

# **Why Complex pfts Will be Needed to Correctly Describe the Intensity of Incident Solar Radiation on Individual Leaves**

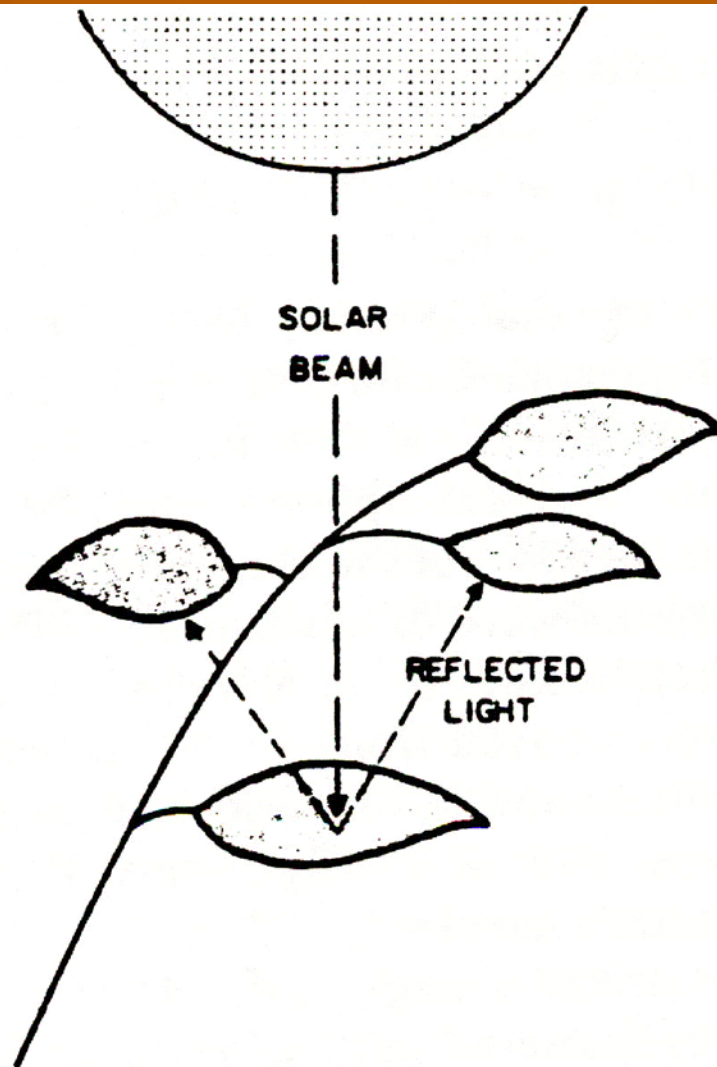
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CCSM Workshop, Breckinridge, June  
2009

# Review of Canopy Radiation

- Absorption of solar radiation drives climate system exchanges of energy, moisture, and carbon.
- Dickinson and Sellers advanced one dimensional analytic models of plant canopies for determining this absorption for a climate model.
- These early models have evolved into what is currently used in climate models.
- Issue of scaling from small scale to scale of climate model-substantial room for improvement in quantification

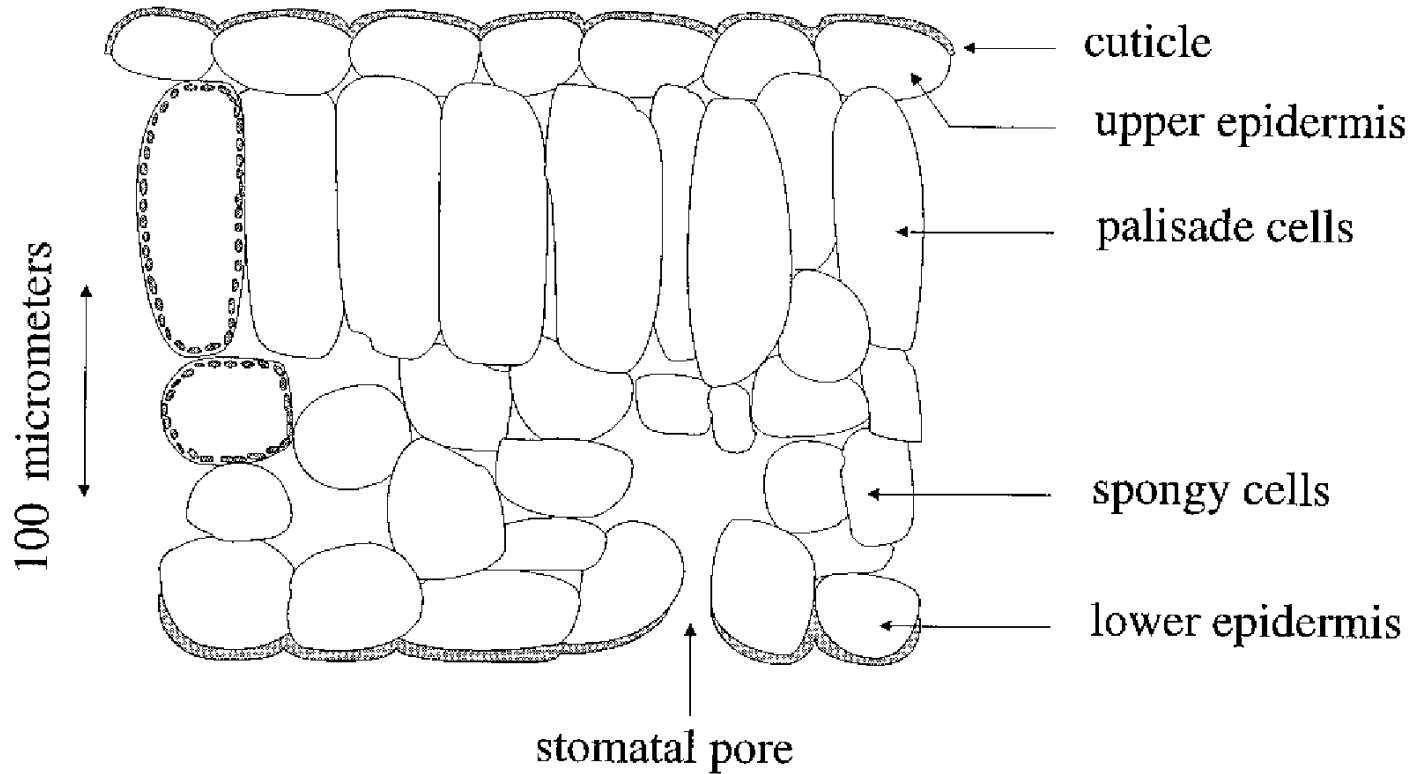


**Sketch of the partial trapping of light reflected from a canopy leaf by overlying leaves.**

# Controls on Canopy Radiation

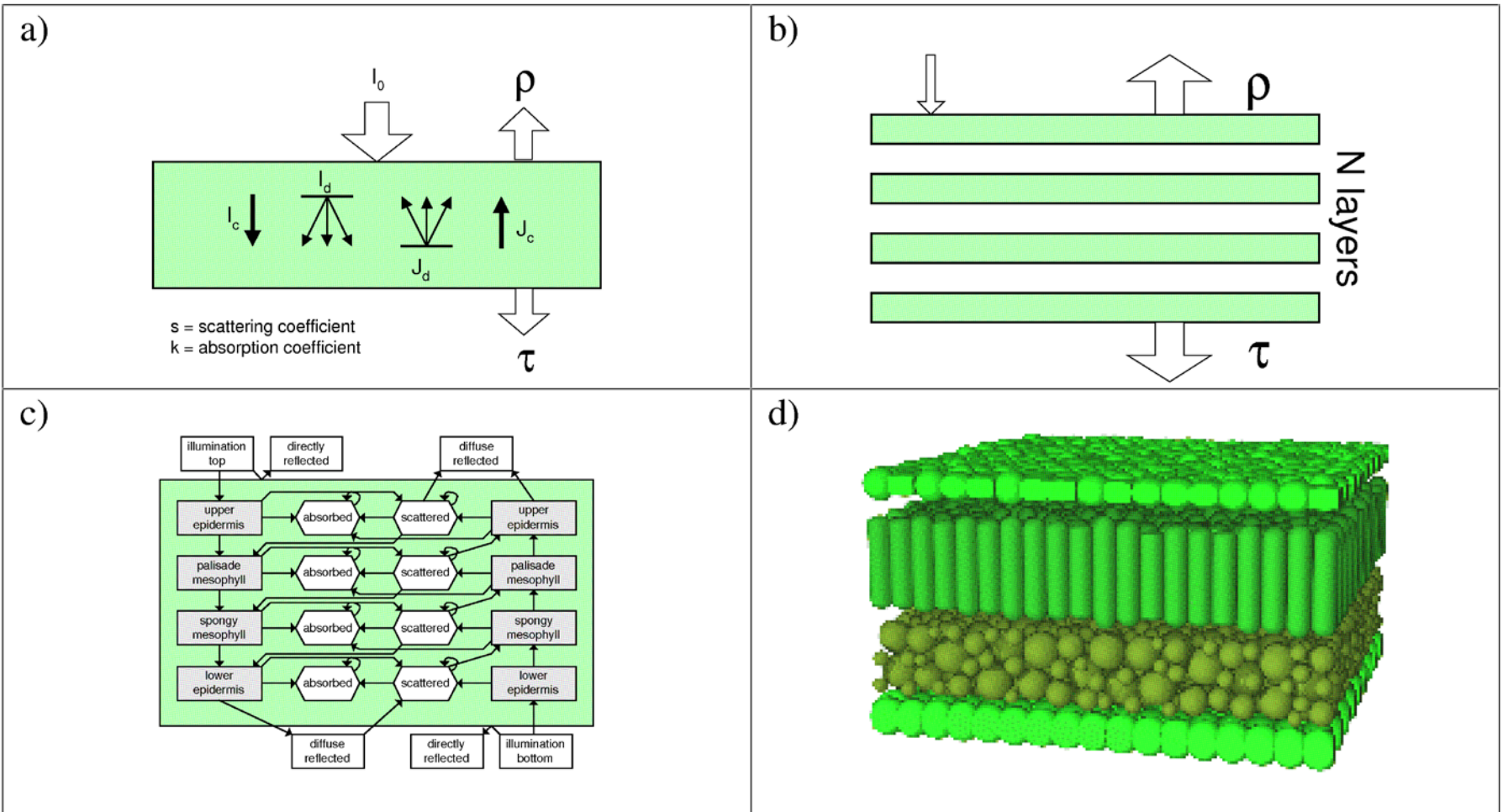
- Leaf orientation
- Leaf optical properties
- LAI
  - Stems also commonly included but yet not constrained by any observations – leave out here
- Canopy geometry
- Interaction with underlying soil or under-story vegetation

# Schematic Yves Govaerts et al.



Schematic transverse section through a dicotyledon leaf indicating the arrangement of tissues. Chloroplasts are drawn in one cell only of both palisade and spongy tissues.

# Mechanistic Leaf Models (Jacquemoud & Ustin)



Different leaf optical properties models:

(a) Plate models, (b) N-flux models, (c) Stochastic models, (d) Ray tracing models

# Simple Parameterization for Leaf Scattering

(Lewis/Disney)

- $W_{\text{leaf}} = \exp[-a(n) A(\lambda)]$
- $a$  is  $O(1)$ , depends on refractive index  $n$
- $A(\lambda)$  is the bulk absorption averaged over leaf materials at wavelength  $\lambda$  (i.e., water and dry matter at all wavelengths, chlorophyll and carotenoids in visible).

# Leaf Area (LAI)

- From remote sensing, get pixel average.
- Because of non-linearities, need details about spatial distribution
- How are these currently estimated?
  - Ignore – view LAI /canopies as applied to model grid square
  - Use concept of fractional cover of a pft – LAI a constant for a given pft –covers some fraction of model grid-square.



# Canopy Geometric Structure.

- Climate models have only used plane parallel RT models
- Uniform versus fractional cover  $f_c$  of pft.
- Transmission of sunlight  $T$  = fraction of area covered by sun or sun-flecks.
- Compare:  $(1 - f_c) + f_c \exp(-\frac{1}{2} \text{LAI} / f_c)$  versus  $\exp(-\frac{1}{2} \text{LAI})$ 
  - Both  $1 - \frac{1}{2} \text{LAI}$  for small LAI, but  $(1 - f_c)$  versus 0 for large LAI – non-vegetated fraction a canopy “gap”

# Where canopy, LAI, hence optical path lengths, depend on location in space.

- Radiation decay as :  $\exp(-\frac{1}{2} \text{LAI}(x,y))$
- Average transmission, an area average-can simplify by use of distribution, e.g.  $x$  a scaling parameter,  $0 \leq x \leq 1.0$ ,  $\text{LAI} = x \text{LAI}_{\text{max}}$  and  $D(x)$  the fractional area where  $\text{LAI}/\text{LAI}_{\text{max}}$  between  $x$  and  $x+dx$ , then  $T = \int_0^1 dx D(x) \exp(-\frac{1}{2} x \text{LAI}_{\text{max}})$ . Integrates analytically if  $D(x)$  simple enough.
- Can fit  $T$  to exponentials and infer effective leaf parameters (approach of Pinty et al.)

# Use of distributions depends on canopy geometry

- Suppose canopy symmetric about some vertical axis, i.e  $LAI = LAI(r)$  depends on radial distance from this axis. Then

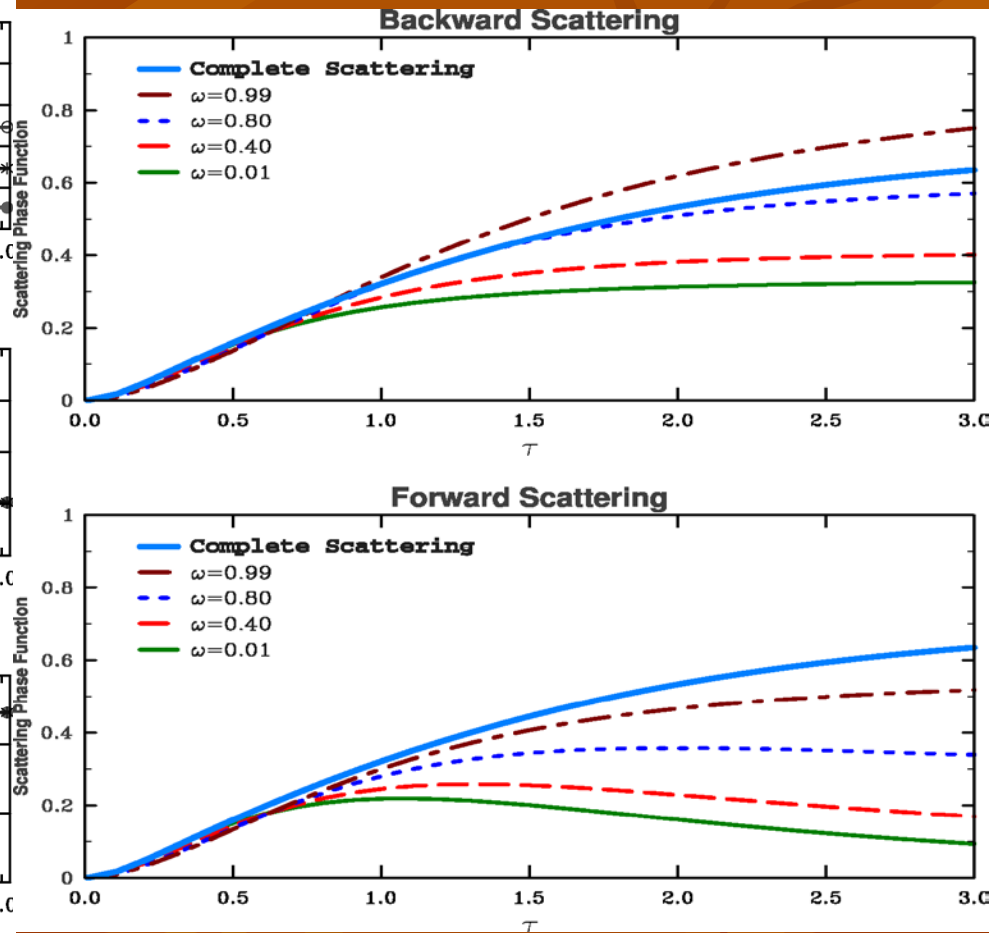
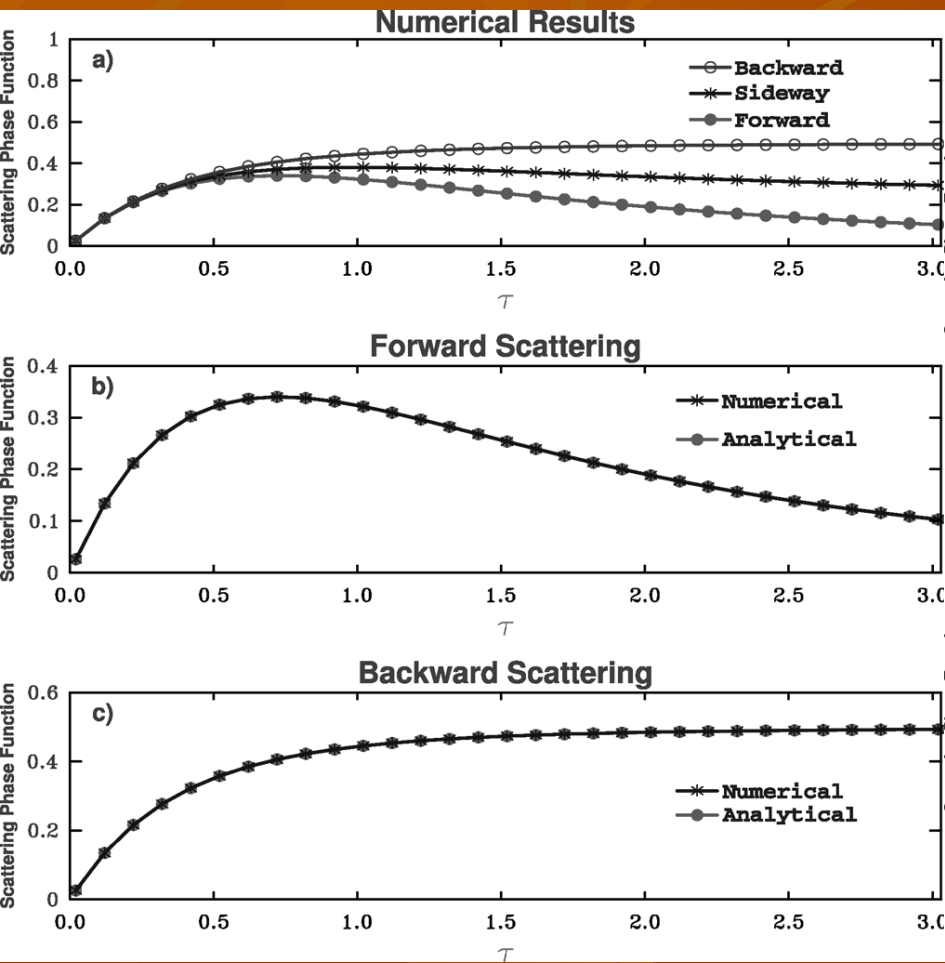
$$T = 2 \int r dr \exp ( - \frac{1}{2} LAI(r) ).$$

- $LAI = LAI_{\max} f(x)$ , where  $x = (1.-r^2)$ ,  $f(x) = x^v$   
 $0 \leq v \leq 1$ ,  $v = \frac{1}{2}$  or  $1$  gives half-sphere or rotated parabola.

# Analysis of Spherical Bush

- Note: if distribution for transmission has analytic integral, so does that for forward and backward single scattering
- Single scattering in arbitrary direction (for sphere at least) simply related to forward and backward scattering.

# Spherical/spheroidal Bush Scattering (Dickinson et al., Dickinson – in review)



To be multiplied by  $\omega/(4\pi)$

To be multiplied by  $\omega^2/(4\pi)$

# Clustering

- If clustered at a higher level of organization, predominant effect is to multiply leaf optical properties by probability of a photon escape  $p_e$  from cluster (can be directional):
- In general, for  $p_e$  a constant,  $p_a = 1. - p_e$ ,

$$\omega_{\text{cluster}} = \omega_{\text{leaf}} p_e / ( 1. - \omega_{\text{leaf}} p_a ) .$$

- Works for LAI of cluster out to 1. Spherical bush solutions and observational studies suggest maybe useful approximation for all expected LAI.

# Overlapping Shadows

- Many statistical models can be used to fit spatial distribution of individual plant elements and hence the fractional area covered by shadows
- Simplest default (random) model for shadows is fraction of shadow  $f_s = (1. - \exp(-f_c S))$  where  $f_c$  is fractional area covered by vertically projected vegetation, and  $S$  is the area of an individual plants shadow relative to it projected area, eg.  $1/\mu$  for sphere. Besides sun shadow, reflected radiation sees sky-shadow.

# Shadow determines fraction of incident solar radiation intercepted by canopy

- For overlapping shadow, reduction of shadow area from nonoverlap requires addition of some distribution of LAI to canopy. Simplest is as a uniform layer above individual objects but other assumptions are feasible.



# Combining with Underlying Surface

- Climate model does not use “albedo  $a$ ” but how much radiation per unit incident sun absorbed by canopy  $A_c$  and by ground  $A_g$ .

$$A_g = (1. - f_s(1. - T_c)) (1. - a_g)$$

$A_c = f_s (1 - a_c) +$  reflected by soil into canopy  
sky shadow (shadow overlap?)

# The need for complex pfts

- Current pft modeling only works if a pft's shadows are only cast on bare ground.
- When e.g. grass under trees, the understory canopy gets less radiation and the overstory more than provided by the single pft treatment. Single tree/bus will intercept about twice as much solar radiation as inferred from current treatment, and any understory vegetation correspondingly less.

# Mitigating factors

- In closed canopies, 3-D effects relatively small
- System albedo smaller effect can be compensated by use of observational albedo
- Canopy and understory will adjust to errors in absorbed solar by sensible and long wave fluxes so may not be large differences in temperatures.

# Biggest Effects Expected

- PAR in error by up to a factor of two likely to impact carbon assimilation and hence growth of dynamic vegetation
- Modeling of vertical structures (e.g., N and Vmax) in canopy only good for closed canopy.

# Complex canopies

- Tree pft plus a grass pft (savanna)
- Shrub plus grass for Arctic and semiarid systems

# Information Needed

- Fraction of area covered by over-story canopy
- Albedo of understory
- LAI of the canopy
- Detailed determination of canopy albedo allowing for 3-D effects
- Details of canopy geometry, esp. H/W.
- Constrain total albedo with data (MODIS).

# Conclusions

- Next advance in treating vegetation is to recognize 3-D geometries where most important. Need both details of modeling and observational constraints.