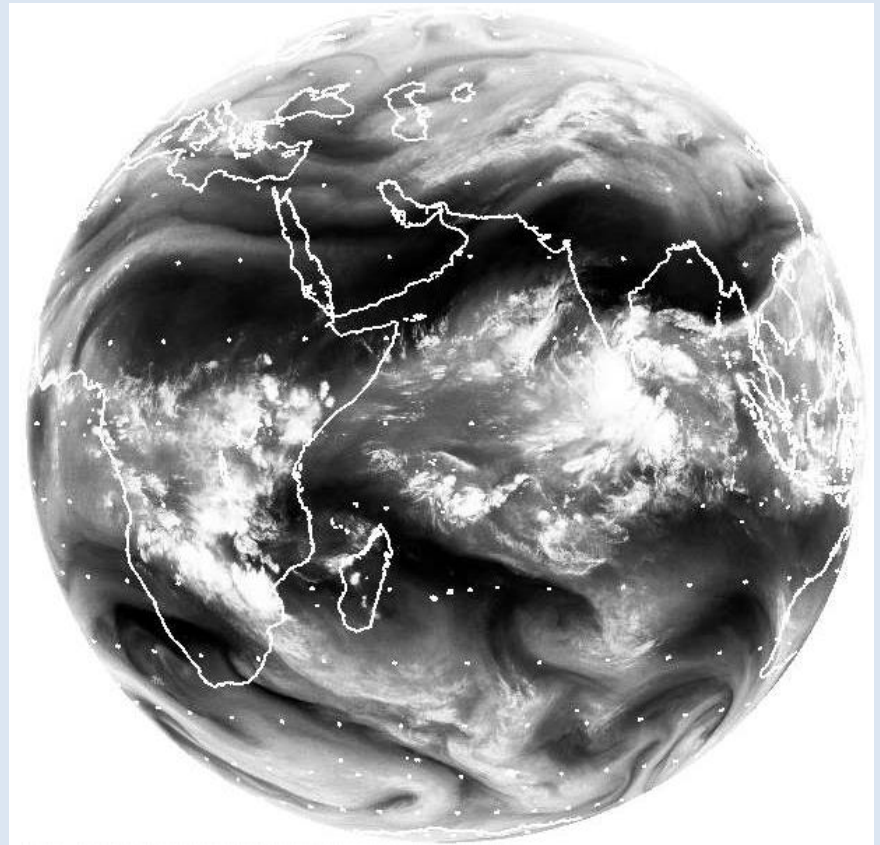


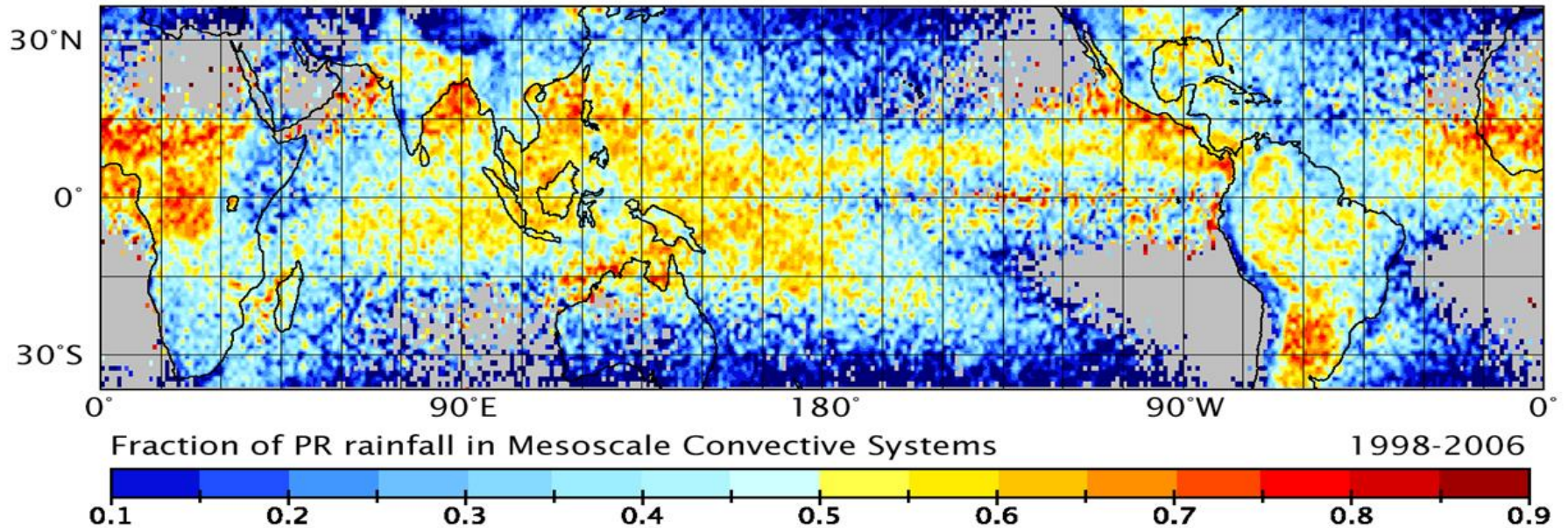
Organized Convection Parameterization for GCMs

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**Dynamical-system Paradigm
for Organized Convection
Parameterization**



MCSs in Large-scale Context



Tao & Moncrieff (2009)

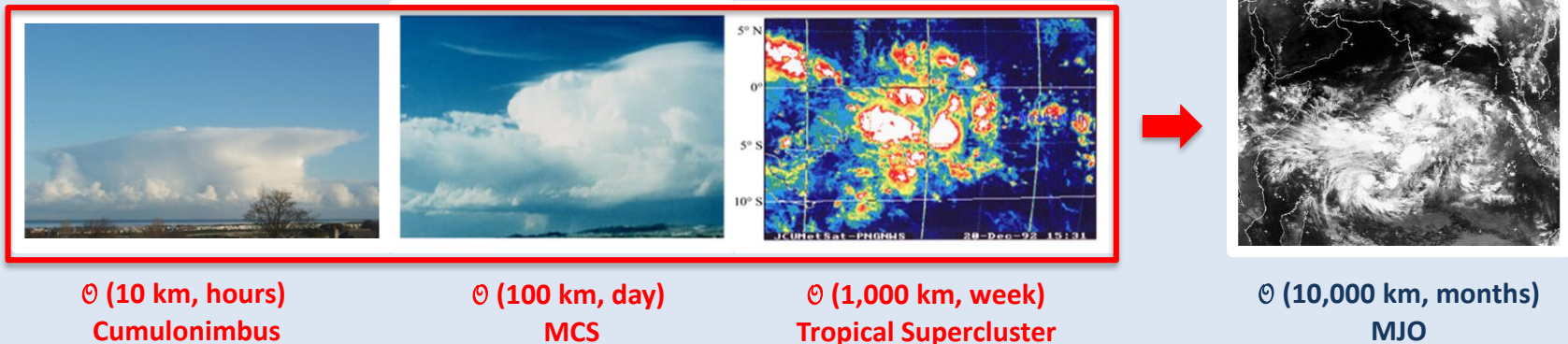
TRMM data indicate that MCSs are:

- Building blocks of the tropical water cycle, multiscale convective variability, etc.
- Embedded in meteorological phenomena that confound GCMs
- Provide >50% of tropical precipitation, >70% in certain regions

Methodology

- Impressive progress made over half-a-century in our knowledge of **organized convection processes** (notably MCSs) *via* field & satellite observations, cloud-system simulations, and dynamical models.
- **Organized convection is missing from GCMs**, being neither resolved nor parameterized despite a key process in weather and climate.
- **Mesoscale convective system parameterization a.k.a. multiscale coherent structure parameterization (MCSP)** incorporate physical & dynamical properties of moist convective organization.
- Effects of a **prototype MCSP** on precipitation distribution, convection-wave interaction, and the MJO in **CAM 5.5** provides proof-of-concept.

Self-similar organized moist convection features important upscale effects (Moncrieff 2004)



Basic Questions

- **Is organized convection parameterizable?**
- **What are the key physical & dynamical principles?**
- **What's the minimalist prototype parameterization?**
- **How does prototype parameterization affect GCMs?**

Parameterization

**Approximate Heat & Momentum Transport
as Functions of Mean-State Variables**

**Moist
Processes**

**Next-Gen GCMs
Cumulus Parameterization
+
MCSP**

MCSP



MCS

**Contemporary GCMs
Cumulus Parameterization**

**Slantwise Layer
Overturning**

**Field Campaign & Satellite
Observations**

**Cloud-system Resolving
Models**

**Lagrangian
Dynamical Models**

**Multiscale Coherent
Structures**

Three Basic Principles

```
graph TD; A([Multiscale Coherent Structures]) --- B[MCSP]; B --- C([Slantwise Layer Overturning]); B --- D([Lagrangian Dynamical Models]);
```

**Multiscale
Coherent Structures**

MCSP

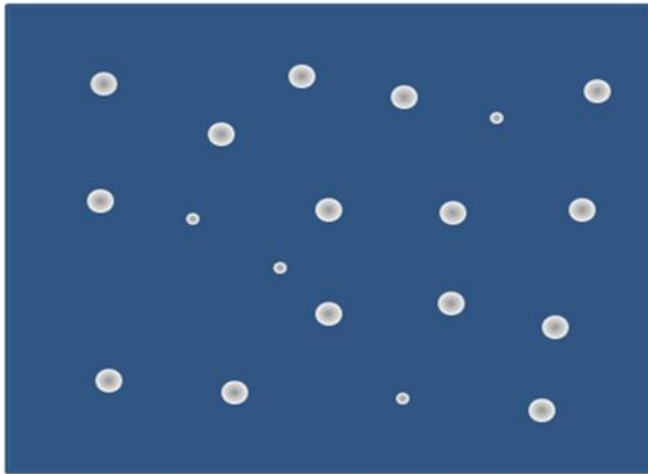
**Slantwise
Layer Overturning**

**Lagrangian
Dynamical Models**

Multiscale Coherent Structures

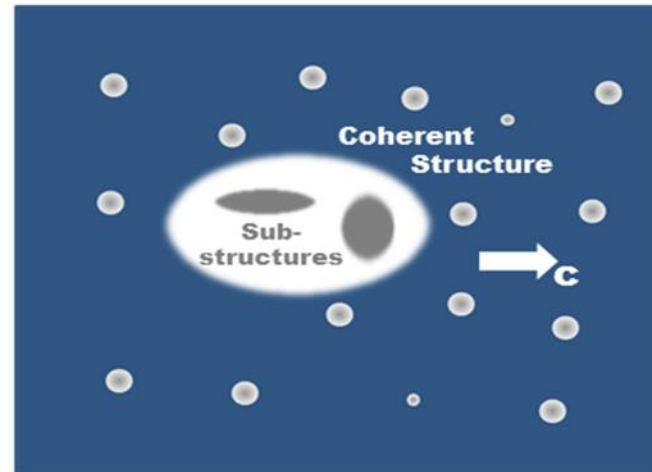
Classical Paradigm

Field of transient cumulus



New Paradigm

Multiscale Coherent Structures Embedded in a Field of Transient Cumulus



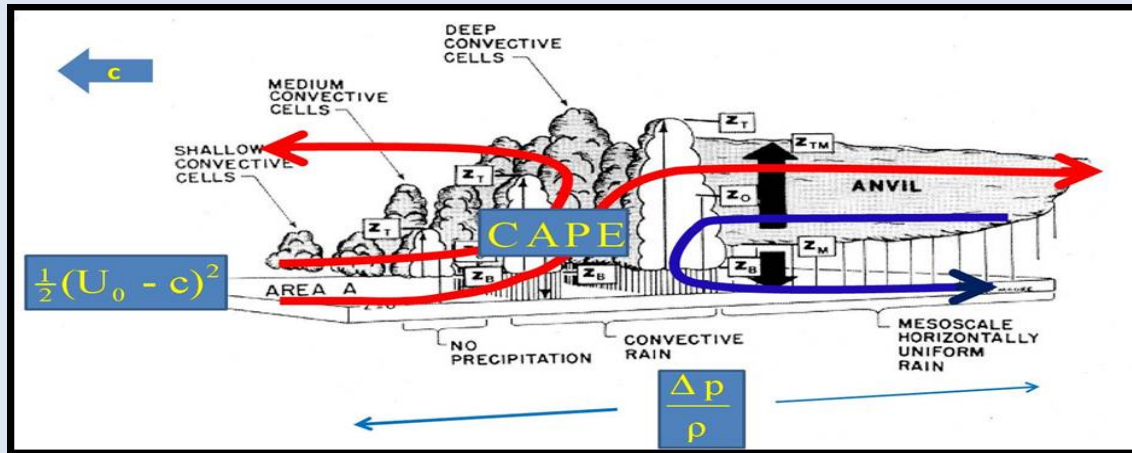
Turbulent Plume



Slantwise Layer Overturning

Sheared Environment

Slantwise Layer Overturning



- Tropospheric layers exchanged, distinct from local turbulent mixing
- Mesoscale pressure gradient (Δp) & vertical shear are forms of energy additional to CAPE:

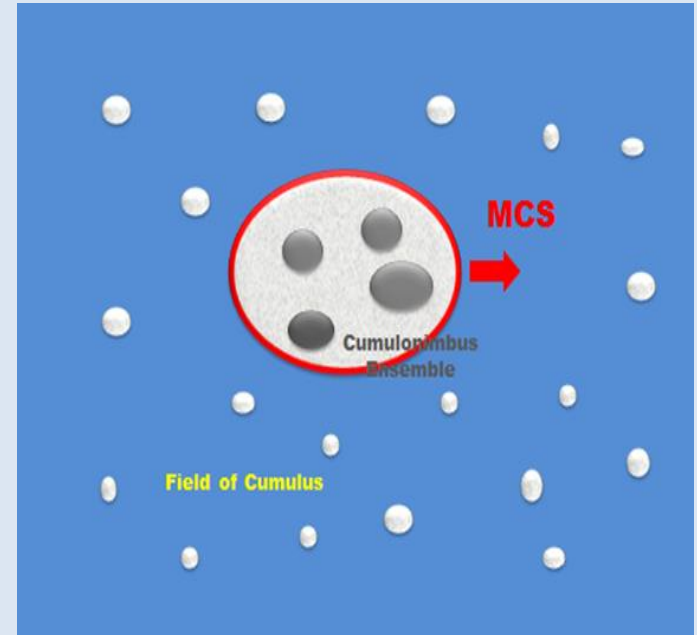
- Available kinetic energy $AKE = \frac{1}{2} (U_0 - c)^2$
- Pressure-gradient work $APG = \Delta p / \rho$

- Key mean-state parameters, $R = CAPE/AKE$ & $E = APG/AKE$
- Distinctive non-diffusive heat & momentum transport

Lagrangian Dynamical Models

Lagrangian slantwise layer overturning models approximate coherent structures that propagate steadily in system-relative coordinates and also incorporate bothersome partial derivatives:

$$\frac{D}{Dt} = \frac{\partial}{\partial x} + \frac{\partial}{\partial y} + \frac{\partial}{\partial z}$$



- Transform the nonlinear equations into exactly integrable form, $DF_i/Dt = 0$
- Integration along trajectories (ψ) provides a set of conserved quantities, $F_i = C_i(\psi)$
- Lagrangian models provide transports of mass, energy, momentum, vorticity, etc.
- Cloud-system resolving model & field-campaign analyses provide verification

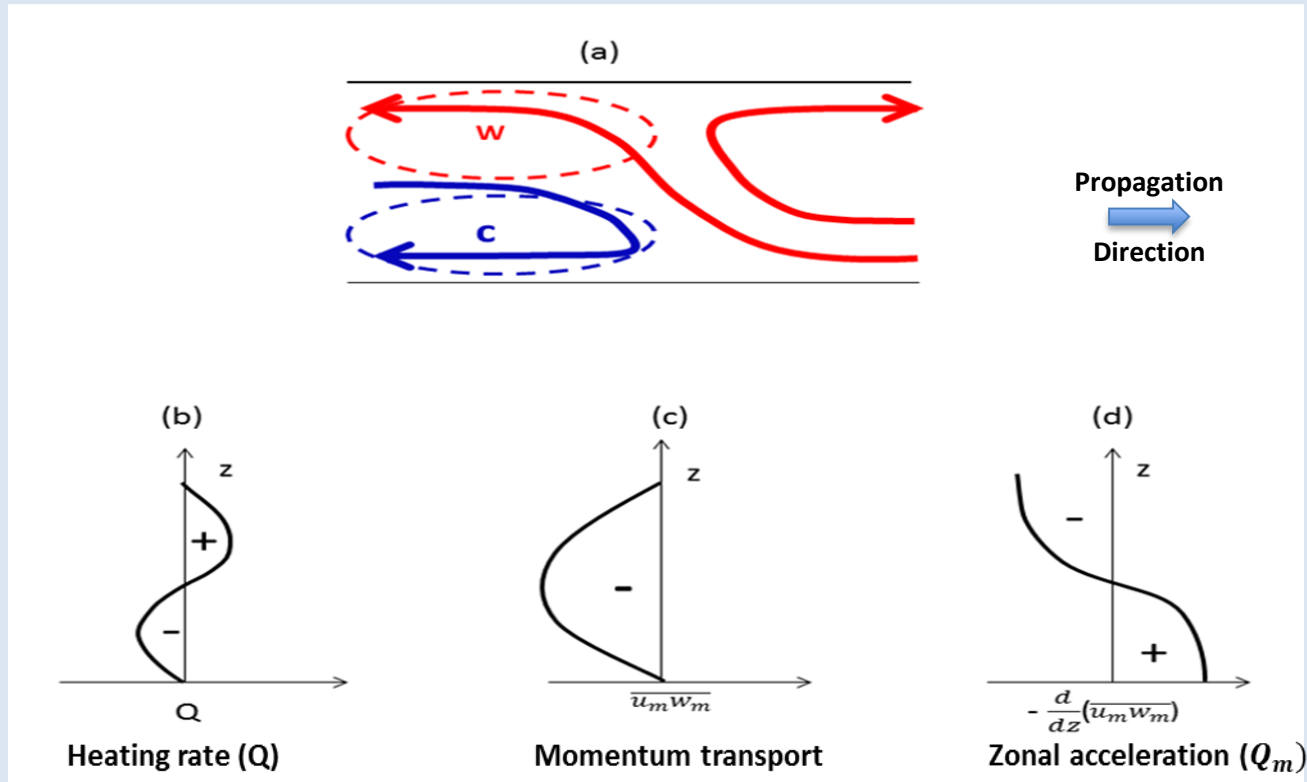
Prototype MCSP

- **Canonical formulation**
 - **1st and/or 2nd baroclinic (top-heavy) mesoscale heating**
 - **1st baroclinic acceleration by momentum transport**
- **Add the “missing process” of mesoscale slantwise layer overturning to the existing cumulus parameterization, i.e.,**

$$\left[\frac{\delta}{\delta t}\right]_{total} = \left[\frac{\delta}{\delta t}\right]_{cumulus} + \left[\frac{\delta}{\delta t}\right]_{mesoscale}$$

- **Large-scale effects of organized convection unambiguously measured as differences between GCM runs with & without MCSP**
- **Minimal computational overhead**

Prototype Heat & Momentum Transport



$$Q(p, t) = Q_c(t) \left[\alpha_1 \sin \pi \frac{p_s - p}{p_s - p_t} - \alpha_2 \sin 2\pi \frac{p_s - p}{p_s - p_t} \right]$$

1st baroclinic
2nd baroclinic

$$Q_m(p, t) = \alpha_3 \cos\left(\frac{p_s - p}{p_s - p_t}\right)$$

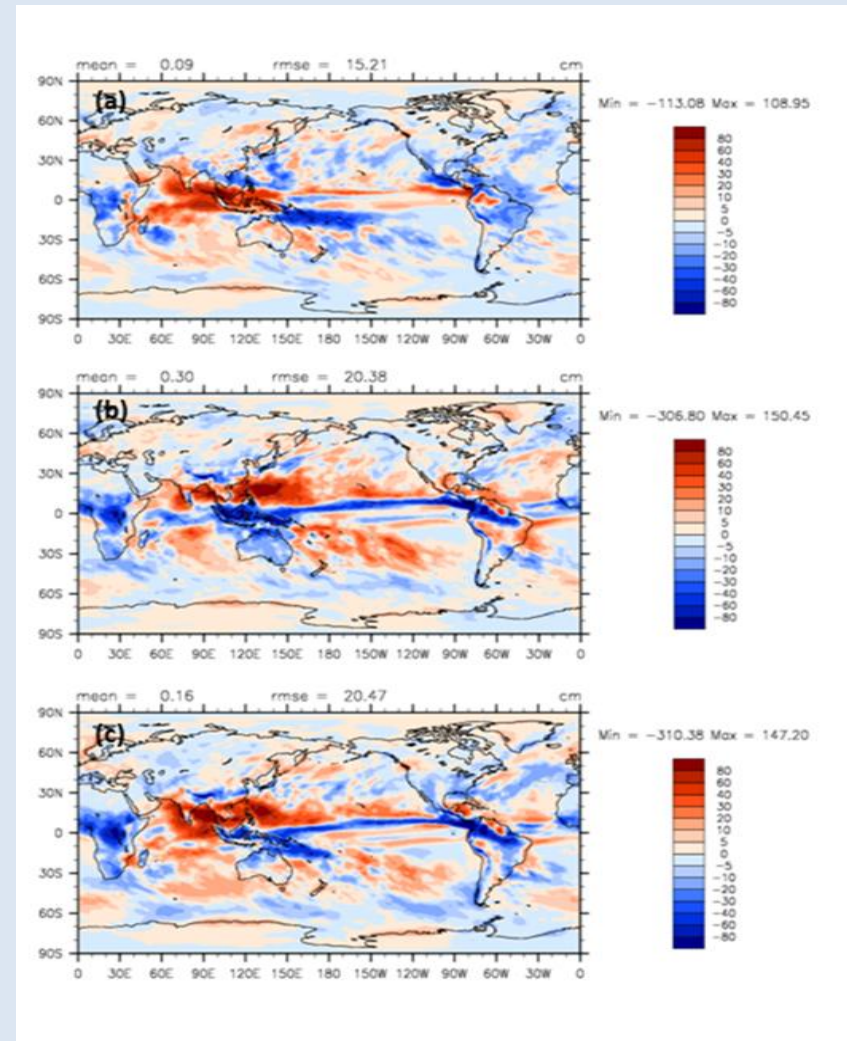
1st baroclinic

Effects of MCSP on Annual Precipitation (8-years)

1st Baroclinic momentum transport

2nd Baroclinic heating

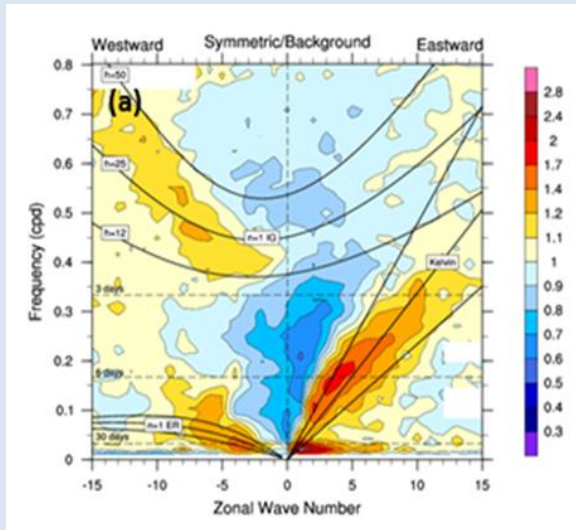
Momentum transport & heating



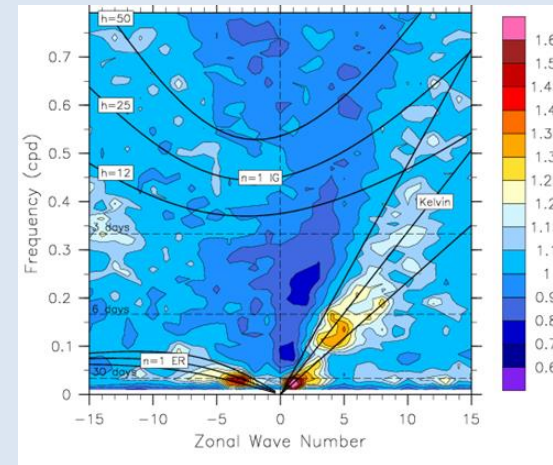
EFFECTS OF MCSP: DIFFERENCE BETWEEN CAM RUNS WITH & WITHOUT MCSP

Moncrieff, Liu, and Bogenschutz (2017)

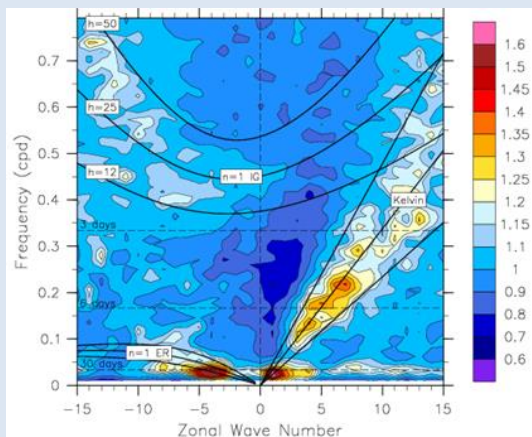
Effects of MCSP on Tropical Waves (8 years)



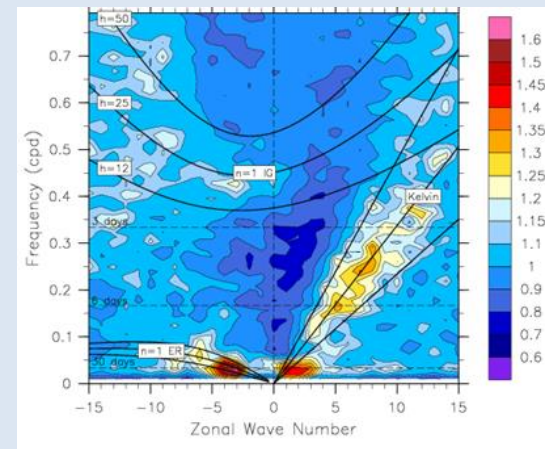
NCEP Reanalysis



CAM 5.5 Control



MCSP: 2nd Baroclinic Heating
($\alpha_1 = 0, \alpha_2 = 1$)



MCSP: 2nd Baroclinic Heating &
Momentum Transport ($\alpha_3 = 1$)

Conclusions

- **Prototype MCSP:**
 - Organized convection indeed a 'parameterizable' process
 - Precipitation, convection-wave interaction, MJO consistent with TRMM
 - Organized heat & momentum transport effects are distinct
 - Unified cumulus & organized convection parameterization
 - Computationally efficient, useable in long-run GCMs
 - Implement in E3SM, focus on momentum transport

- **Next-gen MCSP :**
 - Incorporate shear selection criteria
 - Investigate impact on coupled GCMs
 - Cumulonimbus -> MCS -> Supercluster invariance
 - Scale-selection mechanisms for upscale evolution
 - Implications for convective parameterization 'gray zone'
 - Organized convection in subseasonal-to-seasonal context
 - Gravity-wave generation by propagating convective systems

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