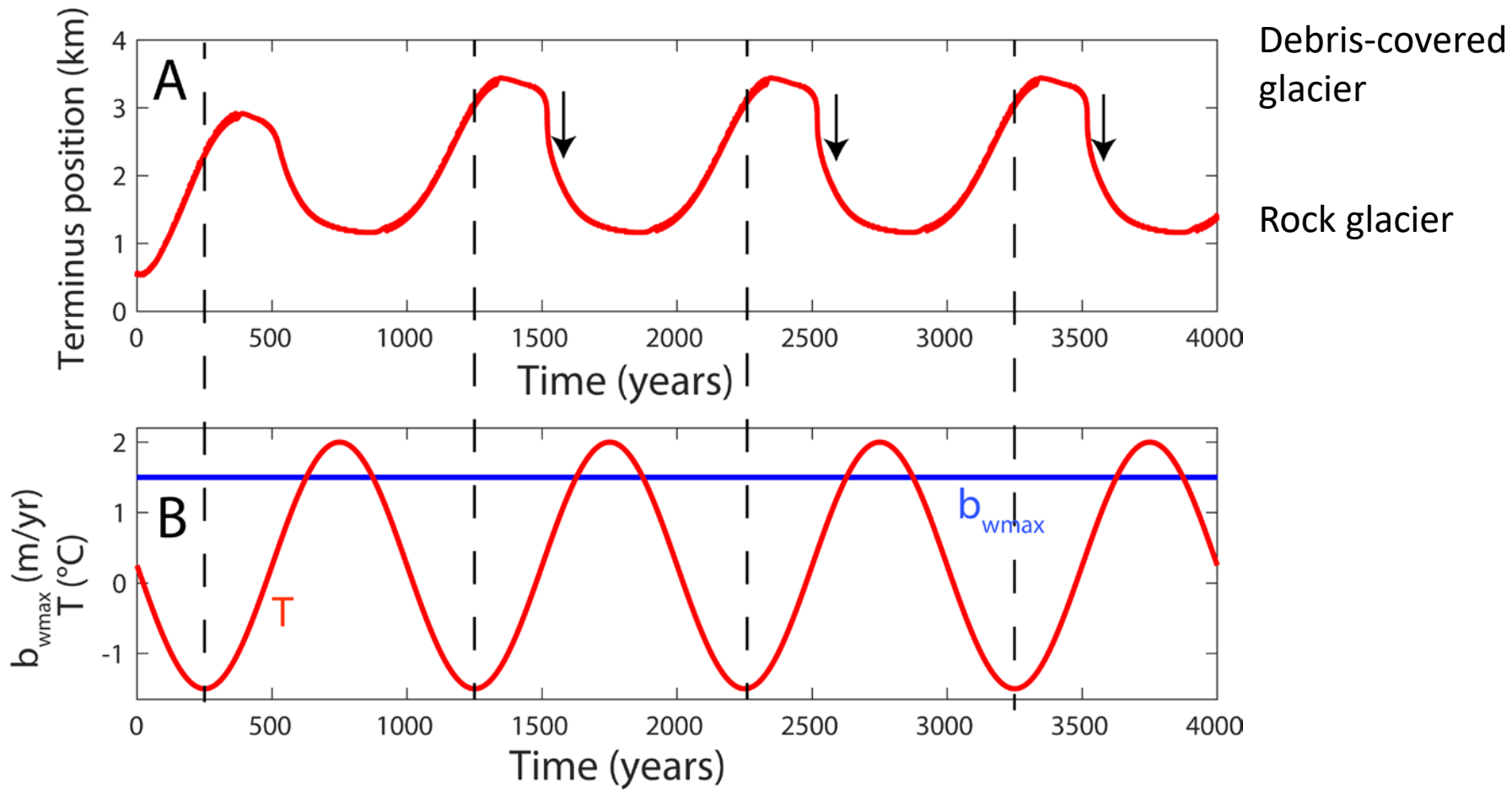


Rock glaciers are survivors



Sinusoidal climate: debris-covered to rock-glacier cycling





Stripes from Space: medial moraines



Rhone Glacier, Wrangells-St Elias National Park, Alaska



Barnard Glacier, Alaska
Medial moraine

The Medial Moraine

What the glacier provides:

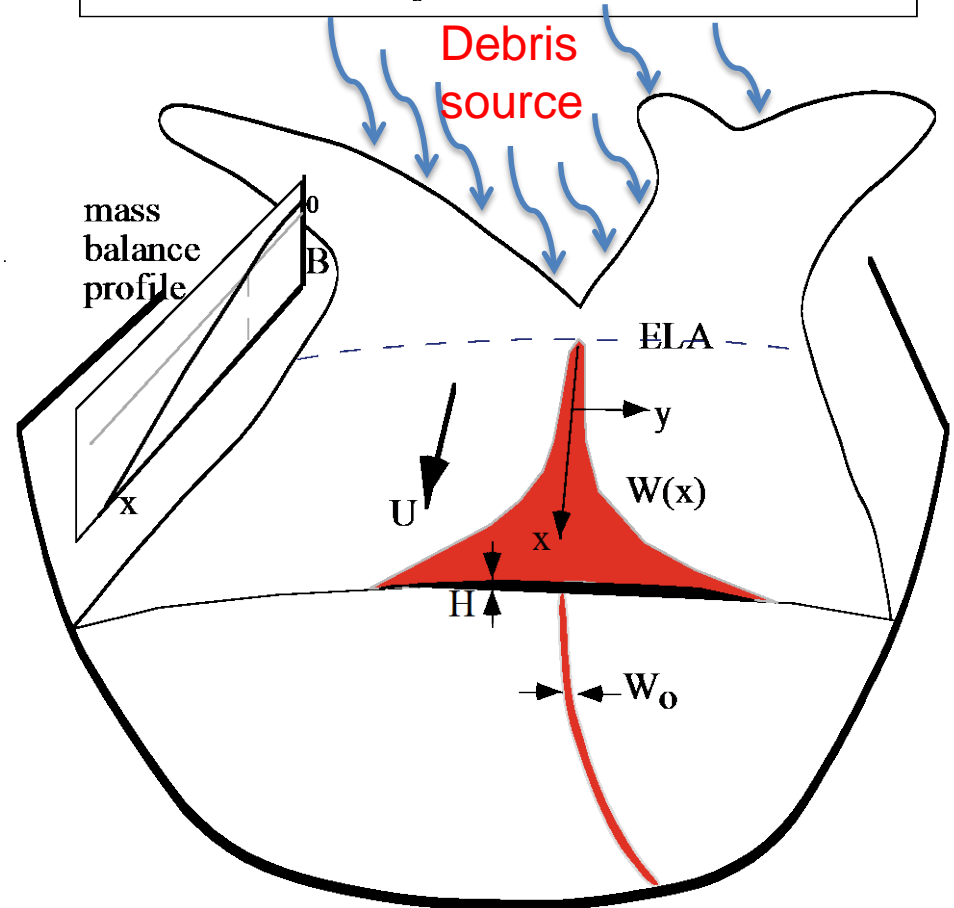
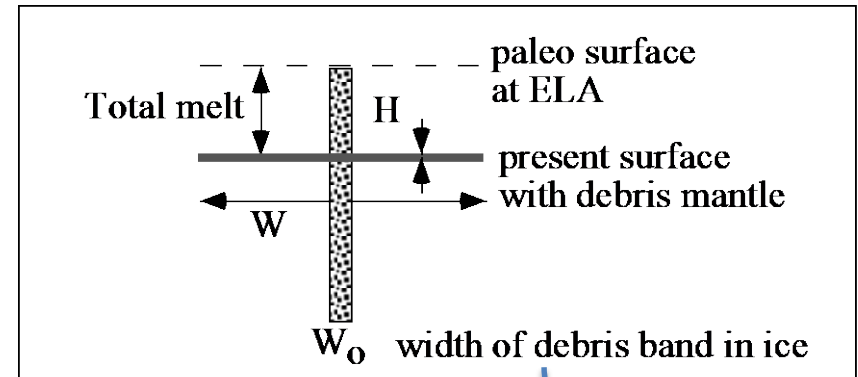
- debris-rich septum
- motion down-valley

What the climate provides:

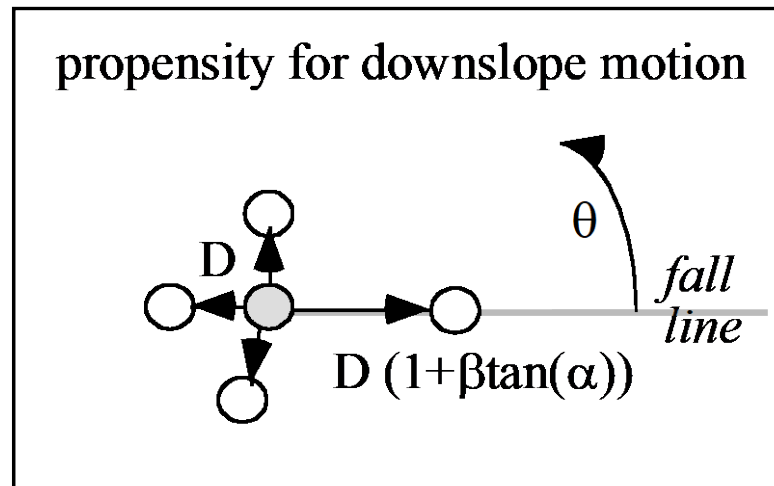
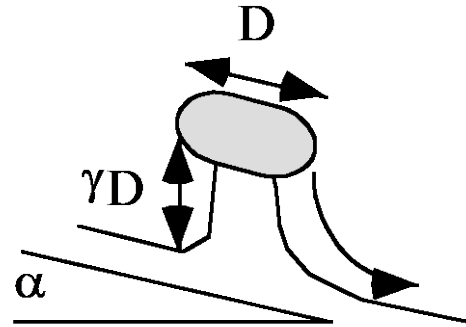
- a pattern of down-valley
Increasing melt rates

The pieces of the problem

- ablation rate altered
- slope generated
- debris moves downslope



The topple-walk mechanism





Emergence of medial moraines below the ELA



Medial moraine collision
leads to complete debris cover

Summary

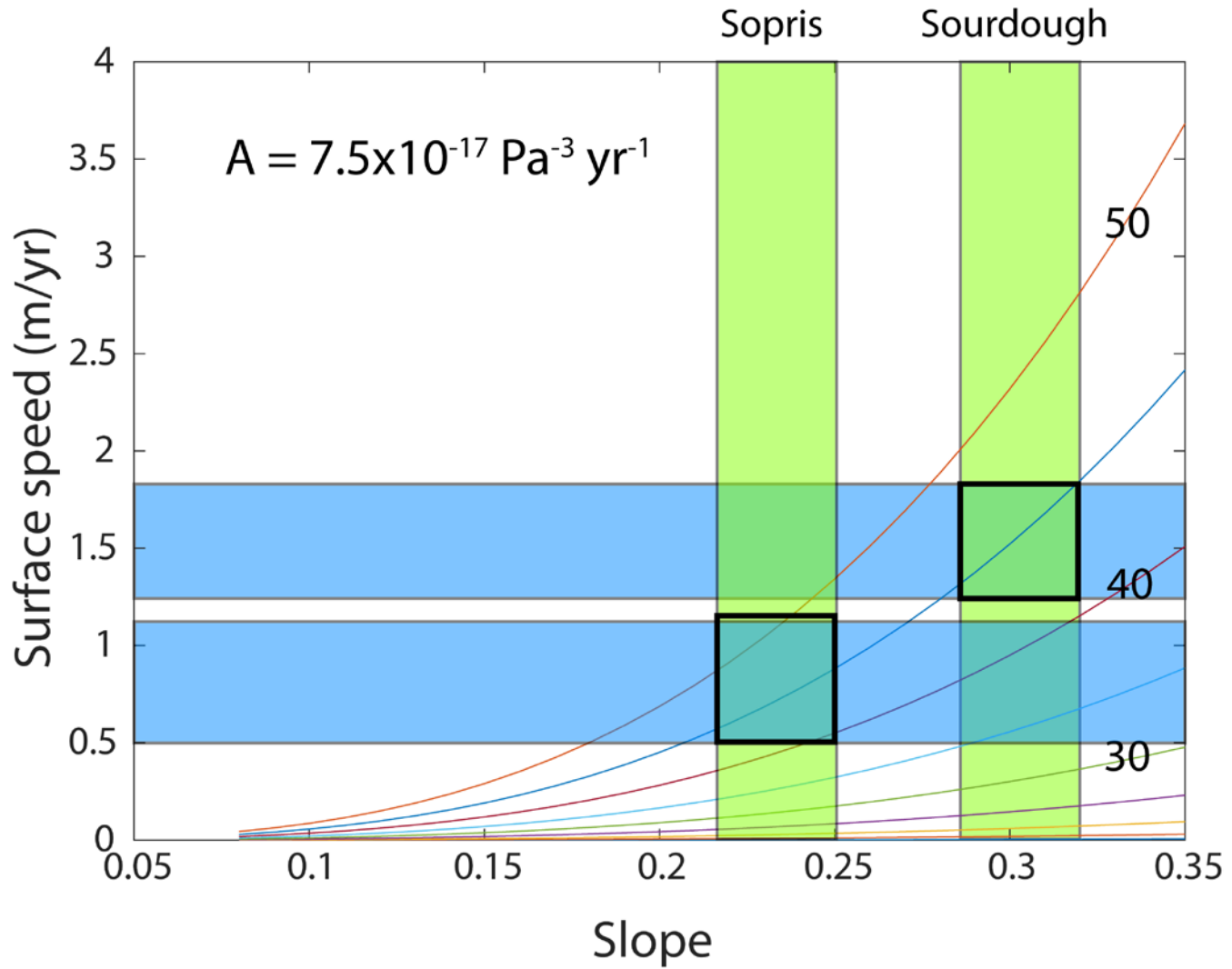
- A model that includes both ice and rock dynamics can explain the continuum of glacier types
- Debris-covered glaciers can be significantly longer than debris-free counterparts
- Rock glaciers require both an avalanche source of snow and a headwall source of rock
- In complex terrain debris cover is dominated by medial moraines and their collisions





The End

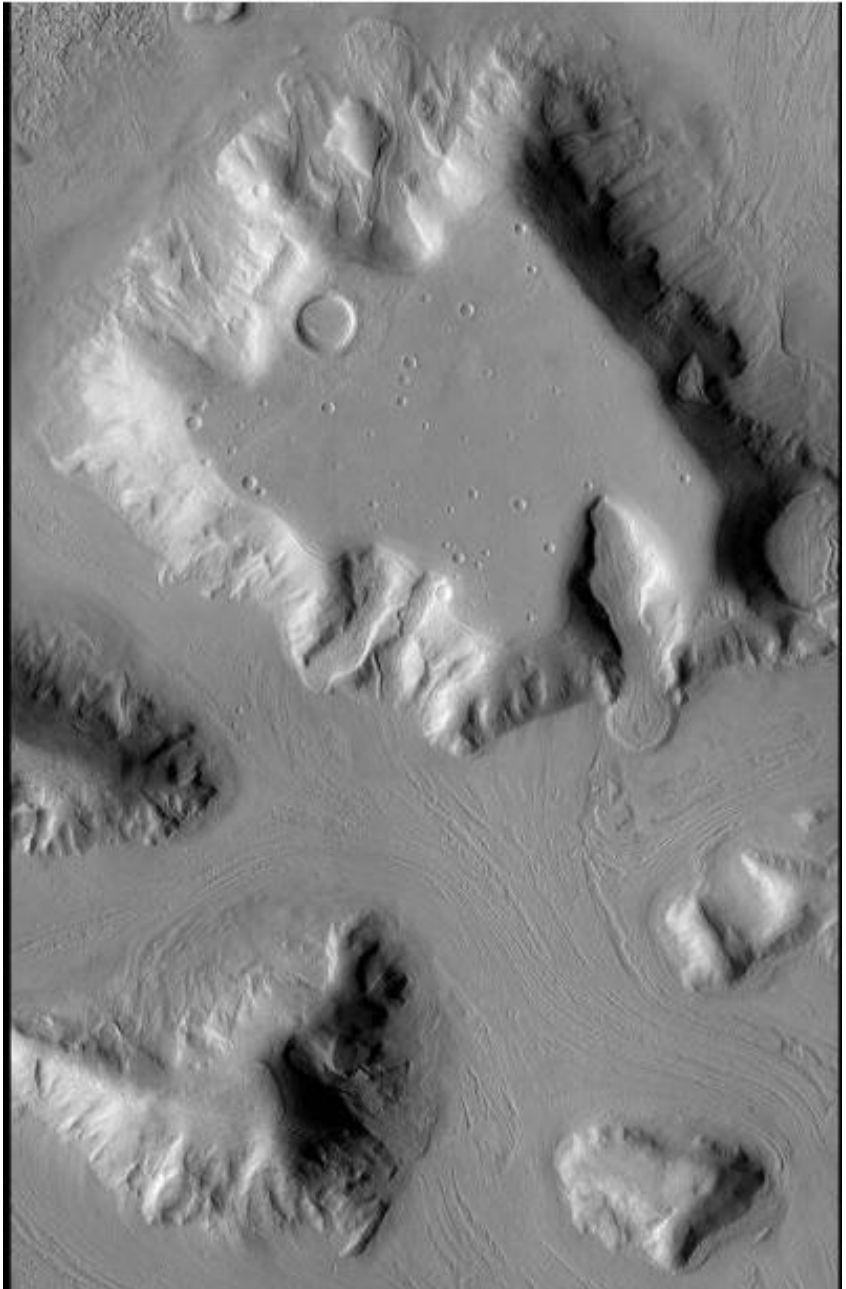
A model in which glacier is pure ice with only a thin rocky cap succeeds



Surface speeds expected on measured slopes for a range of possible thicknesses
Assuming pure ice, deformation only



Mars

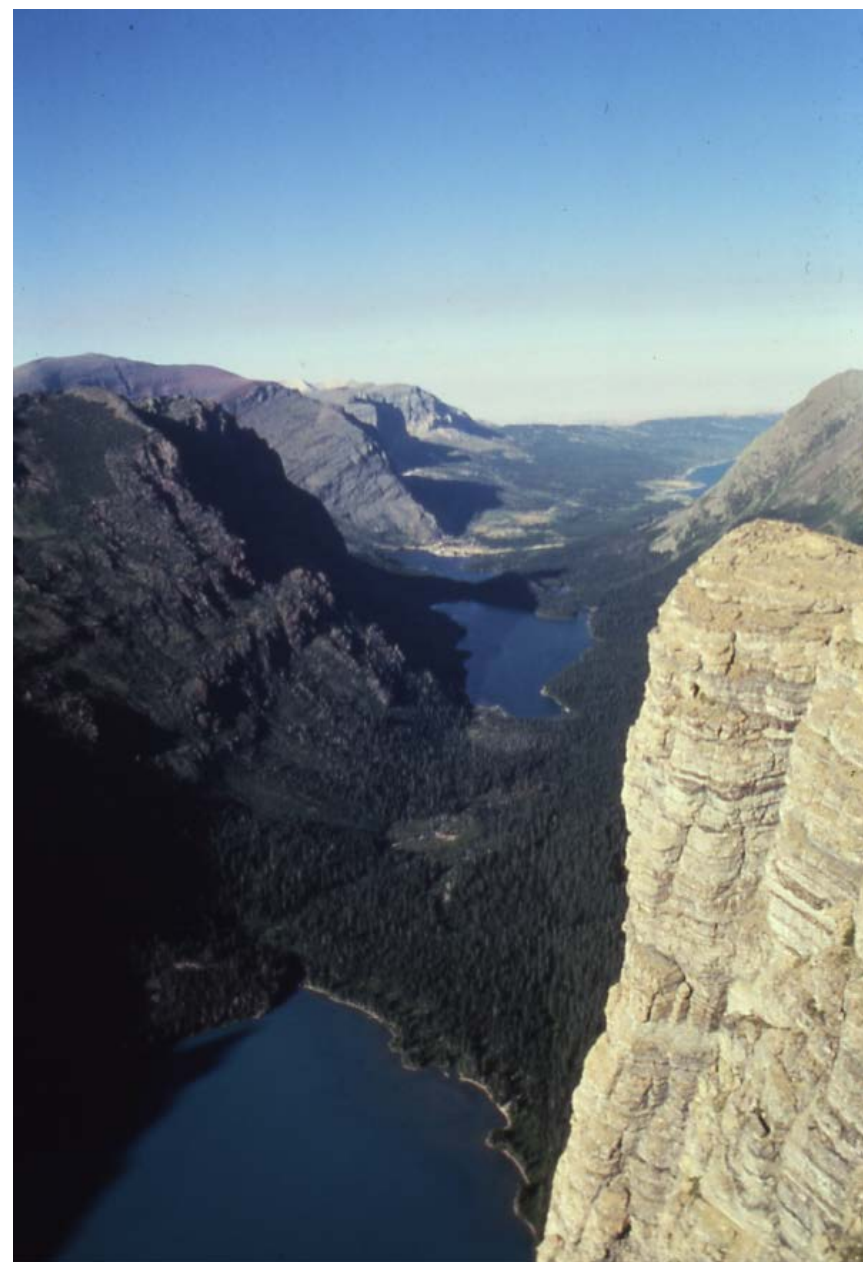


Martian glacial features



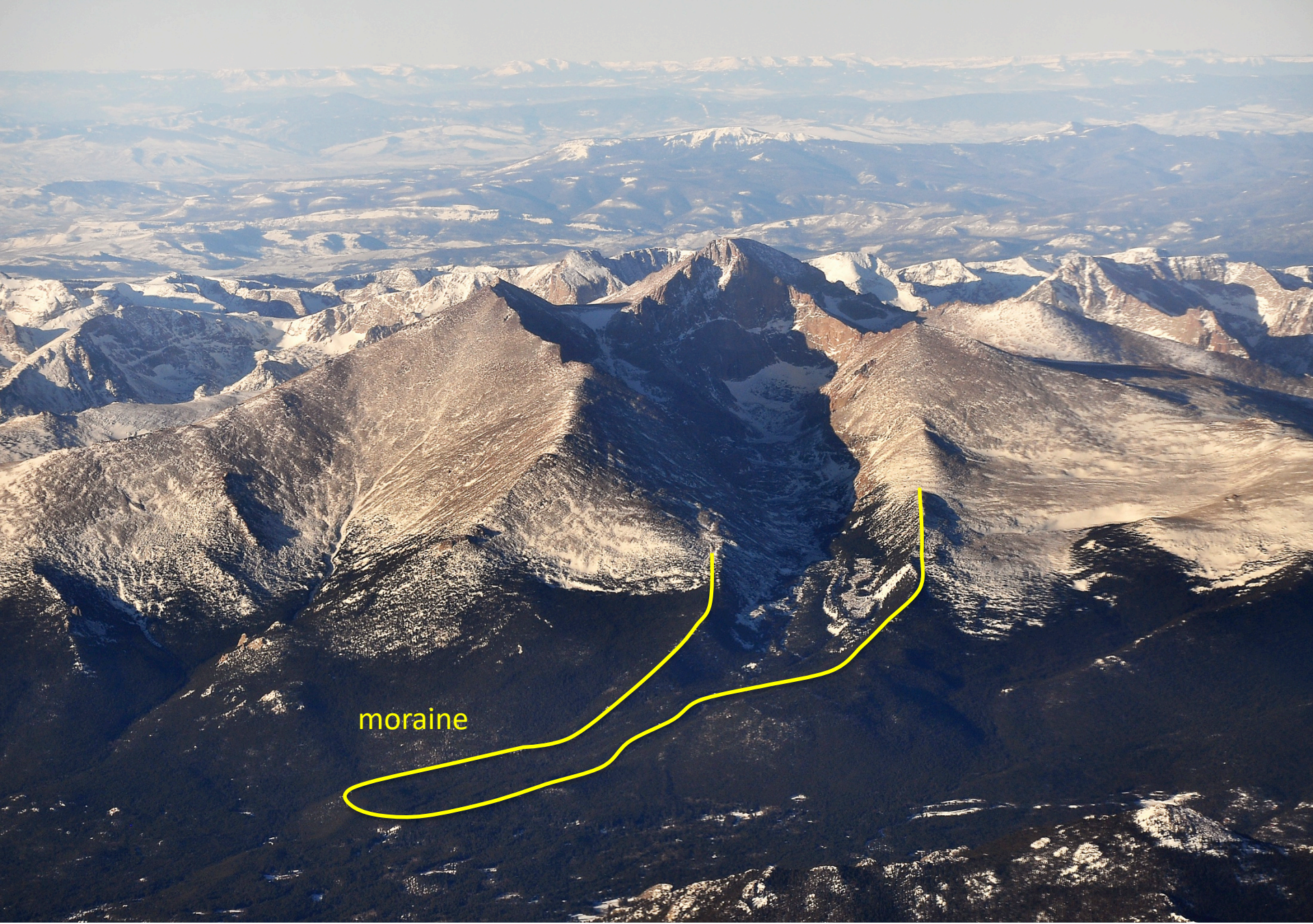
By Jim Secosky modified NASA image

Glacial signature in alpine landscapes





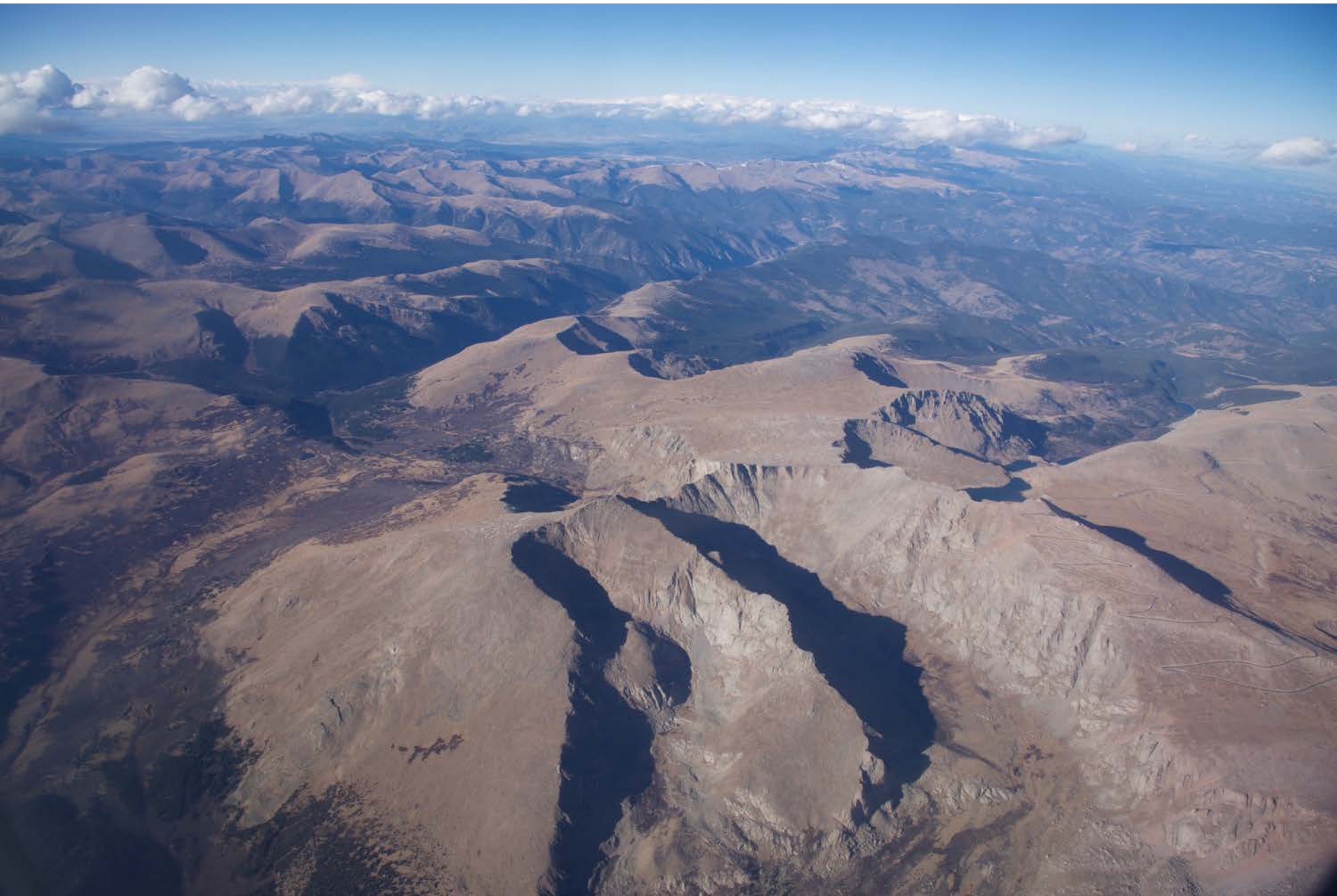
Our own Longs Peak



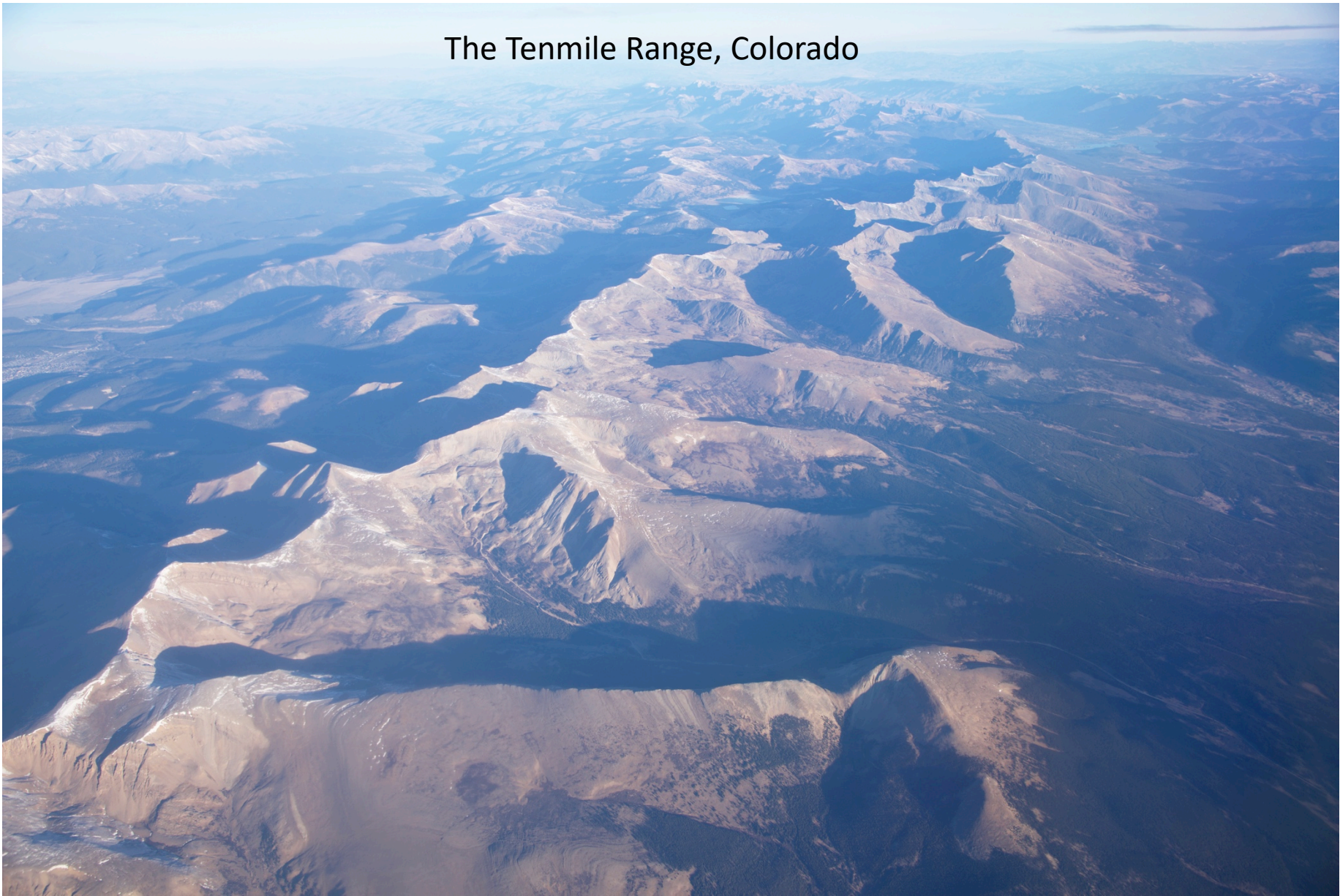
moraine

Our own Longs Peak

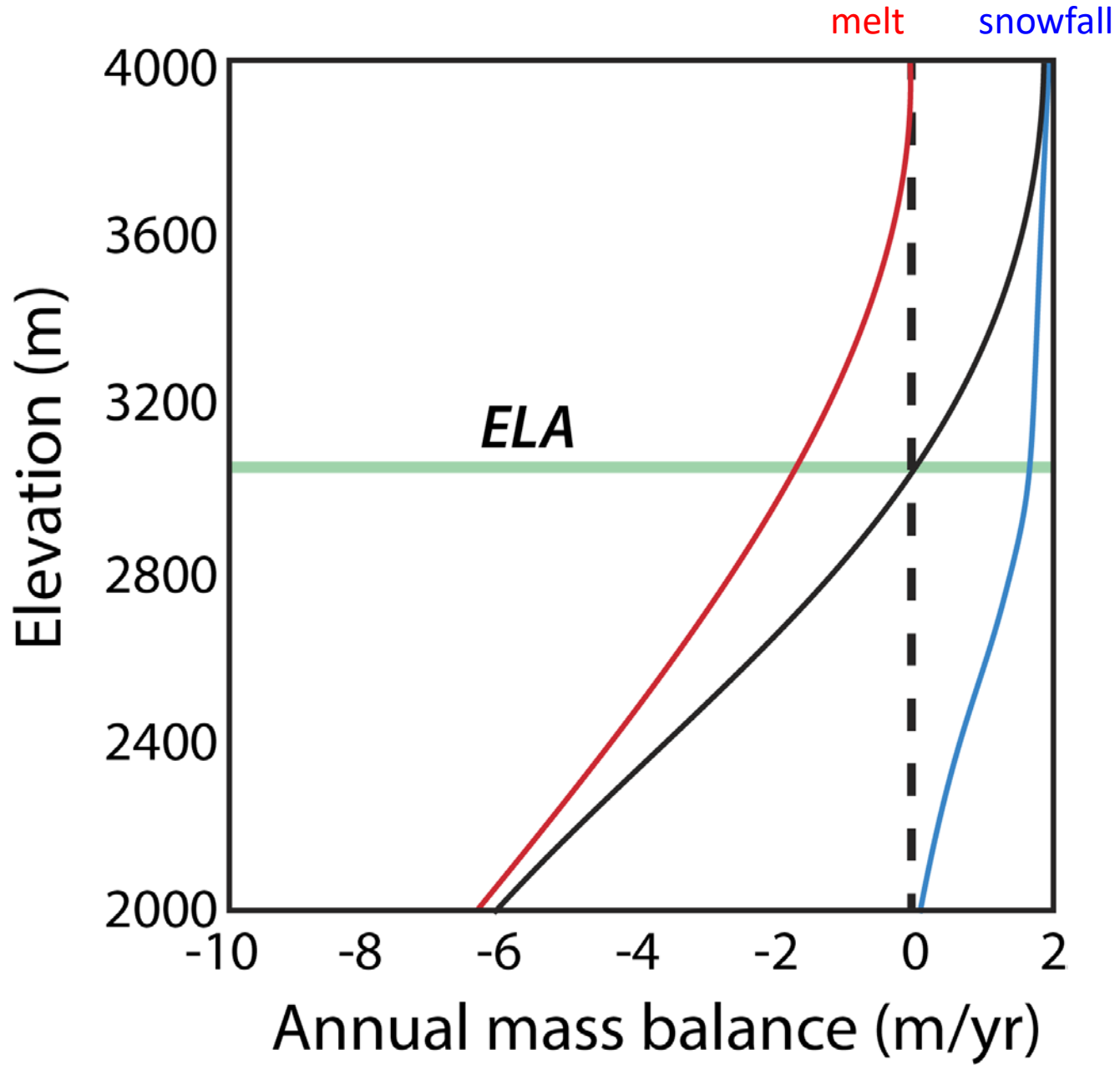
Asymmetry of divides - Mt Evans



The Tenmile Range, Colorado



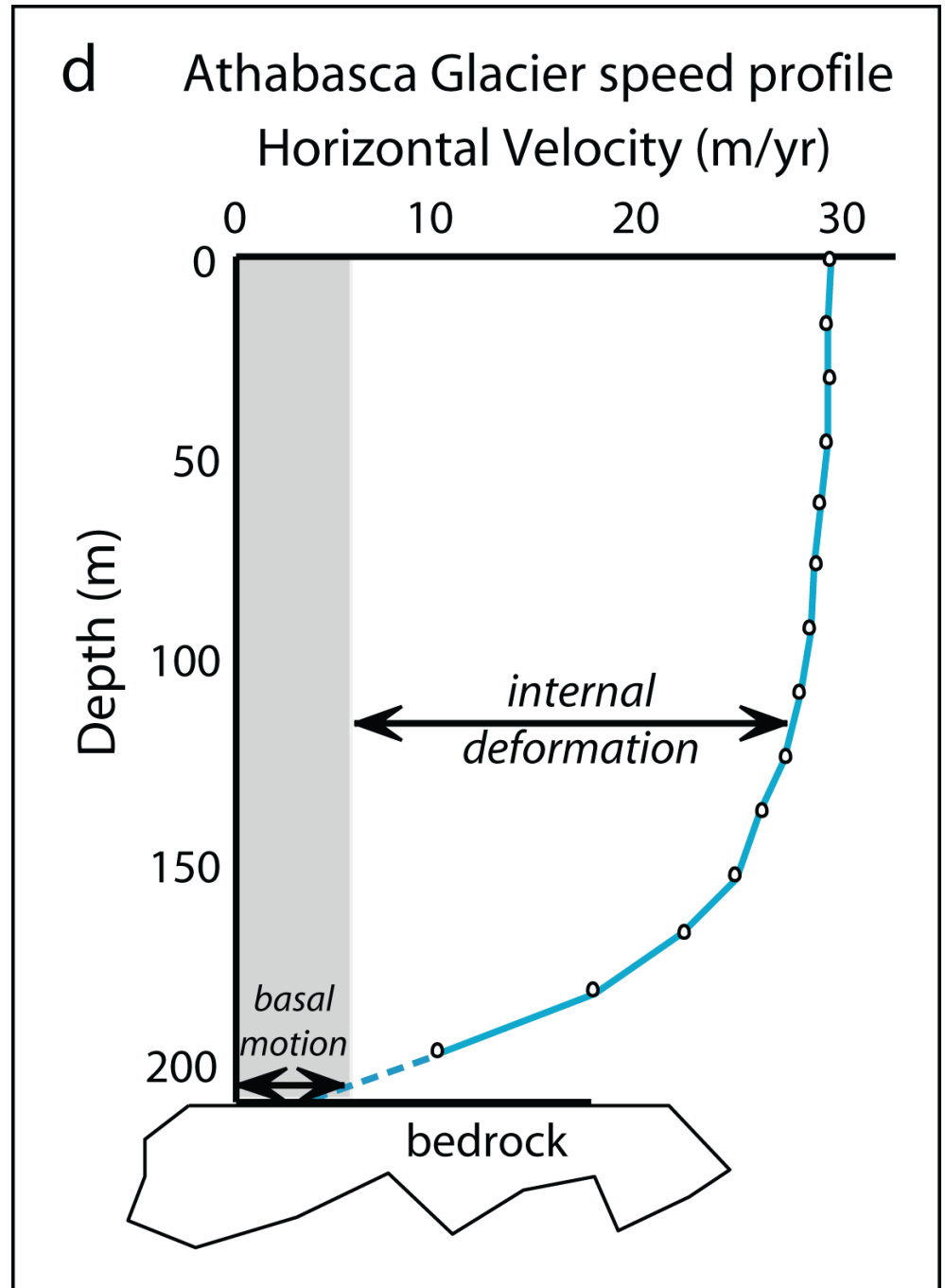
Moving on to longer time scales:
How has climate changed over the last
couple million years?



Melt less, snow more -> lower ELA

Ice transfer:
How does ice move?

Deformation
plus
sliding

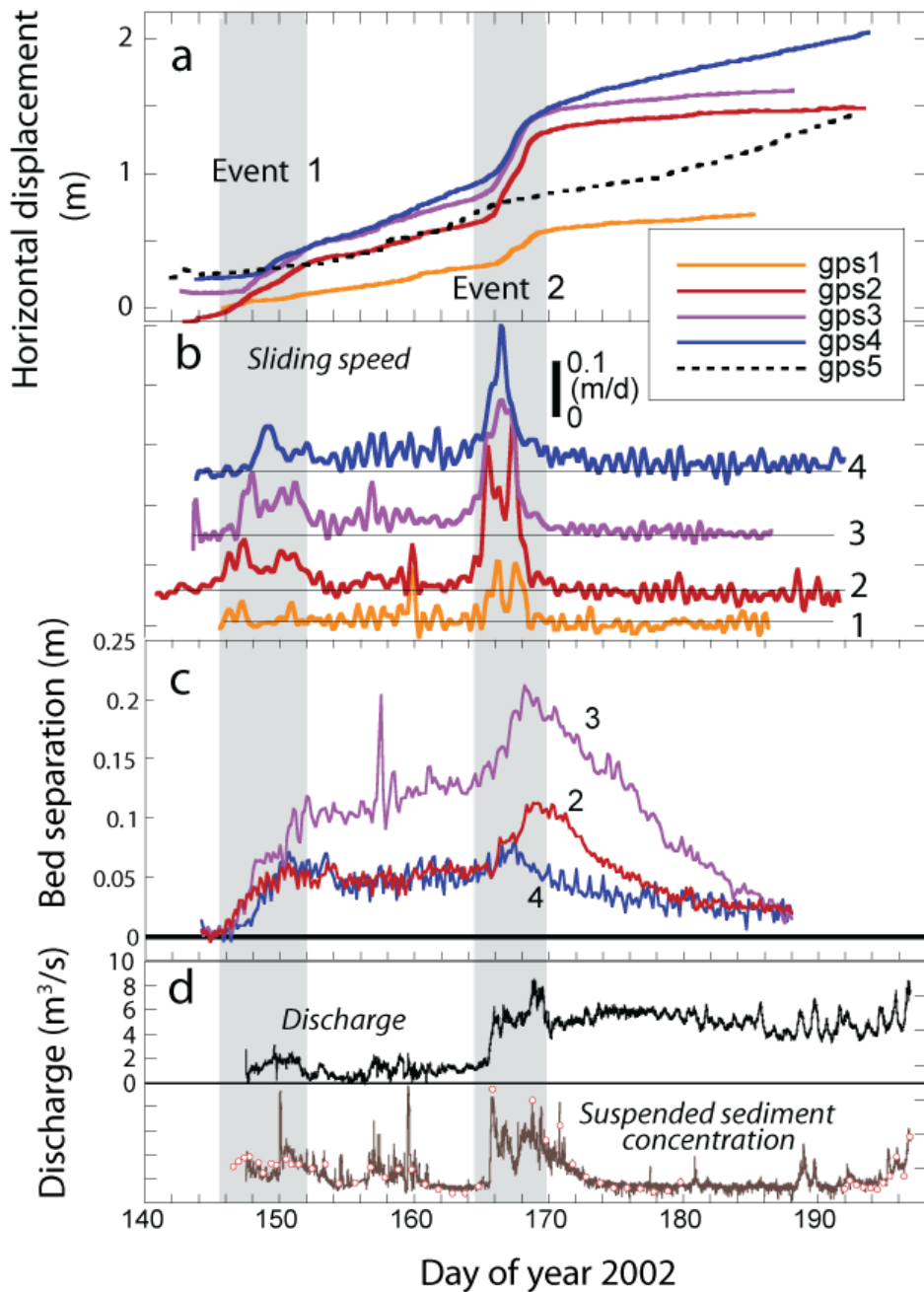


Front Range, Colorado





The annual cycle of glacier motion



Displacement history
From GPS monuments

Sliding speed

Bench glacier, Alaska

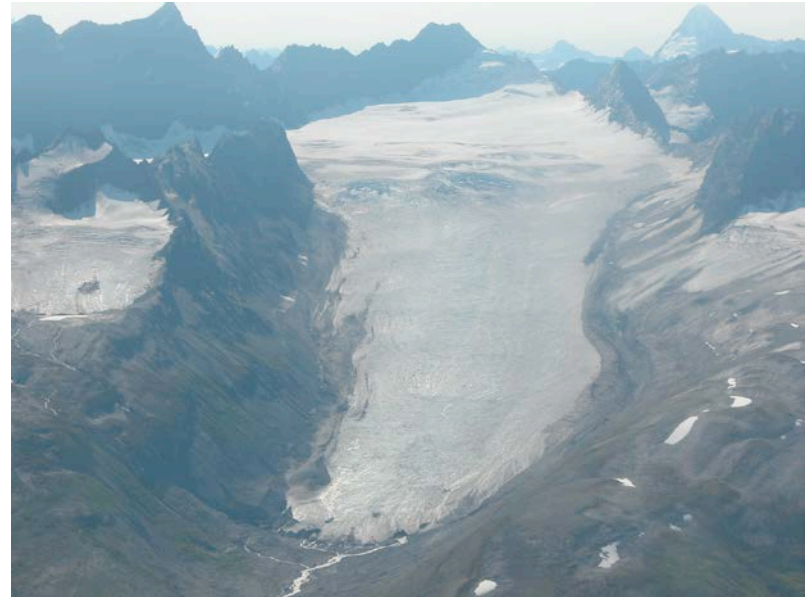


Photo: Neil Humphrey



late summer cornice

rock glacier

9/2011
1993 2015

**InSAR also
shows slow
movement**

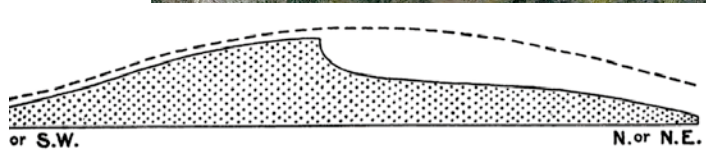


~30 Ma granite
Blobs embedded
in sedimentary
rock

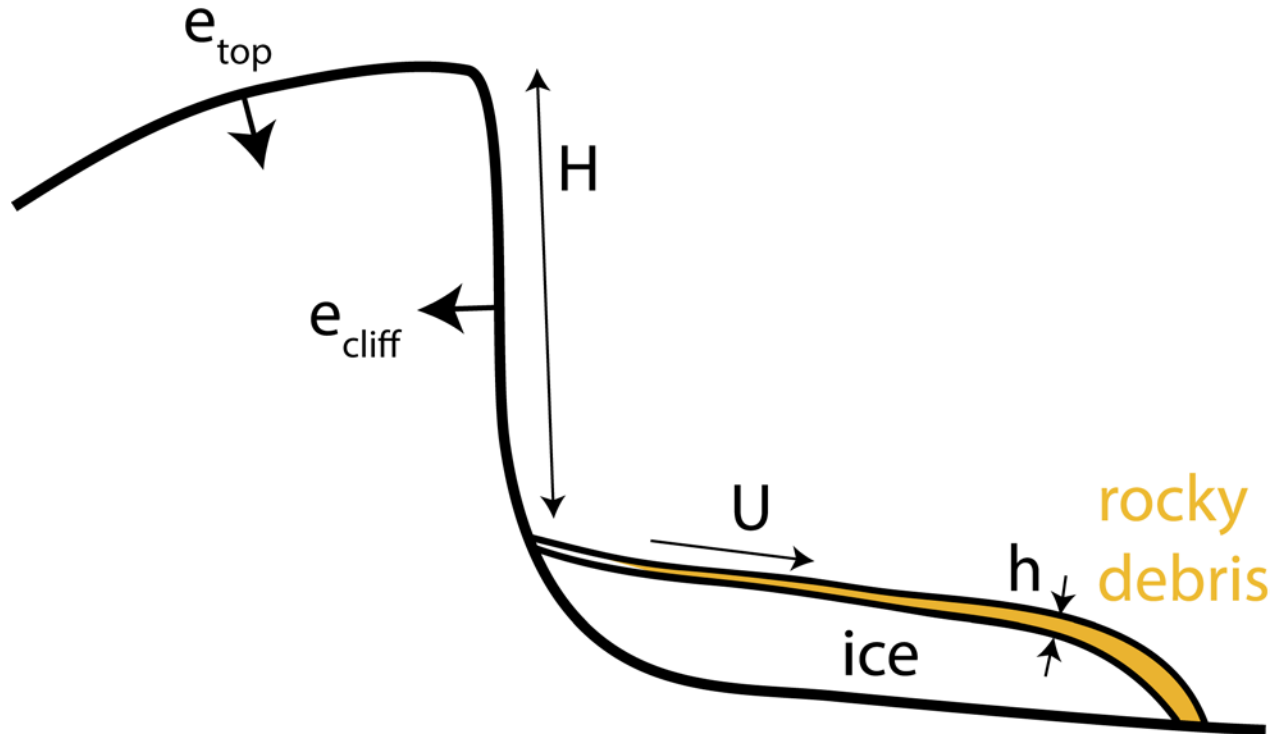
Image Landsat / Copernicus

West Elks
Central Colorado

Note the strong asymmetry



The importance of edges: they migrate...



conservation of debris requires:

$$e_{\text{cliff}} H = U h$$

$$e_{\text{cliff}} = U(h/H)$$

if $U = 1 \text{ m/yr}$, $h = 1 \text{ m}$, $H = 300 \text{ m}$

$$e_{\text{cliff}} = 3.3 \text{ mm/yr} \gg e_{\text{top}} = 0.01\text{-}0.03 \text{ mm/yr}$$