Energizing Turbulence Closures in Ocean Models

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https://ocean-eddy-cpt.github.io/

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Main goals:

- Improve parameterizations of mesoscale eddies in ocean models though energetics
- Focus on linking (new) momentum, buoyancy, and eddy energy closures, constrained by observations
- Targeting resolution-, scale- and flowaware implementations in ocean models (MOM6 at GFDL and NCAR, and MPAS)



 Today: I will focus on the motivation and a subset of work being carried out as part of the ocean eddy CPT

Energy Cycle

- Sources, sinks and transfer of energy across scales:
 - ➡ are key to maintain the circulation & transport in the ocean
 - (e.g., Wunsch & Ferrari 2004; Ferrari & Wunsch 2009)



adapted from Salmon, 1998 & Vallis, 2006; Zanna et al 2020

Wind + Buoyancy Work

Energy Cycle

- Sources, sinks and transfer of energy across scales:
 - are key to maintain the circulation & transport in the ocean (e.g., Wunsch & Ferrari 2004; Ferrari & Wunsch 2009)
 - ➡ impact the lateral and vertical transport in global models (e.g., Kjellsson & Zanna, 2017)



Energy Cycle & Mesoscale Eddies

- Mesoscale eddies are a major player in the energy cycle:
 - ⇒ extract energy from the mean flow
 - ➡ form the bulk of the kinetic energy in the ocean
 - ➡ transfer of kinetic energy across scales





adapted from Salmon, 1998 & Vallis, 2006; Zanna et al 2020

Energy Cycle & Eddy Parameterizations

- Gent-McWilliams (1990): mimics baroclinic instability
 - extremely successful in reducing spurious convection & mixing
 - ➡ net sink of available potential energy
 - ➡ no accounting of eddy energy





Small Scale



adapted from Salmon, 1998 & Vallis, 2006; Zanna et al 2020

Keeping track of eddy energy

- Using a prognostic equation for eddy energy
- 3D or 2D (depth-averaged) mesoscale eddy kinetic energy equation (e.g., Cessi 2008; Eden & Greatbatch, 2009; Marshall & Adcroft 2010; Jansen et al 2019)

$$\frac{\partial}{\partial t}E =$$
Sources + Sinks + Transport

• For example, the eddy energy can be used to inform the Gent-McWilliams coefficient (e.g., Adcroft et al., 2019; and more advanced energy framework of Marshall et al. GEOMETRIC)

➡ But

1) we are still missing some energy pathways

2) we must consider the increase in horizontal resolution of global models (at the deformation scale) - *resolution-aware*

3) we need to rethink momentum closures - scale- & flow-aware

Energy Cycle & Eddy Parameterizations

- Transfer of available potential energy into resolved kinetic energy
- Backscatter/Inverse kinetic energy cascade

Wind + Buoyancy Work



adapted from Salmon, 1998 & Vallis, 2006; Zanna et al 2020

Potential Energy into resolved kinetic energy

New schemes which re-injects available potential energy removed by Gent-McWilliams into resolved scales (Bachman 2019; Jansen et al 2019)

Jansen et al 2019

Mimicking both baroclinic instability & energy backscatter

Bachman 2019

 $\log_{10} \text{KE} (\text{m}^2 \text{s}^{-2})$ **Resolved PE** $150\,\mathrm{km}$ a) GM, $\Delta x = 2.5L$ GM, $\Delta x = 0.5L$ Unresolved KE Resolved Wind-driven informs GM geostrophic overturning "eddies" $100 \, \mathrm{km}$ Bih.Viscosity Wind Sub-grid KE **Resolved KE** stress Backscatter sub-grid Bottom friction $50 \,\mathrm{km}$ dissipation 10⁻³ $0 \,\mathrm{kn}$ $150\,\mathrm{km}$ d) GM+E, $\Delta x = 2.5L_d$ e) GM+E, $\Delta x = L_d$ f) GM+E, $\Delta x = 0.5L_c$ 10⁻⁴ 100 km-1/16 $1/2^{\circ} \nu_{a}$ only 1/2[°] MEKE GM + BS $50 \, \mathrm{km}$ -1/2[°] OM4p5 10⁻⁷ 1/2° MEKE GM $1/2^{\circ}$ K_{GM}=800 m²/s $0 \,\mathrm{km}$ -10⁻⁸ 1/2 K_{GM}= α sN Δ^2 $0\,\mathrm{km}$ $20\,\mathrm{km}$ $0\,\mathrm{km}$ $20\,\mathrm{km}$ $0\,\mathrm{km}$ $20\,\mathrm{km}$ 1/40 1/201/10 1/5 1/2 1/1 -7 -6.5 -6 -4.5 -5.5 -5 k/2*π* [°⁻¹]

both use anti-viscosity in the momentum equation, is it the most appropriate form?

Kinetic Energy Backscatter/ Momentum Closures

Stochastic closures (e.g., Berloff 2005; Brankart 2013; Porta Mana & Zanna, 2014)

- Non-Newtonian closures:
 - ➡ Jet rectification & sharpening via upgradient momentum fluxes (Starr 1963, Shutts 1986)
 - ➡ Flow- & Scale-Aware



Mana & Zanna, 2014; Anstey & Zanna, 2017; Zanna et al 2017



Concluding Remarks

- Lack of a physically-consistent energy cycle impacts simulated ocean circulation
- Recent eddy turbulence closures targeting energy transfers have shown a reduction in biases in ocean transport **in idealized simulations**



- Lack of a physically-consistent energy cycle impacts simulated ocean circulation
- Recent eddy turbulence closures targeting energy transfers have shown a reduction in biases in ocean transport in idealized simulations
- Challenges ahead, in addition to implementation in global models (which is underway as many of the parameterizations are implemented in MOM6):
 - Can observations & global high-resolution simulations help constrain the partitioning of energy and its pathways?
 - ➡ Which momentum closure increases the fidelity of the energy cycle?
 - What is the impact of the vertical structure of eddy energy on transport?

There is a need for observationally-constrained & unified buoyancy and momentum closures, via energetics, for a robust scale- and flow-aware implementation in IPCC-class models