

Dynamical Effects of a Stochastic Parameterization to Account for Uncertainties in the Horizontal Density Gradient of a Coarse-Resolution Ocean Model (MOM6)

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The background image shows a vast, frozen landscape from an aerial perspective. The ground is covered in a mix of white snow and dark, irregular patterns that suggest the outlines of fields or roads. In the distance, a range of hills or mountains is visible under a sky filled with heavy, grey clouds.

Introduction

SGS T & S Variability with Nonlinear Seawater EOS

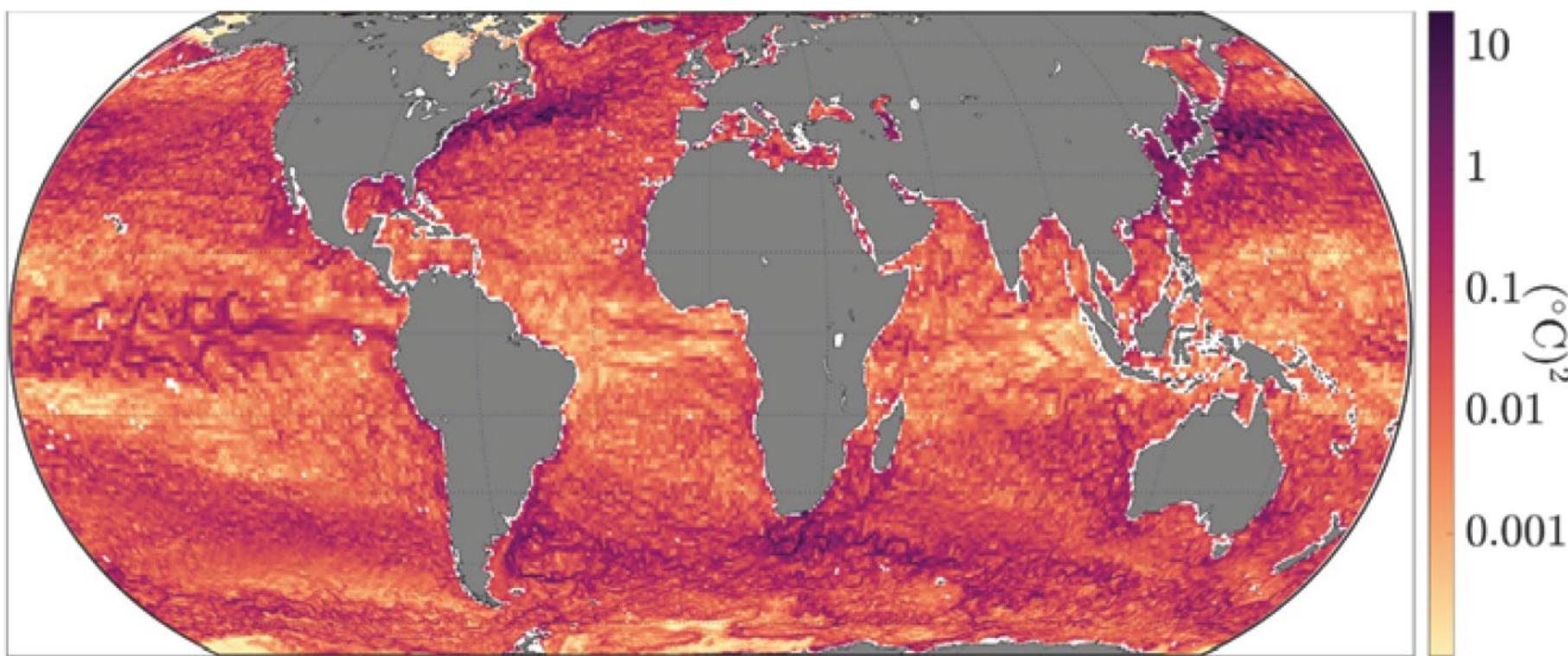
- $T = \bar{T} + \Delta T, \quad S = \bar{S} + \Delta S$
- Coarse-resolution ocean model:
 $\rho_m = \hat{\rho}(\bar{T}, \bar{S})$
- Grid-cell mean density:
$$\bar{\rho} = \frac{1}{V} \int_G \hat{\rho}(\bar{T} + \Delta T, \bar{S} + \Delta S) \, dx$$
$$\bar{\rho} \approx \rho_m + \frac{\partial_T^2 \hat{\rho}(\bar{T}, \bar{S})}{2} \sigma_T^2$$
- See *Stanley et al. (2020)*

$$\bar{T}, \bar{S}$$

		T_i, S_i	

Unresolved SGS Temperature Variability

T Variance on $\sim 1^\circ$ Grid Diagnosed from $\sim 0.1^\circ$ POP Model

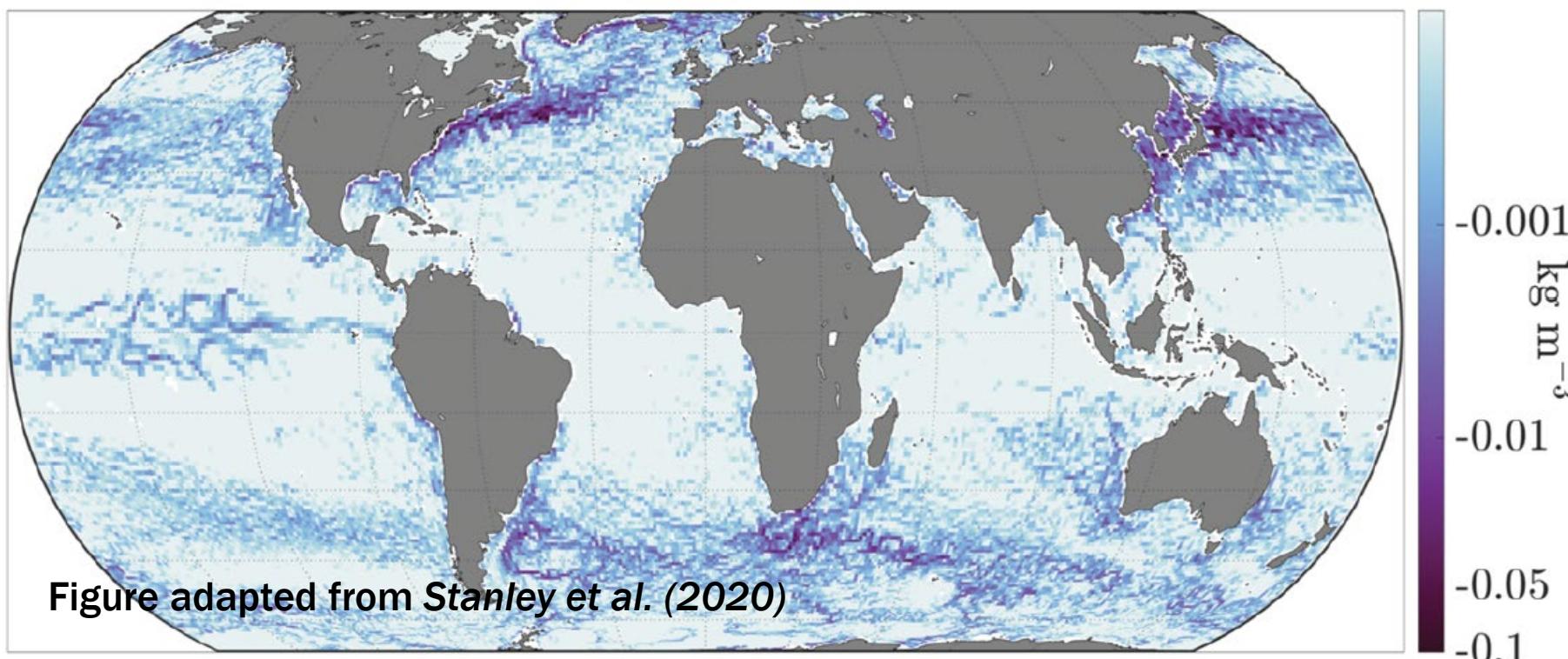


$$\sigma_T^2 \approx \sum_{i=1}^N w_i (\Delta T_i)^2$$

Figure adapted from Stanley et al. (2020)

Potential Density Correction

ρ Correction on $\sim 1^\circ$ Grid Diagnosed from $\sim 0.1^\circ$ POP Model



Brankart (2013): A stochastic parameterization improves WBC separation, SSH field

Stanley (2020)

Parameterizations of SGS T Variance

- Deterministic parameterization:

$$\sigma_T^2 \approx c |\delta x \circ \nabla \bar{T}|^2$$

- Stochastic parameterization:

$$\sigma_T^2 \approx ce^\chi |\delta x \circ \nabla \bar{T}|^2$$

- χ given by an AR-1 process

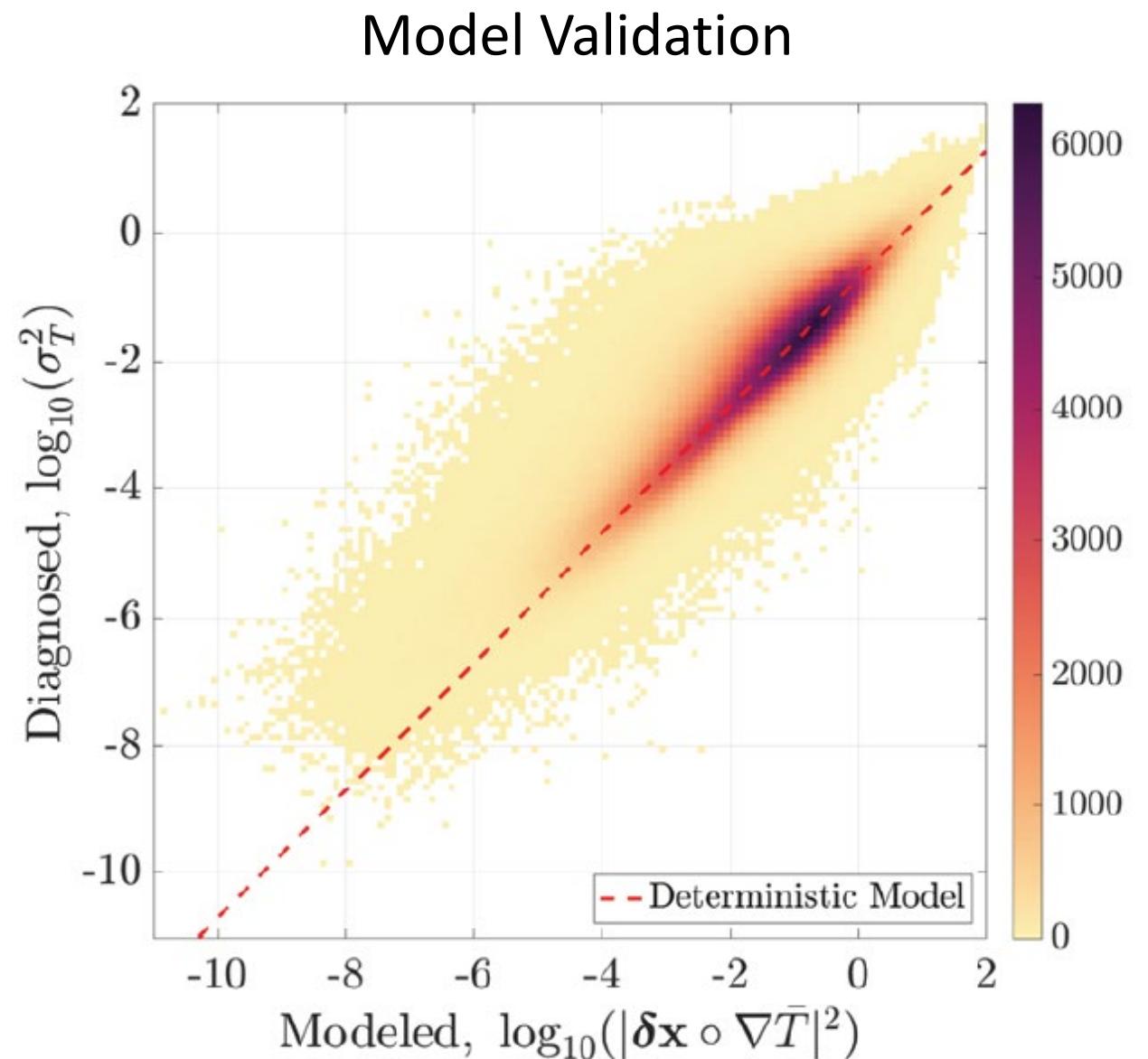


Figure adapted from Stanley et al. (2020)

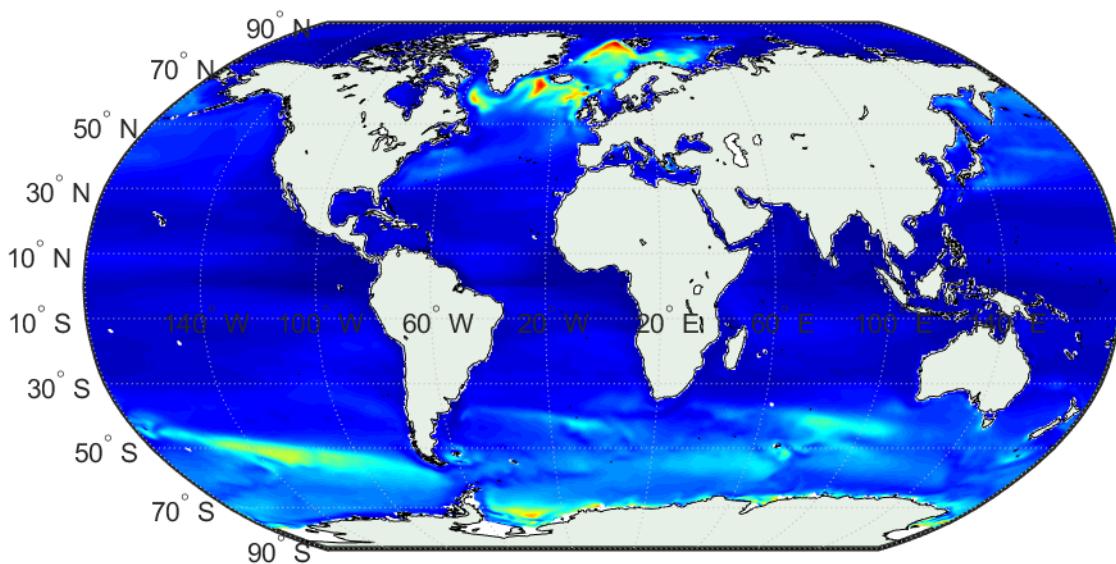
Experimental Configuration

- MOM6 + CICE 5
- 1-cycle JRA-55 forcing (1958-2015)
- Global domain
- $\sim 0.66^\circ$ horizontal resolution
- 65 z^* vertical layers
- Branch from existing “best” simulation

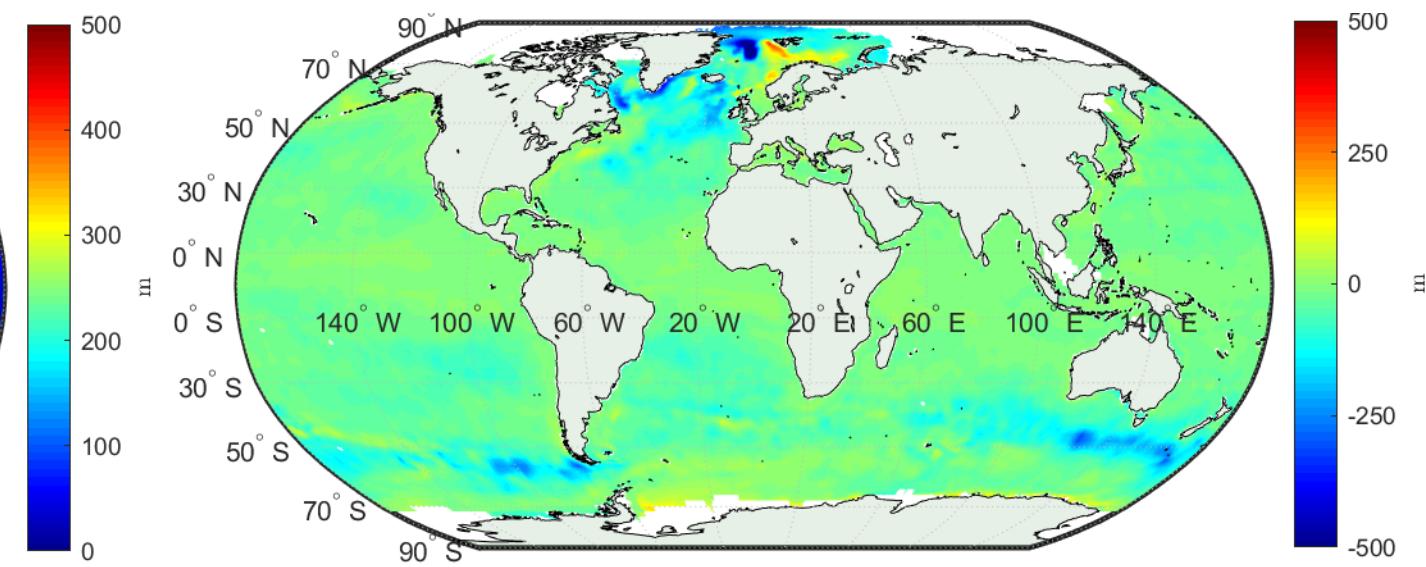
#	Experiment	Description
1	Control	None
2	Det	Deterministic PGF & GM
3	Det PGF	Deterministic PGF Only
4	Det GM	Deterministic GM Only
5	Stoch	Stochastic PGF & GM
6	Stoch PGF	Stochastic PGF Only
7	Stoch GM	Stochastic GM Only

Winter (JFM/JAS) Mixed Layer Depth

Control

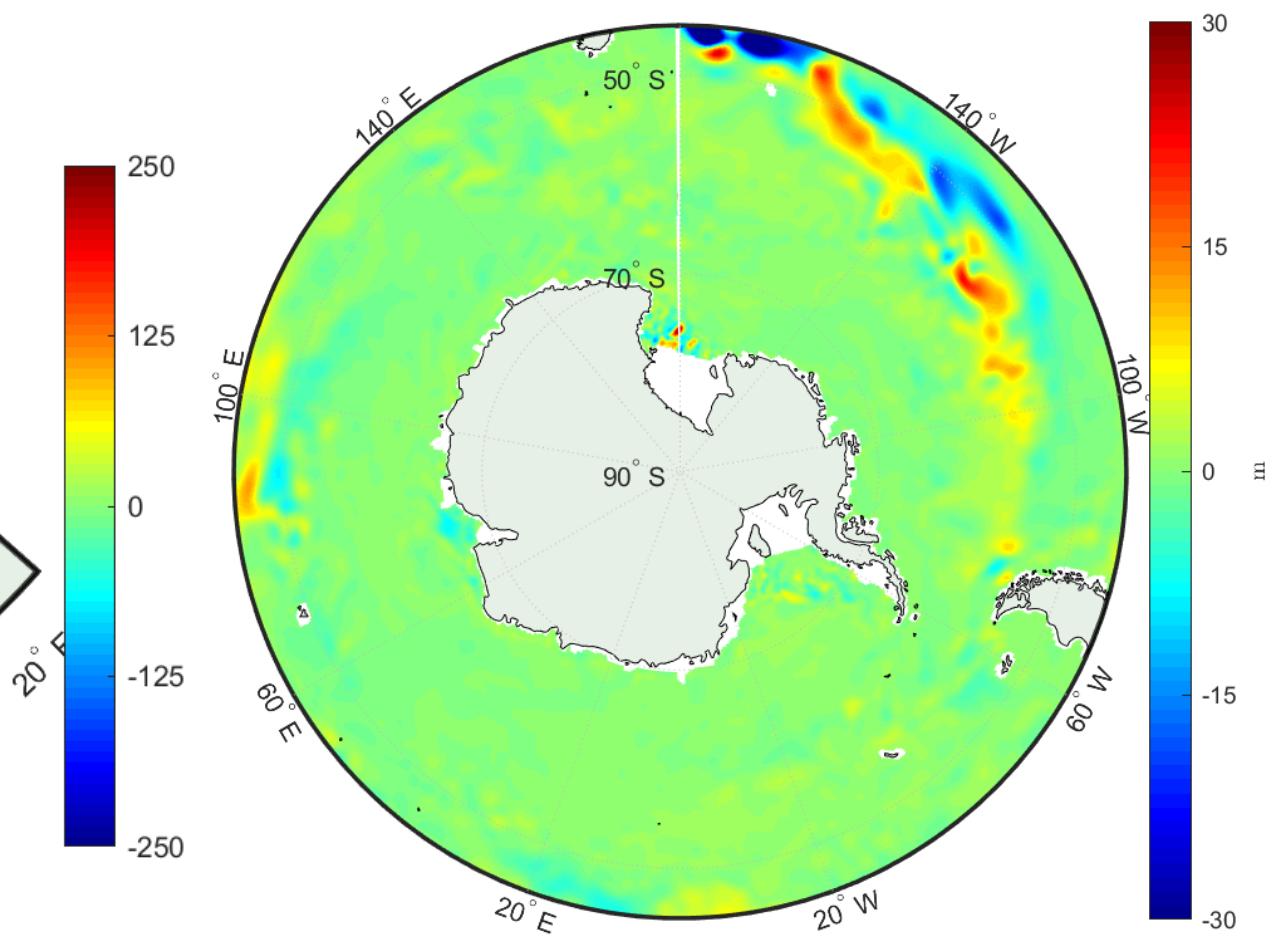
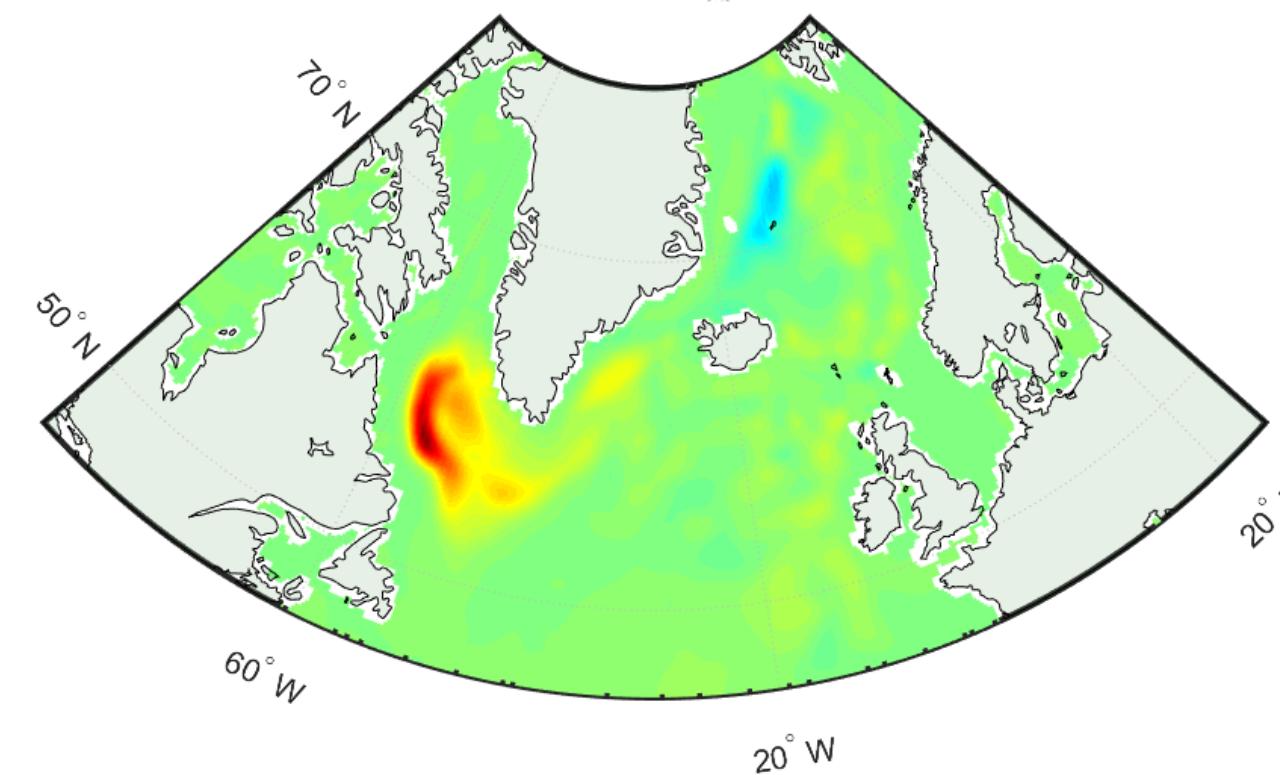


Control – deBoyer (2004) Clim



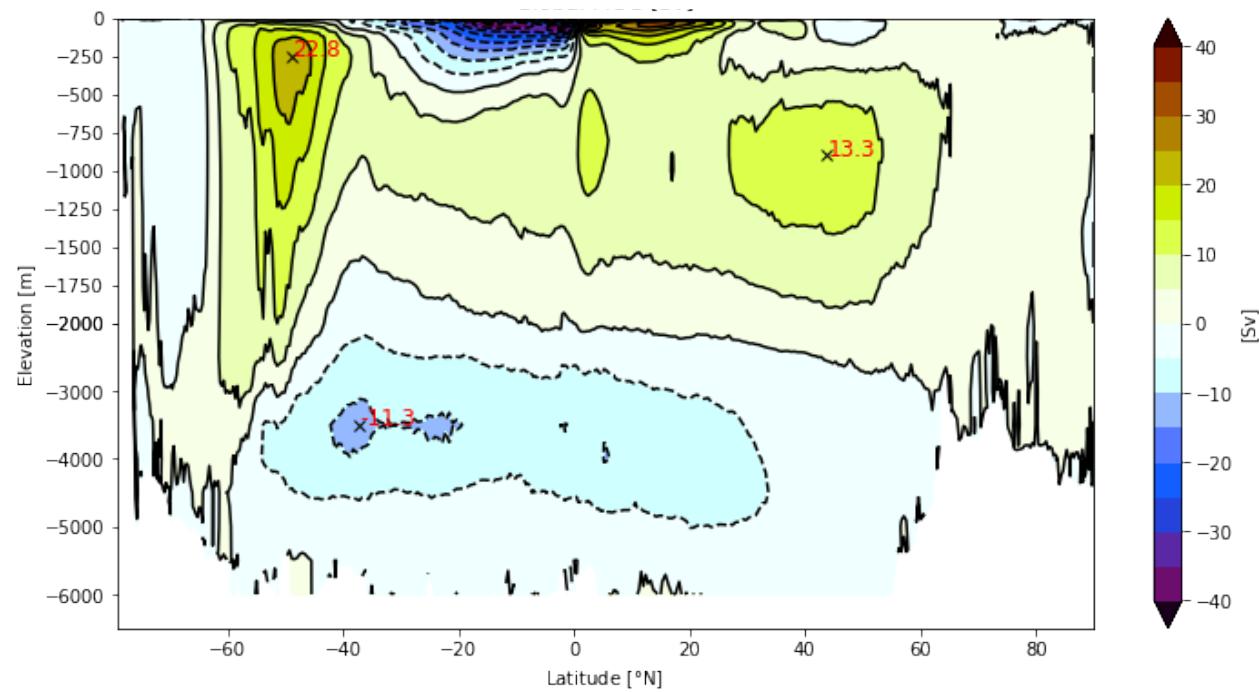
Winter (JFM/JAS) MLD Change

Expt - Control

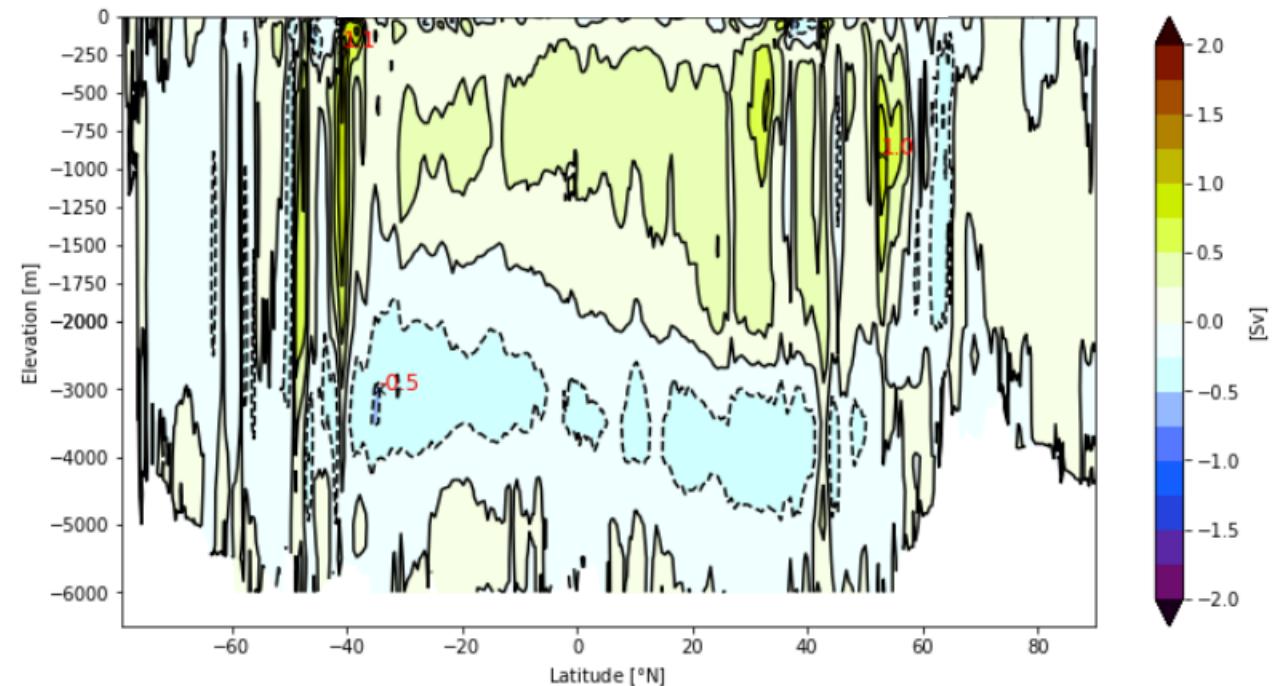


Global Overturning Streamfunction

Control



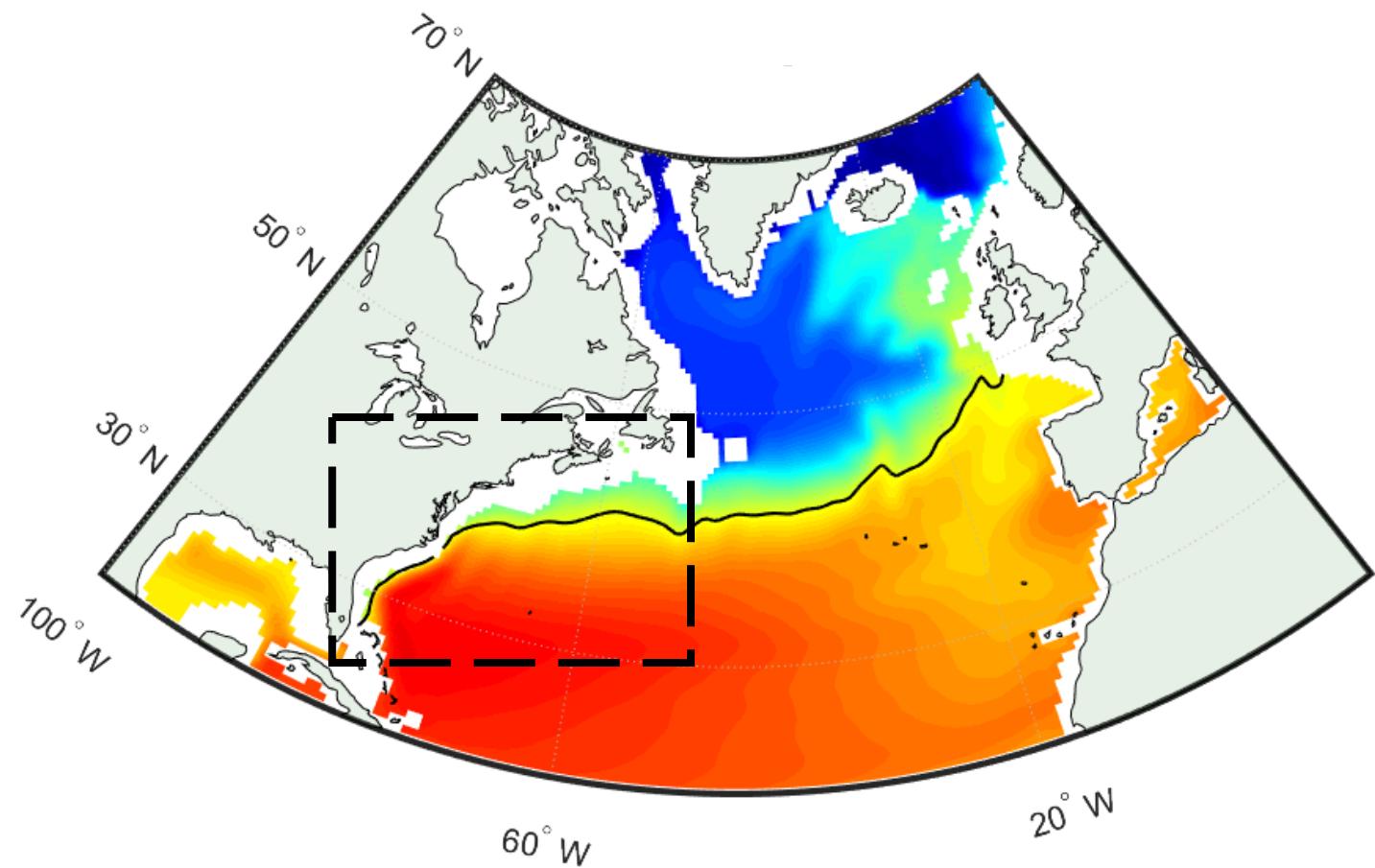
Expt - Control



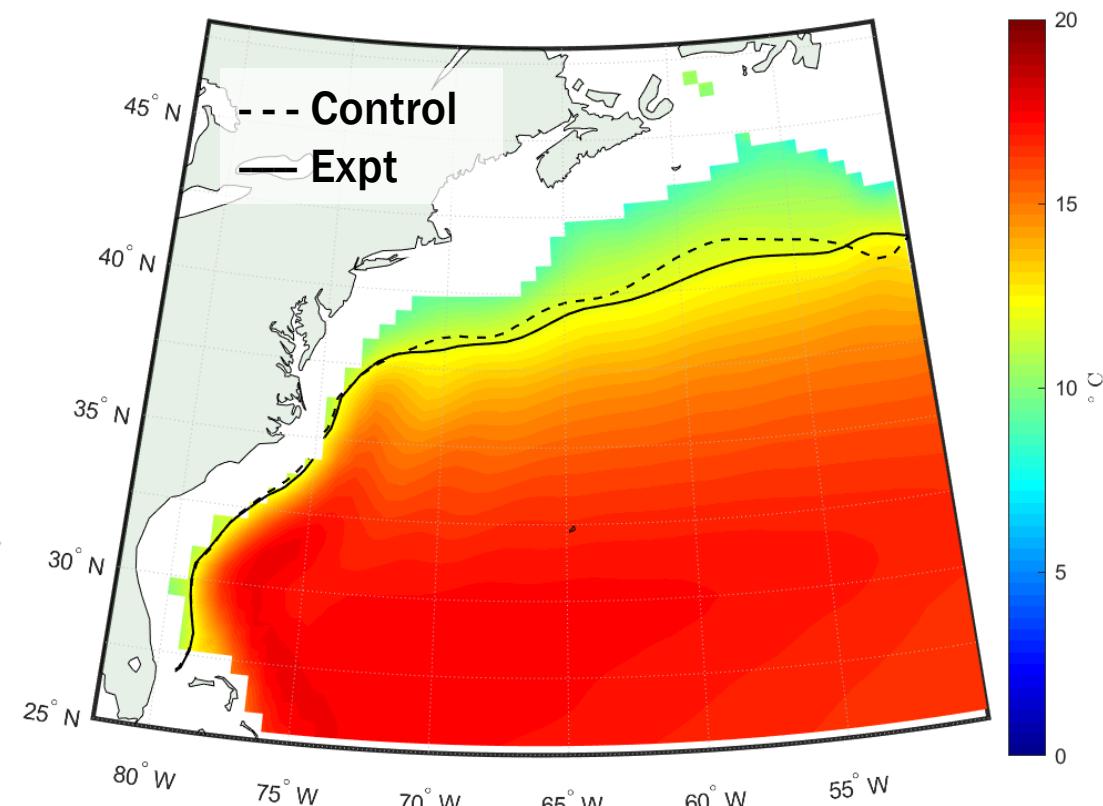
Thanks to Gustavo Marques for visualization tools

Gulf Stream Path – Potential Temperature (400 m)

Control

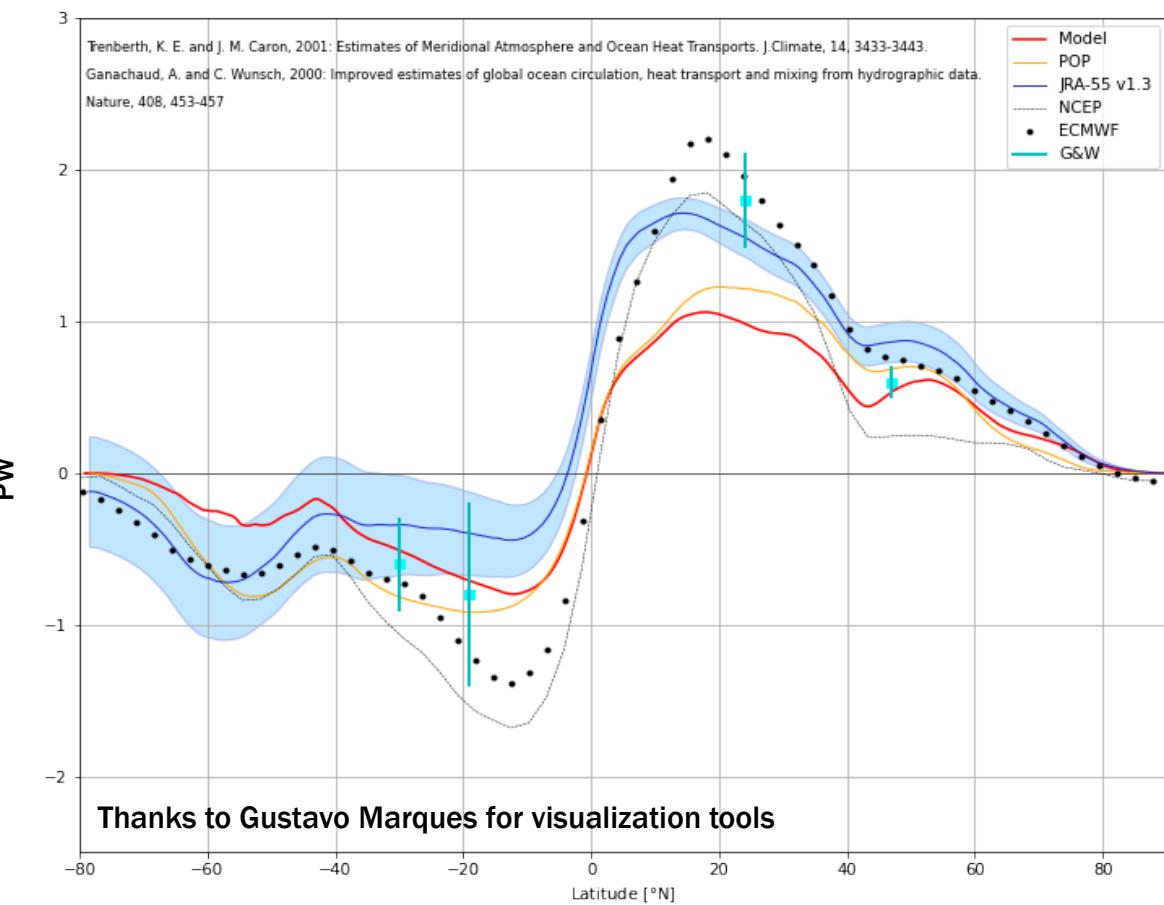


Expt

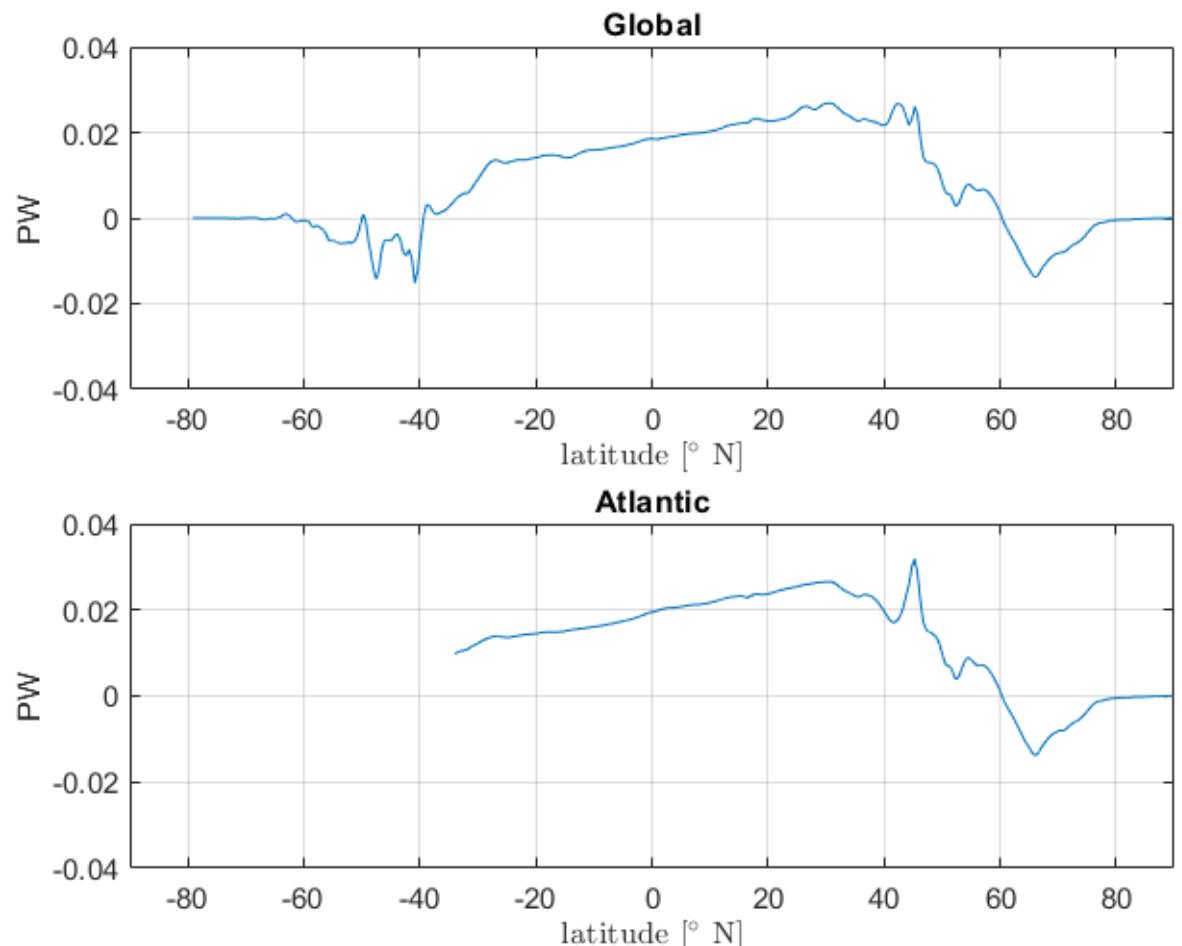


Meridional Heat Transport

Control

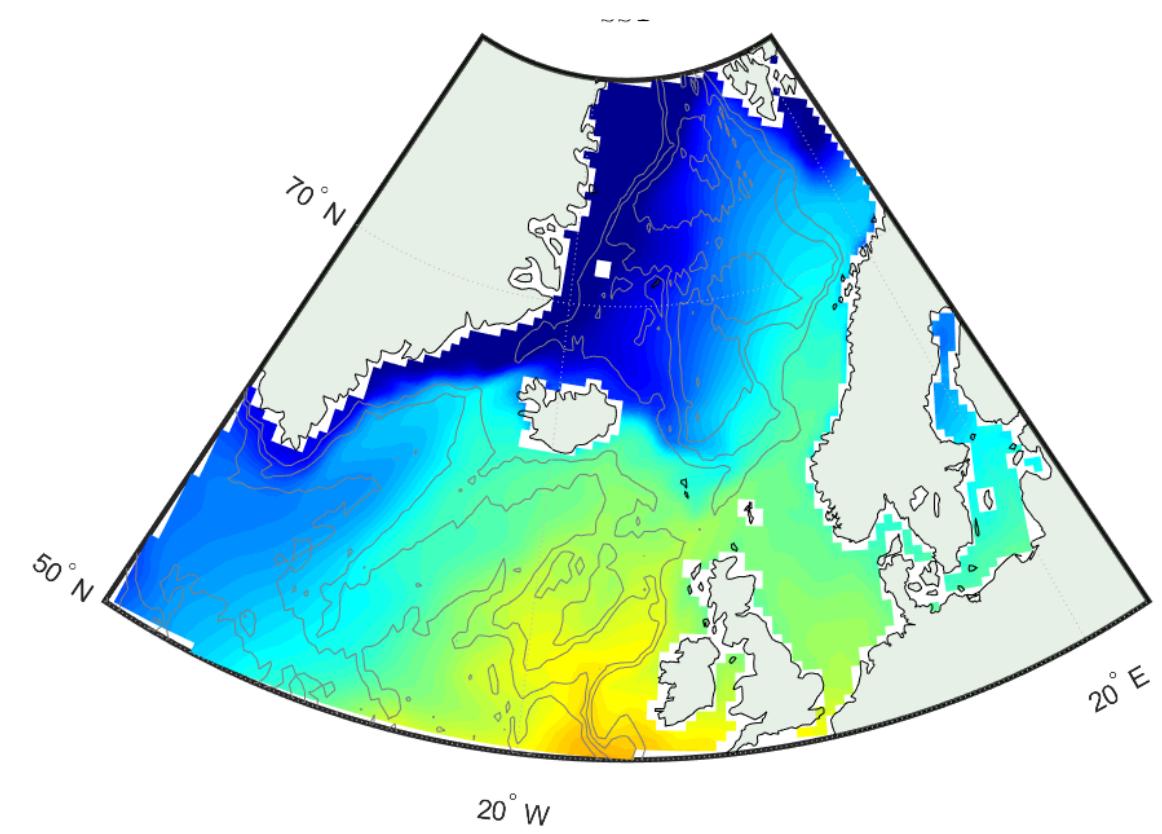


Expt - Control

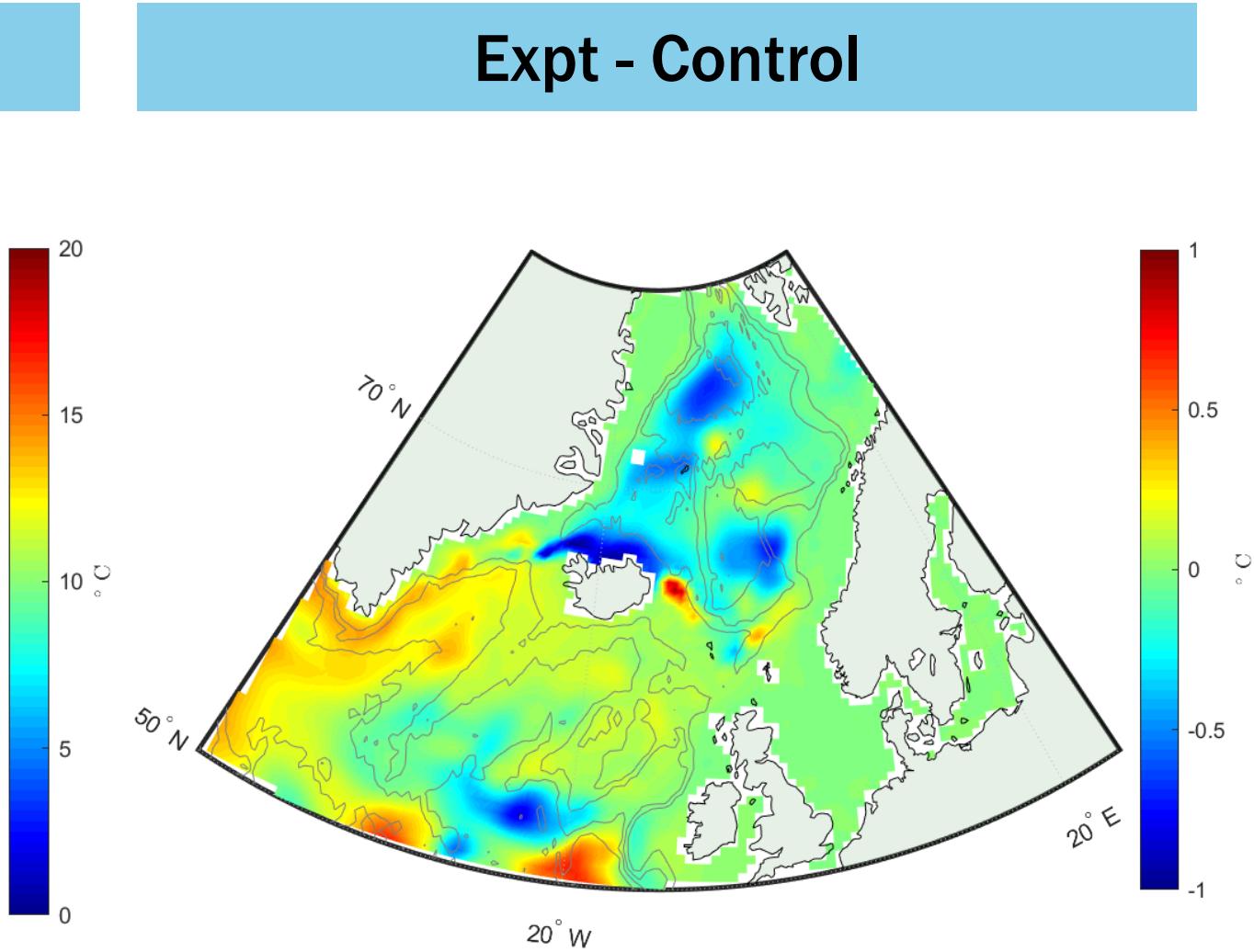


Nordic Seas SST

Control

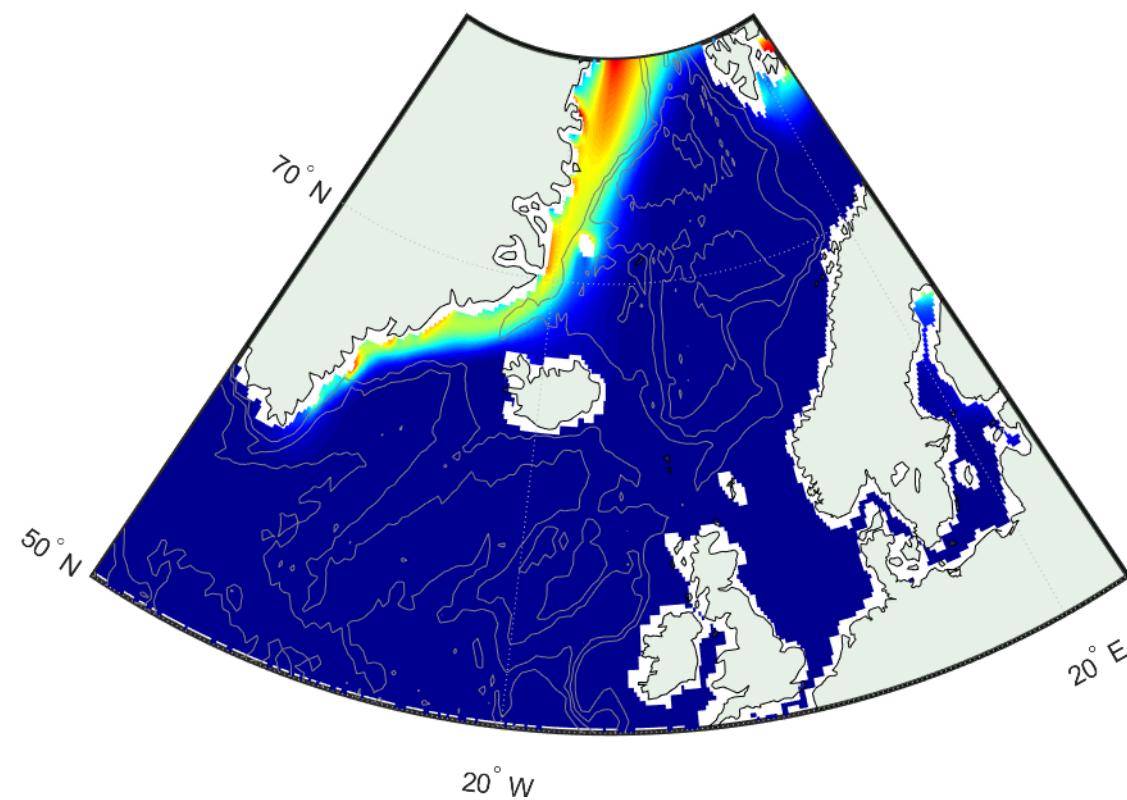


Expt - Control

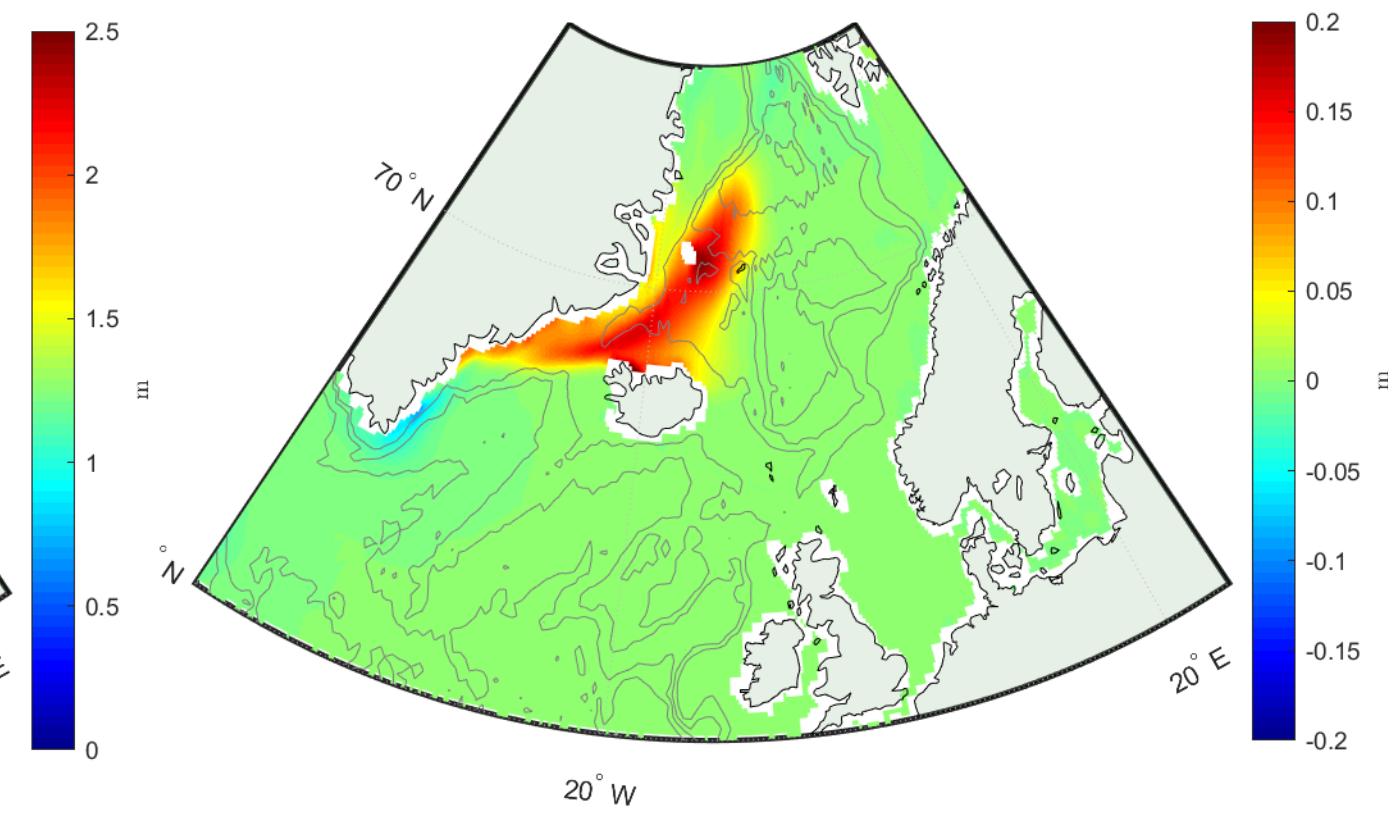


Nordic Seas JFM Sea Ice Thickness

Control

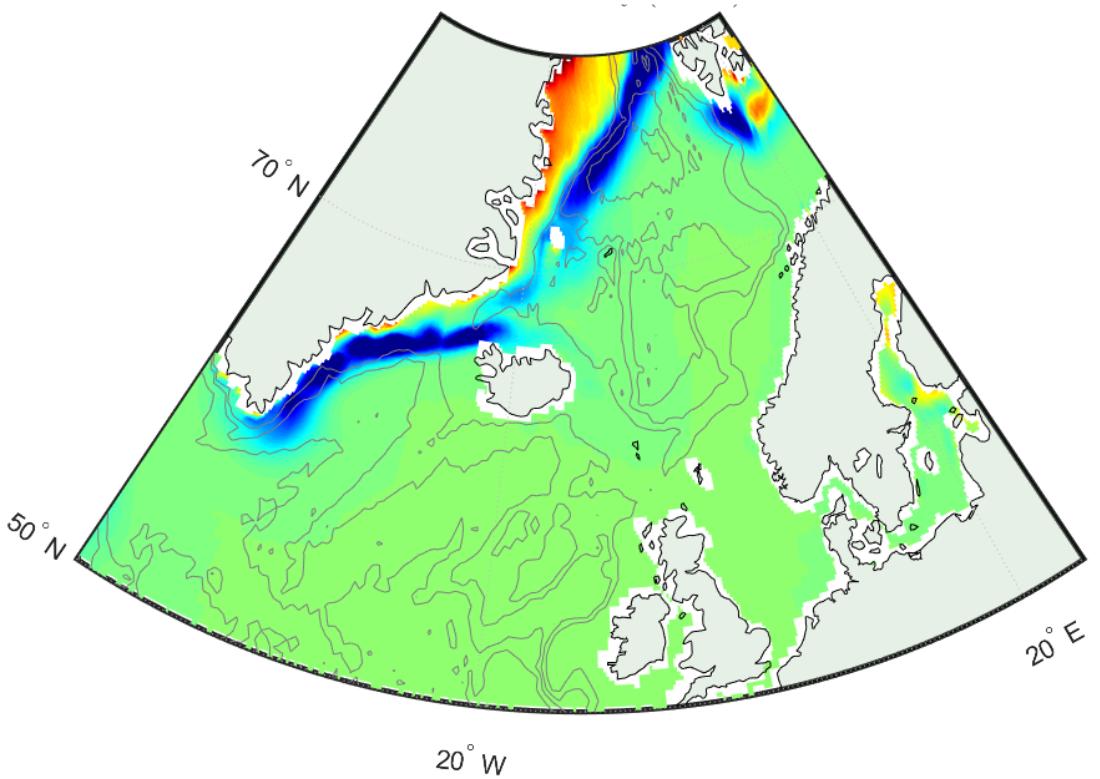


Expt - Control

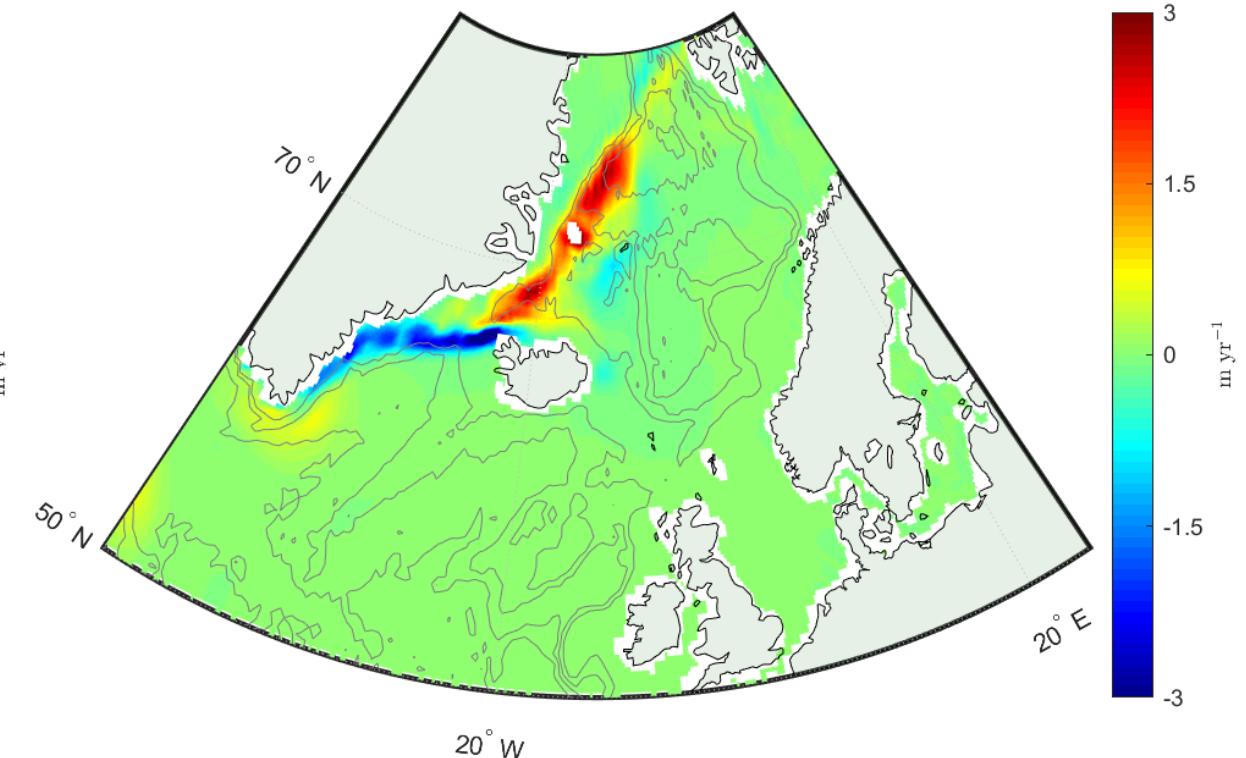


Nordic Seas JFM Sea Ice Growth Rate

Control



Expt - Control



Summary & Conclusions

- Implementing and testing two parameterizations of the unresolved SGS temperature variability in coarse-resolution MOM6 to reduce uncertainties in the horizontal density gradient
- Stochastic parameterization:
 - Increases wintertime MLDs in the Labrador Sea & Southern Ocean
 - Increases MOC transport
 - Increases Global & Atlantic PWT at mid-latitudes; decreases at high latitudes
 - Improves representation of Gulf Stream path
 - Leads to cooling & sea ice increase in the Nordic Seas

The background image shows an aerial view of a vast, frozen landscape. The ground is covered in white snow, with numerous dark, irregular shapes representing fields or bodies of water. In the distance, a range of mountains is visible under a sky filled with large, white, billowing clouds.

Extra Slides

Brankart (2013) Stochastic Parameterization

- Stochastic parameterization of ρ in buoyancy force:

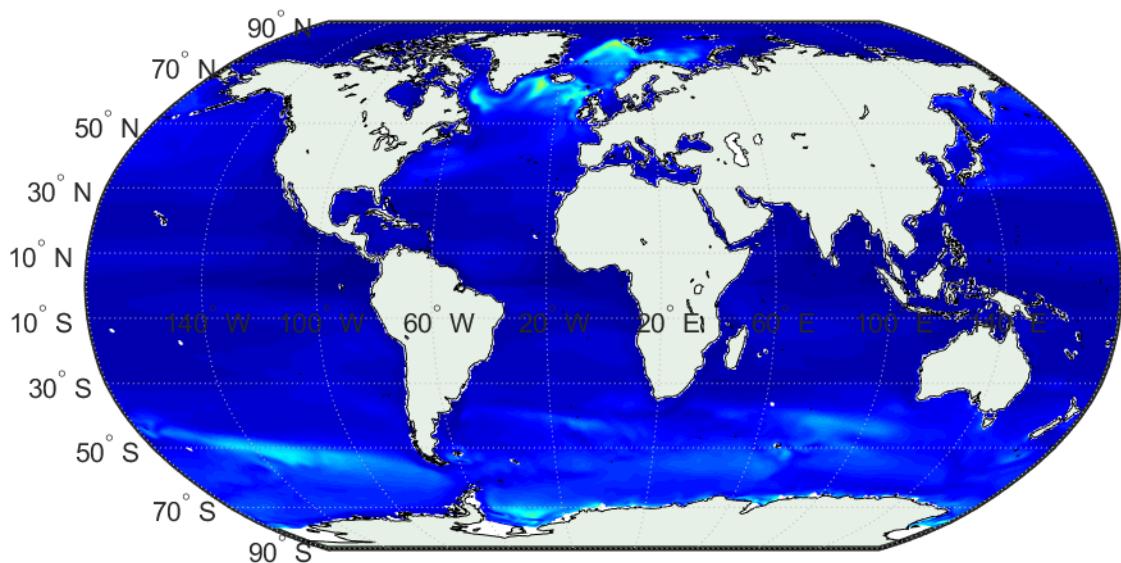
$$\bar{\rho} = \frac{1}{2p} \sum_{i=1}^p [\hat{\rho}(\bar{T} + \xi_i \cdot \nabla T, \bar{S} + \xi_i \cdot \nabla S) + \hat{\rho}(\bar{T} - \xi_i \cdot \nabla T, \bar{S} + \xi_i \cdot \nabla S)]$$

- ξ given by an AR-1 process

- Tested in ORCA $\sim 2^\circ$ horizontal resolution model
- Improved bias in separation latitude of Gulf Stream, Kuroshio Current
- $2p$ evaluations of nonlinear EOS

Winter MLD

Control



deBoyer Climatology

